

# CCC '08 J4 - From Prefix to Postfix

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Prefix notation is a non-conventional notation for writing arithmetic expressions. The standard way of writing arithmetic expressions, also known as infix notation, positions a binary operator between the operands, e.g.,  $3 + 4$ , while in prefix notation the operator is positioned before the operands, e.g.,  $+ 3 4$ . Similarly, the prefix notation for  $5 - 2$  is  $- 5 2$ . A nice property of prefix expressions with binary operators is that parentheses are not required since there is no ambiguity about the order of operations. For example, the prefix representation of  $5 - (4 - 2)$  is  $- 5 - 4 2$ , while the prefix representation of  $(5 - 4) - 2$  is  $- - 5 4 2$ . The prefix notation is also known as Polish notation, due to Jan Łukasiewicz, a Polish logician, who invented it around 1920.

Similarly, in postfix notation, or reverse Polish notation, the operator is positioned after the operands. For example, postfix representation of the infix expression  $(5 - 4) - 2$  is  $5 4 - 2 -$ .

Your task is to write a program that translates a prefix arithmetic expression into a postfix arithmetic expression.

## Input Specification

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Each line contains an arithmetic prefix expression. The operators are  $+$  and  $-$ , and numbers are all single-digit decimal numbers. The operators and numbers are separated by exactly one space with no leading spaces on the line. The end of input is marked by  $0$  on a single line. You can assume that each input line contains a valid prefix expression with less than 20 operators.

## Output Specification

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Translate each expression into postfix notation and produce it on a separate line. The numbers and operators are separated by at least one space. The final  $0$  is not translated.

## Sample Input

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1
+ 1 2
- 2 2
+ 2 - 2 1
- - 3 + 2 1 9
0
```

## Sample Output

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1

1 2 +

2 2 -

2 2 1 - +

3 2 1 + - 9 -