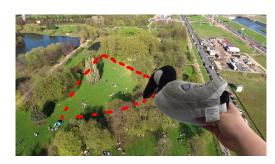
# TLE '17 Contest 4 P4 - Willson and Target Practice

Willson the Canada Goose is like any other Canada Goose he likes to engage in target practice.

There are N unsuspecting targets that Willson can practice on. The  $i^{th}$  target is located at  $(x_i,y_i)$ .

Unlike other geese who choose a circular area for target practice, Willson is unique and decides to choose an equilateral triangle with side length K as his area, with the additional constraint that one side of the triangle must be parallel to the line y=0.



The poor unsuspecting targets don't see it coming...

Could you tell Wilson the maximum number of targets that could be in such an area?

**Note:** A target on the perimeter of the triangle is counted.

#### **Constraints**

For all subtasks:

1 < N < 20000

 $1 \le K \le 200$ 

All coordinates c satisfy  $|c| \leq 2\,000$ .

Subtask	Points	Additional Constraints
1	5	K = 1
2	15	N=2
3	20	$N \leq 200$
4	30	$N \leq 2000$
5	30	No additional constraints

**Note 1:** There can be multiple targets at the same coordinate.

Note 2: Python users are recommended to submit in PyPy.

#### **Input Specification**

The first line of input will contain two integers, N and K.

N lines of input follow. The  $i^{th}$  line will contain two integers,  $x_i$  and  $y_i$ .

## **Output Specification**

Output a single integer, the maximum number of targets that can be in an area as described above.

### **Sample Input**

5 3

1 1

2 0

2 4

3 2

3 3

#### **Sample Output**

3

### Diagram

