A Time-saving Affair



Janet is in an Uber on her way to an interview. The driver promises to take her to the venue as soon as possible. The driver is aware that:

- There are n junctions in the city of Mumbai, numbered from 1 to n.
- Janet's interview location is at junction n. They are initially at junction 1.
- ullet There are $m{m}$ bidirectional roads connecting some pairs of junctions, each one requiring some amount of time to pass through it.

At every junction, there are traffic lights denoting whether they are allowed to go further or to wait. Traffic lights have two colors, *red* and *green*. The driver can commute through junctions based on these conditions:

- 1. At any junction, if the traffic signal's light is green, then they can go immediately, otherwise, they have to wait until traffic signal becomes green.
- 2. Traffic signal changes its color every k seconds of time at all junctions simultaneously.

Initially, at the 0^{th} second, all traffic lights have changed to green color at all the junctions. If the cab driver reaches a junction at a second when the traffic light changes its color, then he sees the traffic light after the change.

Can you help the driver determine the least amount of time needed to reach the interview location?

Complete the function $\[\]$ leastTimeToInterview $\]$ which takes in three integers $\[n, k \]$ and $\[m \]$ and returns the least amount of time needed to reach the interview location, in seconds. You need to take the information about the roads from the standard input. They will be specified in $\[m \]$ lines, as described in the input format section below.

Input Format

The first line contains an integer n, the number of junctions.

The second line contains an integer k denoting the time taken by a signal to change its color.

The third line contains an integer m denoting the number of roads.

The next m lines describe the roads. Each consist of three space-separated integers i, j and t where i and j denotes a road between two junctions and t denotes time required to travel through it.

Constraints

- $1 \le n \le 10^4$
- $1 \le k \le 10^2$
- $1 \le m \le 10^5$
- $1 \leq i, j \leq n$
- $1 < t < 10^3$
- There can be self-loops, i.e., roads connecting a junction to itself.
- There is at least one path from junction 1 to junction n.

Output Format

Print a single integer denoting the shortest amount of time required to reach junction n.

Sample Input 0

7		
4		
7		
1 2 3		
2 3 1		
1 4 4		
4 6 7		
7 5 2		
3 5 1		
4 5 5		

Sample Output 0



Explanation 0

- Junction number 1: The cab driver can visit any of the adjacent junctions. He chooses to visit junction 2. Since the traffic signal is green at the 0^{th} second, He can visit junction 2 which takes 3 seconds.
- ullet Junction number 2: The traffic signal is still $\it green$ since traffic signals change color every 4 seconds. The cab driver now chooses to visit junction 3 which takes 1 second, and we are now at the 4^{th} second.
- Junction number 3: 4 seconds have passed, and the traffic signal has already become red. They have to wait for 4 more seconds until the signal again becomes green.
- ullet Junction number ullet: The cab takes the route to junction ullet which takes ullet second. So far, ullet seconds have passed.
- Junction number 7: The traffic signal is still *green* and the cab can go to junction 7. It takes 2 seconds to reach junction 7.

In total, it takes 11 seconds to go from junction 1 to junction 7. It can be shown that this is the minimum amount of time possible.

