

## **LAB ASSIGNMENT 04 — Implementing Naive Bayes Classifier**

**Course:** CSC-462 – Artificial Intelligence

**CLO:** CLO-6 — Apply machine learning and probabilistic reasoning to solve classification problems

**Total Marks:** 25

### **PART A Implementing Naive Bayes From Scratch (12 Marks)**

#### **Problem A1 Build a Naive Bayes Text Classifier (Coding Required) (6 Marks)**

Write a Python program that implements a **Multinomial Naive Bayes classifier from scratch** (NO libraries for ML allowed only Python, NumPy allowed but optional).

**Dataset (students create manually or provided by instructor):**

A small text dataset with two classes:

- **Positive**
- **Negative**

Example documents:

- Positive: ["I love this food", "This movie is great", "Amazing experience"]
- Negative: ["I hate this taste", "The movie was bad", "Worst experience ever"]

**Your program must:**

1. Preprocess text:
  - Convert to lowercase
  - Remove punctuation
  - Tokenize into words
2. Build vocabulary from training documents.
3. Compute:
  - Prior probabilities  $P(\text{Class})$
  - Likelihood probabilities  $P(\text{word} \mid \text{Class})$  with **Laplace smoothing**
4. Implement Naive Bayes classification using:

$$P(\text{Class} \mid \text{Document}) \propto P(\text{Class}) \prod_{\text{word} \in \text{doc}} P(\text{word} \mid \text{Class})$$

5. Test your classifier on **3 new documents** and print predicted class.

**Output Requirements:**

- Print vocabulary
- Print priors and likelihood tables
- Print class prediction for each test document
- Print intermediate probability calculations for at least one example

**Problem A2 Analyze the Classifier's Behavior (6 Marks)**

Answer the following questions based on your implementation:

- a. How does Laplace smoothing change the likelihood values?
- b. What happens when the dataset is extremely small?
- c. Why does Naive Bayes assume independence between features, and how does this simplify computation?
- d. Give one scenario where Naive Bayes performs surprisingly well, and one scenario where it usually performs poorly.

**PART B Naive Bayes for Numerical Features (13 Marks)**

**Problem Statement**

**You are required to implement a Naive Bayes classifier (discrete version, non-Gaussian) for a dataset containing numerical features.**

**Since Naive Bayes (discrete) requires categorical features, your first task is to convert the numerical values into discrete bins, then compute probability tables manually.**

**You must not use any machine-learning libraries (e.g., sklearn).**

**Only Python, math, and NumPy are allowed.**

**Dataset**

**Use the following dataset containing two numerical features: Age and Income. Your job is to convert these numeric features into discrete bins, then build Naive Bayes probability tables.**

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**Age Income (k USD) Class**

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23	25	No
45	60	Yes
35	45	Yes
52	110	Yes
33	30	No
28	28	No
40	85	Yes
60	95	Yes
25	40	No

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**Task A Feature Discretization (5 Marks)****1. Convert Age into 3 bins:**

- **Young ( $\leq 30$ )**
- **Mid (31–50)**
- **Senior ( $> 50$ )**

**2. Convert Income into 3 bins:**

- **Low ( $\leq 40$ )**
- **Medium (41–80)**
- **High ( $> 80$ )**

**3. Add the discretized columns to your dataset.****Output:**

- Print the final transformed table.

**Task B Build Naive Bayes Model (Discrete) (10 Marks)****You must compute manually:**

**1. Prior probabilities:**

$$P(\text{Class} = \text{Yes}), P(\text{Class} = \text{No})$$

**2. Likelihood tables:**

Example:

$$\begin{aligned}P(\text{Age} = \text{Young} | \text{No}) \\P(\text{Income} = \text{High} | \text{Yes})\end{aligned}$$

**3. Apply Laplace smoothing (add-one smoothing) to avoid zero probabilities.**

**4. For the following test sample:**

Age Income

34 72

Convert it into discrete bins and compute:

$$P(\text{Yes} | X), P(\text{No} | X)$$

**5. Predict the class label by selecting the class with the higher posterior probability.**

Output required:

- All prior probability calculations
- All likelihood tables
- Posterior probability computations
- Final predicted class

**Submission Requirements**

- Python code
- Printed tables for priors, likelihoods, and posteriors
- PDF containing answers to Task C
- All steps must be clearly explained