## Relts 1.0

# User Manual

Mihir Mehta Shibashis Guha

## Contents

1	Introduction	1
2	Installation	1
3	Usage	1
	3.1 Test Suite	5
	3.2 Generating Random LTSs	5

#### 1 Introduction

ReLTS is an Ocaml tool that checks the existence of a family of relations parameterised by the number of alternations(n) and the number of rounds(k). Following Stirling's approach, we use two player games to implement our relation checking. This approach lends itself very naturally to the generation of distinguishing formulae which we report when the challenger wins.

### 2 Installation

ReLTS runs on GNU/Linux. The installation follows the familiar

```
$ ./configure
```

\$ make

\$ sudo make install

installation procedure, which installs the relts executable in /usr/local/bin

Installation requires Ocaml 3.12 or newer, the findlib tool and the Ocamlgraph library. It may work with previous versions of Ocaml but this has not been tested.

In addition, an executable random\_lts is also installed. This is a C++ tool which allows generation of random LTSs with a specified number of states. Compiling random\_lts requires GCC 4.6 or newer. In Ubuntu, the corresponding packages that need to be installed are ocaml-inetrp, ocaml-findlib and libocamlgraph-dev.

### 3 Usage

ReLTS accepts LTSs as digraphs in the dot format. Each vertex should be a unique integer and each edge should be labelled by an action which is an integer.

```
Example. 1o5.dot
```

```
digraph {
  23 -> 23 ["action" = 0]
  23 -> 24 ["action" = 0]
}
```

Example. 106.dot



Figure 1: 105.dot

Figure 2: 106.dot

```
digraph {
  25 -> 25 ["action" = 0]
}
```

As it can be observed in these two examples, when running ReLTS on two LTSs, their vertices should be disjoint.

ReLTS requires the specification of the options --lts1, --lts2, -p and -q on the command line, as in this example.

```
Example. $ relts --lts1 105.dot --lts2 106.dot -p 23 -q 25 The relation does not hold. n = 1, k = 2, f = <0>[0]ff
```

In this example, the challenger starts its move from state p in lts1 and the defender starts from state q in lts2. In the output, n and k denote the number of alternations and the number of rounds the challenger needs respectively in order to win the game. By default, the number of alternations and the number of rounds allowed in the game are assumed to be infinite, i.e. there is no restriction either on the number of alternations or on the number of rounds. They can be specified using the switches -n and -k respectively. Note that these switches are different from the n and k that are part of the output.

**Example.** Setting the number of alternations allowed in the game to 0 \$ relts --lts1 105.dot --lts2 106.dot -p 23 -q 25 -n 0 The relation holds.

**Example.** Similarly, setting the number of rounds allowed in the game to 1,

\$ relts --lts1 105.dot --lts2 106.dot -p 23 -q 25 -n 0 The relation holds.

We can also evaluate the relation where the challenger has a choice to start from the p state in lts1 or the q state in lts2 with the --equivalence switch.

```
Example. $ relts --lts1 106.dot --lts2 105.dot -p 25 -q 23 The relation does not hold. n = 2, k = 3, f = <0>([0]<0>tt && <0>tt)
```

f is the distinguishing formula. For an action 0, < 0 > and [0] have their usual meanings. tt and ff stand for true and false respectively and the infix operators && and || represent conjunction and disjunction respectively.

```
Example. $ relts --lts1 106.dot --lts2 105.dot -p 25 -q 23 --equivalence The relation does not hold. n = 1, k = 2, f = <0>[0]ff
```

The last two examples show that the challenger may have a better strategy if it starts from state q instead of state p. Primarily, the switch --equivalence evaluates the relation for the case where once the game is played such that the challenger chooses p in the first round and next the game is played such that the challenger chooses q in the first round. The challenger wins if it has a winning strategy by starting from either p or from q. They also demonstrate that the elimination of non-optimal strategies, which is the key feature of ReLTS.

In case we only require only the n, k pairs for optimal strategies but not the corresponding distinguishing formulae, the switch --pairs may be used.

```
Example. $ relts --lts1 106.dot --lts2 105.dot -p 25 -q 23 --pairs The relation does not hold. n = 2, k = 3
```

If we only need to know whether the challenger has a winning strategy, we can use the --relation switch.

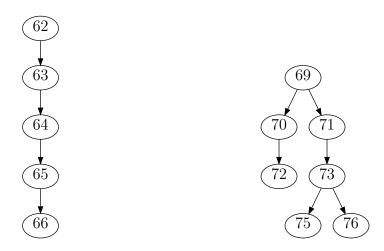


Figure 3: 118.dot

Figure 4: 122.dot

Example. \$ relts --lts1 106.dot --lts2 105.dot -p 25 -q 23 --relation The relation does not hold.

ReLTS produces multiple distinguishing formulas which is demonstrated in the following example:

```
Example. 118.dot
digraph {
 62 -> 63 ["action" = 0]
 63 -> 64 ["action" = 0]
 64 -> 65 ["action" = 1]
 65 -> 66 ["action" = 2]
}

122.dot
digraph {
 69 -> 70 ["action" = 0]
 70 -> 72 ["action" = 0]
 71 -> 73 ["action" = 0]
 73 -> 75 ["action" = 1]
 73 -> 76 ["action" = 3]
```

There are two distinguishing formulae corresponding to two strategies of the challenger which are not comparable.

#### 3.1 Test Suite

A number of test cases has been provided along with the ReLTS download. The folder test contains these test cases. The user can cd to this directory and run each of the examples provided in this manual.

#### 3.2 Generating Random LTSs

random\_lts is a simple C++ tool which generates random LTSs with a given number of states. By default, the LTS produced is a rooted binary tree. The edges are directed and all of them are labelled with action 0.

-n is the only mandatory option. It specifies the number of states.

```
Example. $ random_lts -n 8 digraph {
1 -> 2 ["action" = 0]
1 -> 3 ["action" = 0]
3 -> 4 ["action" = 0]
3 -> 6 ["action" = 0]
4 -> 5 ["action" = 0]
6 -> 7 ["action" = 0]
7 -> 8 ["action" = 0]
}
```

A back edge can be introduced with the use of the -c switch producing a cycle in the LTS. In the following example, the back edge is 8 -> 1 ["action" = 0].

```
Example. $ random_lts -n 8 -c
digraph {
```

```
1 -> 2 ["action" = 0]
1 -> 6 ["action" = 0]
2 -> 3 ["action" = 0]
2 -> 4 ["action" = 0]
4 -> 5 ["action" = 0]
6 -> 7 ["action" = 0]
7 -> 8 ["action" = 0]
8 -> 1 ["action" = 0]
}
```

Example.  $\$  random\_lts -n 16 -b 0 > 101.dot; random\_lts -n 16 -b 16 > 102.dot; relts - The relation does not hold.

```
n = 1, k = 4, f = <0>(<0>(<0>[0]ff && <0>tt) && <0>[0]ff)
```

Example. \$ random\_lts -n 16 -b 0 > 103.dot; relts --lts1 103.dot --lts2 103.dot -p 1 The relation holds.

The -b option advances all the vertex numbers by its argument, so, for instance,

```
Example. $ random_lts -n 16 -b 0 > 101.dot; random_lts -n 16 -b 16 > 102.dot $ relts --lts1 101.dot --lts2 102.dot -p 1 -q 17 will generate 102.dot with vertices labelled 17 through 32.
```

Note how the -b option is used to ensure the vertex labels of l01.dot and l02.dot are disjoint in the first example

The above example shows the application of random\_lts towards generating test cases of a given size and profiling running time and memory utilisation.