

# The Photometric LSST Astronomical Time-series Classification Challenge (PLAsTiCC): Metrics

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We describe and illustrate the process by which a global performance metric was chosen for Photometric LSST Astronomical Time-series Classification Challenge (PLAsTiCC), a Kaggle competition aiming to identify promising transient and variable classifiers for LSST by involving the broader community outside astronomy.

This note is the brief introduction to the metrics used for the PLAsTiCC data challenge.

## 1. Introduction

The main goal of the PLAsTiCC competition is to answer the following: *can one classify a large test set of transients and variables using their photometric data, given a small and unbalanced training set?*

In this challenge, classification over the full range of classes is preferred, hence the main metric that will be used to evaluate the challenge is the *Brier metric*, as described below.

The metric of this note is for the first version of the Kaggle competition, though there are future plans for an early classification challenge and identification of class-specific metrics for different science goals. This note serves only to summarize the results and code online in the [ProClam](#) repository. Interactive notebooks and calculations are provided there.

The criteria for the metric included:

- The metric must return a single scalar value.
- The metric must be well-defined for non-binary classes.
- The metric must balance diverse science use cases in the presence of heavily nonuniform class prevalence.
- The metric must respect the information content of probabilistic classifications.
- The metric must be able to evaluate deterministic classifications.
- The metric must be interpretable, meaning it gives a more optimal value for “good” mock classifiers and a less optimal value for mock classifiers plagued by anticipated systematic errors; in other words, it must pass basic tests of intuition.
- The metric must be reliable, giving consistent results for different instantiations of the same test case.

## 2. Methods

We considered two metrics of classification probabilities, each of which is interpretable and avoids reducing probabilities to point estimates

The Brier score is defined as

$$B = \sum_{m=1}^M \frac{w_m}{N_m} \sum_{n=1}^{N_m} \left( (1 - p_n(m|m))^2 + \sum_{m' \neq m}^M (p_n(m'|m))^2 \right),$$

where the sum over  $M$  is a sum over the  $M$  classes defined, while the sum over  $N_m$  is the sum over the individual objects in a given class  $m$  in  $M$ . The  $w_m$  are the weights defined per class. These weighted averages of the per-class metrics maybe be considered in terms of the systematics we discussed, by upweighting or downweighting the chosen ‘class’ most affected by the systematics.

The log-loss is defined as

$$L = - \sum_{m=1}^M \frac{w_m}{N_m} \sum_{n=1}^{N_m} \ln[p_n(m|m)],$$

where again the sum over  $M$  is computed across classes, while the sum over  $N_m$  is within a class.

We define a weight vector across classes  $N_m$ , which will be provided to the Kaggle team separately, since it contains model-specific information. For both the Brier metric and the log-loss metric, the goal is to minimise the metric score.

In addition to providing the output of some classifiers evaluated on the metric, as shown in Figure 1, we also include various ‘systematics’ across which we test the metric performance.

These systematics include:

- idealized: highly accurate on all classes
- guessing: random classifications across all classes
- tunnel vision: classifies one class well and others randomly
- cruise control: classifies all objects as a single class
- subsumed: consistently misclassifies one class as one other class

### 3. Results

We show the performance of the metric on the various classifiers included in Figure 1.

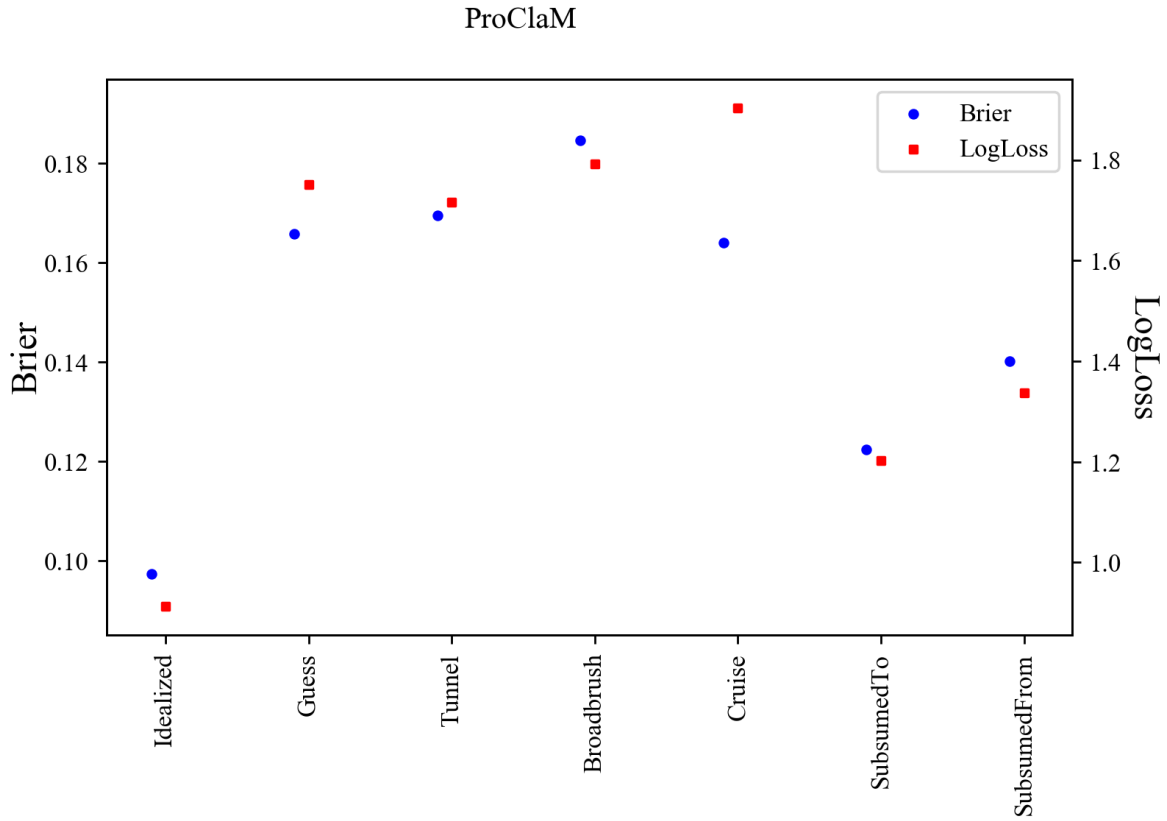
### 4. Contributions

The contributions of those directly involved in the metrics are included in the online version of this note in the [ProClam](#) repository.

### 5. Conclusion

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**Figure 1.** The Brier and Log-loss metrics evaluated against example classifications, and ‘systematic’ classification types. The code used to produce these plots is online as [ProClam](#), and example ipython notebooks are provided for use by PLAsTiCC participants.

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