

Quiz 2

Q1 intrinsic param

```
% given params
principle_point = [682 498];
focal_length = 900;
T = 0.25;
left_im = [1056 498];
right_im = [808 498];

% dist to principle point
% pos = [x y]
left_pos = [(left_im(1) - principle_point(1)) (left_im(2) - principle_point(2))];
right_pos = [(right_im(1) - principle_point(1)) (right_im(2) - principle_point(2))];

% calc baseline of cameras
Base = T*1000;

% calculate cartesian values
z = (Base*focal_length)/(left_pos(1) - right_pos(1));
x = (z*left_pos(1))/focal_length;
y = (Base*left_pos(2))/(left_pos(1) - right_pos(1));

% final answer
final_pos = [x y z]

final_pos =
    (377.0161, 0, 907.2581)
```

Q2 Linear Discrete-Time System

a)

$$x(k) = A_{X_0}^k + \sum_{i=0}^{k-1} A^i \times Bu(k-1-i)$$

b) Analyze the stability of the system

$$\det(\lambda I - A) = 0$$

$$\begin{vmatrix} \lambda & 0 & -1 & 2 \\ 0 & \lambda & 0 & -3 \end{vmatrix} = 0$$

$$\begin{vmatrix} \lambda+1 & 0-2 \\ 0 & \lambda+3 \end{vmatrix} = 0$$

$$(\lambda+1)(\lambda+3) - (0)(-2) = 0$$

therefore poles are:

$$\lambda_1 = -1 \text{ and}$$

$$\lambda_2 = -3$$

System is unstable as $|\lambda_2| > 1$

c) analyze the controllability

$$C_t = [B \ AB]$$

$$\begin{vmatrix} 0 & -1 & 2 & * & 0 \\ 1 & 0 & -3 & * & 1 \end{vmatrix}$$

$$= \begin{vmatrix} 0 & 2 \\ 1 & -3 \end{vmatrix}$$

$$\text{rank} = 2$$

Since both rows are independent of each other, the system is full rank and hence is controllable