# Detecting Selection in Experimental Evolution Experiment

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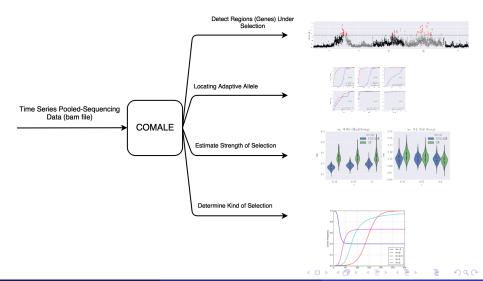
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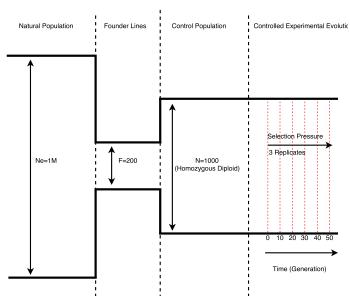
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# Goals of COMALE: Composite Of MArkovian Likelihoods for Experimental evolution



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#### Simulations



### Case I: Exact Allele Frequency

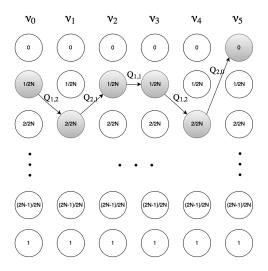
• Given allele frequencies  $\{\nu_0, \dots, \nu_T\}$  at each site compute  $\lambda$ -statistic for each SNP by

$$\lambda = \frac{H_1}{H_0} = \frac{\Pr(\nu_0, \dots, \nu_T | s = s^*)}{\Pr(\nu_0, \dots, \nu_T | s = 0)}$$
(1)

where  $s^*$  is the maximum likelihood estimate of s (strength of selection).

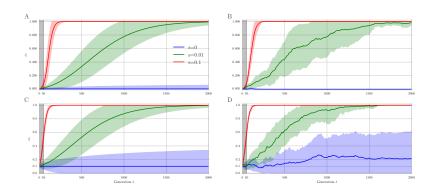
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### Probability of a Sequence: Wright-Fisher Markov Chain



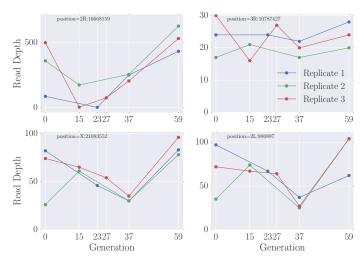
$$P(v_0, ..., v_5) = Q_{1,2} Q_{2,1} Q_{1,1} Q_{1,2} Q_{2,0}$$

#### Model vs Observation

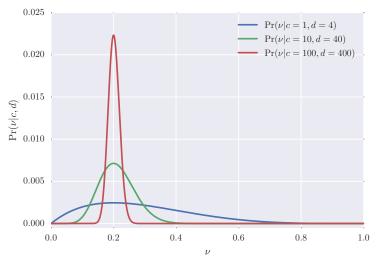




#### Depth Heterogeneity



## Uncertainty in allele frequency



## Case II: Unknown Allele Frequency (Pooled-Seq data)

• Given  $\{x_0, \ldots, x_T\}$  at each site where  $x_t = (c_t, d_t)$  is a tuple of derived allele read count and the read depth, we are interested in computing  $\lambda$ -statistic for each SNP by

$$\lambda = \frac{H_1}{H_0} = \frac{\Pr(x_0, \dots, x_T | s = s^*)}{\Pr(x_0, \dots, x_T | s = 0)}$$
 (2)

• Hidden Markov Model computes null and alternative likelihoods.

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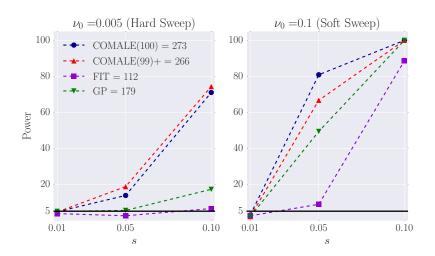
#### COMALE statistic and P-Value for a region

- Having computed  $\mathcal{L} = \{\lambda_1, \dots, \lambda_M\}$  for each SNP of a region, COMALE is the average of top-10 elements.
- P-Value of the COMALE statistic is computed under empirical null distribution, i.e., negative control.

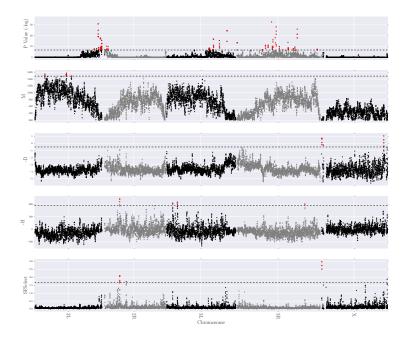
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#### Detection Power

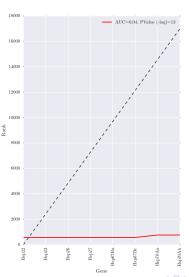






### Heat Protein Shock genes





Thanks!