Novelty Detection in NLP

Deeplearning campus in Modulabs

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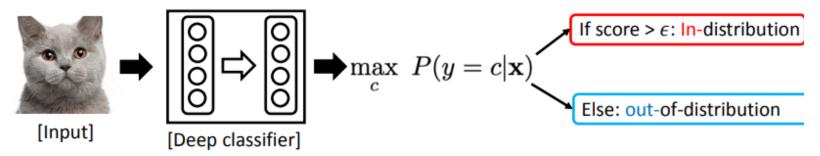
Agenda

- What is Novelty Detection?
- How to solve?
- Applying to NLP
- To do

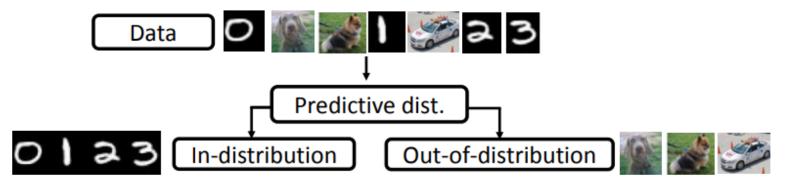
What is Novelty Detection?

- Deep neural networks (DNNs) can be generalized well when the test samples are from similary distribution (i.e., indistribution)
- However, in the real word, there are many unknown and unseen samples that classifier can't give a right anwser
- Novelty detection
 - Given pre-trained (deep) classifier,
 - Detect whether a test sample is from in-distribution (i.e, training distribution by classifier) or not (e.g., out-ofdistribution / adversarial samples)

- Baseline detector
 - Confidence score = maximum value of predictive distribution



- Evaluation: detecting out-of-distribution
 - Assume that we have classifier trained on MNIST dataset
 - Detecting out-of-distribution for this classifier



- ODIN detector
 - · Calibrating the posterior distribution using post-processing
 - Two techniques
 - · Temperature scaling

$$P(y = \widehat{y}|\mathbf{x}; T) = \frac{\exp(f_{\widehat{y}}(\mathbf{x})/T)}{\sum_{y} \exp(f_{y}(\mathbf{x})/T)},$$

· Input preprocessing

$$\mathbf{x}' = \mathbf{x} - \varepsilon \operatorname{sign} \left(- \nabla_{\mathbf{x}} \log P_{\theta}(y = \widehat{y} | \mathbf{x}; T) \right),$$

· Using two methods, the authors define confidence score as follows:

Confidence score =
$$\max_{y} P(y|\mathbf{x}';T)$$

- Mahalanobis distance-based confidence score
 - Using generative classifier, we define new confidence score:

$$M(\mathbf{x}) = \max_{c} \ - \left(f(\mathbf{x}) - \widehat{\mu}_{c}\right)^{ op} \widehat{\mathbf{\Sigma}}^{-1} \left(f(\mathbf{x}) - \widehat{\mu}_{c}\right)$$

- · Measuring the log of the probability densities of the test sample
- · Boosting the performance
 - · Input pre-processing

$$\widehat{\mathbf{x}} = \mathbf{x} + \varepsilon \operatorname{sign}\left(\nabla_{\mathbf{x}} M(\mathbf{x})\right) = \mathbf{x} - \varepsilon \operatorname{sign}\left(\nabla_{\mathbf{x}} \left(f(\mathbf{x}) - \widehat{\mu}_{\widehat{c}}\right)^{\top} \widehat{\boldsymbol{\Sigma}}^{-1} \left(f(\mathbf{x}) - \widehat{\mu}_{\widehat{c}}\right)\right)$$

Feature ensemble

$$\mathbf{X} \Longrightarrow \bigcap_{f_1(\mathbf{x})} \Longrightarrow \bigcap_{f_2(\mathbf{x})} \bigcap_{f_2(\mathbf{x})} f_{\ell}(\mathbf{x}) \Longrightarrow \begin{bmatrix} P(f_{\ell}(\mathbf{x})|y=c) \\ = \mathcal{N}(f_{\ell}(\mathbf{x})|\mu_{c,\ell}, \Sigma_{\ell}) \end{bmatrix}$$

$$P(f_1(\mathbf{x})|y=c) \\ = \mathcal{N}(f_1(\mathbf{x})|\mu_{c,1}, \Sigma_1)$$

$$P(f_2(\mathbf{x})|y=c) \\ = \mathcal{N}(f_2(\mathbf{x})|\mu_{c,2}, \Sigma_2)$$

$$Fitting Gaussian using features from intermediate layers$$

- Mahalanobis distance-based confidence score
 - · Main algorithm

Algorithm 1 Computing the Mahalanobis distance-based confidence score.

Input: Test sample \mathbf{x} , weights of logistic regression detector α_{ℓ} , noise ε and parameters of Gaussian distributions $\{\widehat{\mu}_{\ell,c},\widehat{\Sigma}_{\ell}: \forall \ell,c\}$

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Initialize score vectors: \mathbf{M}(\mathbf{x}) = [M_\ell : \forall \ell]

for each layer \ell \in 1, \ldots, L do

Find the closest class: \widehat{c} = \arg\min_c \ (f_\ell(\mathbf{x}) - \widehat{\mu}_{\ell,c})^\top \widehat{\boldsymbol{\Sigma}}_\ell^{-1} (f_\ell(\mathbf{x}) - \widehat{\mu}_{\ell,c})

Add small noise to test sample: \widehat{\mathbf{x}} = \mathbf{x} - \varepsilon \mathrm{sign} \left( \nabla_{\mathbf{x}} \left( f_\ell(\mathbf{x}) - \widehat{\mu}_{\ell,\widehat{c}} \right)^\top \widehat{\boldsymbol{\Sigma}}_\ell^{-1} \left( f_\ell(\mathbf{x}) - \widehat{\mu}_{\ell,\widehat{c}} \right) \right)

Computing confidence score: M_\ell = \max_c - \left( f_\ell(\widehat{\mathbf{x}}) - \widehat{\mu}_{\ell,c} \right)^\top \widehat{\boldsymbol{\Sigma}}_\ell^{-1} \left( f_\ell(\widehat{\mathbf{x}}) - \widehat{\mu}_{\ell,c} \right)

end for

return Confidence score for test sample \sum_\ell \alpha_\ell M_\ell
```

- Remark that
 - We combine the confidence sco $\sum_{\ell} \alpha^{\ell} M^{\ell}$ e layers using weighted ensemble
 - Ensemble weights are selected by utilizing the validation set

Applying to NLP

- Applying mcb detection to below classfication models
- Using the Naver sentiment movie corpus v1.0
- Hyper-parameter was arbitrarily selected. (epoch: 5, mini batch: 128)

	Train ACC (120,000)	Validation ACC (30,000)	Test ACC (50,000)
SenCNN	92.87%	86.87%	86.38%
CharCNN	85.63%	81.58%	81.58%
ConvRec	86.80%	82.66%	82.29%
VDCNN	86.31%	83.87%	83.90%
SAN	93.90%	86.52%	86.35%

- Convolutional Neural Networks for Sentence Classification (as SenCNN)
 - https://arxiv.org/abs/1408.5882
- Character-level Convolutional Networks for Text Classification (as CharCNN)
 - https://arxiv.org/abs/1509.01626
- Efficient Character-level Document Classification by Combining Convolution and Recurrent Layers (as ConvRec)
 - https://arxiv.org/abs/1602.00367
- Very Deep Convolutional Networks for Text Classification (as VDCNN)
 - https://arxiv.org/abs/1606.01781
- A Structured Self-attentive Sentence Embedding (as SAN)
 - https://arxiv.org/abs/1703.03130

Applying to NLP

• Convolutional Neural Networks for Sentence Classification

114 class	tr (133,743)	val (44,581)	tst (9,386)
softmax	96.57%	96.20%	96.06%
generative	99.23%	98.54%	98.42%

ood_tr: 83.86%	precision	recall	f1-score	support
in distribtuion	0.82	0.90	0.86	44,581
out of distribution	0.87	0.76	0.81	38,275

ood_val: 82.98%	precision	recall	f1-score	support
in distribtuion	0.79	0.90	0.84	9,386
out of distribution	0.89	0.76	0.82	9,569

To do

- ensemble MCB features across text classfication model
 - variety tokenization (eg. subword, character, word)
- BERT based