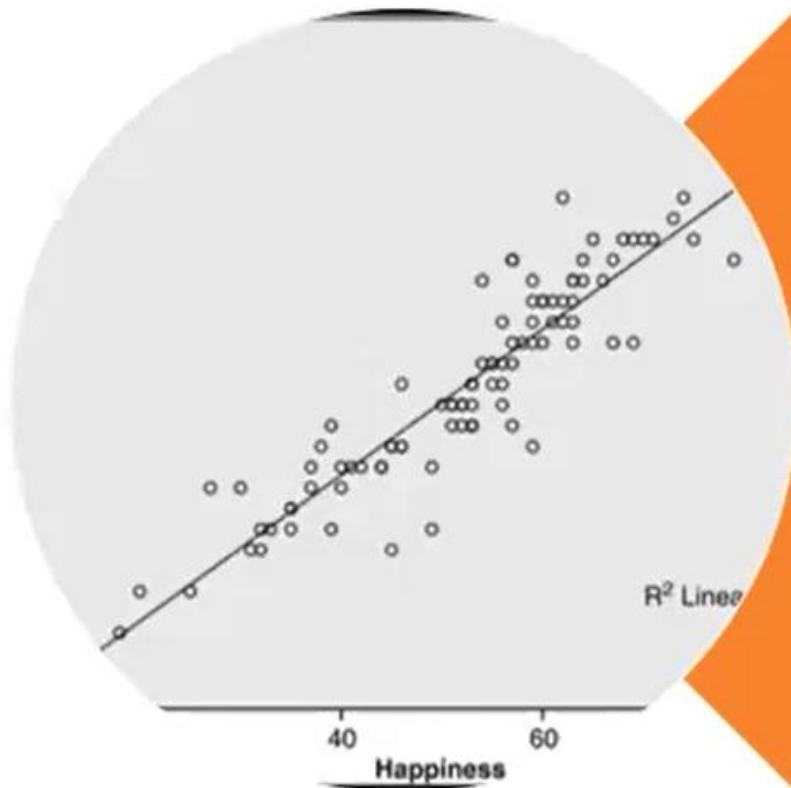




Data Science Bivariate

Bivariate Data Analysis

X, Y Columns-2



Bivariate Data Analysis

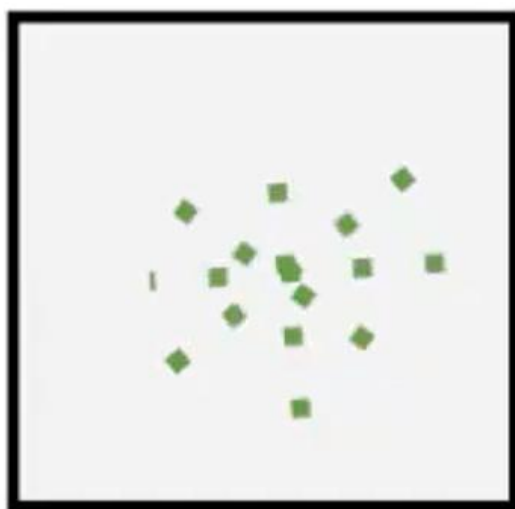
- Covariance
- Correlation
- Collinearity
- Multicollinearity
- Variance Inflation Factor
- Homoscedasticity
- Heteroscedasticity

COVARIANCE

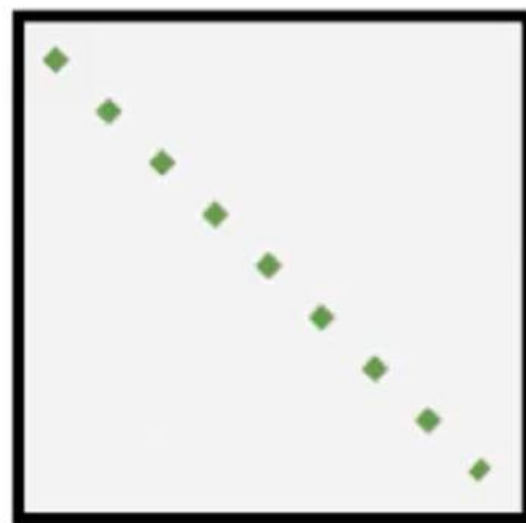
COVARIANCE



Large Positive
Covariance



Nearly Zero
Covariance



Large Negative
Covariance

COVARIANCE

Population Covariance Formula

$$\text{Cov}(x, y) = \frac{\sum (x_i - \bar{x})(y_i - \bar{y})}{N}$$

Sample Covariance

$$\text{Cov}(x, y) = \frac{\sum (x_i - \bar{x})(y_i - \bar{y})}{N-1}$$

Notations in Covariance Formulas

- x_i = data value of x
- y_i = data value of y
- \bar{x} = mean of x
- \bar{y} = mean of y
- N = number of data values.

CORRELATION

$$r_{xy} = \frac{\sum (x_i - \bar{x})(y_i - \bar{y})}{\sqrt{\sum (x_i - \bar{x})^2 \sum (y_i - \bar{y})^2}}$$

Where:

- r_{xy} – the correlation coefficient of the linear relationship between the variables x and y
- x_i – the values of the x -variable in a sample
- \bar{x} – the mean of the values of the x -variable
- y_i – the values of the y -variable in a sample
- \bar{y} – the mean of the values of the y -variable

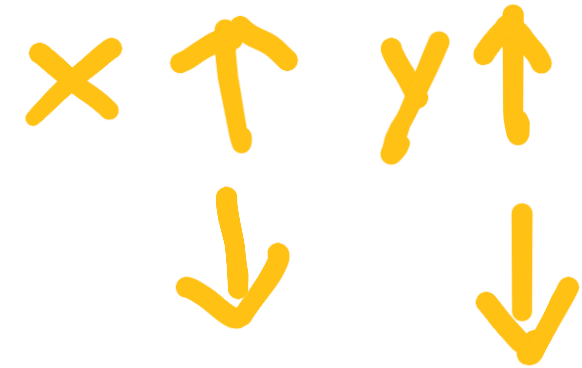
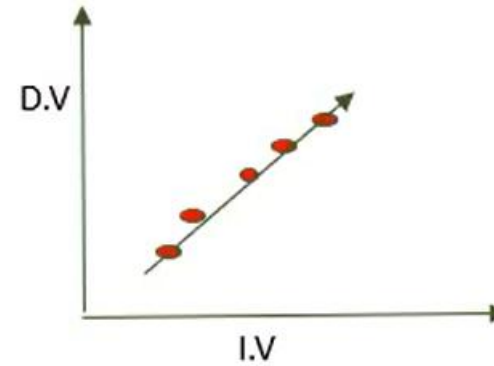


TYPES OF CORRELATION:: LINEAR TYPE WITH TWO VARIABLES

POSITIVE CORRELATION

Independent Variable is directly proportional to Dependant Variable

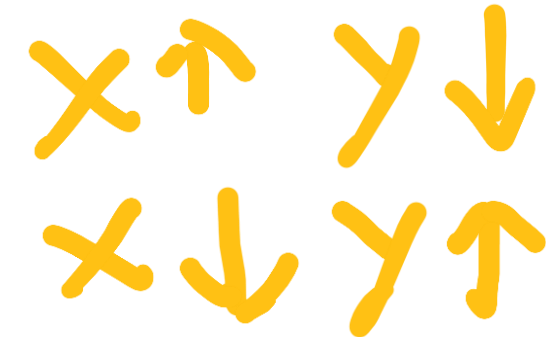
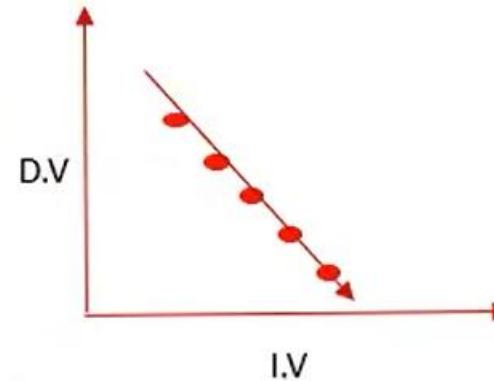
I.V  D.V  $I.V \propto D.V$



NEGATIVE CORRELATION

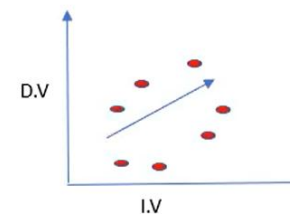
Independent Variable is indirectly proportional to Dependant Variable

I.V  D.V 



ZERO CORRELATION

ZERO CORRELATION
No pattern between Independent Variable And Dependant Variable

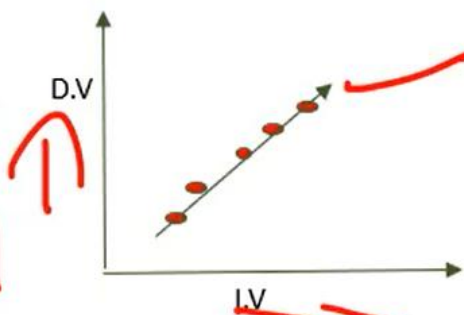


TYPES OF CORRELATION:: LINEAR TYPE WITH TWO VARIABLES

POSITIVE CORRELATION

Independent Variable is directly proportional to Dependent Variable

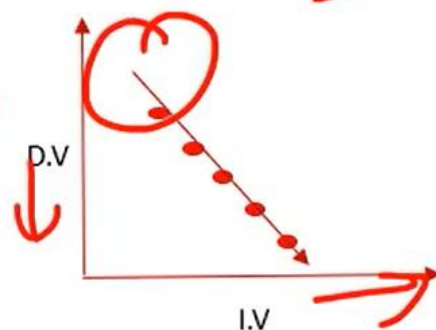
I.V \uparrow D.V \uparrow I.V \propto D.V



NEGATIVE CORRELATION

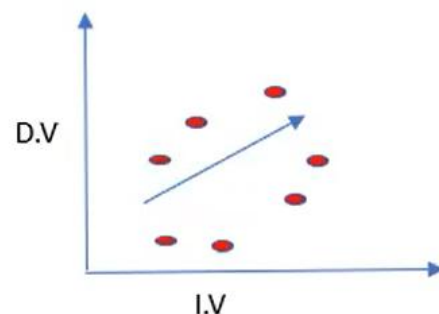
Independent Variable is indirectly proportional to Dependent Variable

I.V \uparrow D.V \downarrow I.V $\propto 1/D.V$



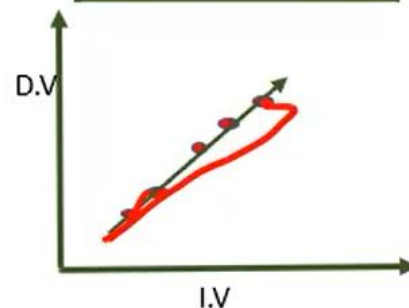
ZERO CORRELATION

No pattern between Independent Variable And Dependent Variable

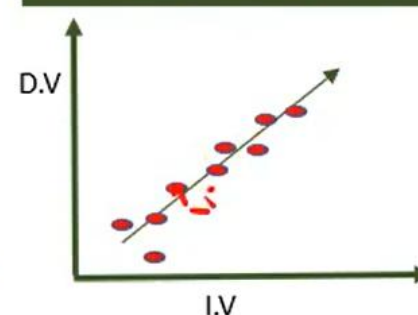


SEE THE PICTURE AND TELL THE STORY

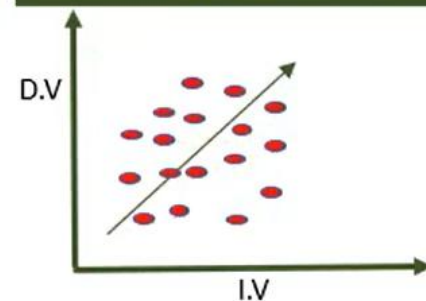
1. Perfect positive Correlation ($r=1$)



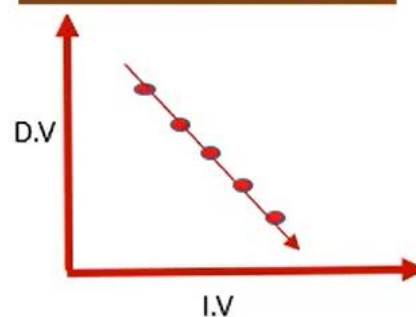
2. High Degree of +Ve Correlation ($r=+ \text{High or } 0.95$):



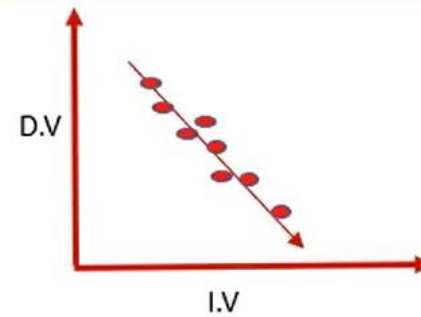
3. Low degree of +Ve Correlation ($r=+ \text{Low or } 0.54$):



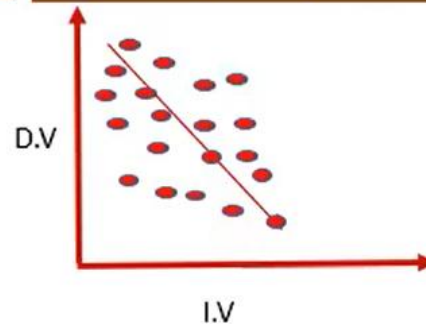
4. Perfect Negative Correlation ($r=-1$)



5. High Degree of -Ve Correlation ($r= - \text{low or } -0.54$):



6. Low Degree of -Ve Correlation ($r= - \text{high or } -0.94$):



7. No Correlation ($r=0$):

