$g. 1 \Rightarrow a$

For gene Gi (nmol/gDW) cohech produces protein

pi. The material balance equation governing
the concentration of mRNA mi (nmol/gDW)
transcribed from gene Gi, which is then
translated to produce protein pi (nmol/gDW)
are given by:

$$\dot{m}_{i} = \gamma_{x,i} u_{i}^{0} - (M + O_{m,i})_{m_{i}} + \lambda_{i}^{0}$$
 $\dot{n}_{i} = \gamma_{x,i} u_{i}^{0} - (M + O_{m,i})_{m_{i}} + \lambda_{i}^{0}$
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 $\dot{n}_{i} = \gamma_{x,i} u_{i}^{0} - (M + O_{m,i})_{m_{i}} + \lambda_{i}^{0}$
 $\dot{n}_{i} = \gamma_{x,i} u_{i}^{0} - (M + O_{m,i})_{m_{i}} + \lambda_{i}^{0}$

Here, M in the dilution term. Now, $M = \beta \cdot \beta^{-1}$

$$\beta = V_{L}$$

$$\Rightarrow \beta \cdot \beta^{-1} = V_{L} \cdot V_{L}$$

Since it's a batch system and VL is constant [i,e., 15 WL) · VL= 0

. M=0.

Thus the balance equations governing mRNA (m) (eq > 1) and protein (b) (eq + 2) will become
m; = px; u; -Om; m; + n;

 $m_i = \mathcal{P}_{x,i} \mathcal{U}_i - \mathcal{U}_{m,i} \mathcal{U}_i + \mathcal{U}_i$ $b_i = \mathcal{P}_{L,i} \mathcal{U}_i - \mathcal{O}_{b,i} b_i$

(Proved)





