

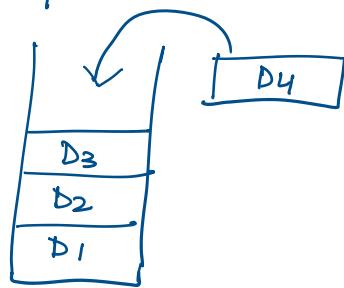
# Stack and Queue

13 May 2024 15:48

## STACK

### i) What is Stack?

→ A stack is a linear data structure that follows LIFO (Last-In-First-Out) principle. It can be defined as a container in which insertion & deletion can be done from the one end known as the top of the stack.



### ii) Operations Implemented on Stacks -

- |               |               |
|---------------|---------------|
| (a) push()    | (e) peek()    |
| (b) pop()     | (f) count()   |
| (c) isEmpty() | (g) change()  |
| (d) isFull()  | (h) display() |

### iii) Stack Overflow & Underflow -

↓      ↳ When a stack is empty if you try to pop something from it.  
When a stack is full if you try to push something onto it

### iv) Applications of Stack -

- String Reversal - To reverse a string, first push all the strings into a stack one-by-one until we reach null character. After that, start popping all the characters one by one until we reach the bottom of the stack.
- UNDO/REDO - Whenever an action is performed, push the state onto the stack. When the user wants to undo an action, pop the state from the stack & if the user wants to redo, push the undone state back onto the stack.
- Recursion - It means that the function is calling itself again. To maintain the previous states, the compiler creates a system stack in which all the previous records of the function are saved.

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(d) Balancing of Symbols - If the current character is a starting bracket then push it to the stack.

If the current character is a closing bracket then pop from stack if the popped character is the matching starting bracket then fine else parenthesis is not balanced.

(e) Backtracking - By using a stack for backtracking you can backtrack by undoing the choices made.

(v) Algorithm to PUSH Items in a Stack

Step 1 : Start

Step 2 : Check whether the stack is full ( $\text{top} = \text{size} - 1$ )

2.1 : If it is full then display "Stack full cannot insert".

Step 3 : If the stack is not full then increment the top value by 1 and set  $\text{stack}[\text{top}]$  to value

$\text{stack}[\text{top}] = \text{value}$

Step 4 : End / Stop

(vi) Algorithm to POP Items from a Stack

Step 1 : Start

Step 2 : Check whether the stack is empty ( $\text{top} == -1$ )

2.1 : If the stack empty then display "Stack is empty, cannot delete"

Step 3 : If the stack is not empty, then delete  $\text{stack}[\text{top}]$  if decrement top value by one ( $\text{top}--$ )

Step 4 : End / Stop

(vii) Algorithm to print all values from a Stack

Step 1 : Start

Step 2 : Check if the stack is empty

2.1 : Print "Stack is empty" and Stop

Step 3 : While stack is not empty -

3.1 : Pop the top element from the stack

Steps • While stack is not empty -

3.1: Pop the top element from the stack

3.2: Print the popped element

Step 4: Stop / End

### (viii) Prefix / Postfix / Infix

(a)  $(a+b) \times c$

Infix -  $a+b*c$  ✓  
Postfix -  $*+abc$  ✓

(b)  $a \times (b+c)$

Infix -  $*a+b+c$  ✓  
Postfix -  $ab+c*$  ✓

(c)  $a+b \times c-d$

P -  $ab+cd-*$  ✗ I -  $*+ab-cd$  ✗

(d)  $(a \times b) - (c+d)$

P -  $ab*cd+-$  ✓ I -  $-*ab+cd$  ✓

(e)  $a \times b \times (c+d)$

P -  $ab*cd+*$  ✓ I -  $**ab+cd$  ✓

(f)  $(a+b) \times (c-d)$

P -  $ab+cd-*$  ✓ I -  $*+ab-cd$  ✓

(g)  $a \times b \times c \times d$

P -  $ab\times cd*$  ✓ I -  $***abcd$  ✓

(h)  $(a+b) \times ((c+d)-e)$

P -  $ab+cd+*e-$  ✓ I -  $-*ab+cd-e$  ✓

(i)  $a + (b \times (c-d))$

P -  $ab\bar{c}-*+$  ✓ I -  $+a*b-cd$  ✓

(j)  $((a \times b)+c) \times d$

P -  $ab*cd+*$  ✓ I -  $*+abcd$  ✓

(k)  $a+b+c+d+e$

P -  $ab+cd+e$  ✓ I -  $++abcd$  ✓

(l)  $a \times (b \times (c \times (d \times e)))$

P -  $abcde****$  ✓ I -  $*a*b*c*d*e$  ✓

$$(m) ((a+b) \times c) - (d \times e)$$

$$P - ab+cd*de - \checkmark \quad I - - *+abc*de \checkmark$$

$$(n) a+b+c \times d - e$$

$$P - ab+cd*+e - \checkmark \quad I - - +ab*cde \checkmark$$

$$(o) (a \times b) + (c \times d) - e$$

$$P - ab*cd*+e - \checkmark \quad I - - +*ab*cde \checkmark$$

(f) Implementation using Stack

$$(A+B/C*(D+E)-F)$$

$$(a+b) \times (c-d) \rightarrow (d-c) \times (b+a)$$

Symbol	Stack	Postfix	Symbol	Stack	Prefix
C	C		C	C	
A	(	A	D	C	D
+	(+	A	-	C-	D
B	(+	AB	C	C-	DC
/	(+ /	AB	)	(>)	DC-
C	(+ /	ABC	X	*	DC-
*	(+ * /	ABC /	C	(*	DC-
(	(+ * (	ABC /	)	(*)	DC-B
D	(+ * C	ABC / D	A	(*	DC-BA
+	(+ * C +	ABC / D	)	(*)	DC-B+A*
C	(+ * C +	ABC / DC			
)	(+ * C + )	ABC / DC +			
-	(+ * C + -	ABC / DC + * +			
F	(-	ABC / DC + * + F			
)	(-)	ABC / DC + * + F -			

$\rightarrow *+a b - cd$

(x) Time Complexity of Stack

(a) Push : Best - O(1)   Worst - O(1)

(b) Pop : Best - O(1)   Worst - O(1)

(c) Peek/Top : Best - O(1)   Worst - O(1)

(d) Search : Best - O(1)   Worst - O(n)

(c) Lock/Top : Best - O(1) Worst - O(1)

(d) Search : Best - O(1) Worst - O(n)

(e) Space Complexity : Best - O(1) Worst - O(n)

## QUEUE

i) A queue can be defined as an ordered list which enables insert operations to be performed at one end called REAR & delete operations to be performed on the other end called FRONT.

FIFO : First-In-First-Out

ii) Application of Queue

- Used as waiting lists for a single shared resource like Printer, Disk, CPU
- Used as buffers in most applications like MP3 Media Player, CP Player, etc.
- Used to maintain playlist in media players
- In operating systems for handling interrupts

## TYPES OF QUEUE

i) Simple Queue or Linear Queue

- strictly follows the FIFO Rule

ii) Algorithm to Enqueue in Linear Queue

Step 1 : Start

Step 2 : If the Queue is full then return "Queue Overflow"

Step 3 : If the Queue is not full then place the new-item at the rear end of the queue

Step 4 : Move the rear pointer to the next position

Step 5 : End / Stop

iii) Algorithm to Dequeue in Linear Queue

Step 1 : Start

Step 2 : If the Queue is empty then return "Queue Underflow"

Step1 : Start

Step2 : If the Queue is empty then return "Queue Overflow"

Step3 : Else, remove the item from the front-end of the Queue

Step4 : Move the front pointer to the next position

Step5 : End /Stop

## ② Circular Queue

i) Algorithm to Insert data in Circular Queue

Step1 : Start

Step2 : If the rear is pointing to the position one before the front, then return "Queue Overflow"

Step3 : Else, place the new item at the rear end of the queue

Step4 : Update the rear pointer to the next circular position

Step5 : End

ii) Algorithm to delete data from Circular Queue

Step1 : Start

Step2 : If the front is equal to rear, return "Queue Underflow"

Step3 : Else, remove the item from the front end of the queue

Step4 : Update the front pointer to the next circular position

Step5 : End

## ③ Priority Queue

i) Algorithm to Insert data in Priority Queue

Step1 : Start

Step2 : Create a newnode with the item & its priority

Step3 : If the priority queue is empty, insert the newnode as the firstnode

Step4 : Else, traverse the priority queue to find the correct position to insert the newnode based on its priority.

Step5 : Insert the newnode in its appropriate position

Step6 : End /Stop

(iii) Algorithm to delete data from Priority Queue

Step 1 : Start

Step 2 : If the Priority Queue is empty, return "Underflow"

Step 3 : Else, remove the node with the highest priority

Step 4 : Return the Item stored in the removed node

Step 5 : End

(iv) Deque or Double-Ended Queue

(i) Algorithm for Insertion at Front of Deque

Step 1 : Start

Step 2 : Create newnode containing the item to be inserted

Step 3 : If the Deque is empty, set both the front and rear to point to the newnode

Step 4 : Else, set the newnode's next pointer to point to the current frontnode and update the front pointer to point to the newnode

Step 5 : End

(ii) Algorithm for Insertion at Rear of Deque

Step 1 : Start

Step 2 : Create a newnode with data to be inserted

Step 3 : If the Deque is empty set both front and rear to point to the newnode

Step 4 : Else, set the current rear's next pointer to point to the newnode & update the rear pointer to point to the newnode

Step 5 : End

(iii) Algorithm for Deletion from Front of Deque

Step 1 : Start

Step 2 : If the deque is empty, return "Underflow"

Step 3 : Else, remove the node pointed to by the front pointer

Step 4 : Update the front pointer to point to the next node

Step 5 : End

(iv) Algorithm for Deletion from Rear of Deque

Step 5 : End

#### (iv) Algorithm for Deletion from Rear of Deque

Step 1 : Start

Step 2 : If the Deque is empty, return "Underflow"

Step 3 : Else, remove the node pointed to by the rear pointer

Step 4 : Update the rear pointer to point to the previous node

Step 5 : Stop / End