

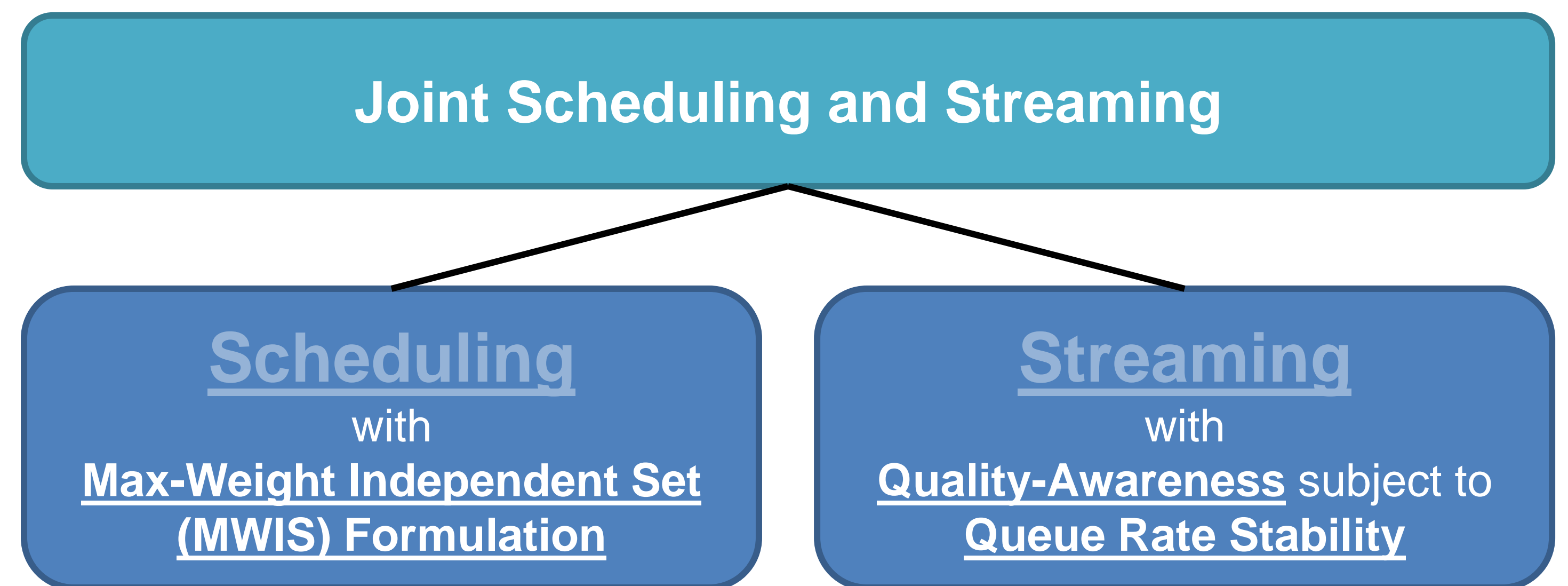
# Joint Scheduling and Stochastic Streaming for Device-to-Device Video Delivery

Joongheon Kim (USC), Andrea Turci (U. Bologna), Giuseppe Caire (USC), Andreas F. Molisch (USC)

E-mails: [joonghek@usc.edu](mailto:joonghek@usc.edu), [andrea.turci8@studio.unibo.it](mailto:andrea.turci8@studio.unibo.it), [caire@usc.edu](mailto:caire@usc.edu), [molisch@usc.edu](mailto:molisch@usc.edu)

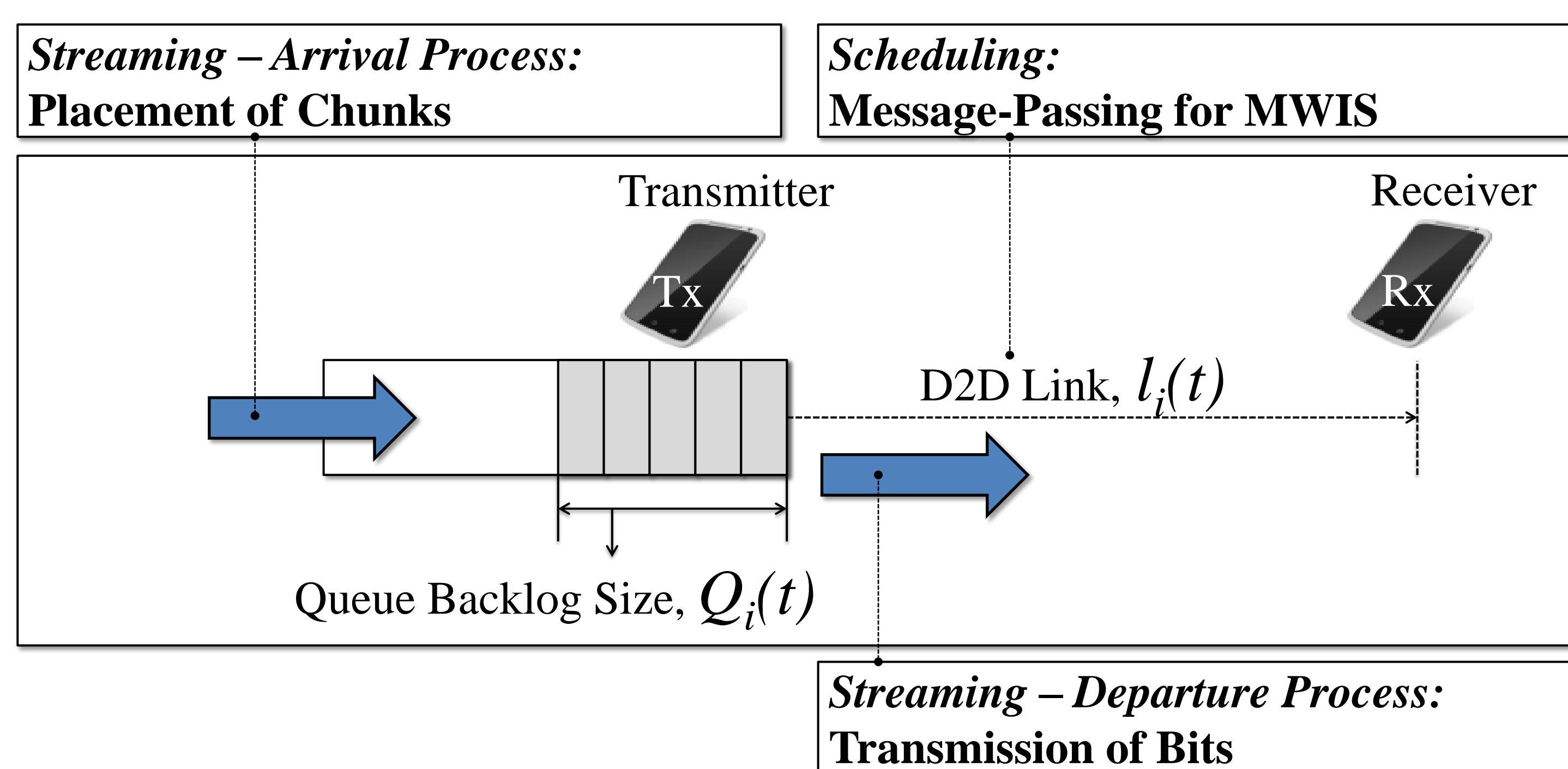
## Introduction

- **Device-to-Device (D2D)**
  - Actively discussing in next-generation cellular standards (3GPP)
  - **FlashLinQ** (Allerton 2010), one of several proposals for LTE-Direct
- **FlashLinQ**
  - The most well-known scheduling algorithm in D2D systems
  - However,
    - (1) It does not contain video-aware operation,
    - (2) It does not consider queue dynamics in D2D transmitters.

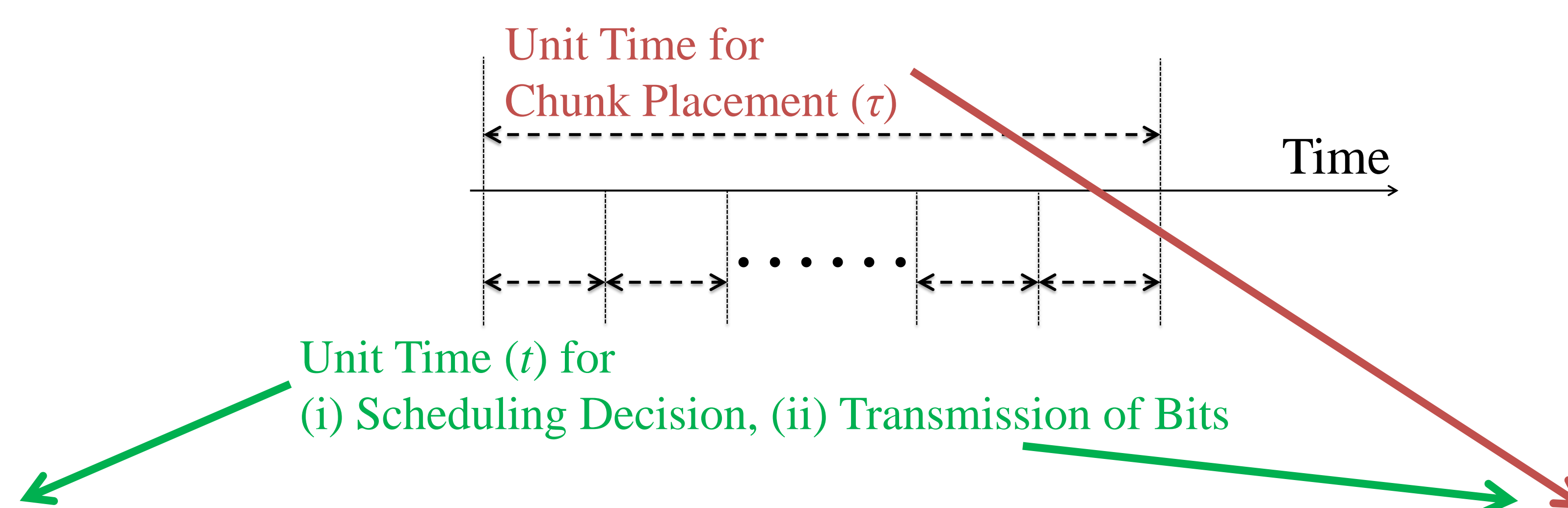
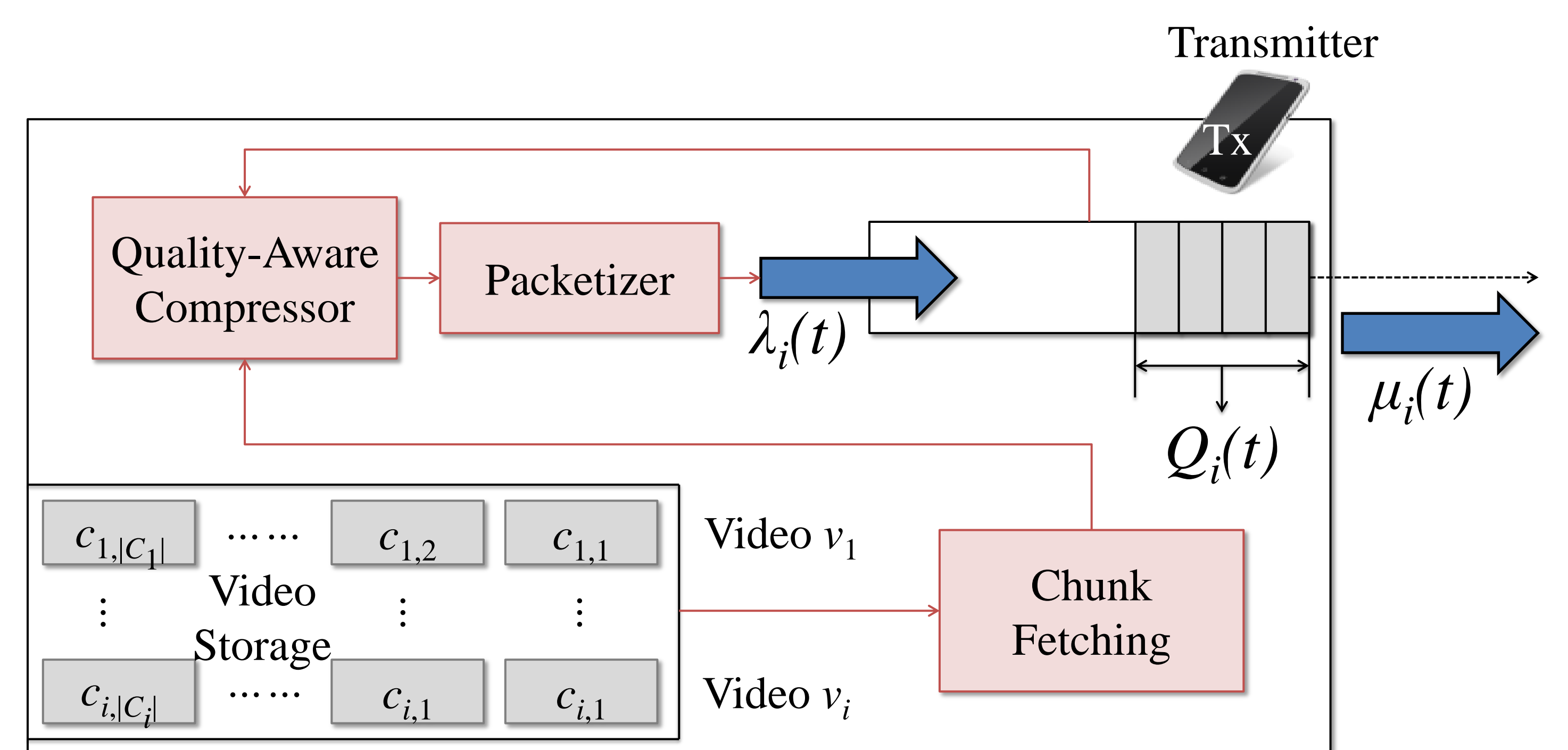


## Joint Scheduling and Streaming for Device-to-Device Video Delivery

### A Link Model



### A Device Model



### Scheduling with MWIS Formulation

#### MWIS-Based Scheduling Formulation

$$\begin{aligned}
 \max : & \quad \mathcal{F}(\mathcal{L}, \mathcal{E}) \triangleq \sum_{l_i \in \mathcal{L}} w_i \mathcal{I}_i, \\
 \text{s.t.} & \quad \mathcal{I}_j + \mathcal{I}_k \leq 1, \text{ if } \mathcal{E}_{(j,k)} = 1, \forall l_j \in \mathcal{L}, \forall l_k \in \mathcal{L}, \\
 & \text{where } \mathcal{I}_i \text{ is a boolean index of } l_i, \forall l_i \in \mathcal{L} \text{ that is defined as} \\
 & \quad \mathcal{I}_i = \begin{cases} 1, & \text{if } l_i \text{ is scheduled where } l_i \in \mathcal{L}, \\ 0, & \text{otherwise} \end{cases} \\
 & \text{and } w_i, \forall i \in \{1, \dots, |\mathcal{L}|\} \text{ is formulated as follows for max-weight scheduling:} \\
 & \quad w_i \triangleq r_i(t) \cdot Q_i(t)
 \end{aligned}$$

#### Computing the Solutions of MWIS-Based Scheduling via Message-Passing

• Input

- $w_i$  in (7) where  $\forall l_i \in \mathcal{L}$
- $\mathcal{E}_{(j,k)}$  in (1) where  $\forall l_j \in \mathcal{L}, \forall l_k \in \mathcal{L}$

• Output

- $\mathcal{F}(\mathcal{L}, \mathcal{E})$
- $\mathcal{L}^*$  // set of scheduled D2D links

Update Phase:

$n = 1$ ;

while  $n \leq K$  do

//  $K$ : the number of message-passing iteration;

$m_{i \rightarrow j}^n = \max \left[ 0, w_i - \sum_{k \in \mathcal{N}(i)-j} m_{k \rightarrow i}^{n-1} \right], \forall j \in \mathcal{N}(i);$

$i$  sends  $m_{i \rightarrow j}^n$  to all  $j \in \mathcal{N}(i);$

$n++$ ;

end

Estimation Phase:

$\mathcal{I}_i = \begin{cases} 1 & \text{if } \sum_{k \in \mathcal{N}(i)} m_{k \rightarrow i}^K < w_i \\ 0 & \text{otherwise} \end{cases};$

If  $\mathcal{I}_i = 1$  then  $l_i \in \mathcal{L}^*$ ;

MWIS Computation Phase:

$\mathcal{F}(\mathcal{L}, \mathcal{E}) = \sum_{l_i \in \mathcal{L}} w_i \mathcal{I}_i;$

Sanghavi and Shah  
NIPS'07

### Streaming with Stochastic Network Optimization

#### Streaming (Arrival Process: Placement of Chunks)

**Objective Function:**  
maximization of the total quality over all links subject to the rate stability of all scheduled transmitter queues

$$\begin{aligned}
 \max & \quad \lim_{t \rightarrow \infty} \frac{1}{t} \sum_{t^*=0}^{t-1} \mathbb{E} [\mathbb{P}(t^*)] \\
 \text{subject to} & \quad \lim_{t \rightarrow \infty} \frac{1}{t} \sum_{t^*=0}^{t-1} \mathbb{E} [Q_i(t^*)] < \infty, \forall l_i \in \mathcal{L}^*
 \end{aligned}$$

Stochastic Optimization

Each Chunk Unit Time, choose  $q_i$ ,

$$\arg \max_{q_i(t) \in M} \left[ \mathbb{P}_{f_i}(q_i(t), t) - \alpha \{k \mathbb{B}_{f_i}(q_i(t), t)\} Q_i(t) \right]$$

where  $M = \{q_1, \dots, q_M\}$

PSNR of Current Chunk with  $q_i(t)$

$$\mathbb{P}_{f_i}(q_i(t), t) = \begin{cases} \mathbb{P}_{f_i}(q_i(t), t), & \tau \bmod t = 0, \\ 0, & \tau \bmod t \neq 0, \end{cases}$$

Bitrates of Current Chunk with  $q_i(t)$

$$\lambda_i(t) = \begin{cases} k \mathbb{B}_{f_i}(q_i(t), t), & \tau \bmod t = 0, \\ 0, & \tau \bmod t \neq 0, \end{cases}$$

#### Streaming (Departure Process: TX of Bits)

$$\mu_i(t) = B \cdot \log_2 \left[ 1 + \frac{\mathcal{P}_{s_i \rightarrow r_i}(t) \|h_{i \rightarrow i}\|^2}{\sigma^2 + \sum_{j \neq i} \mathcal{P}_{s_j \rightarrow r_j}(t) \|h_{j \rightarrow i}\|^2} \right]$$