An de grâce 2017, mercredi 12 juillet 9h:03

Grille yin yang

https://groups.google.com/forum/#!topic/sage-support/NswQgDClEoA (https://groups.google.com/forum/#!topic/sage-support/NswQgDClEoA) (Nils bruin)

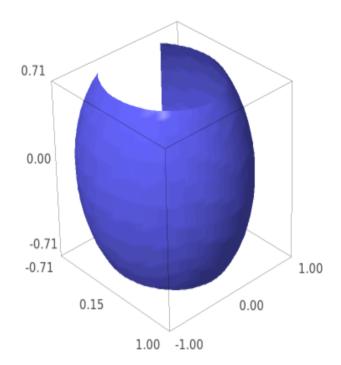
Affichage latex et déclaration des variables

```
In [1]: %display latex var("r,theta,phi") #var("r t p")
Out[1]: (r, \theta, \phi)
```

Définition de la fonction coordonnée : Je vais la renommer en plus général, de façon à m'en souvenir.

Traçage de la partie yin (horizontale), première couche, bleu si pas d'indication autre.

Out[3]:

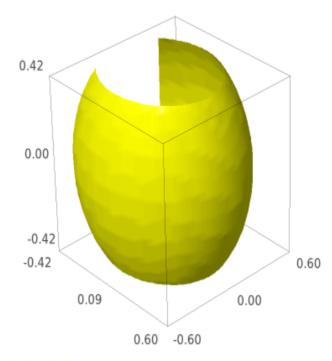


Application loaded

Traçage du deuxième module, à l'intérieur

Processing math:

Out[4]:

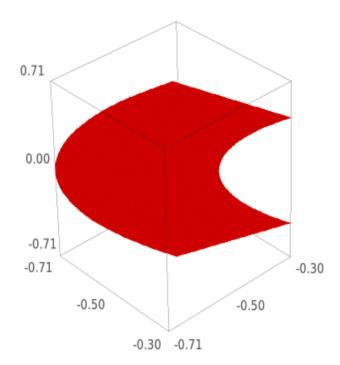


Application loaded

Traçage de yin3,bordure épaisse

Processing math:

Out[5]:

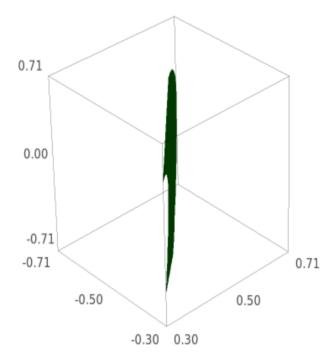


Application loaded

Yin4 pendant positif de yin3

Processing math:

Out[6]:

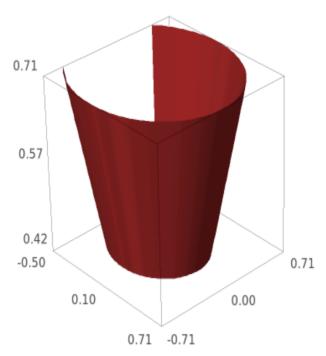


Application loaded

Yin5, cone à l'intérieur

Processing math:

Out[7]:

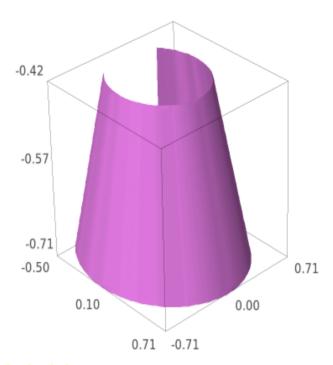


Application loader

Yin6

Processing math:

Out[8]:



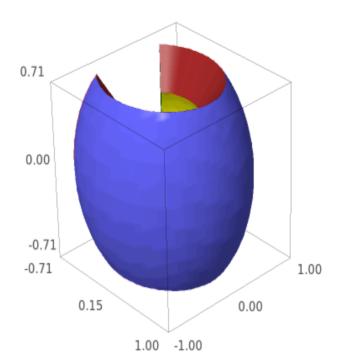
Application loaded.

Assemblage des 6 formes (trigrammes), SAGE ajoute les modules, ce qui en fait une amélioration par rapport à mathematica, beaucoup plus compliqué. Un peu de fioriture et l'emballage sera plus beau : L'élève dépasse le maître (sage>mathematica).

Processing math:

In [9]: a=(yin+yin2+yin3+yin4+yin5+yin6);a

Out[9]:



Application loaded.

Maintenant tracer la partie yiang (verticale)

Processing math:

Out[10]:

Application loaded

Processing math:

Out[11]:

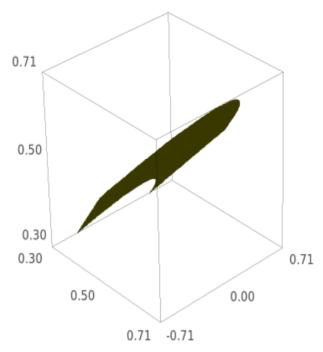
Application loaded

Processing math:

Application loaded.

Processing math:

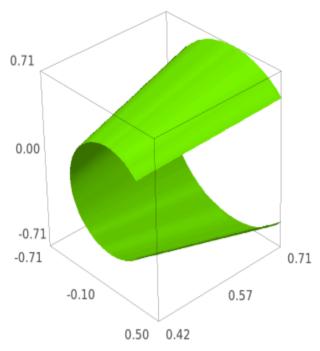
Out[13]:



Application loaded

Processing math:

Out[14]:



Application loaded

Processing math:

Out[15]:

Application loaded

Processing math:

In [16]: b=(yang+yang2+yang3+yang4+yang5+yang6);b
Out[16]:

Processing math:

```
In [23]: #sorted(colors)
         t = var('t')
         S2 = Manifold(2, 'S^2')
         U = S2.open subset('U')
         XS.<th,ph> = U.chart(r'th:(0,pi):\theta ph:(0,2*pi):\phi')
         R3 = Manifold(3, 'R^3')
         X3.<x,y,z> = R3.chart()
         F = S2.diff map(R3, \{(XS, X3): [sin(th)*cos(ph),
                                          sin(th)*sin(ph),
                                          cos(th)]}, name='F')
         c = S2.curve([2*atan(exp(-t/10)), t],
                       (t, -oo, +oo), name='c')
         graph c = c.plot(mapping=F, max range=40,
                           plot points=200,
                           thickness=2, label axes=False)
         graph_S2 = XS.plot(X3, mapping=F, number_values=50,
                             color='white')
         graph_S2+a
```

Out[23]:

Processing math:

Tn	[10].	<pre>show(a+b,aspect_ratio=1)</pre>
TII	[TO]:	SHOW(d+D,dSpect ratio=1)
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Le graphique montre bien l'inclusion horizontal et vertical du yin / yang. Ce qui n'apparait pas au premier abord dans un graphique 2D. Un pseudo maillage ou grid à l'aide de sagemanifolds, inclus dans S2.

Processing math:

```
In [20]: t = var('t')
         S2 = Manifold(2, 'S^2')
         U = S2.open subset('U')
         XS.<th,ph> = U.chart(r'th:(0,pi):\theta ph:(0,2*pi):\phi')
         R3 = Manifold(3, 'R^3')
         X3.<x,y,z> = R3.chart()
         F = S2.diff map(R3, \{(XS, X3): [sin(th)*cos(ph),
                                          sin(th)*sin(ph),
                                          cos(th)]}, name='F')
         c = S2.curve([2*atan(exp(-t/10)), t],
                       (t, -oo, +oo), name='c')
         graph c = c.plot(mapping=F, max range=40,
                           plot points=200,
                           thickness=2, label axes=False)
         graph S2 = XS.plot(X3, mapping=F, number values=50,
                             color='black')
         graph S2+yin+yang
```

Out[20]:

```
In [ ]:
```

Processing math: