Package 'AMMIStbP'

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Type Package

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ASI.AMMI

AMMI Stability Index

Description

ASI. AMMI computes the AMMI Stability Index (ASI) (Jambhulkar et al., 2014; Jambhulkar et al., 2015; Jambhulkar et al., 2017) considering the first two interaction principal components in the AMMI model. Using ASI, the Yield stability Index (YSI) is also calculated.

Usage

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ASI.AMMI(model, n, alpha = 0.05)
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Arguments

model The AMMI model (An object of class AMMI generated by AMMI.

n The number of principal components to be considered for computation. The

default value is the number of significant IPCs.

alpha Type I error probability (Significance level) to be

Details

The AMMI Stability Index (ASI) is computed as follows:

$$ASI = \sqrt{[PC_1^2 \times \theta_1^2] + [PC_2^2 \times \theta_2^2]}$$

Where, PC_1 and PC_2 are the scores of 1st and 2nd interaction principal components (IPCs) respectively; and θ_1 and θ_2 are percentage sum of squares explained by the 1st and 2nd principal component interaction effect respectively.

The Yield Stability Index (YSI) is computed as follows:

$$YSI = R_{ASI} + R_Y$$

Where, R_{ASI} is the ASI rank of the genotype and R_Y is the mean yield rank of the genotype.

References

Jambhulkar NN, Bose LK, Singh ON (2014). "AMMI Stability Index for Stability Analysis." In Mohapatra T (ed.), *CRRI Newsletter, January-March 2014*, volume 35 number 1, 15. Central Rice Research Institute, Cuttack, Orissa. http://www.crri.nic.in/CRRI_newsletter/crnl_jan_mar_14_web.pdf.

Jambhulkar NN, Bose LK, Pande K, Singh ON (2015). "Genotype by environment interaction and stability analysis in rice genotypes." *Ecology, Environment and Conservation*, **21**(3), 1427–1430. http://www.envirobiotechjournals.com/article_abstract.php?aid=6346&iid=200&jid=3.

Jambhulkar N, Rath N, Bose L, Subudhi H, Biswajit M, Lipi D, Meher J, others (2017). "Stability analysis for grain yield in rice in demonstrations conducted during rabi season in India." *Oryza*, **54**(2), 236–240. doi: 10.5958/22495266.2017.00030.3.

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MASV.AMMI

Modified AMMI Stability Value

Description

MASV. AMMI computes the Modified AMMI Stability Value (MASV) (Zali et al., 2012; Please see **Note**) from a modified formula of AMMI Stability Value (ASV) (Purchase et al. 1997). This formula calculates AMMI stability value considering all significant interaction principal components in the AMMI model. Using MASV, the Yield stability Index (YSI) is also calculated.

Usage

MASV.AMMI(model, n, alpha = 0.05)

Arguments

model The AMMI model (An object of class AMMI generated by AMMI.

n The number of principal components to be considered for computation. The

default value is the number of significant IPCs.

alpha Type I error probability (Significance level) to be

Details

The Modified AMMI Stability Value (MASV) is computed as follows:

$$MASV = \sqrt{\sum_{n=1}^{N'-1} \left(\frac{SSIPC_n}{SSIPC_{n+1}} \times PC_n\right)^2 + \left(PC_{N'}\right)^2}$$

Where, $SSIPC_1$, $SSIPC_2$, ..., $SSIPC_n$ are the sum of squares of the 1st, 2nd, ..., and nth interaction principal component (IPC); and PC_1 , PC_2 , ..., PC_n are the scores of 1st, 2nd, ..., and nth IPC.

The Yield Stability Index (YSI) is computed as follows:

$$YSI = R_{MASV} + R_Y$$

Where, R_{MASV} is the MASV rank of the genotype and R_Y is the mean yield rank of the genotype.

Note

In Zali et al., (2012), the formula for both AMMI stability value (ASV) was found to be erroneus, when compared with the original publications (Purchase 1997; Purchase et al., 1999; Purchase et al., 2000).

ASV (Zali et al., 2012)

$$ASV = \sqrt{\left(\frac{SSIPC_1}{SSIPC_2}\right) \times (PC_1)^2 + (PC_2)^2}$$

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ASV (Purchase 1997; Purchase et al., 1999; Purchase et al., 2000)

$$ASV = \sqrt{\left(\frac{SSIPC_1}{SSIPC_2} \times PC_1\right)^2 + \left(PC_2\right)^2}$$

The authors believe that the proposed Modified AMMI stability value (MASV) in Zali et al., (2012) is also erroneous and have implemented the corrected one in MASV. AMMI.

MASV (Zali et al., 2012)

$$MASV = \sqrt{\sum_{n=1}^{N'-1} \left(\frac{SSIPC_n}{SSIPC_{n+1}}\right) \times (PC_n)^2 + (PC_{N'})^2}$$

References

Purchase J (1997). *Parametric Analysis to Describe Genotype * Environment Interaction and Yield Stability in Winter Wheat*. PhD thesis, University of the Orange Free State. http://hdl.handle.net/11660/1966.

Purchase J, Hatting H, Van Deventer C (1999). "The use of the AMMI model and AMMI stability value to describe genotype x environment interaction and yield stability in winter wheat (*Triticum aestivum L.*)." In *Proceedings of the Tenth Regional Wheat Workshop for Eastern, Central and Southern Africa, 14-18 September 1998.* University of Stellenbosch, South Africa.

Purchase JL, Hatting H, Deventer CSv (2000). "Genotype * environment interaction of winter wheat (*Triticum aestivum* L.) in South Africa: II. Stability analysis of yield performance." *South African Journal of Plant and Soil*, **17**(3), 101–107. doi: 10.1080/02571862.2000.10634878.

Zali H, Farshadfar E, Sabaghpour SH, Karimizadeh R (2012). "Evaluation of genotype * environment interaction in chickpea using measures of stability from AMMI model." *Annals of Biological Research*, **3**(7), 3126–3136. http://www.ijabbr.com/article_7777_620ea1a0c1fd04868f60bd23c6dda48b.pdf.

SIPC.AMMI

Sums of the Absolute Value of the IPC Scores

Description

SIPC. AMMI computes the Sums of the Absolute Value of the IPC Scores (ASI) (Sneller et al., 1997) all significant interaction principal components in the AMMI model. Using SIPC, the Yield stability Index (YSI) is also calculated.

Usage

SIPC.AMMI(model, n, alpha = 0.05)

Arguments

model The AMMI model (An object of class AMMI generated by AMMI.

n The number of principal components to be considered for computation. The

default value is the number of significant IPCs.

alpha Type I error probability (Significance level) to be

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Details

The Sums of the Absolute Value of the IPC Scores (SIPC) is computed as follows:

$$SIPC = \sum_{n=1}^{N'} \left| \lambda_n^{0.5} \gamma_{in} \right|$$

OR

$$SIPC = \sum_{n=1}^{N'} |PC_n|$$

Where, N' is the number of significant IPCAs (number of IPC that were retained in the AMMI model via F tests); λ_n is the is the singular value for IPC n and correspondingly λ_n^2 is its eigen value; γ_{in} is the eigenvector value for ith genotype; and PC_1, PC_2, \cdots, PC_n are the scores of 1th, 2th, ..., and nth IPC.

The closer the SIPC scores are to zero, the more stable the genotypes are across test environments. The Yield Stability Index (YSI) is computed as follows:

$$YSI = R_{SIPC} + R_Y$$

Where, R_{SIPC} is the SIPC rank of the genotype and R_Y is the mean yield rank of the genotype.

References

Sneller CH, Kilgore-Norquest L, Dombek D (1997). "Repeatability of Yield Stability Statistics in Soybean." *Crop Science*, **37**(2), 383–390. doi: 10.2135/cropsci1997.0011183X003700020013x.

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