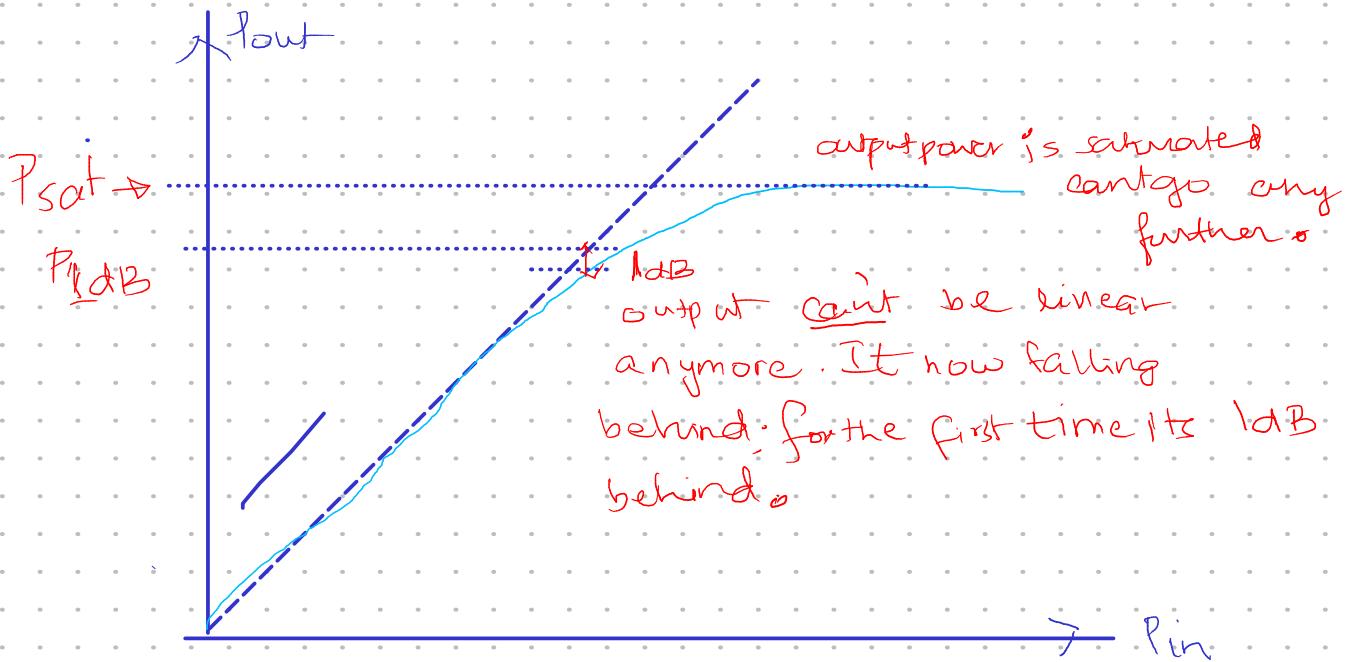


Notes:
 Power measured in dBm
 Gain measured in dB



Ex if the attenuation is 0 dB,

$$\rightarrow P = -30 \text{ dBm} \rightarrow P = 53 \text{ dBm} \text{ gain} = 53 - (-30)$$

$$= 53 + 30$$

$$\text{Gain} = 83 \text{ dB}$$

Remember this

$$P(\text{dBm}) = 10 \log P(\text{mW})$$

$$= 10 \log(200 \times 1000)$$

$$= 10 \log(200000)$$

$$= 10 \times 5.3$$

$$= 53 \text{ dBm}$$

$$= 38 - (-30)$$

$$\text{Gain} = 38 + 30 = 68 \text{ dB}$$

$$\text{Gain} - \text{Att} = 68 \text{ dB}$$

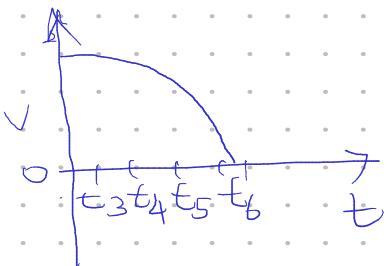
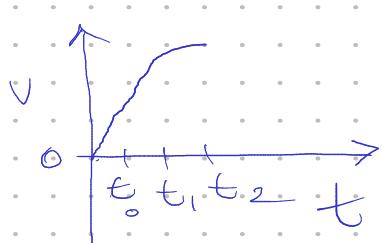
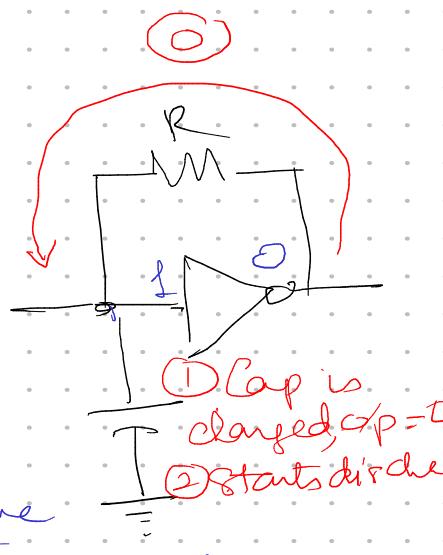
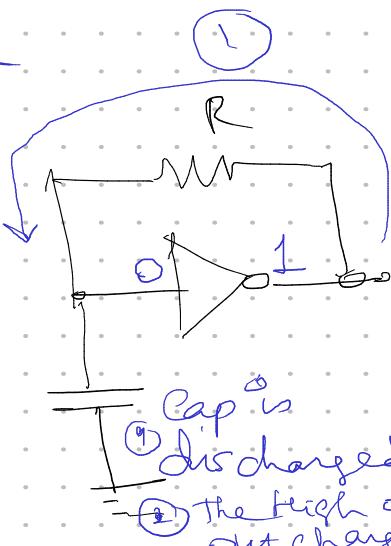
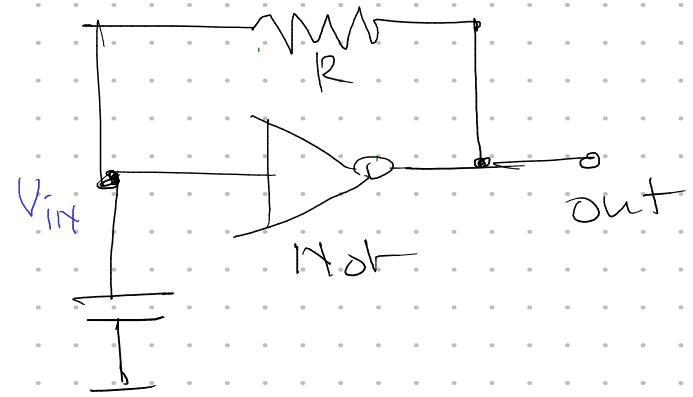
$$\text{Gain} = 68 + \text{Att} = 68 + 11 = 79 \text{ dB}$$

Why?
4dB diff?

$$p(mw) = 10 \left(\frac{P(dpm)}{10} \right)$$
$$= 10 \left(\frac{5400}{10} \right) = 10^{540}$$

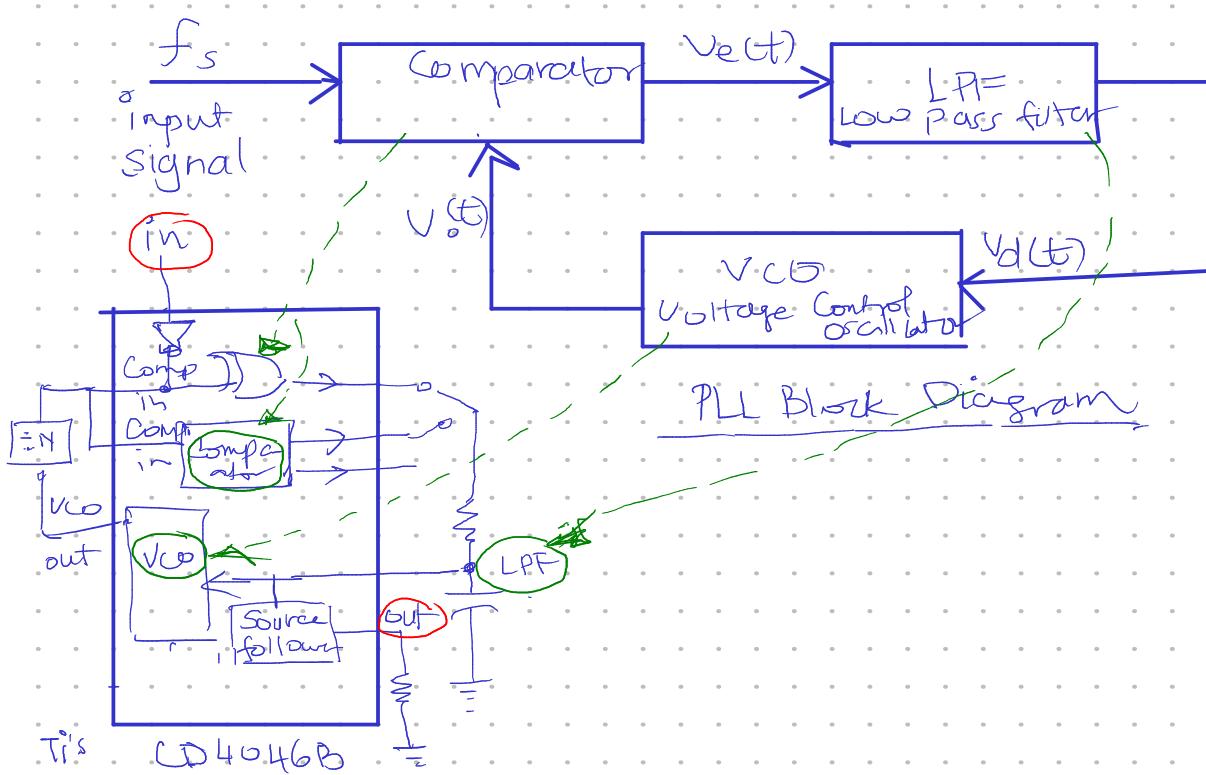
$$\log_{10}(I) = 540$$

SIMPLE OSCILLATOR



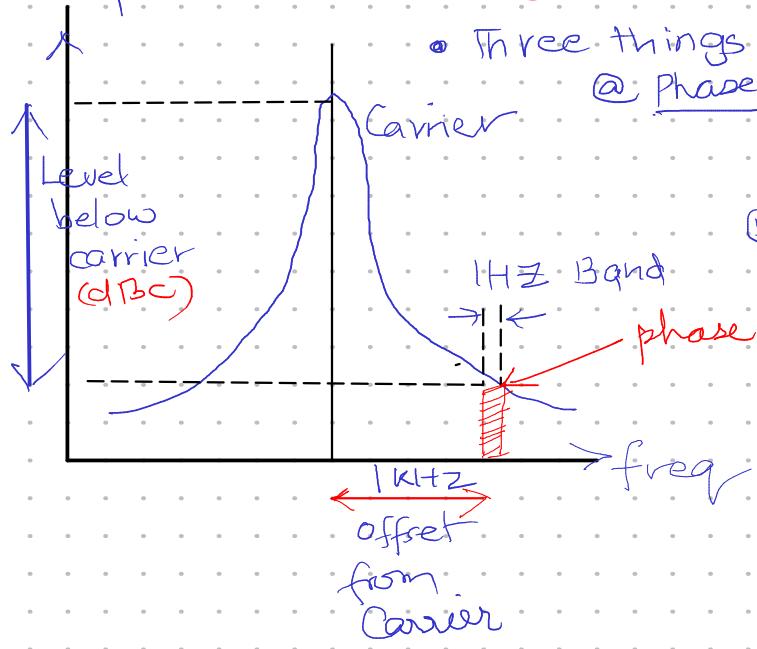
③ Cons :- Temperature variations cause unstable output of the capacitor.

PLL Block Diagram



PHASE NOISE

Amplitude



- dBc = decibel below carrier

- Three things used:

@ Phase noise amplitude relative to carrier
 $\Rightarrow -\text{dBc} = \text{Ex: } -70 \text{ dBc}$
 70 dB below carrier

(b) Offset from Carrier:

Ex: 1KHz, 10KHz, 100KHz
 from Carrier frequency

(c) Measurement Bandwidth:

Measured in Bandwidth since
 noise is proportional to bandwidth
 of signal = 1Hz here.

(a) (b) (c)

One example of a unit is: -113 dBc/Hz at 100KHz offset

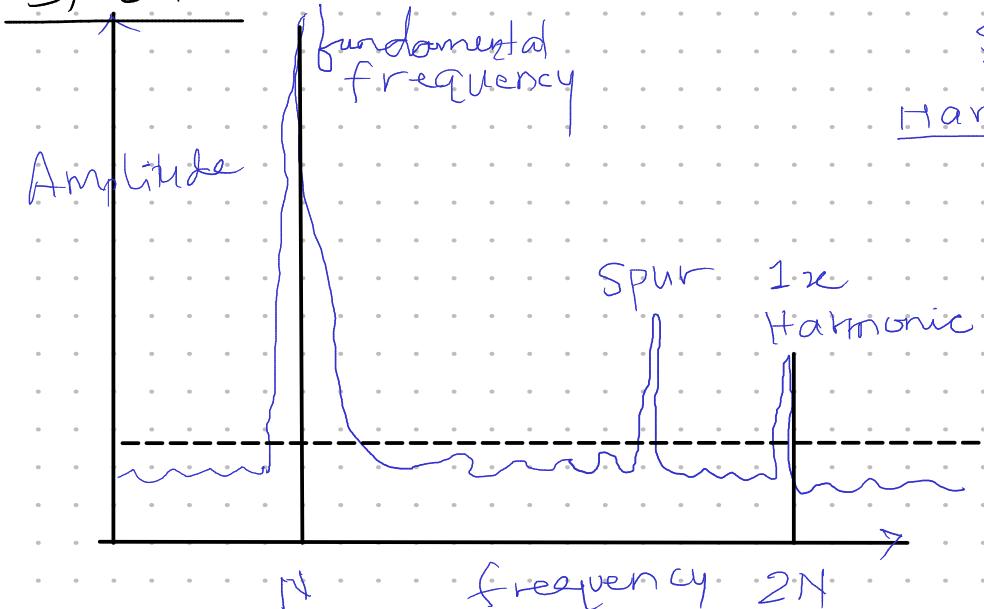
at 5GHz
 ↑
 carrier frequency.

JITTER NOISE

Jitter noise or phase noise are essentially the same phenomenon represented differently.

- Time domain \rightarrow jitter noise
- Frequency domain \rightarrow phase noise

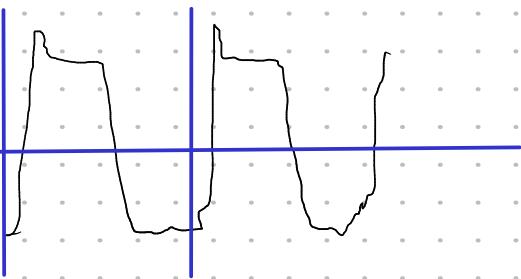
SPURS



Spur: Any spurious peaks

Harmonic: Multiple of fundamental freq peaks that are unwanted.

Usually their levels will go down as the orders increase.



$$f \approx \frac{1}{60 \times 10^{-9}} = \frac{1000}{60} = 16.67 \text{ MHz}$$

The actual device tree value is set to 20MHz.
I can try to lower this further.

The incoming clk to SPI = 82MHz

To enable seeing the SPI clock, do the following

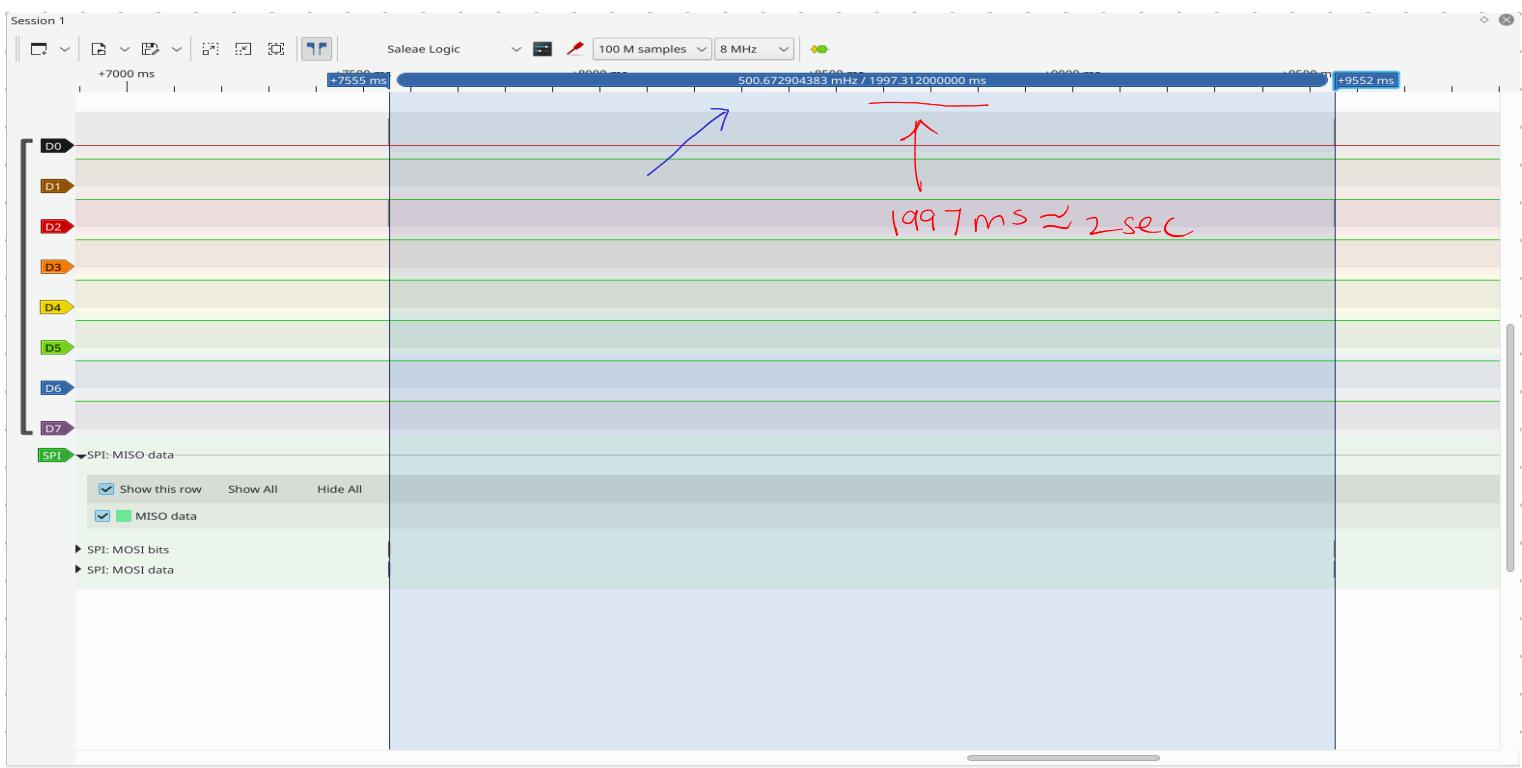
```
# mount -t debugfs none /sys/kernel/debug/
```

```
# cd /sys/kernel/debug/clk/clk_summary
```

This shows a full clk Hierarchy and shows that SPI runs at 82MHz.

It is then further divided to get to 16MHz after dividing by 5 $\frac{82}{5} = 16.4 \text{ MHz}$.

If we divide $\frac{82}{82} = 1 \text{ MHz}$. I can try this.



Data output :→

00	00	00	0D	0
00	00	15	FC	1
00	61	20	0B	2
00	C0	1F	7A	3
20	2A	3C	C9	4
15	59	65	68	5
0E	00	00	F7	6
55	02	88	26	7
00	80	00	25	8
30	06	89	84	9
00	00	00	03	10
06	00	00	22	11
00	00	00	01	12
00	30	08	00	13

Observation 1: This matches with the 14 registers that we write.
2: All transactions have these going one after another and are all 14 transactions.
3: All 14 transactions burst are separated by 2 sec interval.

① prfx = BBB

streq(prfx, BBB, 3) = 1

!(0) = 0

if (0) \rightarrow return pass

② prfx = BBF

streq(prfx, BBF, 3) = 0

!(0) = 1

if (1) && (evaluate next prfx)

\Rightarrow streq(prfx, BBF, 3)

\Rightarrow 0 & 0

result = pass

③ prfx = BBG

\equiv streq(prfx, BBB)

!(0) = 1

\Rightarrow && evaluate next step

\Rightarrow streq(prfx, BBF)

\Rightarrow !(0) = 1

\Rightarrow 1 & 1 \Rightarrow 1

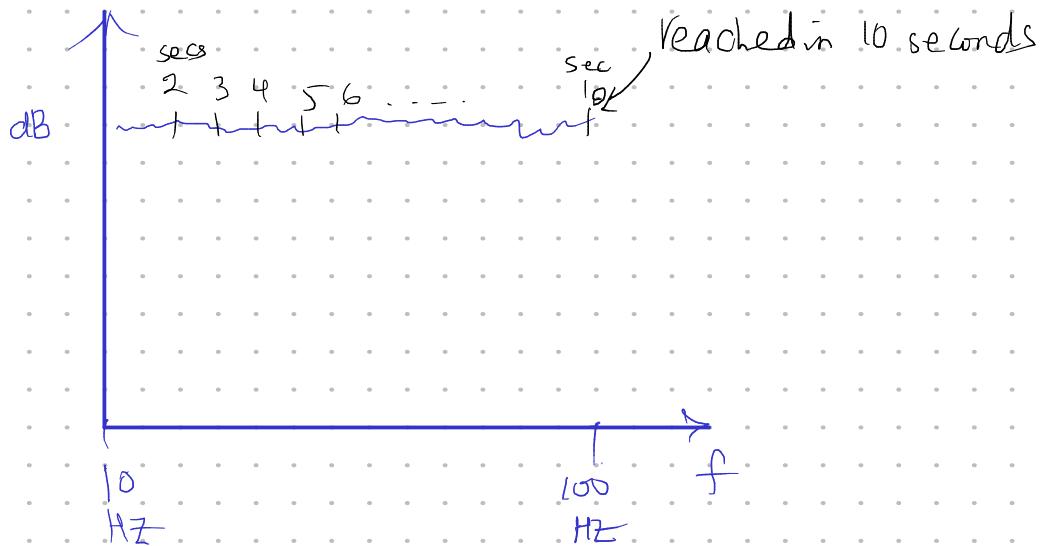
result = var range "OK"

FREQUENCY SWEEP

A freq sweep is usually done using a :

- (a) start freq
- (b) stop freq
- (c) time duration

Ex:- start at 10 Hz , end at 100 Hz and in 10 seconds .



Calibration

Sensor Val	Idea
ct1	Raw(P_0) [6]
ct2	Raw(P_i) [1]
ct3	
ct4	Raw(T) [2]
ct5	Raw(T) [6]
ct8	
ct9	

ct5 R C Has 2 rows represented as : [2,6].
 $\begin{bmatrix} 0 & 0 \\ 0 & 1 \\ \dots \\ 0,5 \\ 1,0 \\ 1,1 \\ 1,5 \end{bmatrix}$ 6 columns

$$ct5 = \left[\begin{array}{cccccc} 0,0 & 0,1 & 0,2 & \xrightarrow{\text{fault}} & 0,3 & 0,4 & 0,5 \\ (1960, 1941, 1933, 1932, 1938, 1947), \\ (2095, 2086, 2081, 2078, 2082, 2089) \end{array} \right]$$

$$\begin{array}{cccccc} 1,0 & 1,1 & 1,2 & \xrightarrow{\text{clear}} & 1,3 & 1,4 & 1,5 \end{array}$$

 temperatures (-40°C)
 fault clear
 temperatures (60°C)

[ct9]

"dB"
(power)

"Calibration up"
ct9 [atten-freq] [att-temp] [att-level]
[3], [6], [11]
L R C

Levelb = [0, 4, 8, 12, 16, 20, 24,
28, 32, 36, 40];

temp = [-40, -20, 0, 20, 40, 60];
freq = [13750, 14125, 14500];

Command 2

To write this cmd used as follows:

cmd = ct9.

(Raw)

But ct9 = freq, temp, power, level

$$\begin{aligned}
 &= 0, 0, 0, \langle 0-4095 \rangle \\
 &= 0, 0, 1 = 2500 \leftarrow \text{example} \\
 &\quad 0, 0, 2 = 3000 \\
 &\quad 0, 0, 3 = 3500 \\
 &\quad \vdots \quad \vdots
 \end{aligned}$$

This is available as:

$$\begin{aligned}
 &\text{power}[0], \text{freq}[0], \text{temp}[0] = \text{level} \\
 &\text{power}[0], \text{freq}[0], \text{temp}[1] = \text{level} \\
 &\quad , \text{freq}[0], \text{temp}[2] = \text{level} \\
 &\quad \vdots
 \end{aligned}$$

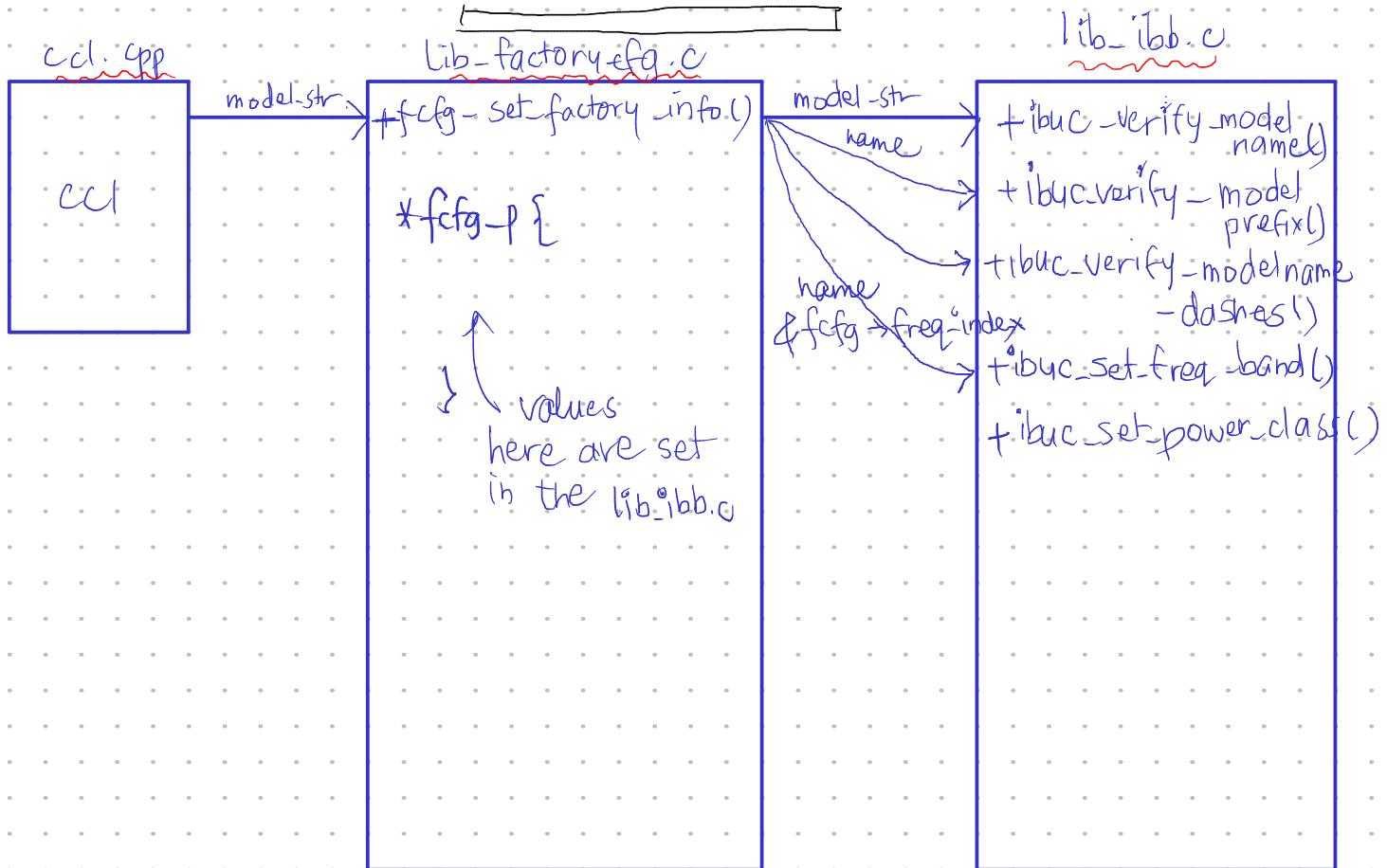
power[0], freq[0], temp[0] = level

instead of
freq, temp, power

So we will just go through the way it is given and enter it all adding indexes as we move along.

So: p[0], f[0], t[0]
 .. t[1]
 .. t[2]
 ..
 .. t[5]

FACTORY GFG



we should change the above to new way of doing using lookup table as in RXIPI.



BLIGS

1. I need a separate routine for IBA model number to set their voltage specification. See baremetal code.
2. Diff the IBA version with IBR and see what all are added. See history.
3. RX1+1 does not show you read only user
4. Finish manual for RX1+1.
5. Testing heavy for RX1+1, IBUC3
Test → Sensor Data -
→ Webpages -
→ SNMP
6. How to show a table in the Tkinter and save that as CSV.
7. Reduce SPI bus speed.
8. Convert code of Quick Quote to Plack.
9. Merge all code of RX1+1 to TX1+1 & IBUC3
10. move to latest kernel
11. Auto mode calibration of unit - using an existing table or excel file. It should issue commands.
12. ~~I get a message : failed to open pipe: No such file or directory~~
~~after I login to the IBUC~~
~~This is just after the password.~~
~~Actually this is due to the ibuc-core not starting.~~

* Diff ibr - baremetal with previous revision

1. TLS → new command added ? — Load switch is standard
2. FBS → new command added ? Allows band selection now.
3. atod.c : process_burst()



if fake RFBDS
previous

$$tx_power_input_mb = -3000$$

— Before input_min = -3000

$$-6000 + 2200 = -3800$$

now

$$tx_power_input_mb = get_input_min + 2000$$

& so on ...

Basically added

get_min_mb()

get_rated_power_mb()

4. CCF correction factor for sample port is not added.
5. KLD - Command added Keyline disable
6. OPC - Displayed output power correction.
7. TLS - Get or Set transmit load switch.
8. CC5 - is added.
9. FBS - Frequency band selector is a command used for triband.

10. keyline ? I forgot what is it ?

- ✓ 11. System gain seem to depend on family 'R', 'A', 'h'
family are supported
12. Load switch has some extra logic for initialization.
 13. statlog has a power_out_correction added to the output power.
 14. input_overdrive is added per family -
 15. IB2 and IB3 model number are set differently (Separately) -

- . Todo:- 1. Load switch needs to be added.
2.

Internal:

10 MHz

- ① ctp table represents the 10 MHz table, however it is not implemented because chamber 2, 3 cannot calibrate the 10 MHz detector. The chamber 1 can.
- ② So we don't write the header that says that values of 10 MHz output detector are valid.
- ③ We only use fault and clear threshold values.
- ④ It could be done in the future.
- ⑤ 10 MHz part is a VCO. Its a VCXO it means it's not meant to vary a whole lot in its spec. The VCO change only gives 1 ppm change that means a VCO change of 2.5V (which is full scale) only changes freq of 1ppm ($\frac{10 \text{ MHz}}{1 \text{ Ppm}} = \frac{10 \times 10^6}{10^6} = 10 \text{ Hz}$).
- ⑥ So its basically meant for fine tuning $10 \text{ MHz} \pm 10 \text{ Hz}$. Over its lifetime it can change by 1 ppb.

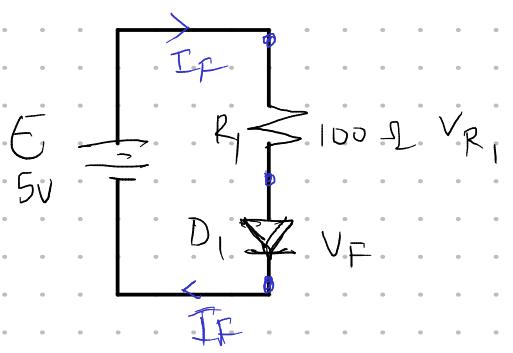
The final freq affected by the 10MHz is multiple of 10 MHz. So for a $12 \text{ GHz} = \frac{12 \text{ GHz}}{10 \text{ MHz}} = \frac{12 \times 10^9}{10 \times 10^6} = \frac{12 \times 10^3}{10} = 1.2 \times 10^3 = 1.2 \text{ kHz}$ diff.

So a change of 1 ppm changes 1.2 kHz on final RF freq.

See the spec detail in buy-parts → folder and the manufacturer name is <?>.

⑦ The part we use is under
Hold... \ Engineering \ 4. Buy Parts Data sheets
Briley Technologies \ LNBNTL - 10MEB - JCAB.pdf

- ⑧ The schematic is SCH - 22880 - 0002 Rev C
- ⑨ .



$$E = (VR_1 + V_F)$$

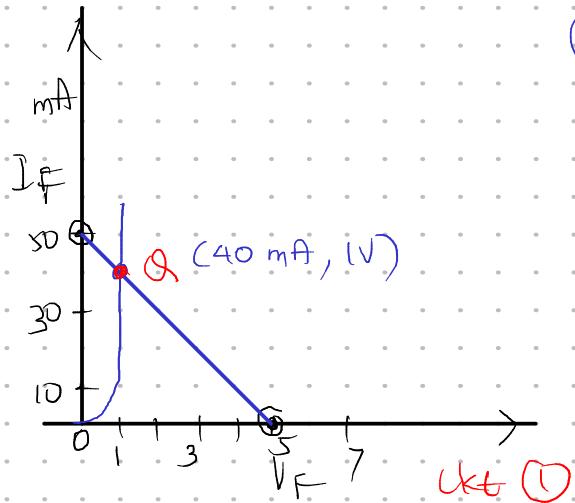
$$= I_F \cdot 100 + V_F$$

Solving :-

$$\textcircled{1} \quad VR_1 = 0$$

$$I_F \cdot 100 = 0$$

$$\Rightarrow V_F = E = 5V$$



$$\textcircled{2} \quad V_F = 0$$

$$E = I_F \cdot 100$$

$$5 = I_F \cdot 100$$

$$I_F = \frac{5}{100} = \frac{5V}{100\Omega} = \frac{5000}{100} \text{ mA}$$

$$I_F = 50 \text{ mA}$$

$$\text{So } E = VR_1 + V_F$$

$$= I_F \cdot 100 + V_F$$

$$= (40 \text{ mA} \times 100) + 1V$$

$$= 4000 \text{ mV} + 1V$$

$$= 4V + 1V$$

$$= 5V$$

So it means that at

40mA & 1V drop across Diode
the circuit will work properly.

So in ckt ① 40mA will flow
through the ckt and a drop of
1V will happen in the diode.

Let's say we take different values :-

① Solving

$$\textcircled{1} \quad VR_1 = 0 \quad I_F \cdot 100 = 0$$

$$V_F = E = \frac{10V}{100\Omega}$$

$$\textcircled{2} \quad V_F = 0, \quad E = VR_1$$

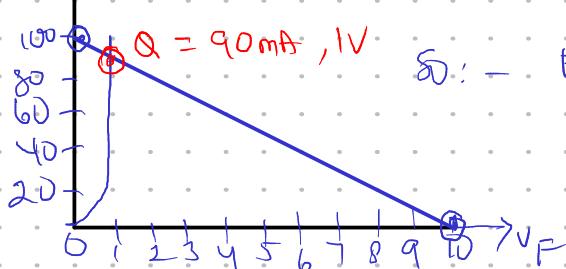
$$E = I_F \cdot 100$$

$$10 = I_F \cdot 100 \quad I_F = \frac{10 \times 100}{100} = 100 \text{ mA}$$

$$E = VR_1 + V_F$$

ckt ②

$$100 \text{ mA} \quad Q = 90 \text{ mA}, 1V$$



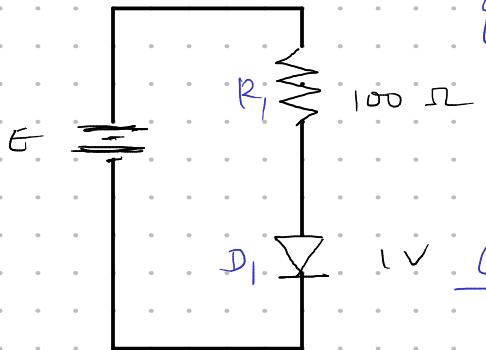
$$\text{So:- } E = VR_1 + V_F = I_F \cdot 100 + V_F$$

$$= 90 \text{ mA} \times 100 + 1 \text{ for ckt ②:}$$

$$= 9V + 1V \quad 90 \text{ mA will flow}$$

= 10V across the ckt and 1V
will drop across the diode.

Q: Take a case here, we know $R_1 = 100 \Omega$ and have a drop of $V_F = 1V$, Calculate E ?



$$\text{Ans: } E = V_R + V_F \\ E = I R_1 + V_F =$$

Case 1: $I_{R1} = 0$

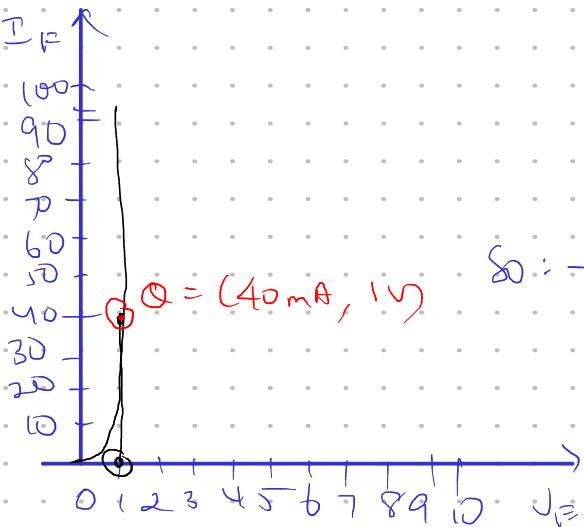
$$E = 1$$

Case 2: $I = 0$

$$E = I R_1$$

$$E = I \times 100$$

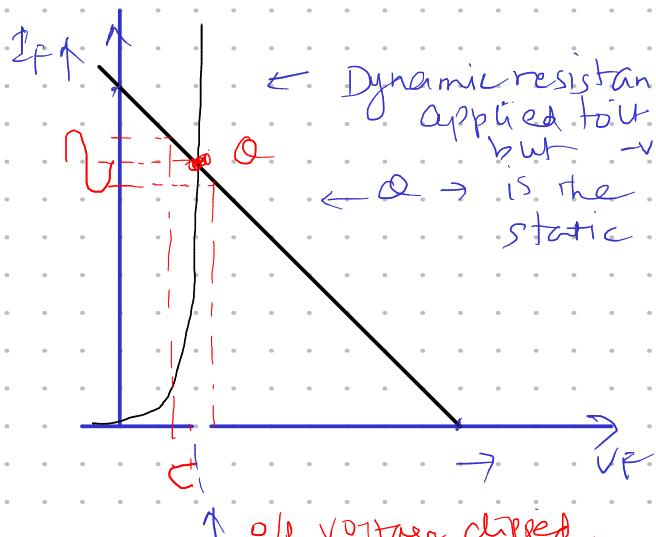
$$I = \frac{E}{100}$$



So: $E = (40 \text{ mA} \times 100) + 1 \leftarrow \text{At Q point}$

$$= 4V + 1V \\ E = 5V$$

So to solve the equation, we would need $E = 5V$



← Dynamic resistance of a diode since AC voltage applied to it. Changes in voltage are seen on op but -ve values are clipped.
 ← Δ → is the static resistance because only static voltage applied.

↑ o/p voltage clipped.

Unix programming

R . U G O :
W |
X 0

5

The Linux programming interface:

```
m=umask(077);  
Open The file -  
umask(m);
```

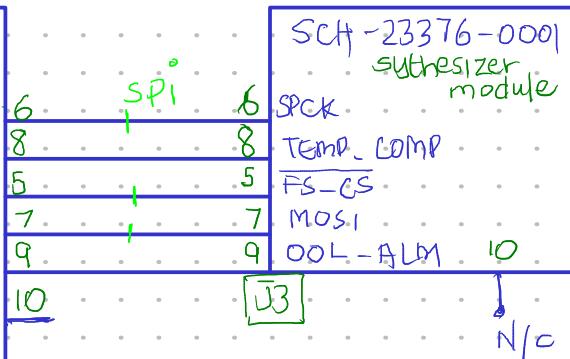
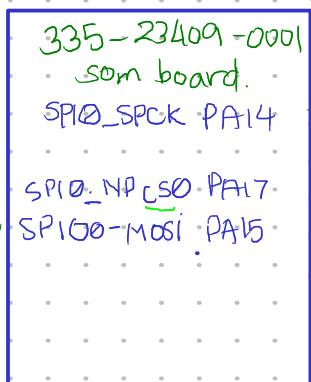
So the sequence goes this way:

1. set umask(x), x being whatever value we want to set
2. Open the file and set the umask again.
3. That should set it accurately.

Its not possible to know the mask and change it at the same time.

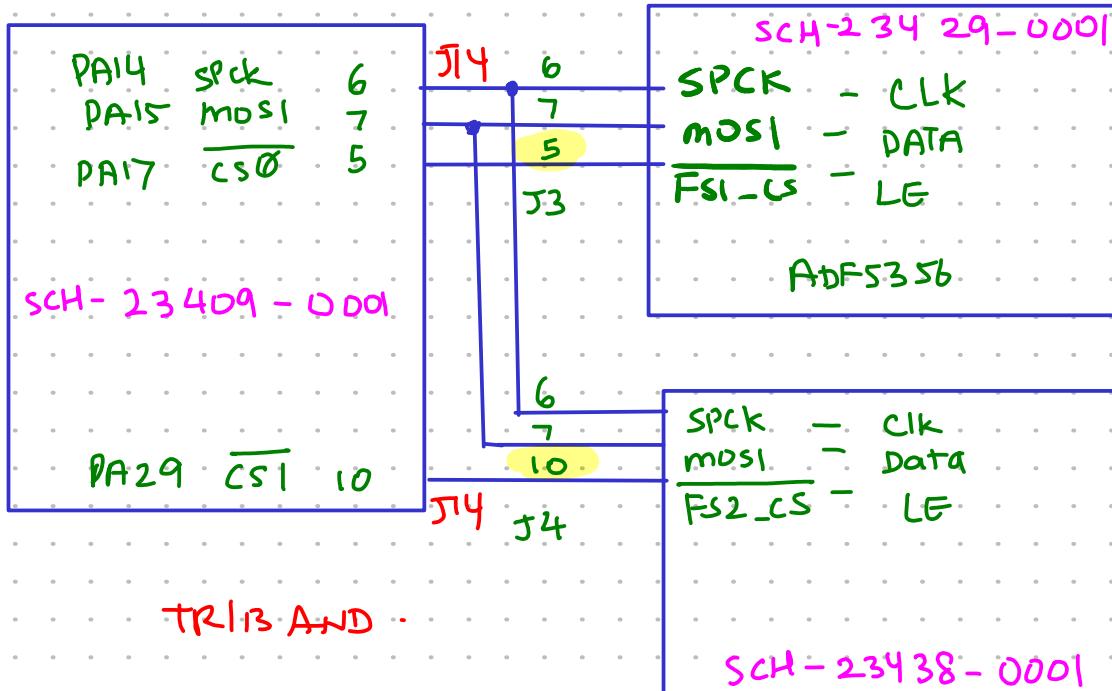
Be very mindful of this. It can cause a lot of confusion. Follow the sequence properly for a proper operation. See the final result and make sure that the value is set correctly for the opened file. It should be 077.
nuance

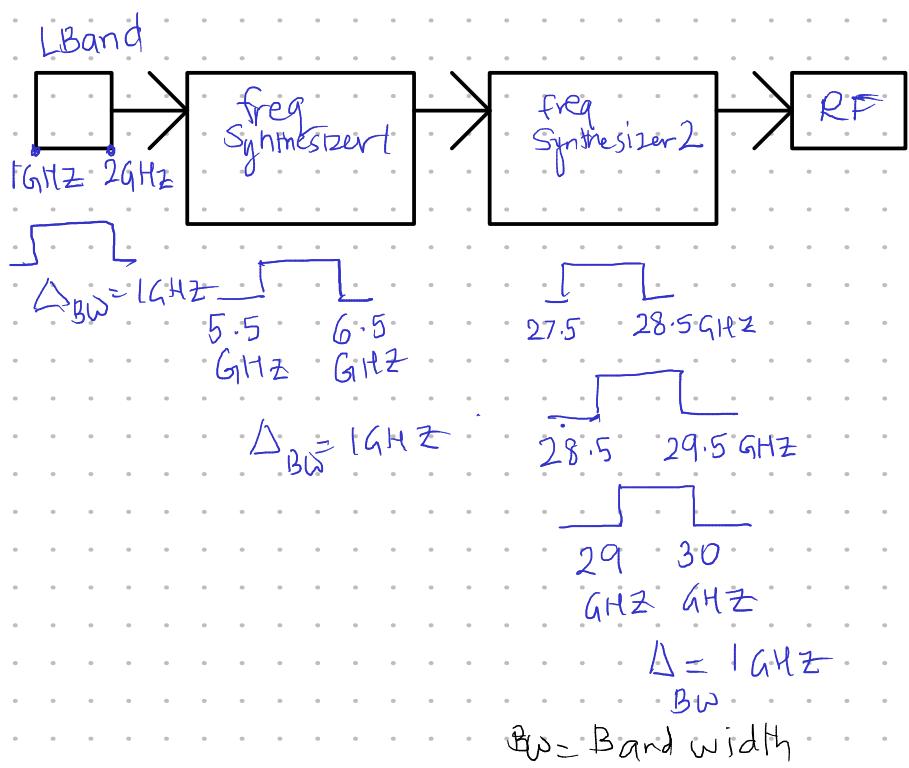
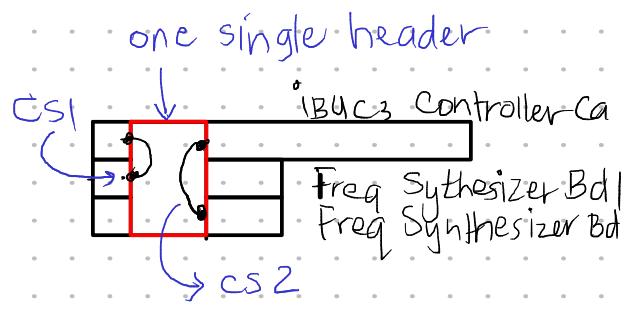
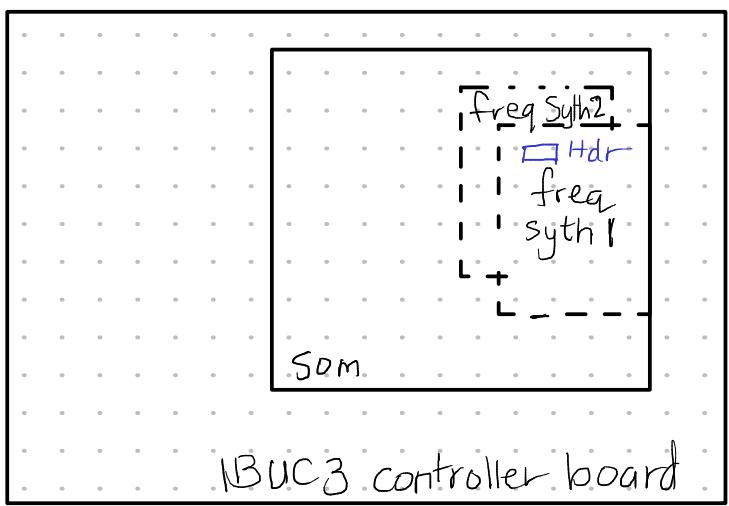
They are primary function I/O.



335-23376-0001
ASD (Assembly level drawing).

SINGLE BAND





At the input the bandwidth is 1GHz. At the first stage the output multiplied by 5 or 6 times. Then the stage 2 times the freq by 5-6 times overall we get 30 times freq multiplication.

This allows multiple bands transmitted. So we can do 1-3 or more bands. But only one is operation at any time.

The floor noise is very low at input and we don't multiply signal that much. So the phase noise remains within limit.

If we were to connect the Lband directly to the output then the phase noise is amplified 30 times and can get a lot worse. We keep these things in check.

Also in some divider ckt's the divider also lowers the phase noise. We do not want to lower the phase noise below the floor phase noise. That actually increases the floor phase noise.

Lastly we are working on military band of IBUC3 also.

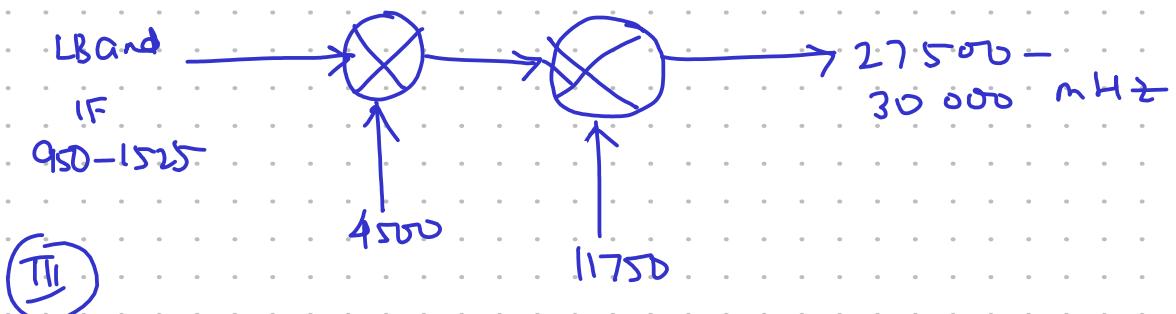
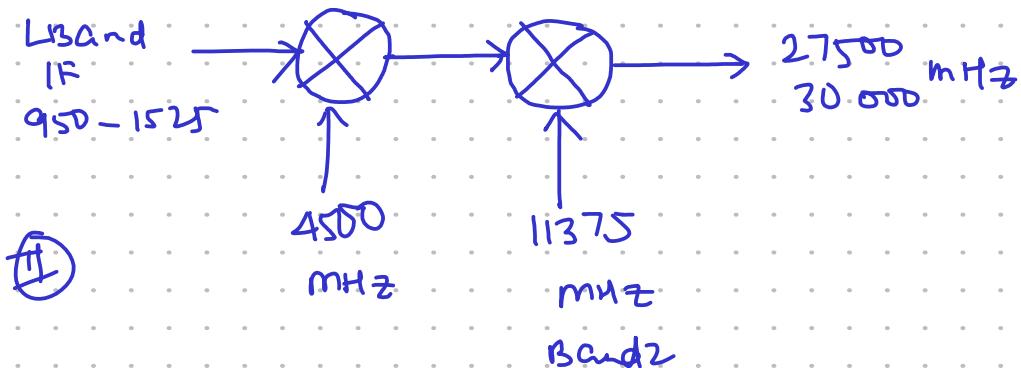
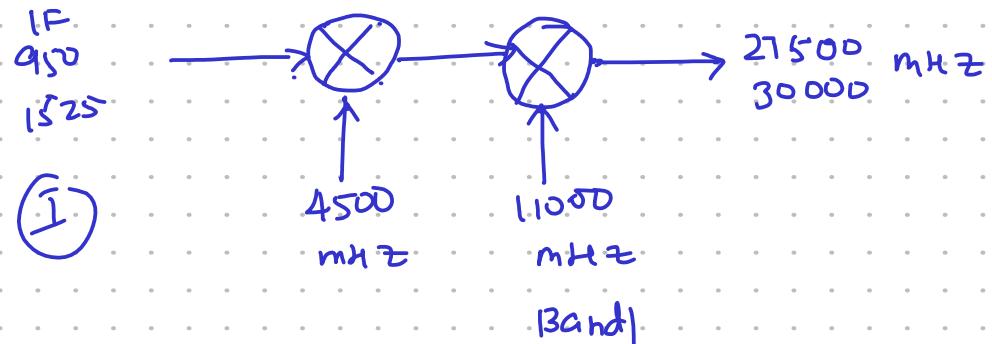


We can achieve this using above configuration wherein the synthesizers are cascaded.

Modems transmit in a slice of 100MHz and so multiple modems can transmit in different slices but all the data can travel in the same band. All data, hence, travels simultaneously.

Triband only applies to Ku-band 5 (27.5 - 30.0 GHz)

LBand:



$$\text{I} \rightarrow \begin{aligned} \text{IF}_1 + \text{LO} \\ 4500 + 950 = 5450 \text{ MHz} \\ 4500 + 1525 = 6025 \text{ MHz} \end{aligned}$$

$$\begin{aligned} \text{LO is doubled so. } \text{LO} &= 2 \times 11,000 = 22,000 \text{ kHz} && \text{Ku-Band} \\ 5450 + 22,000 &= 27450 \text{ MHz} && \} \text{ Band 1} \\ 6025 + 22,000 &= 28025 \text{ MHz} && \} \text{ Triband} \\ \text{IF}_2 + 2(\text{LO}) &= \end{aligned}$$

(II)

$$\begin{aligned} \text{I}_{F_1} + \text{LD} &= \\ \Rightarrow 4500 + 950 &= 5450 \quad \left. \begin{array}{l} \\ \end{array} \right\} \text{I}_{F_2} \\ 4500 + 1525 &= 6025 \end{aligned}$$

$$\Rightarrow \text{I}_{F_2} + 2(\text{LD}) =$$

$$\begin{aligned} \Rightarrow 5450 + 2(11375) &= 5450 + 22750 = 28200 \\ 6025 + 2(11375) &= 6025 + 22750 = 28775 \end{aligned}$$

↑
Ku - band 2
Triband

(III)

I_{F_2} is the same :-

$$\begin{aligned} \Rightarrow 5450 + 2(11750) &= 5450 + 23500 = 28950 \\ 6025 + 2(11750) &= 6025 + 23500 = 29525 \end{aligned}$$

↑
Ku - band 3
Triband

TODO:

1. I have to add support for cmds specific to Triband.
2. web pages need to support Triband.
3. How to monitor the SPI bus to ensure that the CS works as needed.
check the both channels and make sure SPI bus is working for both synthesizer.
4. Read upon the SPI ref manual of SAMASD27
5. Check the kernel code to see if the SPI CS are toggled based on the device we address.
6. Are the CS pins correctly mapped in pincontrol.c to each GPIO as CS for SPI in the device tree, kernel and the Reference manual?

Commands added are:

- ① KLD - keyline disable
- ② FBS - Freq Bandselect
- ③ CIF - change input freq
- ④ TLS - TX load switch

For these following variables are added.

(1) Kl-disable — Not there

✓ (2). input-min-mB } → "factory-cfg"

✓ (3). input-max-mB }

✓ (4). ^{→ input-valid} pout-correction-mB } || cfg
pout-correction-valid }

✓ (5). tx-load-switch — cfg

✓ (6). band-select — cfg

✓ (7). cfg-input-freq. — Not there

Calibration Table

✓ (1). CT1 table uses 3 tables now

✓ (2). CT3 table uses 3 || ||



To do ✓ Input freq = set at startup, load-variables -
idx from fram()

✓ 0 - 1000 - 2000 MHz

✓ 1 - 950 - 1950 MHz

Testing

Tools: - pytest

- Boost C++ test.

1. Write the manufacturing info
2. Make sure it is there.
3. Read the cal file from excel file and parse it. Create a csv file and keep it ready.
4. Use csv to program the unit and calibrate it.
5. Start testing each command from there by each module separately each time.
6. Once all commands are tested, start SNMP test.
7. Now start stress testing. Run unit for long time.
8. Now run the web test part.
9. Now run the compound test, Testify different scenarios.
10. Lastly test each module using C++ unit-test. Run the programs separately from python. May require recompilation.
- 11.

Python

Quiz F. 10 :

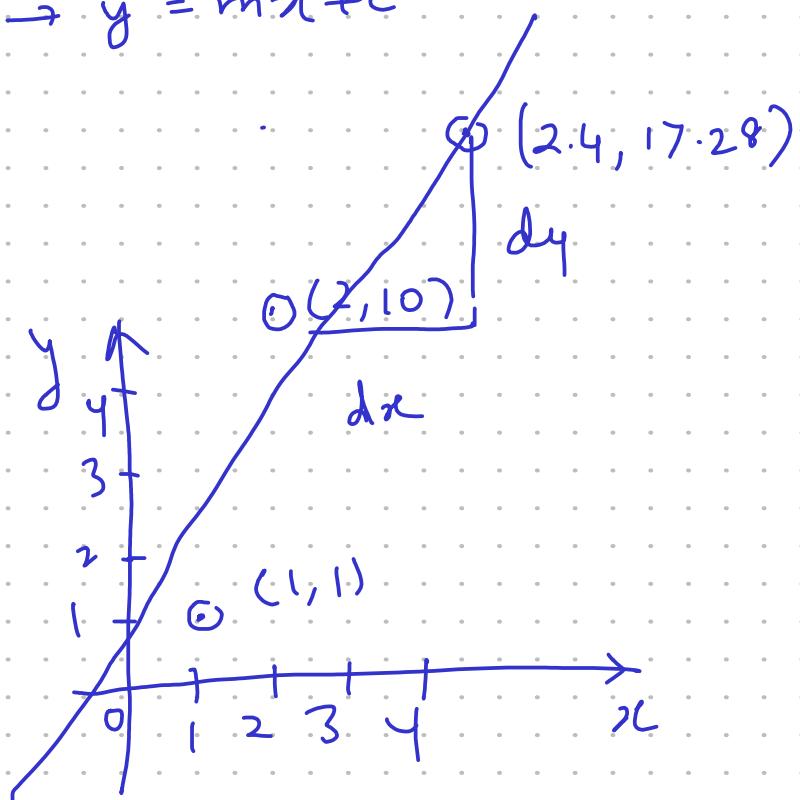
(2)

$$y = 3x^2 - 2 \rightarrow y = mx + c$$

$$x = 1$$

$$x = 2$$

$$x = 2.4$$



$$x = 1, y = 3 - 2 = 1$$

$$x = 2, y = (3 \cdot 4) - 2 = 12 - 2 = 10$$

$$x = 2.4, y = (3)(2.4)^2 - 2 = 3(5.76) = 17.28$$

$$\frac{dy}{dx} = \frac{17.28 - 10}{2.4 - 2} = \frac{7.28}{0.4} = 18.2$$

$$\text{slope} = 18.2$$

$$\textcircled{4} @ y = 4x^3 + x^2 - 6x - 3$$

$$\begin{aligned}\frac{dy}{dx} &= 4 \cdot 3 \cdot x^2 + 2x - 6 - 0 \\ &= 12x^2 + 2x - 6\end{aligned}$$

$$\begin{aligned}\frac{dy}{dx^2} &= 12 \cdot 2x + 2 \\ &= 24x + 2\end{aligned}$$

$$\frac{dy}{dx} = 0, x = ?$$

$$12x^2 + 2x - 6 = 0$$

$$12x^2 + 2x = 6$$

$$2(6x^2 + x) = 6$$

$$6x^2 + x = 3$$

$$x(6x + 1) = 3$$

$$x = 3 \quad \text{or} \quad 6x + 1 = 3$$

$$6x = 2$$

$$x = \frac{2}{6}$$

$$x = \frac{1}{3}$$

(5) .

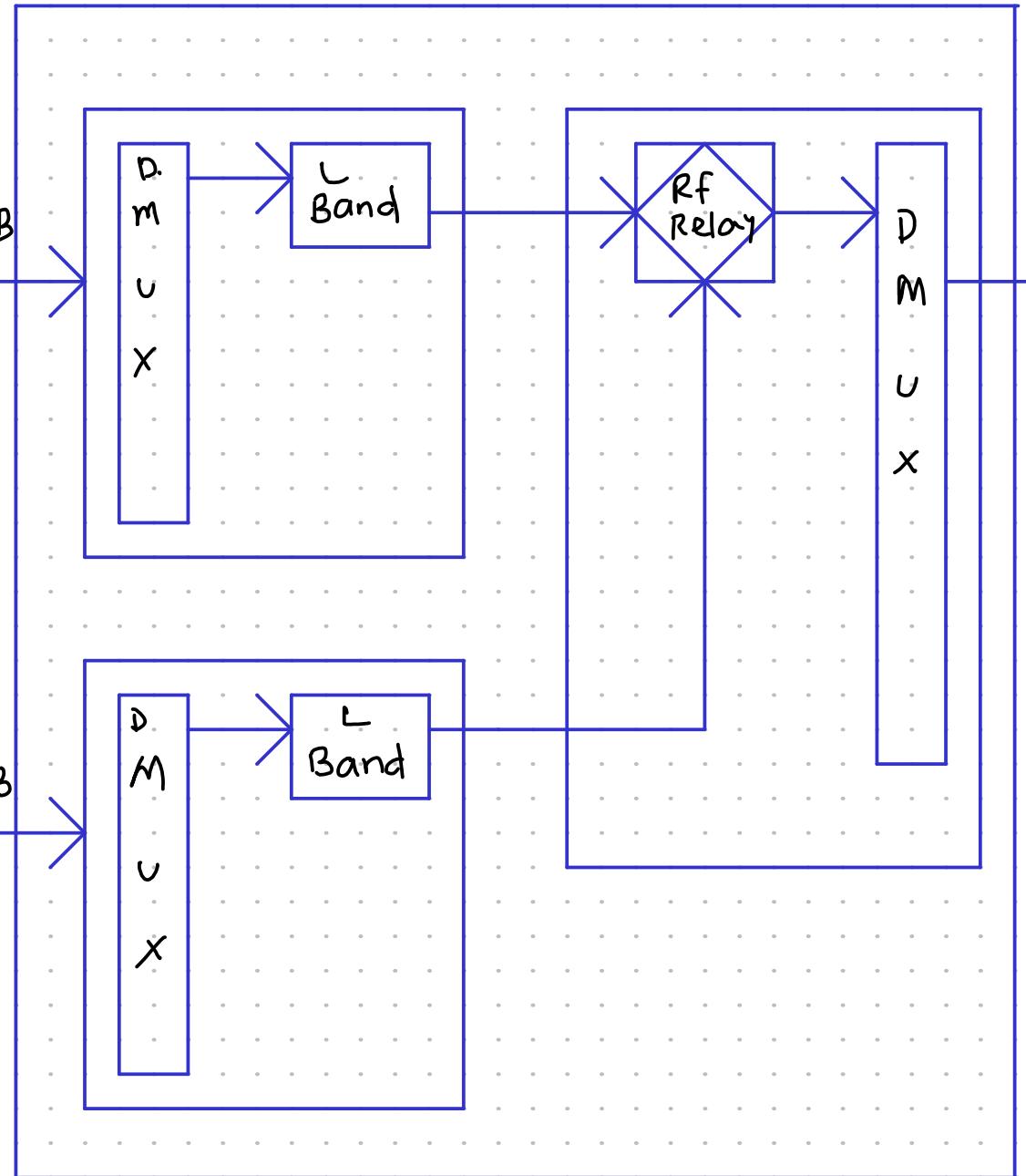
a. $y = x^4 \cos x$

$$= x^4 \frac{dy}{dx} \cos x + \cos x \frac{d}{dx} x^4$$

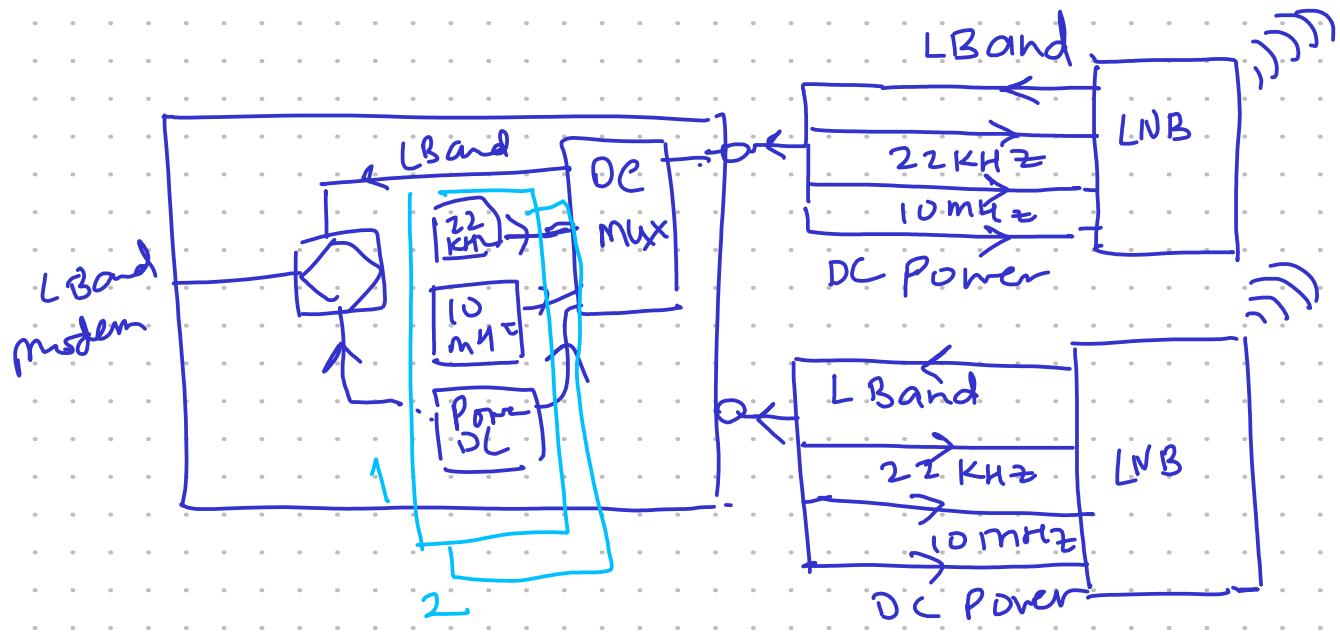
$$= x^4 \sin x + \cos x \cdot 4x^3$$

b. $y = x^2 \ln x$

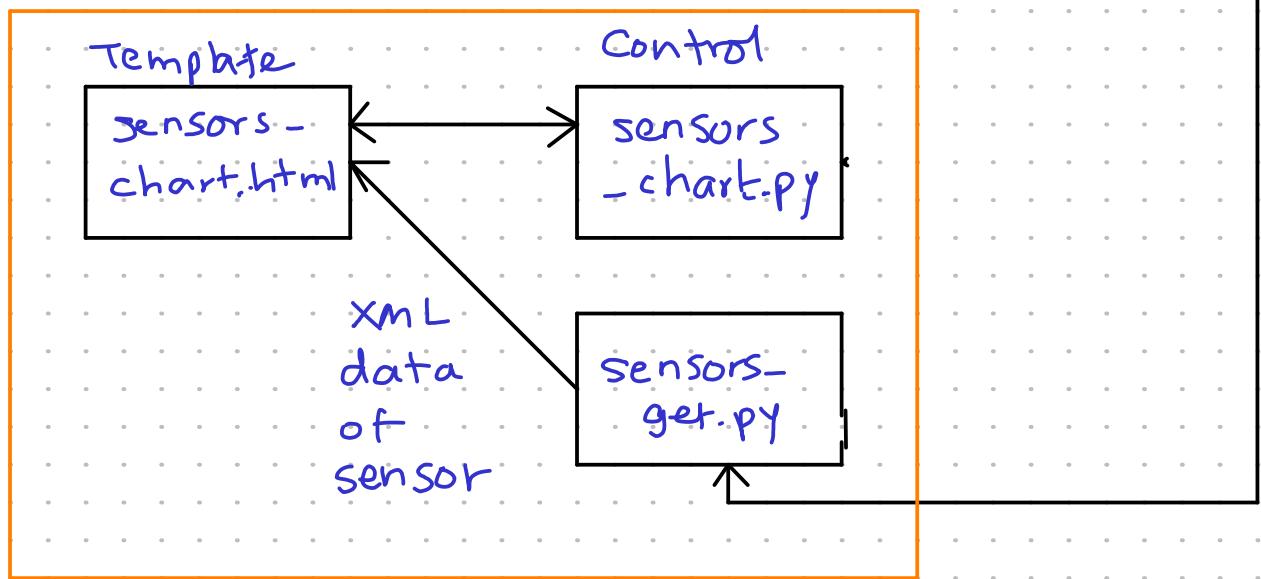
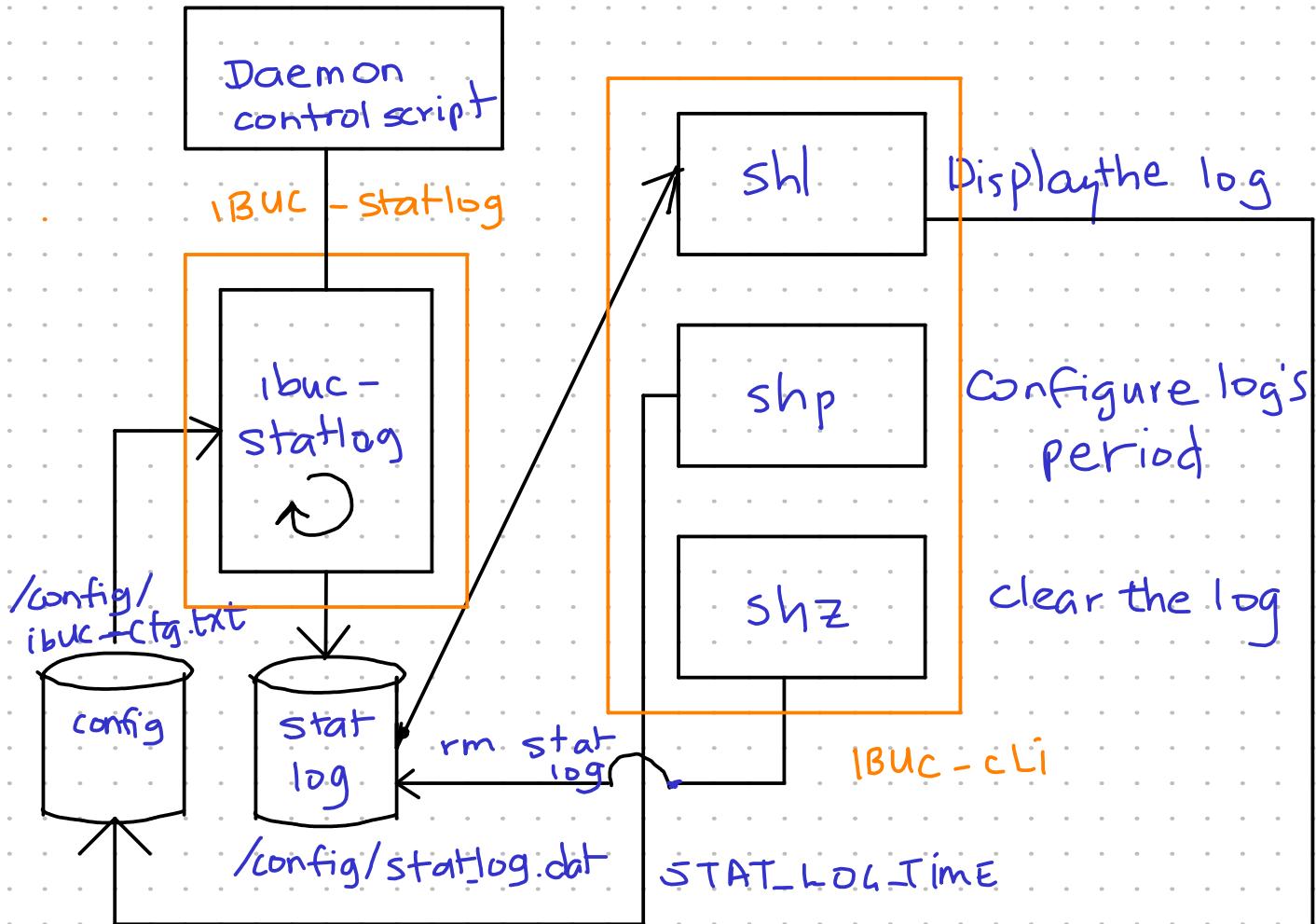
$$= x^2 \frac{dy}{dx} \ln x + \ln x \frac{d}{dx} x^2$$



R x 1+1 system.



/etc/init.d/S43ibuc-statlog



times
→

Trigonometry identities:

$$\textcircled{1} \quad \cos f_1 \times \sin f_2 = \frac{1}{2} (\sin(f_1 - f_2) + \sin(f_1 + f_2))$$

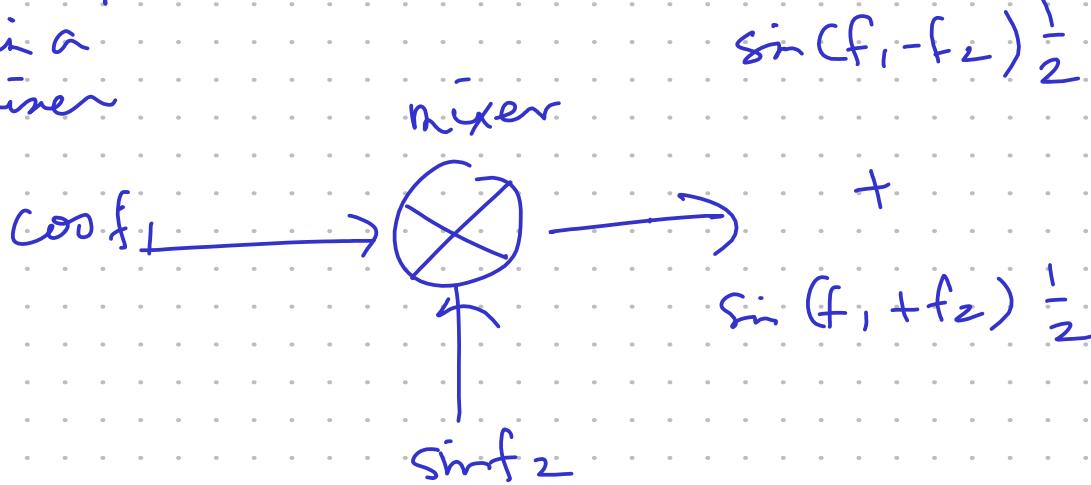
freq 1 freq 2

sin of diff of freq

sin of sum of freq

two freq are multiplied

as in a mixer



$$\textcircled{2} \quad \cos f_1 \times \cos f_2 = \frac{1}{2} (\cos(f_1 - f_2) + \cos(f_1 + f_2))$$

freq 1

freq 2

cosine thoughts

diff

sum

but of cosine

HYPERBOLIC identities

$$\sinh x = \frac{e^x - e^{-x}}{2}$$

$$\cosh x = \frac{e^x + e^{-x}}{2}$$

$$\tanh x = \frac{e^x - e^{-x}}{e^x + e^{-x}}$$

Hyperbolic identities

$$\sinh x = x + \frac{x^3}{3!} + \frac{x^5}{5!} + \dots$$

$$\cosh x = 1 + \frac{x^2}{2!} + \frac{x^4}{4!} + \dots$$

$$\sinh^{-1} x = \ln \left\{ x + \sqrt{x^2 + 1} \right\}$$

$$\cosh^{-1} x = \pm \ln \left\{ x + \sqrt{x^2 - 1} \right\}$$

$$\tanh^{-1} x = \frac{1}{2} \ln \left\{ \frac{1+x}{1-x} \right\}$$

Inverse hyperbolic in terms of Log.

$$\coth x = \frac{1}{\tanh x}$$

further Identities

$$\operatorname{sech} x = \frac{1}{\cosh x}$$

$$\operatorname{cosech} x = \frac{1}{\sinh x}$$

$$\cosh x + \sinh x = e^x$$

$$\cosh x - \sinh x = e^{-x}$$

$$\cosh^2 x - \sinh^2 x = 1$$

$$\operatorname{sech}^2 x = 1 - \tanh^2 x$$

$$\operatorname{cosech}^2 x = \coth^2 x - 1$$

$$\cos \theta = \cosh j\theta$$

$$\sinh j\theta = j \sin \theta$$

$$\cosh x = \cos jx$$

Our procedure

write manufacturing info

$iPE(y_i)$

output power

input power

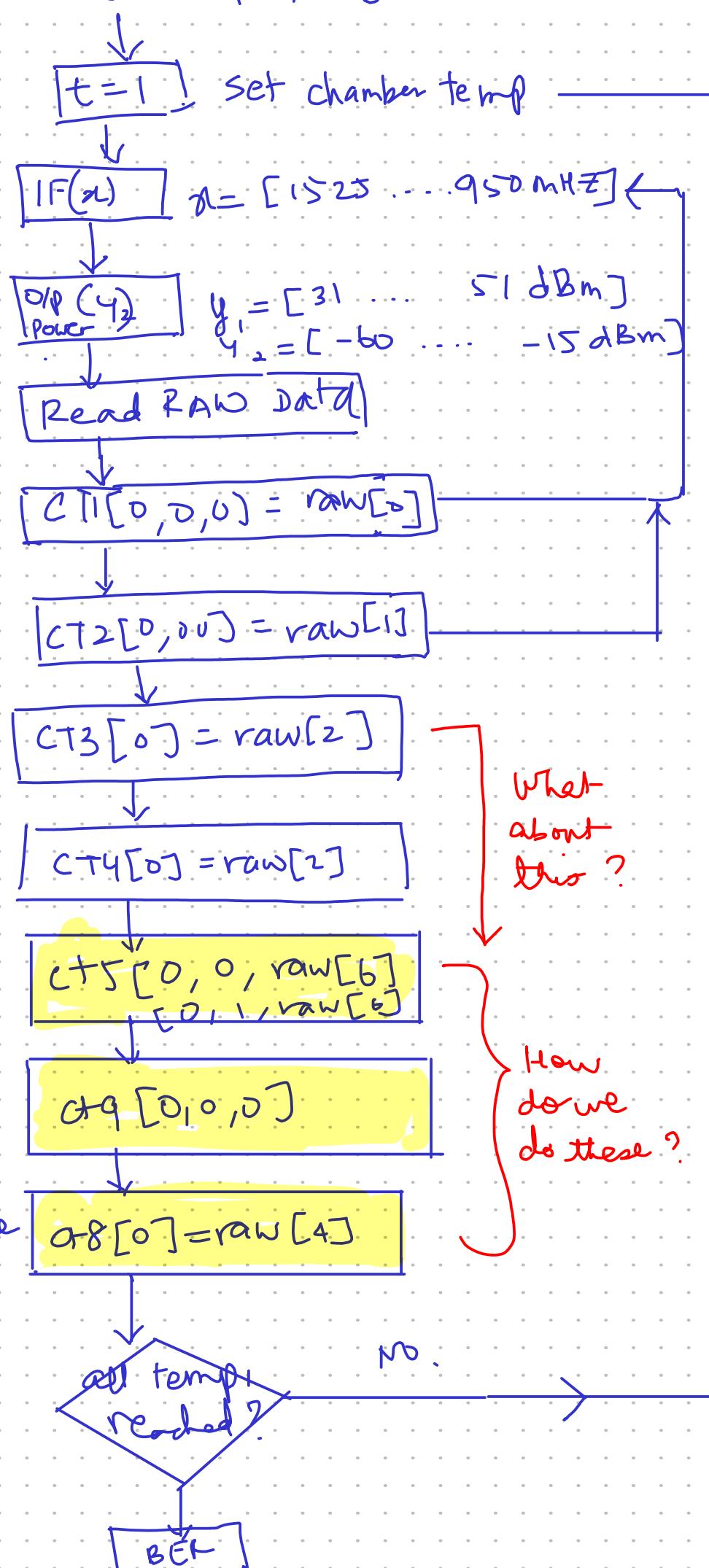
Temperature compensation

temperature values

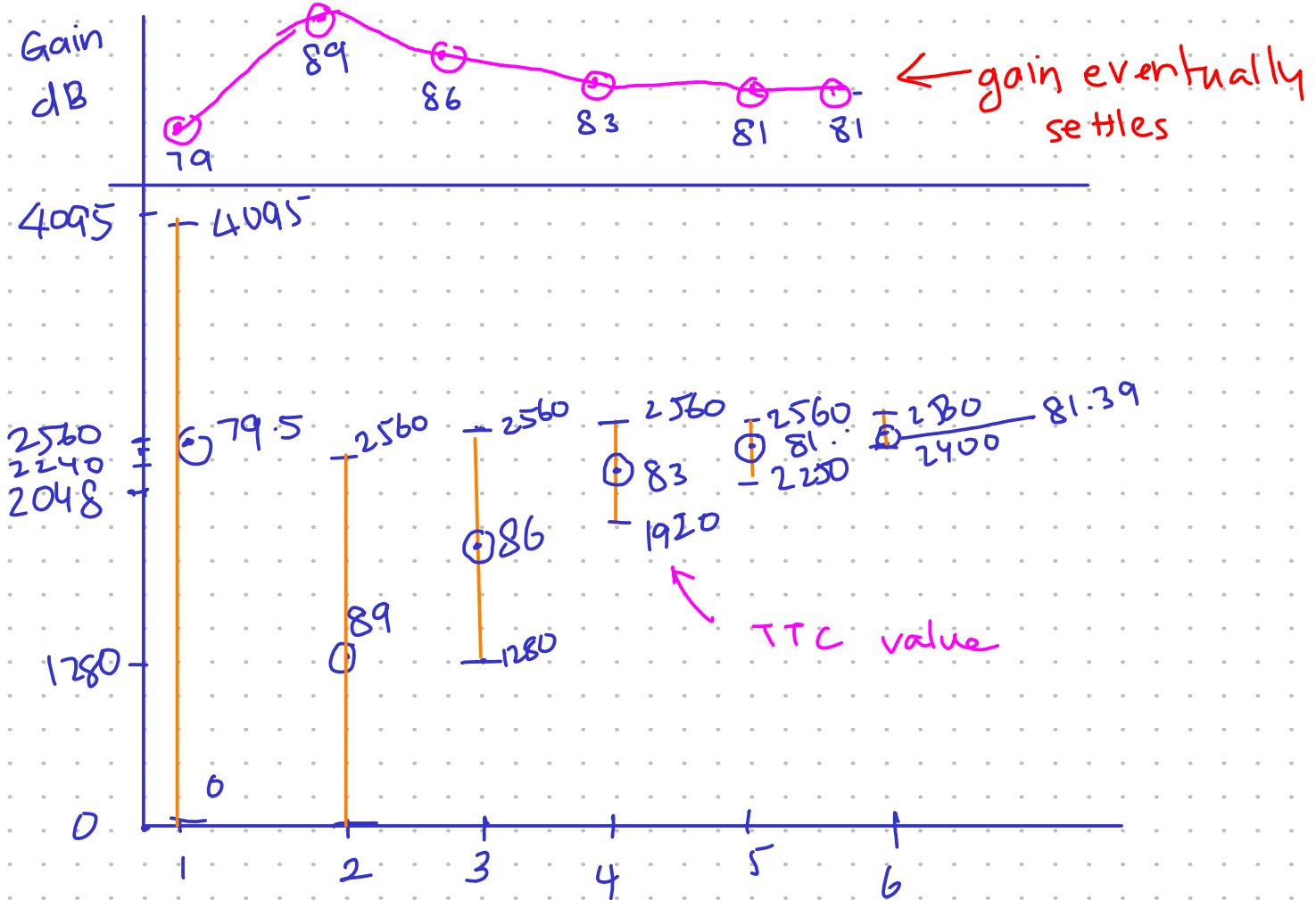
10mHz

attenuator
for
gain control

Supply voltage

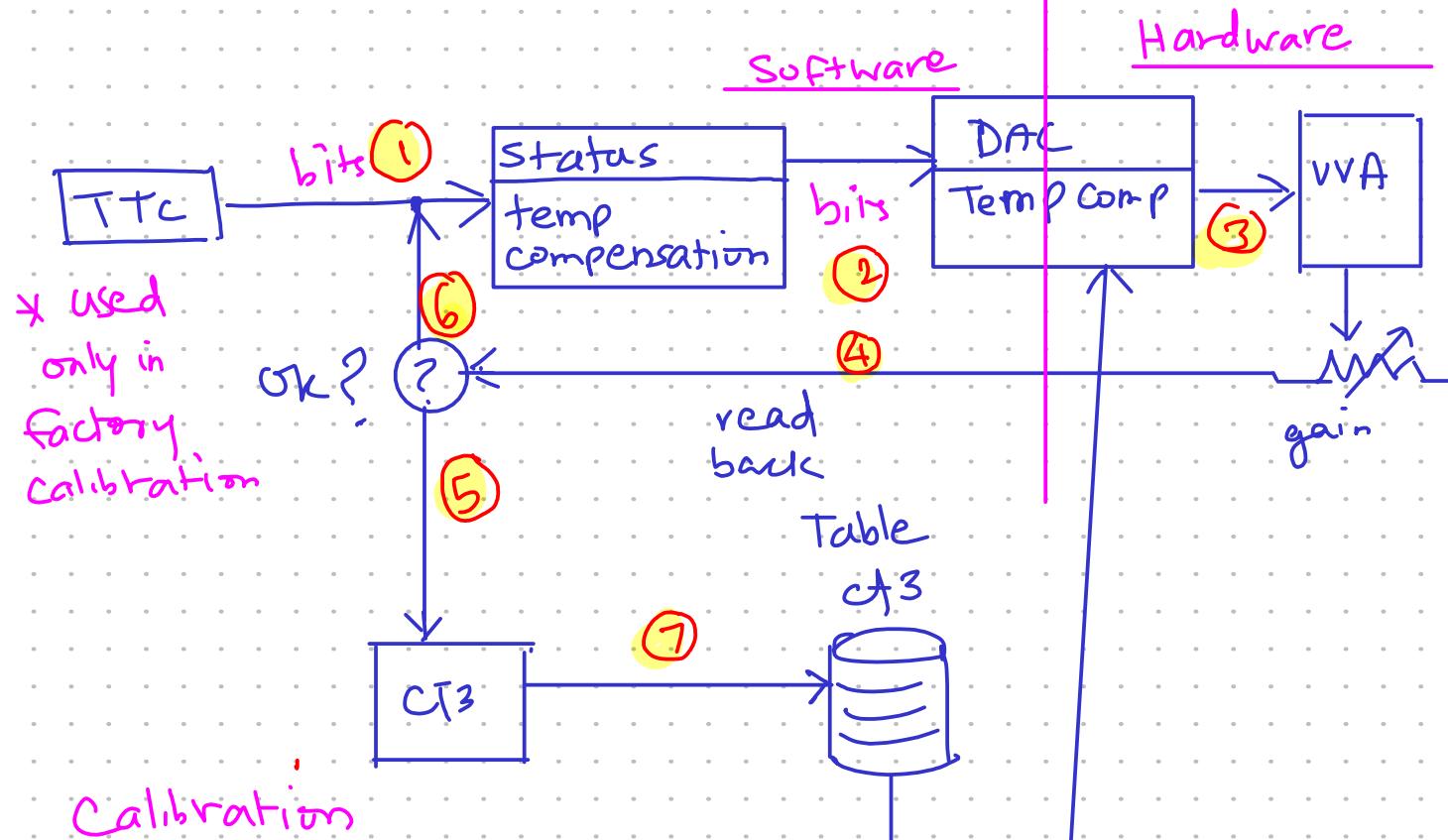


CT3 Calibration procedure

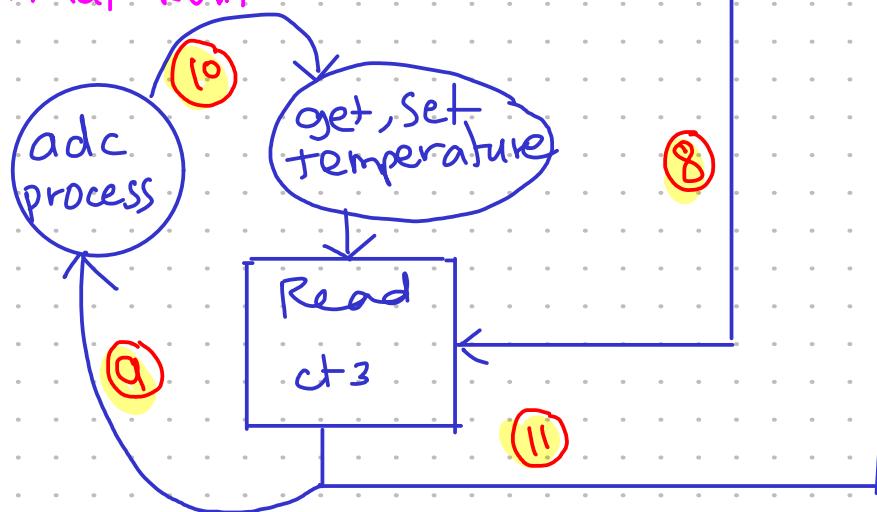


⊗ The ATE tries to set different TTC values. Specifically tries a low, mid high value and sees the desired gain. Then changes the band to get closer to desired gain. It then gets the TTC value and sets to CT3.

Q: Why we need a range of values for TTC and get only one value for gain ?
Ex:- $TTC = 0 \rightarrow 2560 \rightarrow 4095$
but $Gain = 79.54 \text{ dB}$



Normal Run



Set
DAC
value
to get
proper
gain
based
on current
temperature

Green LED:

- $TPT=0$
- $Cm1=0x6E0$
 $Cm2=0x091C$
 $Cm3=0x00FA$
- $TAZ=1$

(1)

Flashing LED

$Cm1=0x00FA$

$TAZ=0$

(2)

Solid LED

$Cm2=0x00FA$

(3)

(1) Basically we are making
 $TAZ=1$ which masks all LEDs and
 the LED become green

(2). $Cm1=0x00FA$

↳ makes all configurable alarm
 as minor

then $TAZ=0$, turns off supervision
 and the LED blinks red.

(3). finally we make

$Cm2=0x00FA$ which makes all
 configurable alarm as major.
 Then $TAZ=1$, turns off supervision
 and LED stays RED.

$$\frac{d\theta}{ds} = \frac{1}{R} = \frac{\frac{dy}{dz}}{\frac{dy}{dx}}$$

$$\text{so: } R = \frac{\left\{ 1 + \left(\frac{dy}{dx} \right)^2 \right\}^{3/2}}{\frac{d^2y}{dx^2}}$$

Differential applications

(32) $y^2 = \frac{x^3}{4}$ at $(1, \frac{1}{2})$

$$y = \sqrt{\frac{x^3}{4}} = \frac{x^{3/2}}{2}$$

$$\frac{dy}{dx} = \frac{3}{2} \frac{x^{1/2}}{2} = \frac{3}{4} x^{1/2} \text{ at } 1, \frac{1}{2} = \frac{3}{4}$$

$$\frac{d^2y}{dx^2} = \frac{1}{2} \cdot \frac{3}{4} \cdot x^{-1/2} = \frac{3}{8} x^{-1/2} = \frac{3}{8}$$

$$R = \frac{\left\{ 1 + \left(\frac{3}{4} \right)^2 \right\}^{3/2}}{\frac{3}{8}}$$

$$= \frac{\left(1 + \frac{9}{16} \right)^{3/2}}{\frac{3}{8}} = \frac{\left(\frac{16+9}{16} \right)^{3/2}}{\frac{3}{8}} =$$

$$= \left(\frac{125}{64}\right)^{\frac{3}{2}} = \left(\frac{5}{4}\right)^3 \times \frac{8}{3} = \frac{125}{64} \times \frac{8}{3} = \frac{125}{8 \times 3} = \frac{125}{24}$$

$$R = \frac{125}{24}$$

Converting dBm to watts and get "PP"

① $-14 \text{ dBm} \Rightarrow$

$$-14 = 10 \log_{10}(P_0)$$

$$\frac{-14}{10} = \log_{10}(P_0)$$

$$-1.4 = \log_{10}(P_0)$$

$$P_0 = 10^{-1.4}$$

$$= \frac{1}{10^{1.4}}$$

$$P_0 = \frac{1}{25 \cdot 10^3} \text{ W}$$

$$P_0 = 0.039 \text{ W}$$

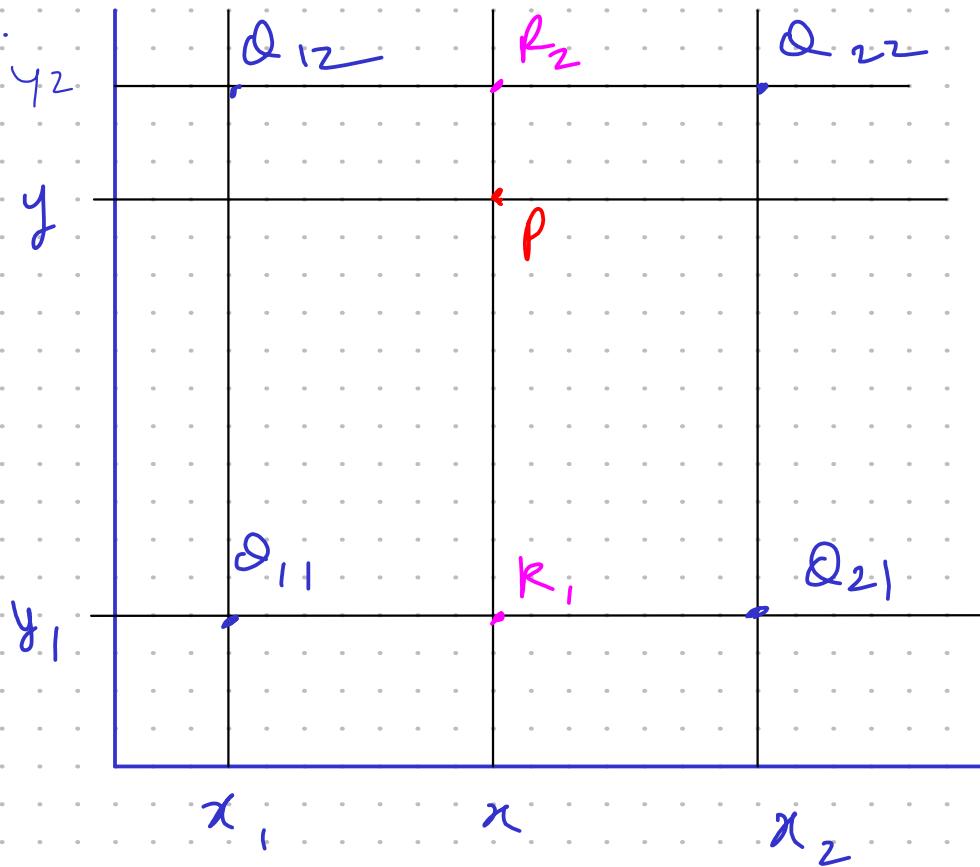
$$P = I \cdot V \cdot \cos \theta$$

$$= I \cdot V$$

$\Rightarrow I$ is unknown

$V \rightarrow$ can't be known

$P \Rightarrow$ known

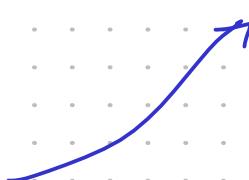


$$R_1 = Q_{11} \frac{(x_2 - x)}{(x_2 - x_1)} + Q_{21} \frac{(x - x_1)}{(x_2 - x_1)}$$

$$R_2 = Q_{12} \frac{(x_2 - x)}{(x_2 - x_1)} + Q_{22} \frac{(x - x_1)}{(x_2 - x_1)}$$

$$P(x, y) = R_1 \left(\frac{y_2 - y}{y_2 - y_1} \right) + R_2 \left(\frac{y - y_1}{y_2 - y_1} \right)$$

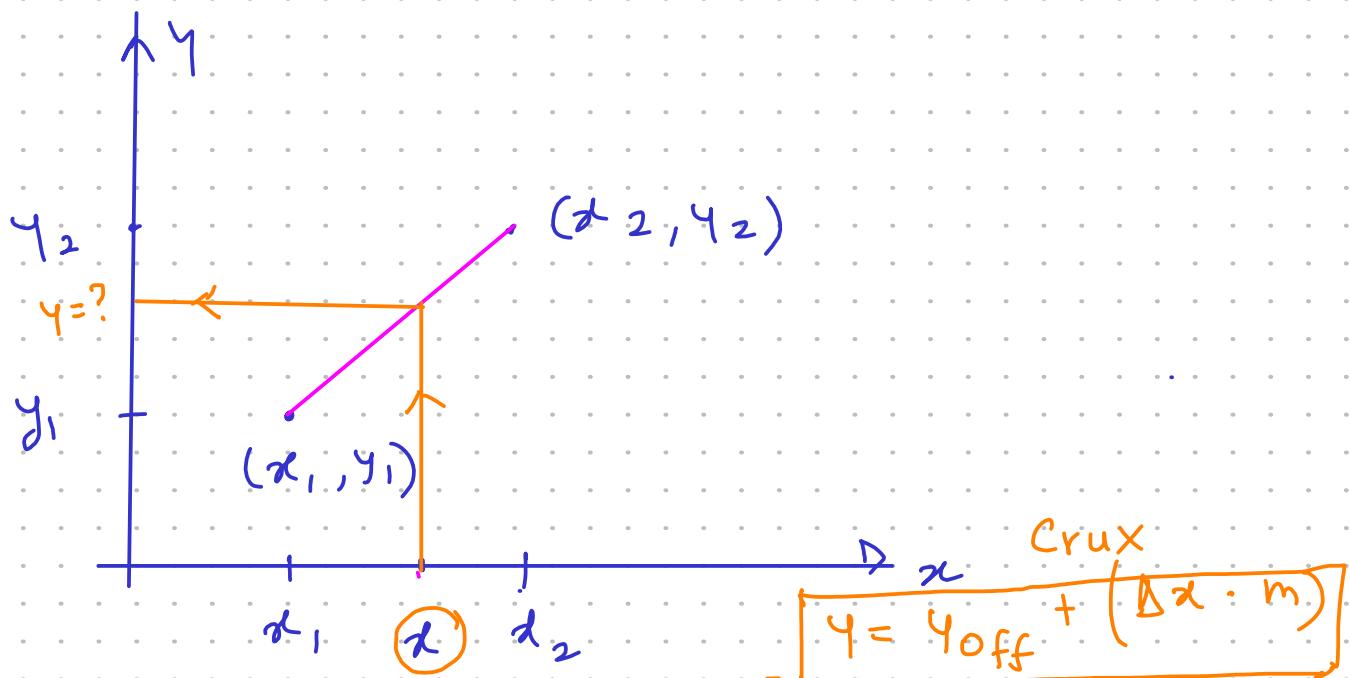
Not sure about above?



Linear Interpolation

For linear interpolation, we need to know the value of x . and the (x_1, y_1) , & (x_2, y_2) coordinates. we find corresponding value of y wrt x .

$$\text{so : } y = y_1 + \frac{(x - x_1)(y_2 - y_1)}{x_2 - x_1}$$



Ex: $x = 4$, $P_1(2, 4)$ $P_2(6, 7)$

$$y = 4 + \frac{(4-2)(7-4)}{(6-2)}$$

$$= 4 + \frac{2(3)}{4}$$

$$= 4 + \left(\frac{3}{2}\right) = \frac{8+3}{2} = \frac{11}{2} \underline{\underline{5.5}}$$

• Partial Differentiation

$$z = (4x - 2y)(3x + 5y)$$

page 671. □

$$\frac{\partial z}{\partial x} \text{ & } \frac{\partial z}{\partial y}$$

$$\frac{\partial z}{\partial x} = (4x - 2y)^{(3)} + (3x + 5y)^{(4)}$$

$$\frac{\partial z}{\partial y} = (4x - 2y)^5 + (3x + 5y)^{-2}$$

$$\rightarrow 12x - 6y + 12x + 20y$$

$$\frac{\partial z}{\partial x} \rightarrow 24x + 14y$$

$$\frac{\partial z}{\partial y} \rightarrow 20x - 10y - 6x - 10y$$

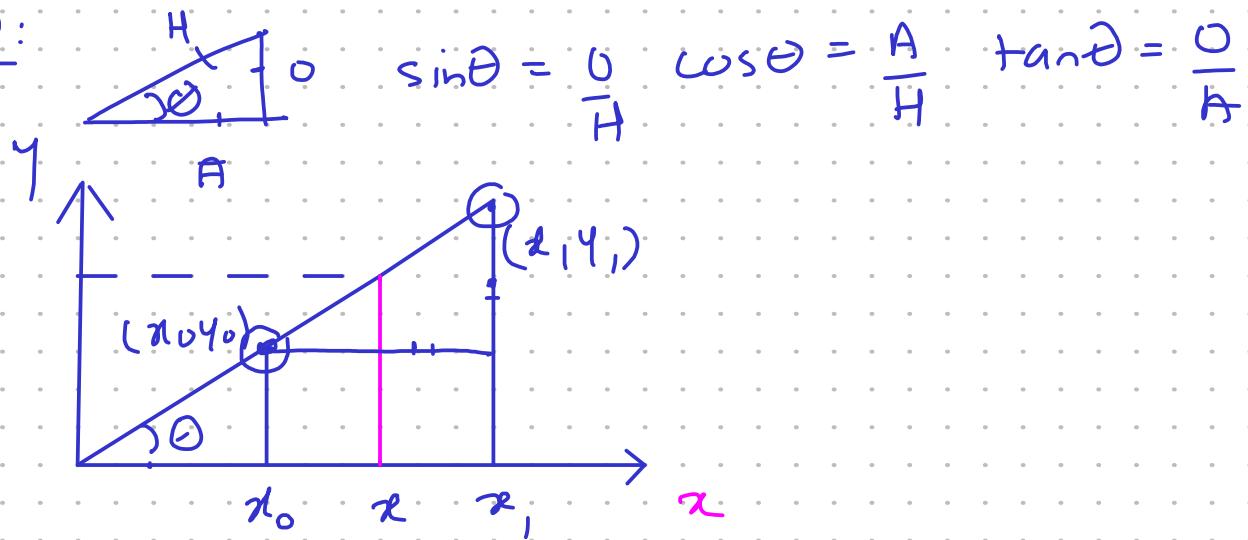
$$\rightarrow 14x - 20y$$

Meaning of Tone

A simple tone will have one frequency while a complex tone will have two or more simple tones known as overtones.

Interpolation using trigonometric identities

TIP:



$$\text{slope} = \frac{dy}{dx} = \frac{y_1 - y_0}{x_1 - x_0} = m$$

$$\textcircled{1} \quad s_0 : \tan \theta = \frac{y - y_0}{x - x_0} \quad \text{find } \theta \text{ first}$$

$$\theta = \tan^{-1} \left(\frac{y - y_0}{x - x_0} \right)$$

\textcircled{2}

$$s_0 : \cos \theta = \frac{A}{H}$$

$$\cos \theta = \frac{x - x_0}{y - y_0} \quad \text{use } \theta \text{ for } \frac{A}{H} \text{ calc.}$$

$$(y - y_0) = \frac{x - x_0}{\cos \theta}$$

$$y = \left[\frac{x - x_0}{\cos \theta} \right] + y_0$$

$$ct8[0] = 0.985$$

$$ct8[1] = 0.990$$

$$wt1 = -49.75$$

$$wt2 = 50.75$$

$$\text{cal-factor} = 0.985 \times (-49.75) \\ + 0.990 \times (50.75)$$

$$\text{cal factor} = 1.23875$$

$$\text{so voltage} = \text{calculated} \times 1.23875$$

$$\text{if calc=110} = 110 \times 1.23875 \\ = 136$$

$$\text{if calc=98} \rightarrow 98 \times 1.23875$$

$$\Rightarrow \boxed{128}$$

Glossary:

① VSAT:- very small aperture terminal (Not virtual satellite) !

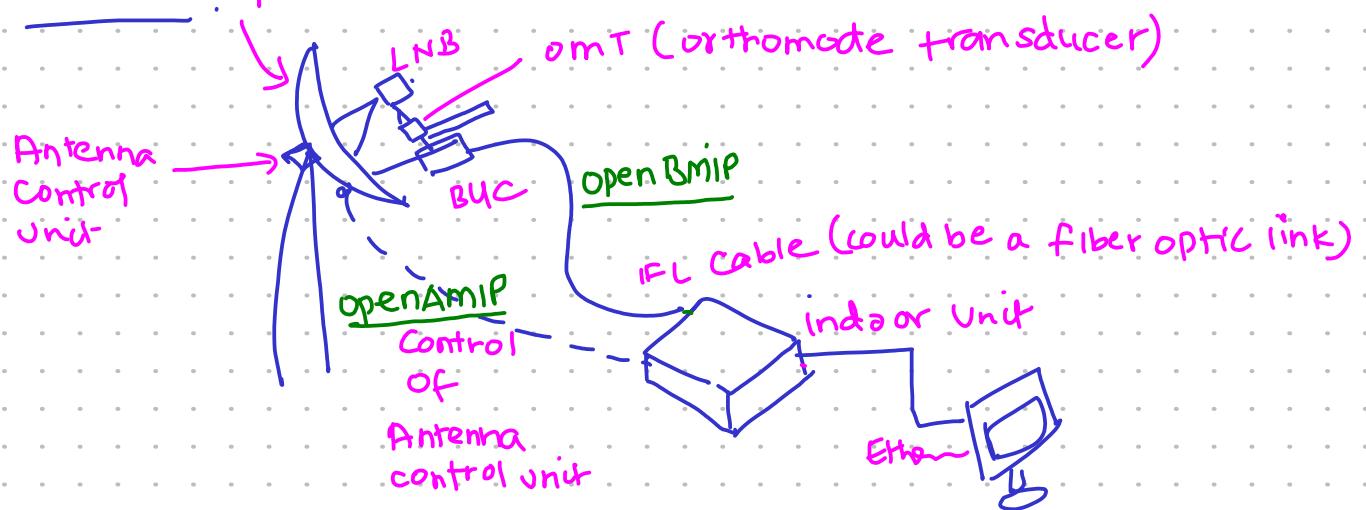
narrow band data is used in .

- point of sale transactions
- polling or RFID data
- SCADA

Broadband:

- + satellite internet
- + VoIP
- + video.

VSAT : Antenna



Speed seem to be from 4 kbit/s to 16 mb/s .

* Note : Modem manufacturers now support RX range of 950 - 2150 mHz

$$\sum x = 2 \cdot 2, \sum y = 13 \cdot 4, \sum x^2 = 20 \cdot 34, \sum xy = 61 \cdot 31, n = 5$$

eq(1): $a\bar{x} + b\sum x = \sum y$
 $a\sum x + b\sum x^2 = \sum xy$

$$5a + b(2 \cdot 2) = 13 \cdot 4$$
$$a(2 \cdot 2) + b(20 \cdot 34) = 61 \cdot 31$$

$$\rightarrow 5a + 2 \cdot 2b = 13 \cdot 4$$
$$2 \cdot 2a + 20 \cdot 34b = 61 \cdot 31$$

$$10, 14 \quad d = 4$$

$$14, 10 \quad d = -4$$

Arithmetic Series

$$S_n = \frac{n}{2} (2a + (n-1)d)$$

$$10 + 6 + 2 - 2 - 6 - 10 - 14 - 18 -$$

$$n = 20$$

$$a = 10$$

$$d = -4$$

$$\begin{aligned} S_{20} &= \frac{20}{2} (2 \times 10 + (20-1)(-4)) \\ &= 10 (20 + (19 \times -4)) \\ &= 10 (20 - 76) \\ &= 10 (-56) \\ &= -560 \end{aligned}$$

- Mathematical terms that I tend to get confused with often

(1) Binomial expression

expression = a statement

equation = one or more expression

So expression that is binomial involves "bi"
two variables.

$$ax^m + bx^n$$

Note its a two term polynomial

(1) $4x^2 + 5y^2$

(2). $m + 2n$

(3) . $x^2 + 3$

Binomial equation :

contains one or more binomial expression

$$x^2 + 2xy + y^2 = 0$$

$$V = u + \frac{1}{2} at^2$$

Monomial is an expression of only single term

(1) p

(2) $5p^2$

These parents are polynomials

Polynomial

Poly - many
nominal - terms

Properties

↓
Monomial

$$x^2, 2x$$

↓
Binomial

$$x+y^2$$

$$a+2b$$

↓
Trinomial

$$x^2 + 2x + 20$$

↓ degree

(1)

Linear Polynomial

$$3x - 9 = 0$$

(2)

Quadratic polynomial

$$3x^2 - 6x + x - 18 = 0$$

(3)

Cubic

Polynomial

$$ax^3 + bx^2 + cx + d$$

↓ Tools

0

↓
Factorization

↓
GCD

↓
Division

Integration by substitution

$$\textcircled{1} \quad \int (5x-4)^6 dx \quad \begin{array}{l} \text{substitute:} \\ z = (5x-4) \end{array}$$

$$\rightarrow \int z^6 dx$$

$$\rightarrow \int z^6 \frac{dx}{dz} dz \quad \text{can be removed}$$

$$\frac{dx}{dz} = \frac{1}{\frac{dz}{dx}} = \frac{1}{\frac{d(5x-4)}{dx}} = \frac{1}{5}$$

step ①

\rightarrow So Integration becomes

$$\Rightarrow \int z^6 \frac{1}{5} dz$$

$$\Rightarrow \frac{1}{5} \int z^6 dz$$

$$\Rightarrow \frac{1}{5} \frac{z^7}{7} + C$$

$$\Rightarrow \frac{z^7}{35} + C$$

$$\text{so: } \int (5x-4)^6 dx = \frac{(5x-4)^7}{35} + C$$

step ②

$$\int \cos(2x+5)dx \quad z = 2x+5$$

$$\Rightarrow \int \cos z \frac{dz}{dx} dx$$

$$\Rightarrow \frac{dx}{dz} = \frac{1}{\frac{dz}{dx}} = \therefore \frac{dz}{dx} = \frac{d(2x+5)}{dx} = 2$$

$$\Rightarrow \frac{dx}{dz} = \frac{1}{2}$$

$$\Rightarrow \int \cos z \frac{1}{2} dz$$

$$\Rightarrow \frac{1}{2} \int \cos z dz$$

$$\Rightarrow \frac{1}{2} \sin z + C \quad \text{--- (1)}$$

Substitute $z = (2x+5)$ in (1)

$$(1) \text{ becomes } \frac{1}{2} \sin(2x+5) + C$$

$$\textcircled{3} \quad \int \sec^2 x \, dx = \tan x + C$$

$$\text{so } \int \sec^2 4x \, dx$$

↑ take derivative & divide

$$\Rightarrow \frac{1}{4} \int \sec^2 4x + C$$

$$\Rightarrow \boxed{\frac{1}{4} \tan 4x + C}$$

$$\textcircled{4} \quad \int \frac{1}{x} \, dx = \ln(x) + C$$

$$\therefore \int \frac{1}{2x+3} \, dx = \ln(2x+3) + \frac{d(2x+3) \, dx}{dx}$$

$$\Rightarrow \ln(2x+3) \cdot (2) \text{ & divide}$$

$$\Rightarrow \frac{1}{2} \ln(2x+3) + C$$

$$\textcircled{5} \quad \int \sinh x \, dx = \cosh x + C$$

$$\therefore \int \sinh(3-4x) = \frac{\cosh(3-4x)}{4} + C$$

$$\textcircled{6} \quad \int \sin x \, dx = -\cos x + C$$

$$\text{so } \int \sin 3x \, dx = -\cos 3x \cdot \frac{1}{3} + C$$

$$= \frac{-\cos 3x}{3} + C$$

$$\textcircled{7} \quad \int e^x \, dx = e^x + C$$

$$\int e^{4x} \, dx = e^{4x} \cdot \frac{1}{4} + C = \frac{e^{4x}}{4} + C$$

$$\textcircled{1} \int (2x-7)^3 dx \Rightarrow$$

make $z = (2x-7)$

$$I = \int z^3 \frac{dx}{dz} dz$$

$$\frac{dx}{dz} = \frac{1}{\frac{dz}{dx}} \rightarrow \frac{1}{d(2x-7)/dx} = \frac{1}{2}$$

So I becomes

$$\frac{1}{2} \cdot \int z^3 dz$$

$$\Rightarrow \frac{1}{2} \frac{z^4}{4} + C$$

make z as $(2x-7)$ again

$$\rightarrow \frac{1}{2} \frac{(2x-7)^4}{4} + C$$

$$\Rightarrow \frac{(2x-7)^4}{8} + C \quad \checkmark$$

$$(2) \int \cos(7x+2) dx$$

$$\rightarrow \sin(7x+2) \frac{1}{7} + C \quad \checkmark$$

$$(3) \int e^{5x+4} dx$$

$$\rightarrow e^{5x+4} \cdot \frac{1}{5} + C = \frac{e^{5x+4}}{5} + C \quad \checkmark$$

$$(4) \int \sinh 7x dx$$

$$\rightarrow \cosh 7x \cdot \frac{1}{7} + C \Rightarrow \frac{\cosh 7x}{7} + C$$

$$(5) \int \frac{1}{(4x+3)} dx \Rightarrow$$

$$\rightarrow \frac{\ln(4x+3)}{4} + C \quad \checkmark$$

$$(6) \int \frac{1}{1+(2x)^2} dx = \frac{\ln(1+(2x)^2)}{3} - 8x^3 \frac{\tan^{-1}(2x)}{2} + C$$

$$(7) \int \sec^2(3x+1) dx \rightarrow \frac{\tan(3x+1)}{3} \cdot \checkmark$$

$$(8) \int \sin(2x-5) dx \rightarrow \frac{\cos(2x-5)}{2} \cdot \checkmark$$

$$(9) \int \cosh(1+4x) dx \rightarrow \frac{\sinh(1+4x)}{4} \cdot \checkmark$$

$$(10) \int 3^{5x} dx \rightarrow \frac{3^{5x}}{5 \ln(3)} + C \quad \text{X}$$

Summation

$$\begin{aligned}
 \textcircled{1} \quad e^x &= \sum_{r=0}^{\infty} \frac{x^r}{r!} = \frac{x^0}{0!} + \frac{x^1}{1!} + \frac{x^2}{2!} + \frac{x^3}{3!} + \frac{x^4}{4!} + \dots \\
 &= \frac{1}{1} + \frac{x}{1} + \frac{x^2}{2!} + \frac{x^3}{3!} + \frac{x^4}{4!} + \dots \\
 &= 1 + x + \frac{x^2}{2!} + \frac{x^3}{3!} + \frac{x^4}{4!} + \dots
 \end{aligned}$$

$$\textcircled{2} \quad \sum_{r=1}^n f(r) = f(1) + f(2) + f(3) + f(4) + \dots + f(n)$$

$$\textcircled{3} \quad \sum_{r=1}^n r = \frac{n(n+1)}{2} \quad \text{Remember this proof.}$$

Integration 1 : 811 pg. #15

$$\textcircled{1}. \quad \int \frac{\sec^2 x}{\tan x} dx = \ln(\tan x) + C \quad \checkmark$$

$$\textcircled{2}. \quad \int \frac{2x+4}{x^2+4x-1} dx = \ln(x^2+4x-1) + C \quad \checkmark$$

$$\textcircled{3}. \quad \int \frac{\sinhx}{\cosh x} dx = \ln(\cosh x) + C \quad \checkmark$$

$$\textcircled{4}. \quad \int \frac{x-3}{x^2-6x+2} dx = \frac{1}{2} \ln(2x-6) = x - 3$$

$$\begin{aligned}
 \text{sg} \quad \frac{1}{2} \int \frac{(2x-6)}{x^2-6x+2} dx \\
 = \frac{1}{2} \ln(x^2-6x+2) + C
 \end{aligned}$$

page 813 When one product is derivative of another.

$$\int \sinh x \cosh x dx = \int \sinh x d(\sinh x)$$
$$= \boxed{\frac{\sinh^2 x}{2} + C}$$

[19]

$$1. \int \frac{(2x+3)dx}{x^2+3x-7} \rightarrow \boxed{\ln(x^2+3x-7) + C} \checkmark$$

$$2. \int \frac{\cos x}{1+\sin x} dx \rightarrow \boxed{\ln(1+\sin x) + C} \checkmark$$

$$3. \int (x^2+7x-4)(2x+7)dx \rightarrow \int (x^2+7x-4)d(x^2+7x-4)$$

$$\rightarrow \boxed{\frac{(x^2+7x-4)^2}{2} + C} \checkmark$$

$$4. \int \frac{4x^2}{x^3-7} dx \rightarrow \text{Num} \rightarrow \frac{4x^2}{x^3} \Rightarrow \frac{d x^3}{dx} = 3x^2 \Rightarrow \frac{4}{3} \cdot 3(x^2)$$

eq: $\frac{4}{3} \int \frac{3x^2}{x^3-7} dx$

can be inverted $\Rightarrow \boxed{\frac{4}{3} \ln(x^3-7) + C} \checkmark$

Rules for Partial fractions

- (1) Numerator must be lower degree than denominator
- (2) Factorise the denominator. It shows how the function shapes out
- (3) linear factor $(ax+b)$ $\rightarrow \frac{A}{ax+b}$
- (d) Factors $(ax+b)^2$ $\rightarrow \frac{A}{ax+b} + \frac{B}{(ax+b)^2}$
- (e) factors $(ax+b)^3$ $\rightarrow \frac{A}{(ax+b)} + \frac{B}{(ax+b)^2} + \frac{C}{(ax+b)^3}$
- (f) Quadratic factor (ax^2+bx+c) $\rightarrow \frac{Ax+B}{ax^2+bx+c}$

34 821 pg
1.

$$x^2 + 1 = A(x+2)^2 + B(x+2) + C \quad C=5$$

The coefficient of $(x+2)^2$ is A
& is '1' so $A=1$

$$\therefore 1 = 4A + 2B + C$$

$$\boxed{C=5, A=1}$$
$$1 = 4 + 2B + 5$$

$$1 = 2B + 9$$

$$2B = 1 - 9 = -8 \rightarrow 2B = -8$$

$$\boxed{B = -4}$$

$$\int \frac{x^2+1}{(x+2)^3} dx = \int \frac{1}{x+2} - \int \frac{4}{(x+2)^2} + \int \frac{5}{(x+2)^3}$$

$$= \ln(x+2) - \frac{4}{x+2} + \frac{5}{-2(x+2)^2} + C$$

$$= \ln(x+2) + \frac{4}{(x+2)} - \frac{5}{2(x+2)^2} + C$$

$$x^2 = A(x^2+1) + C(x-2)(Bx+C)$$

Put $x=2$ for calculating A

$$4 = A(4+1) + 0$$

$$4 = A(5)$$

$$\boxed{A = \frac{4}{5}}$$

Now :

$$\begin{aligned} x^2 &= A(x^2 - 2x + 1) + B(x^2 - 1) + C(x+1) \\ &= Ax^2 - 2Ax + A + Bx^2 - B + Cx + C \end{aligned}$$

So coefficient of " x^2 "

$$\text{are } f(x) = Ax^2 + Bx^2$$

$$B = 1 - A = 1 - \frac{4}{5} = \boxed{\frac{1}{5}}$$

$$(x^2 + 1) = A(x+2)^2 + B(x+2) + C$$

$$x^2 + 1 = A(x^2 + 2x + 4) + Bx + 2B + C$$

$$\therefore x^2 = Ax^2 + 2Ax + 4A + Bx + 2B + C$$

$$\boxed{1 = A}$$

equate coefficient of "x"

To find out "c"

$$x^2 + 1 = Ax^2 + 2Ax + 4A + Bx + 2B + C$$

coefficient of constants only :

$$1 = 4A + 2B + C$$

$$1 = 4 + 2B + 5$$

$$2B = 1 - 9$$

$$2B = -8$$

$$\boxed{B = -4}$$

⑤ pg 824.

$$\int \frac{4x^2 + 1}{x(2x-1)^2} dx$$

$$= \frac{A}{x} + \frac{B}{(2x-1)} + \frac{C}{(2x-1)^2}$$

$$(4x^2 + 1) = A(2x-1)^2 + Bx(2x-1) + Cx$$

put $(2x-1) = 0$ to get C

$$\rightarrow x = \frac{1}{2} \quad \&$$

$$4\left(\frac{1}{2}\right)^2 + 1 = A(0) + B(0) + C\left(\frac{1}{2}\right)$$

$$\frac{4}{4} + 1 = C\left(\frac{1}{2}\right)$$

$$1 + 1 = C\left(\frac{1}{2}\right)$$

$$2 = C$$

$$\boxed{C=4}$$

Equate power of x^2

$$4x^2 = 4Ax^2$$

$$4 = 4A + 2B \quad \text{Highest coefficient}$$

so:

$$\boxed{1 = A}$$

lowest coefficient

↑

$$4 = A + 2B$$
$$2B = 0 \quad B = 0$$

$$A=1, C=4, B=0$$

$$\begin{aligned} I &= \int \frac{1}{x} + \int 0 + \int 4(2x-1)^{-2} dx \\ &= \ln(x) + \frac{4(2x-1)^{-1}}{-1 \times (2)} + C \\ &= \ln(x) - 2(2x-1)^{-1} + C \\ &= \boxed{\ln(x) - \frac{2}{2x-1} + C} \end{aligned}$$

I AC ckts

(1) combine AC ckts 

(2) Calculate AC: V, I, P

- (a) V_{rms}
- (b) I_{rms}
- (c) P_{rms}

} because RMS power is actually used and meaningful.

II Capacitance

- (1) Capacitance
- (2) Current in Capacitor
- (3) Voltage in Capacitor
- (4) Energy in Capacitor
- (5) RC time constant

} DC

- (6) Cap in Parallel
- (7) Cap in Series
- (8) AC current in Capacitor

└ @ capacitive reactance

⑨ Capacitive Divider

⑩ Quality factor $Q = \frac{X}{R}$ $\frac{\text{Reactance}}{\text{Resistance}}$

(III)

Inductors

(1) Electromagnetism

(2) Self Inductance

(3) Inductors

L @ Equations

b). Energizing Inductors

c). RL ckt

$$i(t) \rightarrow V_L$$

d). Deenergizing Inductors

e). Inductors in

(i) Series

(ii) Parallel

f). AC current in Inductors

(i) Inductive Reactance

(ii) Quality factor

(iii) Inductive Divider

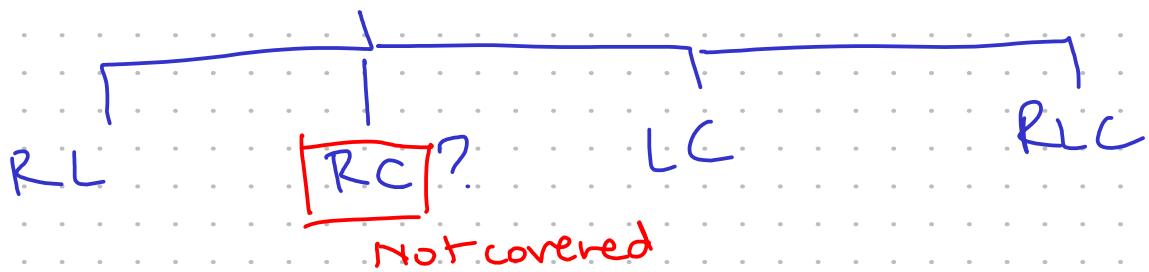
(IV)

AC and complex numbers

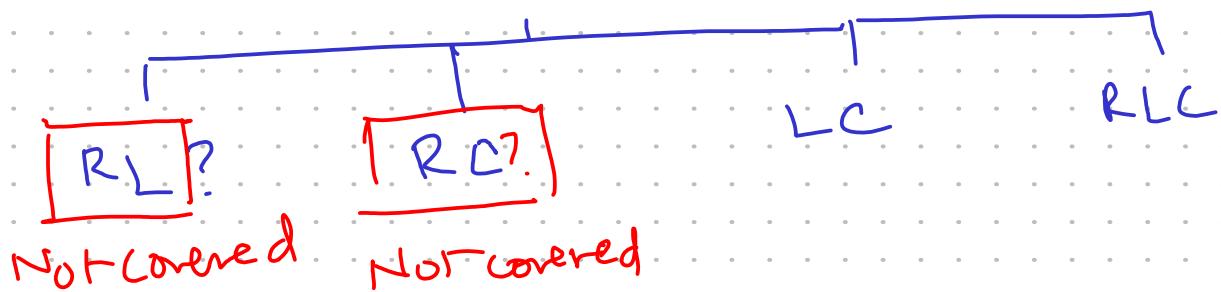
(V)

ckt's

Series Impedance



Parallel Impedance



Each
find

```
graph TD; I[I] --- v[v] --- x[x]
```

(VI)

Impedances

- Input-
- Output

NTT

Filters

- (a) High pass filter : RL
- (b) Band pass filter : RLC
- (c) Notch filter
- (d) Attenuators

$$\int \frac{1}{x^2 + 10x + 18}$$

$$\begin{aligned} \text{Den} &= x^2 - 2 \cdot 5 \cdot x + 5^2 - 5^2 + 18 \\ &= x^2 - 10x + 5^2 - 7 \\ &= (x - 5)^2 - (\sqrt{7})^2 \end{aligned}$$

$$\begin{aligned} &= \int \frac{1}{(x-5)^2 - (\sqrt{7})^2} \\ &= \boxed{\frac{1}{2\sqrt{7}} \ln \left\{ \frac{x-5-\sqrt{7}}{x-5+\sqrt{7}} \right\} + C} \end{aligned}$$

$$\textcircled{1} \quad \int_1^2 (2x-3)^4 dx$$

$$\stackrel{1}{\rightarrow} \left[\frac{1}{2}x^2 - 3x \right]_1^2$$

$$\Rightarrow [x^2 - 3x]_1^2$$

$$\Rightarrow [2^2 - 3 \cdot 2] - [1^2 - 3 \cdot 1]$$

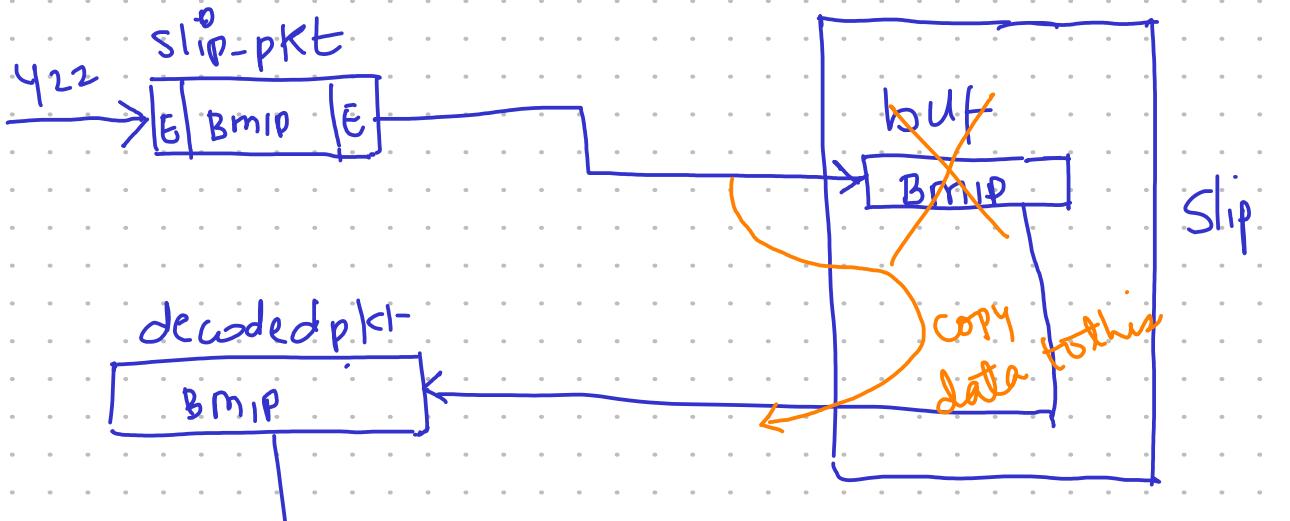
$$\Rightarrow [4 - 6] - [1 - 3]$$

$$\Rightarrow [-2] - [-2]$$

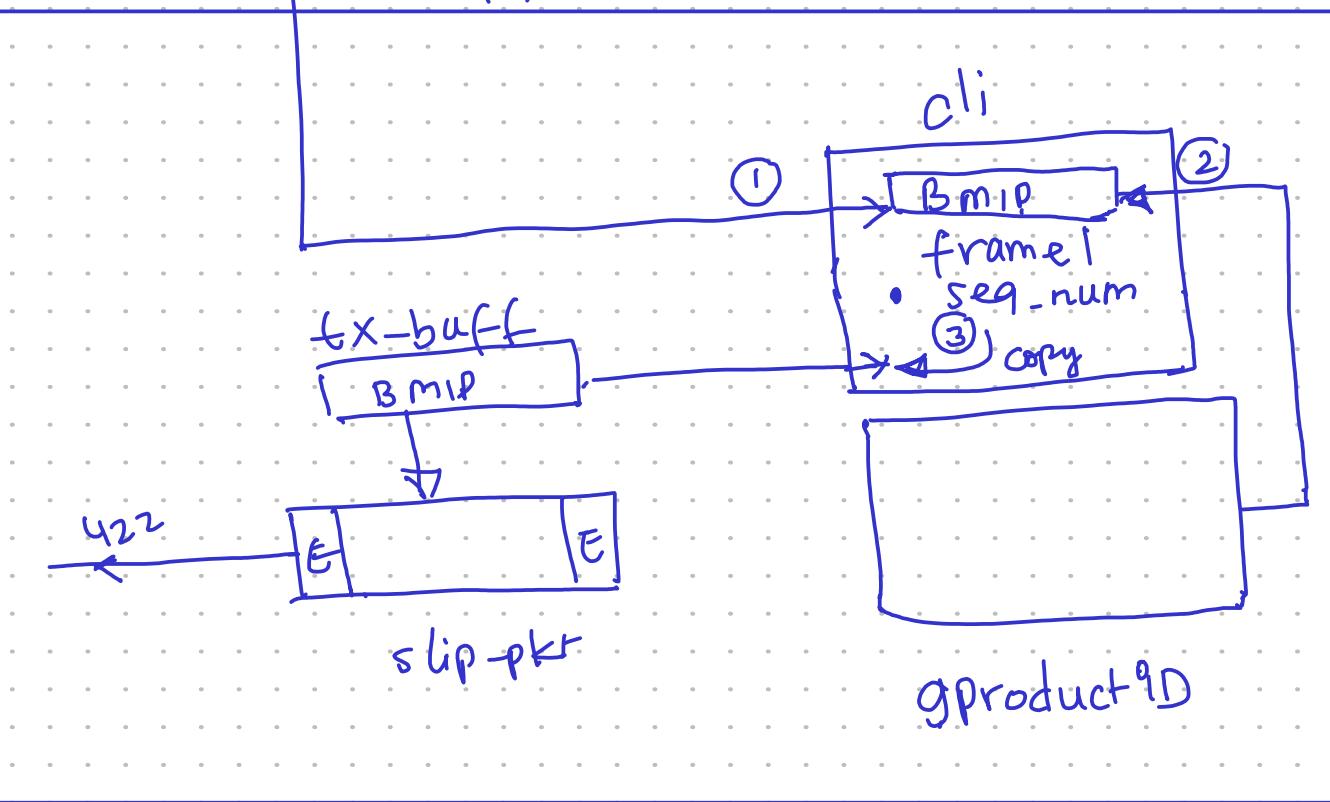
$$\Rightarrow -2 + 2 \Rightarrow 0$$

0x11ff

0001 0001 1111 1111
→ 1110 1110 0000 0000
e e 00
.



RX



TX

$$\left[\frac{(x_1 - x_0)}{2} \right] + x_0$$

$$x_0 = 5850$$

$$x_1 = 6725$$

$$= \left[\frac{6725 - 5850}{2} \right] + 5850$$

$$= \boxed{6287.5}$$

(1) Factory info.

(2) Calibrate

(3) Run the unit | status | (a)

based on pages

into page Sensor status Alarm status Event log

{ status.

Configuration | (b)

- (1) TX config
- (2) Alarm config
- (3) Sys config
- (4) Interface config
- (5) Redundancy config
- (6) User config

SNMP | (c)

- (1) version
- (2) SNMP users
- (3) notifications
- (4) traps
- (5) groups
- (6) ?

Definition of log

$$y = \log_a x \quad (1)$$

(2) $P_{\text{dB}} = \log_{10}(P_w)$

$x = a^y$ y shrank by 10 power

$y = \log_{10} x$ x increased by 10^y power

$10^y = x$ so:

for $P_{\text{dBm}} = 10 \cdot \log_{10}(P_{\text{mw}})$

$$\therefore P_{\text{dBm}} = \log_{10}(P_{\text{mw}})$$

$$\therefore 10^{\frac{P_{\text{dBm}}}{10}} = P_{\text{mw}}$$

x	y
1	10
2	100
3	1000
4	10000
5	100000
:	:

Normal log scale	
x	y
10	1
100	2
1000	3
10000	4

Normal scale

now $\frac{100}{10} = 10$

$\frac{1000}{100} = 10$

$\frac{10000}{1000} = 10$

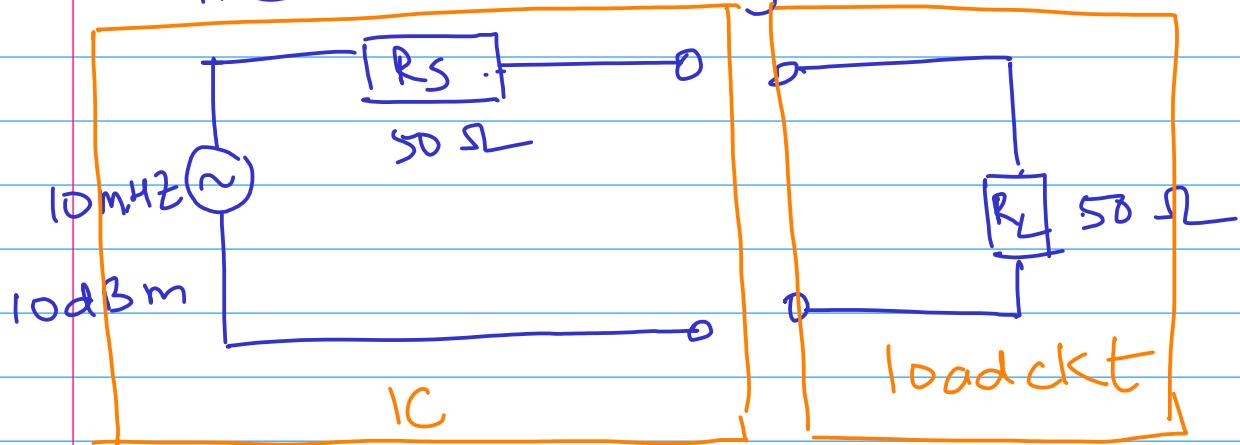
becomes $2 - 1 = 1$

$3 - 1 = 2$

Q: I got a spec of a 10MHz device that outputs a power of 10dBm. I was like why not 10mV or 10V? Why 10dBm?

A: So the answer is very interesting. 10dBm is specified to indicate the power that the device can transfer. What I did not pay attention was the 50Hz resistance that it has. So at 50Hz internal resistance the device can transfer 10dBm of power. So what about the sinusoidal signal. What is the characteristic of that? First of all this IC is having a resistive source impedance, so the phase diff is '0'. One can put a diff ckt to it and have a diff load impedance and the power reduces. But in ideal condition, this is what it looks like:

The IC is nothing but



So for maximum power transfer,
the Z_s should be same as Z_L .
In this case, there is no reactance
component like 'C' or 'L' and so $Z_s = Z_L = R$

$$\text{Now: } 10 \text{ dBm} = ? \text{ mW}$$

$$P_{\text{mW}} = 10^{\frac{10 \text{ dBm}}{10}} \\ = 10^1$$

$$P_{\text{mW}} = 10 \text{ mW}$$

So far we got to "mW" from dBm

Now:

$$P_{\text{mW}} = \frac{V_L^2}{R_L} \quad \text{since } P = \frac{V^2}{R}$$

$$10 = \frac{V_L^2}{50}$$

$$P_{\text{mW}} = 10 \text{ mW}$$

$$P_{\text{W}} = \frac{10}{1000} \\ = 0.01 \text{ W}$$

$$0.01 \times 50 = V_L^2 \text{ rms}$$

$$\sqrt{0.5} = V_L \text{ rms}$$

$$0.707 = V_L \text{ rms}$$

$$V_{\text{pp}} = 2\sqrt{2} \cdot V_{\text{rms}}$$

$$V_{\text{pp}} = 2 \times 1.414 \times 0.707$$

$$V_{\text{pp}} = 2V$$

That is how got from "10dBm" to V_{pp} .
10dBm ideally is $2V_{pp}$ under a 50Hz
load resistance for max power transfer.