Cargo Delivery

There are n cities numbered from 0 to $n-1$ connected by m bidirectional roads. It's possible to travel from city 0 to city $n-1$. There is at most one road between any pair of cities and each road connects two different cities.

Initially, all roads are brand new, so their brokenness is 0. Every time a truck passes through a road, the brokenness of this road increases by one after the truck passes it.

However, things are not that bad. You are allowed to do the following t times: choose a single road and repair it. Every time a road is repaired, its brokenness decreased by 1. A single road can be repaired multiple times.

Finally, the brokenness of a truck is defined as the maximum brokenness of a road it passes through, measured at the time it was passing that road.

You are a manager of the transport department in the Big Company, so obviously, you don't want the trucks to get broken too much. What's the minimum possible brokenness of a truck among all k trucks driving from city 0 to city $n-1$?

Complete the function `minimumBrokenness` which takes in four integers n, m, k and t and returns the minimum possible brokenness of a truck among all k trucks driving from city 0 to city $n-1$. You need to take the information about roads from the sample input.

Input Format

The first line contains four space-separated integers n, m, k and t.

The i^{th} of the following m lines contains two space-separated integers u_i and v_i, denoting that there is a road between cities u_i and v_i.

Constraints

- $2 \leq n \leq 2000$
- $1 \leq m \leq 2000$
- $1 \leq k \leq 2000$
- $0 \leq t \leq 2000$
- $0 \leq u_i, v_i < n$

Output Format

Print a single integer denoting the minimum possible brokenness of a truck among all k trucks driving from city 0 to city $n-1$?

Sample Input 0

```
5 5 2 1
0 1
1 2
1 3
2 4
3 4
```

Sample Output 0

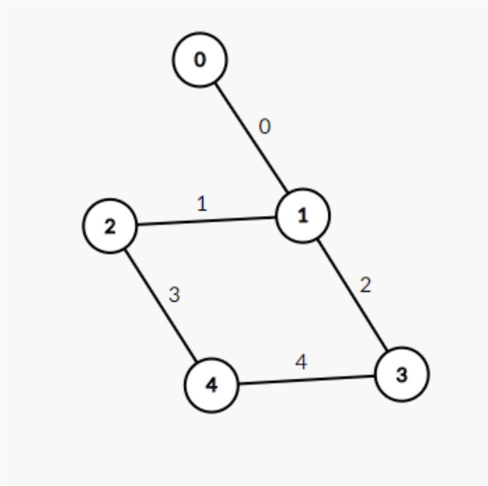
```
0
```

Explanation 0

For the first truck, the route is $0 \to 1 \to 3 \to 4$ for first truck.

The road between 0 and 1 is then repaired.

For the second truck, the route is $0 \to 1 \to 2 \to 4$.



Sample Input 1

```
7 8 2 0
0 1
0 2
1 3
2 3
3 4
3 5
4 6
5 6
```

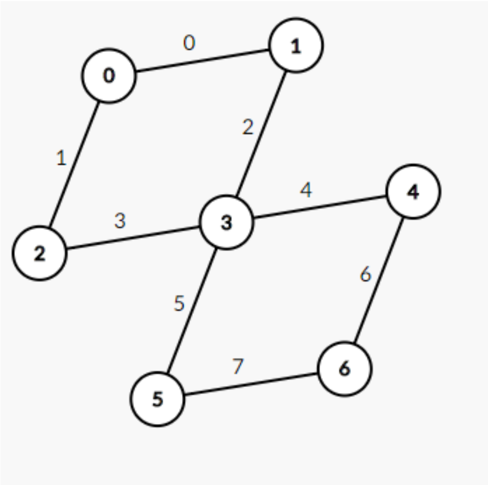
Sample Output 1

```
0
```

Explanation 1

For the first truck, the route is $0 \to 1 \to 3 \to 4 \to 6$.

For the second truck, the route is $0 \to 2 \to 3 \to 5 \to 6$.



Sample Input 2

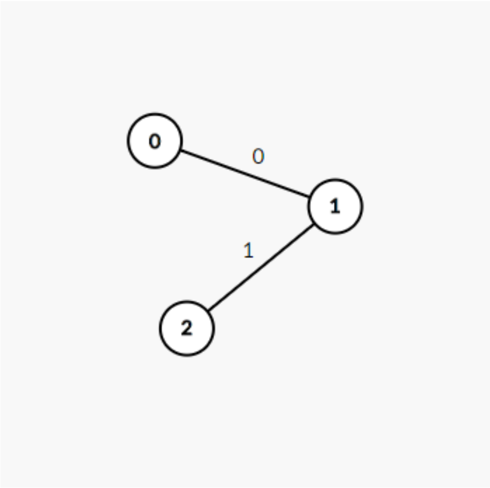
```
3 2 5 2
0 1
1 2
```

Sample Output 2

```
3
```

Explanation 2

For every truck, the route is $0 \rightarrow 1 \rightarrow 2$. After the first truck, both roads are repaired.



Sample Input 3

```
4 4 10 0
0 1
1 3
0 2
2 3
```

Sample Output 3

```
4
```

Explanation 3

For the first 5 trucks, the route is $0 \rightarrow 1 \rightarrow 3$.

For the second 5 trucks, the route is $0 \rightarrow 2 \rightarrow 3$.