

# PX390, Autumn 2020, Assignment 3

November 6, 2020

The purpose of this exercise is to further expand your knowledge of C and your ability to understand and test numerical code.

The coder that normally sits at the next desk needed to take a walking holiday to Vladivostok, in order to check their eyesight, leaving dysfunctional and incomplete code behind (on the moodle page, below the link to this specification). The code is horribly broken and needs to be fixed! Your task is to read the specification, and the program, and to ‘debug’ the program: make it do what it is meant to do. Some of these problems with the code are basic c programming errors, and some are more subtle mismatches between the required and actual code behaviour.

You should submit a single C source file with a list of corrected bugs, at the top of the c source file (in comments), where I have added a placeholder. You may submit your code via the link in the assignment section of the moodle page.

The code must compile and generate no warnings when compiled with

```
gcc -Wall -Werror -std=c99 -lm
```

There are a finite number of bugs, but I’m not going to tell you how many: make sure that your code actually works by testing it rather than just looking for obvious errors.

*Tips:*

1. The compiler is your friend. Start with the first warning/error messages and work through them until there are none left.
2. Some bugs are hard to catch just by inspecting the code. Adding printf statements is usually the easiest way to check that the code is doing what you think it is: check the maths at the first timestep, for example.
3. You can often catch bugs in numerical code by looking at the output graphically: does it do something wierd at the boundaries? A variety of tools (Matlab/matplotlib/Origin) exist which can take numerical output and plot it for you. This is one of the things you should learn while doing this assignment as it will be essential later on.

4. Learn how to use debuggers (gdb). Memory checking tools like valgrind can help catch issues to do with reading/writing into an incorrect memory location.
5. The boundary/initial conditions are a bit complicated: if you want to test that your code is correctly solving the equation, you can temporarily choose simpler ones with closed form analytic solutions.
6. Bugs include both incorrect lines of code as well as missing functionality. There are comments which are misleading: I'm not treating these as bugs, but you might like to fix them as you go. I note that the 'read\_input' function, and the corresponding function prototype are actually correct; please don't touch them.

*Specification:*

The code must use a simple difference scheme to stably solve the pair of coupled differential equations

$$\frac{\partial U}{\partial t} + C \frac{\partial U}{\partial x} = 0 \quad (1)$$

$$\frac{\partial V}{\partial t} = \gamma(U - V) \quad (2)$$

on a 1D  $x$  domain  $x \in [0, L]$ , as an initial value problem. The domain length, grid size, length of time over which to solve and the coefficients are read in from a file: the function that reads this data (and the function prototype) is the only part of the code that is bug free (i.e. don't change this bit), but the way it is called may not be right.

The  $x$  domain is periodic, so  $U(x+L, 0) = U(x, 0)$  and  $V(x+L, 0) = V(x, 0)$ .

The initial condition is  $U(x, 0) = \exp(\cos[2\pi x/L])$ ,  $V(x, 0) = 0$ . There are 'nx' grid points, with the first grid point at  $x = 0$ , and the final point at  $x = L = (nx-1) \times \delta x$ .

*Input:*

A file 'input.txt' is used for input: note that there is an example on the moodle page. The file contains the parameter  $C$  on the first line, then  $\gamma$  on the next, then the domain length  $L$ , then the number of grid points  $nx$ , the simulation time  $t_F$ , then the output timestep  $t_o$  on the last line. You may assume all these inputs are positive.

*Output:*

The code outputs simulation data at a fixed interval in time, the output timestep ( $t_o$ ): it should output the initial values (at  $t=0$ ), and at  $2t_o, 3t_o$  etc. (but not necessarily the final value). The simulation timestep and output timestep need not be equal.

The time  $t$ ,  $x$  coordinate,  $U$ , and  $V$  are written in a single output line for each gridpoint. Please don't add extra comments/blank lines to the output!