



**ST. FRANCIS INSTITUTE OF TECHNOLOGY**

(ENGINEERING COLLEGE)

(Christian Minority Educational Institute)

Approved by AICTE & Govt. of Maharashtra with Permanent Affiliation to University of Mumbai,  
ISO 9001:2015 Certified, Two UG Courses (EXTC & INFT) NBA Accredited till June 2022  
DTE Code : EN 3204

## Module 1:

# Introduction to Stacks, Queues and Linked Lists

## CO1 (8 hours)





- Introduction to Data Structures: Linear and Non Linear Data Structures, Static and Dynamic Data Structures.
- Concept of Stack and Queue.
  - ☐ Array Implementation of Stack and Queue,
  - ☐ Circular Queue,
  - ☐ Double Ended Queue,
  - ☐ Priority Queue.
- Concept of Linked Lists.
  - ☐ Singly linked lists,
  - ☐ doubly linked lists and
  - ☐ circular linked lists.
- Insertion, deletion, update and copying operations with Singly linked lists, doubly linked lists and circular linked lists.
- Reversing a singly linked list.

**Self-learning Topics:** Linked List Implementation of Stack, Linked List implementation of Queue, Circular Queue, Double Ended Queue, Priority Queue.]





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Sr. No.	Course Outcomes	Cognitive levels of attainment as per Bloom's Taxonomy	PO Attainment	PSO attainment
	On successful completion, of course, learner/student will be able to:			
1	Understand the Basic concept of Abstract Data types and Classify and Apply the concepts of stacks, queues and linked list in real life problem solving.	L1, L2, L3	PO1,PO2	PSO1
2	Classify, apply and analyze the concepts trees in real life problem solving.	L2, L3,L4	PO1,PO2,PO3	PSO1
3	Illustrate and justify the concepts of graphs in real life problem solving	L2, L3, L5	PO2,PO3	PSO1
4	List, explain and examine the concepts of sorting, searching techniques in real life problem solving	L1, L2, L4	PO2,PO3	PSO1
5	Use and identify the concepts of recursion, hashing in real life problem solving.	L2, L3	PO2,PO3	PSO1
6	Examine and justify different methods of stacks, queues, linked list, trees and graphs to various applications.	L4, L5	PO4,PO5	PSO1





Which is more organized ?



Figure 1



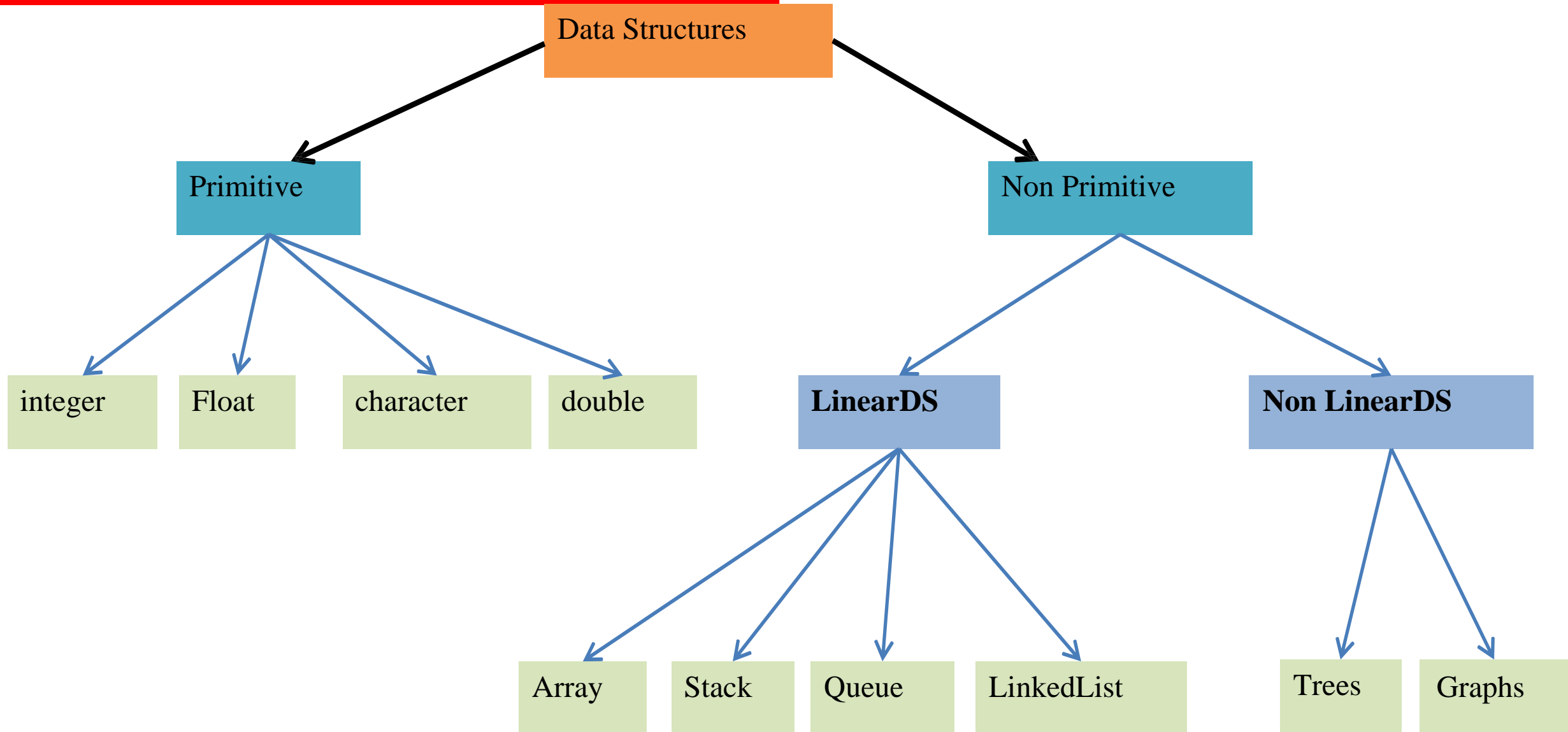
Figure 2



## What is a Data structure?

Data Structure is a set of algorithms which are **used to structure the information** while storing.

- Formal definition is data structure is a way of storing and organizing data in a computer so that it can be used and **accessed efficiently**.







## 1. Linear data structure

All the elements are accessed in **sequential order** or **linear order** means that all the elements are adjacent to each other. Each element has exactly two neighbor-. **Predecessor and successor**.

- the first element does not have predecessor
- The last element does not have successor.

## 2. Non linear data structure

-no such sequence in elements, if one element is connected to a **more than two adjacent element** then it is a non linear data structure.



Linear data Structures	Non Linear Data Structures
1. Data items arranged in sequence	1. Not in sequence
2. All elements are adjacent to each other	2. One element adjacent to more than one element
3. Easy implementation	3. Difficult to implement
4. All elements can access in single run	4. Not possible with single run
5. array, stack, queues, linked list	5. Trees and graphs





# Static Data structures and dynamic data structures

Static Data Structures	Dynamic Data Structures
Size is fixed	Size can vary during runtime
Possible to change contents of data structure without changing memory space	Possible to change contents of data structure and also changing memory space
Faster access to elements	Slower access to elements
Add, remove and modify is not directly possible	Ability to add, remove and delete elements efficiently
Resource allocation at creation of data structures though the data structure may be empty	Effective use of resources as they are allocated during runtime



# Operations on Data structures

## Insertion

It is used to **add new data items** to the given list of data items. For example, to add the details of a new student who has recently joined the course

## Deletion

It means to **remove (delete) a particular data item** from the given collection of data items. For example, to delete the name of a student who has left the course

## Searching

It is used to **find the location of one or more data items** that satisfy the given constraint.

## Traversal

It means to **access each data item exactly once** so that it can be processed. For example, to print the names of all the students in a class

## Sorting

**Data items can be arranged in some order** like ascending order or descending order depending on the type of application. For example, arranging the names of students in a class in an alphabetical order, or calculating the top three winners by arranging the participants' scores in descending order and then extracting the top three.

## Merging

Lists of **two sorted data items** can be **combined to form a single list** of sorted data items.





- Introduction to Data Structures: Linear and Non Linear Data Structures, Static and Dynamic Data Structures.
- **Concept of Stack and Queue.**
  - ☐ **Array Implementation of Stack and Queue,**
  - ☐ **Circular Queue,**
  - ☐ **Double Ended Queue,**
  - ☐ **Priority Queue.**



## ❑ Concept of Linked Lists.

- Singly linked lists,
- doubly linked lists and
- circular linked lists.
- Insertion, deletion, update and copying operations with Singly linked lists, doubly linked lists and circular linked lists.
- Reversing a singly linked list.





## ❑ Self-learning Topics:

- ❑ Linked List Implementation of Stack, Linked List implementation of Queue, Circular Queue, Double Ended Queue, Priority Queue.



# Stacks

It is a linear, abstract data structure

**Definition - A stack is an ordered collection of homogeneous data elements, where the insertion and deletion takes place at one end, known as TOP.**

- The stack is also called **LAST IN FIRST OUT(LIFO)**
- It means: the element which is inserted last must be deleted first
- **Real world Examples**
  1. **pile of plates in cafeteria**
  2. **stack of coins**

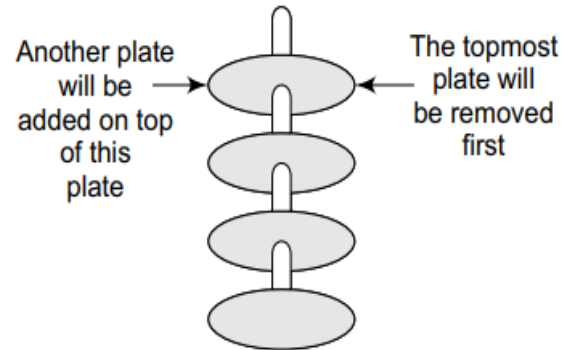
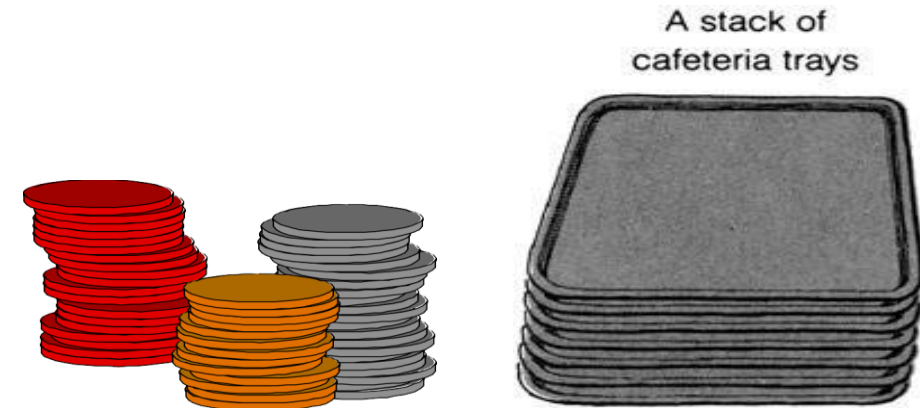


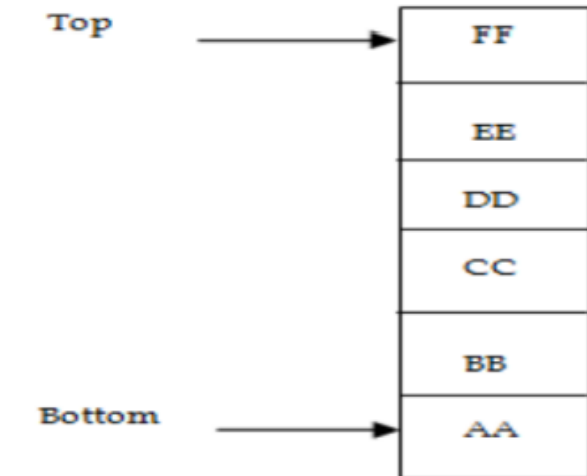
Figure 7.1 Stack of plates







- ❖ Stack maintains a **pointer called top**, which keeps track of the top most element in the stack.
- ❖ Any **insertions or deletions** should be based upon the **value of top**.
- ❖ It works on the basis of **LIFO** (Last in First out).
- ❖ According to the definition, new elements are inserted from top and the elements are deleted from same end i.e again top.
- ❖ This suggests that the **element inserted most recently can only be deleted**.
- ❖ In the stack, the **elements are removed in the reverse order of that in which they were added to the stack** i.e last element inserted is to be deleted first.
- ❖ Stack has structured with two operations
  1. **push- insertion**-adding elements on to a stack
  2. **Pop- deletion** -removing element from the stack



**Figure 1.4: A Stack**





## Basic operations:

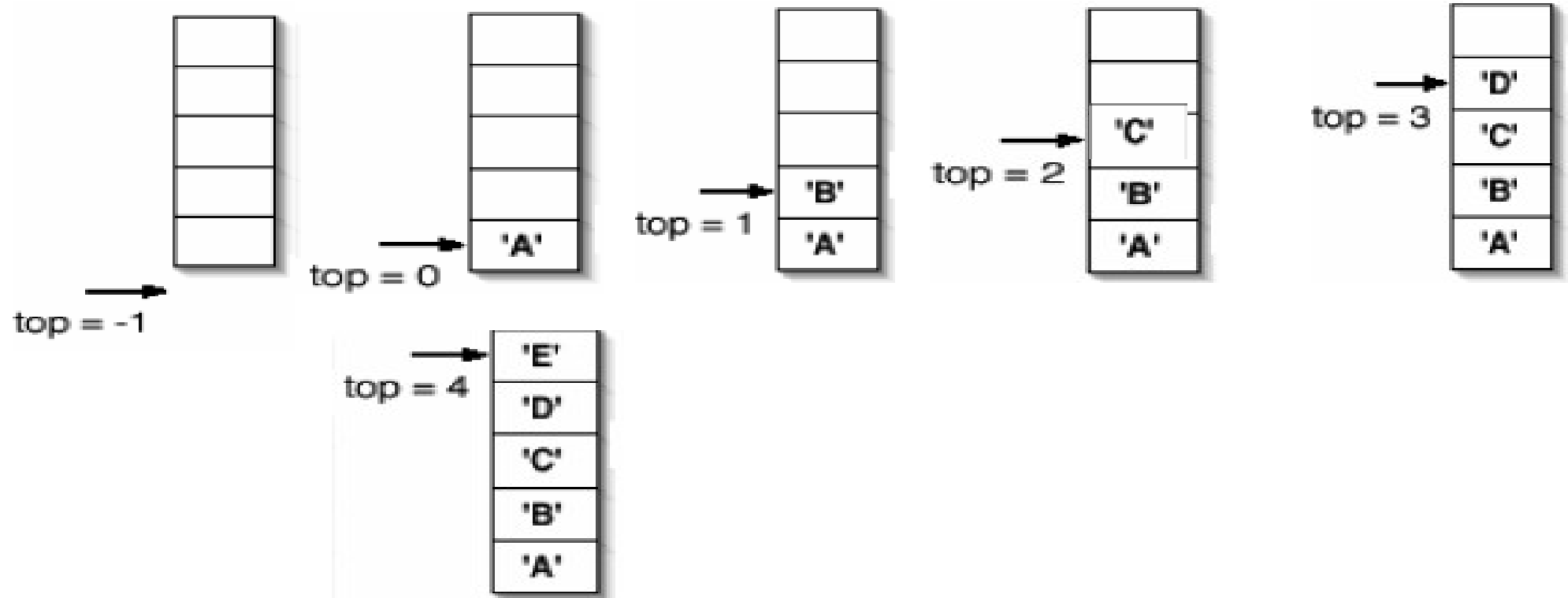
- ❖ The basic or primary operations are insertion, deletion, display.
- ❖ In stacks, special terms are given for insert and delete. i.e push for insert and pop is for delete.
- ❖ Push: inserting or adding element into the stack is called push.
- ❖ Pop: deleting or removing element from the stack is called pop.
- ❖ Peek : Returns the topmost element of the stack without deleting





## PUSH Operation

- ❖ Elements are inserted in the order as A,B,C,D,E
- ❖ It represents the stack of 5 elements.

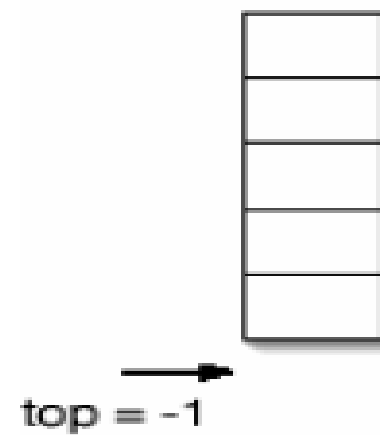
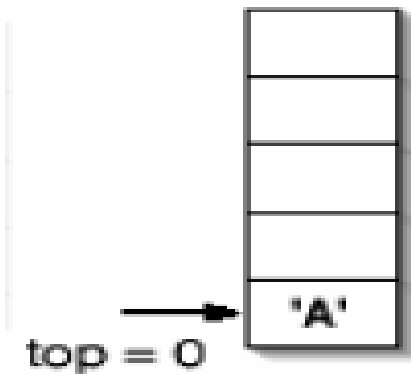
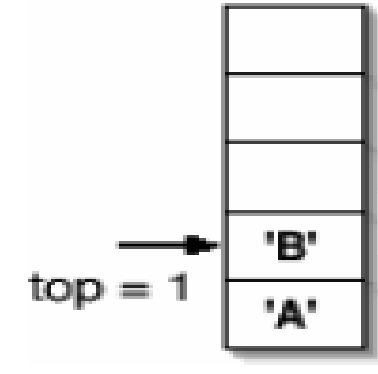
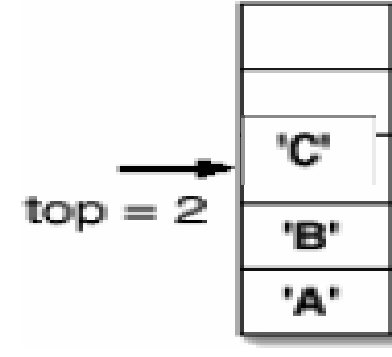
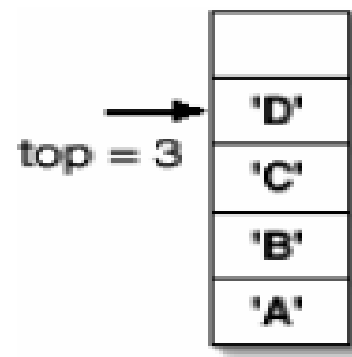
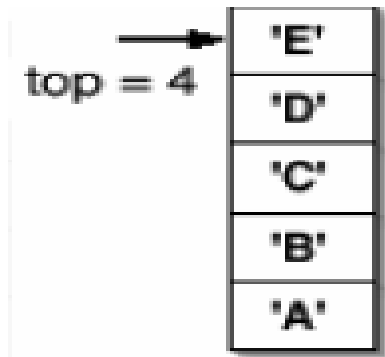


- ❖ The top most element in the stack is E
- ❖ If we want to delete element E has to be deleted first





## ❖ Pop operation- delete element from the stack





# Example :-

```
...  
  
push ( 'A' );  
push ( 'B' );  
push ( 'D' );  
pop ( );  
push ( 'C' );  
push ( 'D' );  
push ( 'E' );  
pop ( );  
pop ( );  
  
...
```





1. **int stack[5];** Fixed size stack of size 5
2. **Top = -1;** pointer points to latest element in stack, initially -1 when stack is empty
3. **void push();** Inserting elements into stack after incrementing top by 1
4. **void pop();** Deleting element from stack and then decrementing top by 1
5. **Void peek();** Returning topmost element with the help of TOP
6. **void display();** show elements
7. **void isEmpty();** check for underflow
8. **void isFull();** Check for Overflow





# Arrays Implementation of Stack

Algorithm for inserting element into the stack:

## Algorithm push()

1. if  $\text{top} = (\text{SIZE} - 1)$   
     then write ('stack overflow')
- else
2. read item or data
3.  $\text{top} \leftarrow \text{top} + 1$
4.  $\text{stack}[\text{top}] \leftarrow \text{item}$
5. stop



- ❖ The stack is of size **max**. This procedure inserts an element **item** on to the top of a stack which is represented by an array stack.
- ❖ The first step of this algorithm checks for an **overflow** condition.
- ❖ Overflow means inserting element into a stack which is full.
- ❖ If the top value reaches to maximum capacity of the stack then elements cannot be inserted into the stack i.e. stack is full.
- ❖ Otherwise top is incremented by one and element is inserted into the stack.





Algorithm to delete elements from the stack: Explanation:

### Algorithm pop()

```
1. if top = -1
    then write ('stack underflow')
else
    2. item ← stack[top]
    3. top ← top - 1
```

- ❖ This procedure deletes an element from the stack.
- ❖ The first step of this algorithm checks for **underflow** condition.
- ❖ If the top value is -1 then stack is empty.
- ❖ Empty stack is known as underflow.
- ❖ Takeout the element from the location where, the top is pointing and then decrement top by one.





## Display of stack:

❖ Printing the contents of stack after push and pop operations.

Algorithm print()

1.if top=-1

    then write ('stack empty')

1.Repeat for  $i \leftarrow \text{top}$  to 0

    print(stack[i])

1.stop

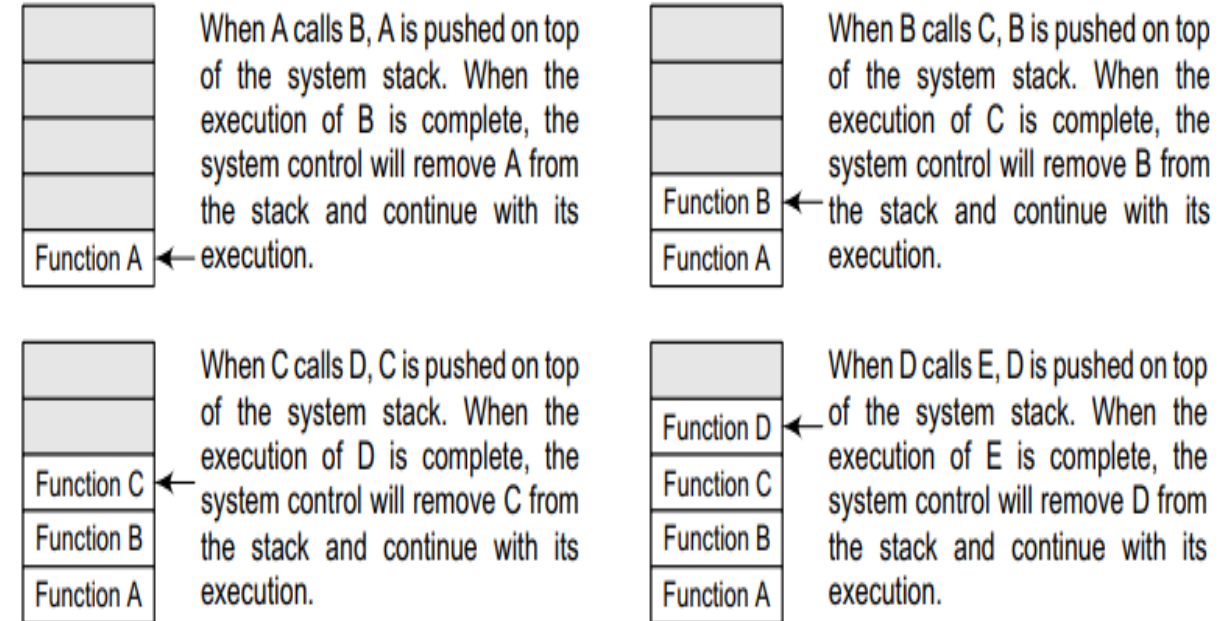


- Limitation in stack using array is that maximum size of the stack must be pre defined and it cannot be changed(fixed).
- When trying to add elements in the stack when the stack is full will rise the exception.



# Applications of stacks

- Implementing function calls(**Recursion**)
- **Parenthesis matching**.
- Evaluation of postfix expressions.
- **Infix to prefix** conversions.
- **Infix to postfix** conversions.
- Web browser history
- **Undo operations in text editors**
- Matching tags in HTML and XML
- Quick sort.
- Balancing symbols



**Figure 7.2** System stack in the case of function calls





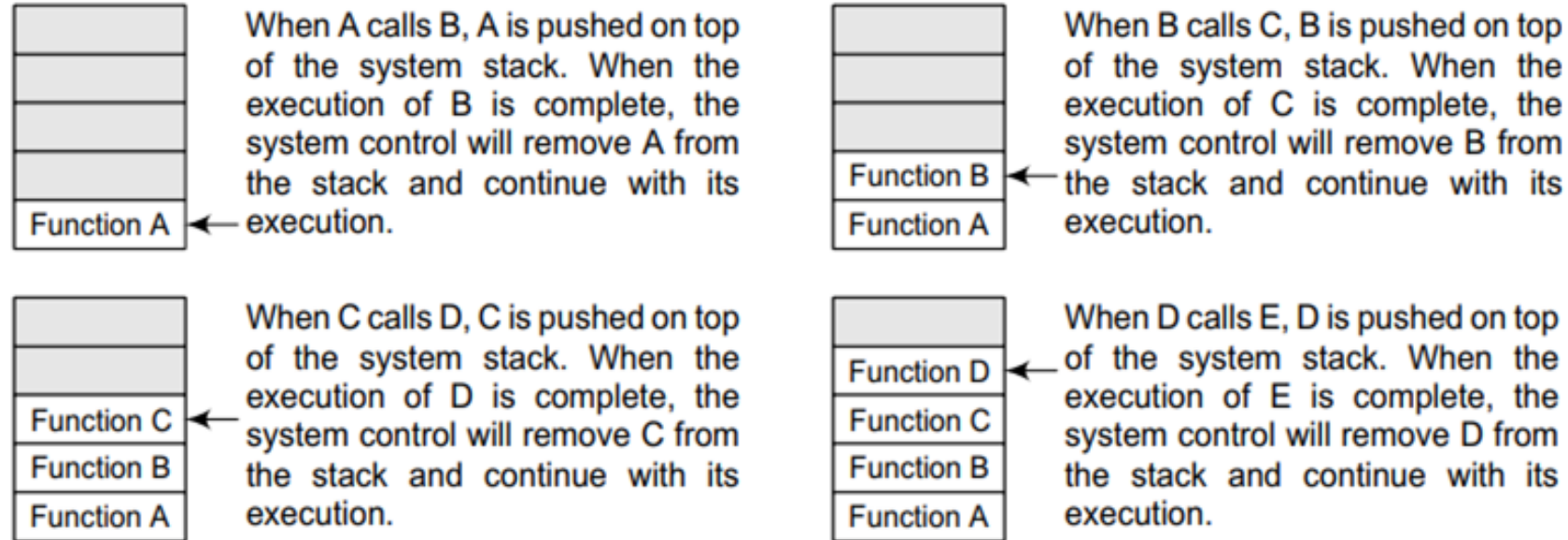


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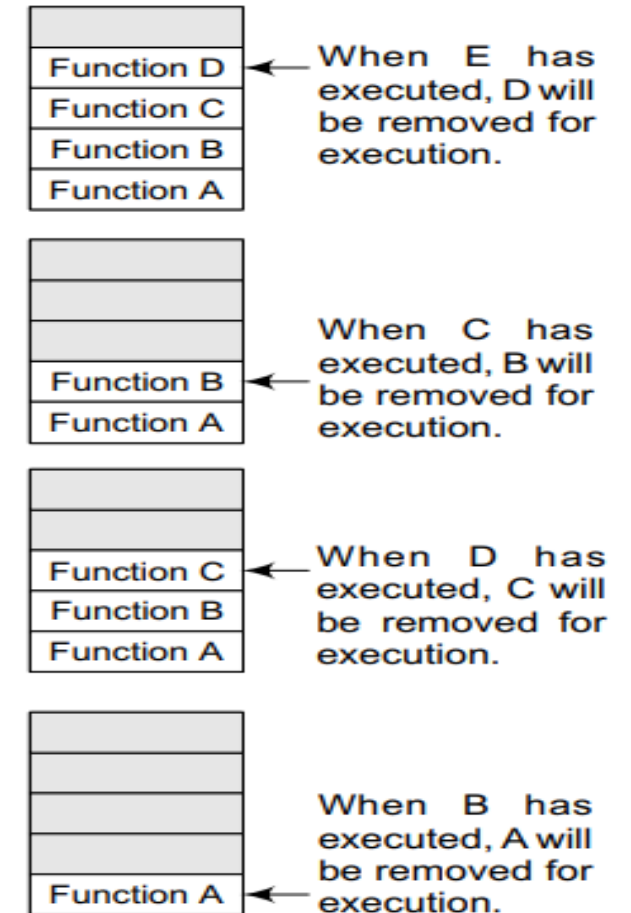
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**Figure 7.2** System stack in the case of function calls



**Figure 7.3** System stack when a called function returns to the calling function







# Applications of stacks-Paranthesis matching

- The objective of this function is to check the matching of parenthesis in an expression
- i.e In an expression the number of left parenthesis must be equal to number of right parenthesis.
- Ex:  $((A+B)*C)$
- This is a valid expression,because in this number of left parenthesis (2) = number of right parenthesis (2).





## Review Question on Data structure Stacks:

1. What do you understand by stack overflow and underflow?
2. Stack is a (a) LIFO (b) FIFO
3. Write a function that accepts two stacks. Copy the contents of first stack in the second stack. Note that the order of elements must be preserved. (Hint: use a temporary stack)
4. Which function places an element on the stack? (a) Pop() (b) Push() (c) Peek() (d) isEmpty()
5. When an Element is Placed on to the stack , the top is incremented/decremented/remains unchanged

## University Questions :

Explain the working of stack with its operations: push, pop, peek, display, empty , full. Proper diagrammatic representations of operations as mentioned above, are also expected. Also, write two applications (algorithms) where stack data structure is used.



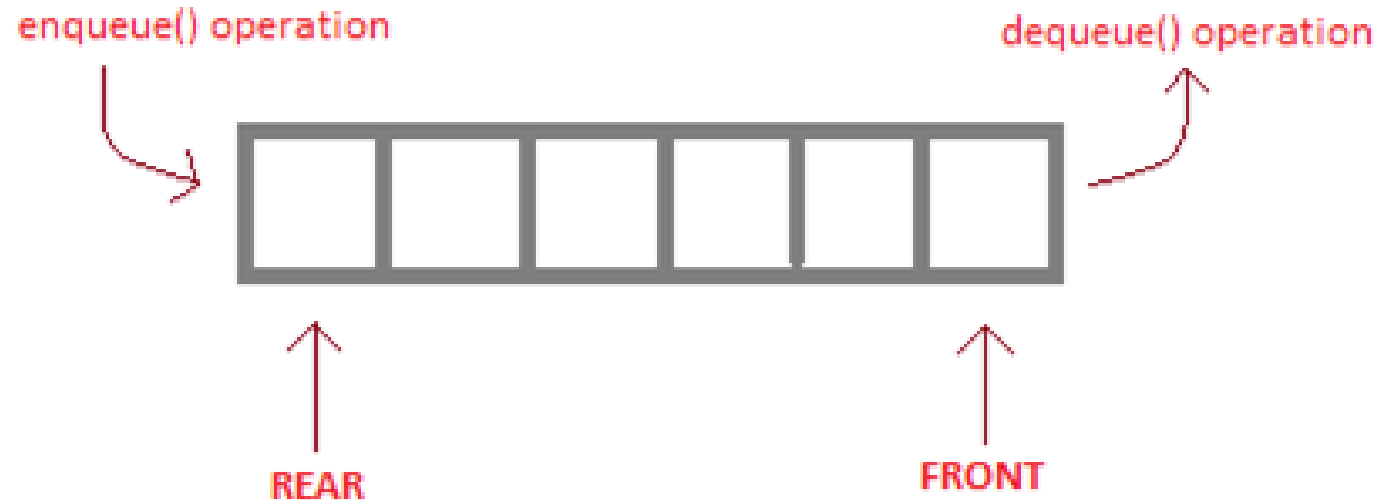
# Concept of Queue

- A linear and Abstract Data types
- A queue is a first-in, first-out (FIFO) data structure in which the element that is inserted first is the first one to be taken out.
- The elements in a queue are added at one end called the **rear** and removed from the other end called the **front**.
- Like stacks, queues can be implemented by using either arrays or linked lists.





The process to **add an element** into queue is called **Enqueue** and the process of **removal of an element** from queue is called **Dequeue**



`enqueue( )` is the operation for adding an element into Queue.

`dequeue( )` is the operation for removing an element from Queue .

### **QUEUE DATA STRUCTURE**





## Real life Scenarios:

- Serving requests on a single shared resource, like a printer, CPU task scheduling etc.
- In real life scenario, Call Centre phone systems uses Queues to hold people calling them in an order, until a service representative is free.
- Handling of interrupts in real-time systems. The interrupts are handled in the same order as they arrive i.e First come first served.



# Implementation of Queue Data Structure

- Queue can be implemented using an [Array](#) or [Linked List](#).
- A queue is a first-in, first-out (FIFO) data structure in which the element that is inserted first is the first one to be taken out.
- The easiest way of implementing a queue is by using an Array.
- Initially the head(**FRONT**) and the tail(**REAR**) of the queue points at the first index of the array (starting the index of array from 0).
- As we add elements to the queue, the tail keeps on moving ahead, always pointing to the position where the next element will be inserted, while the head remains at the first index.







# Queue as an ADT

- **Create()** : creates and initializes new queue that is empty. Does not require any parameter and return empty queue
- **Enqueue(item)** : Adds new element to the rear of the queue. It requires the element to be added and return nothing
- **Dequeue()** : removes element from front end of the queue, does not require any parameter and return the deleted items
- **isEmpty()** : checks whether the queue is empty or not. Return a Boolean value
- **isFull()** : checks whether the queue is full or not, return Boolean value
- **Size()** : return total number of elements present in the queue, returns an integer



# Difference between stack and queue?

Parameter	Stack	Queue
Operation end	Elements are added and deleted from same end	Elements are added and deleted from different ends
Pointer	Single pointer to point top of stack	Two pointers to point two ends of the queue
order	LIFO	FIFO
Operation names	PUSH() , POP()	Enqueue(), Dequeue()
visualization	Vertical collection	Horizontal collection
examples	Stack of books, tower of hanoi	Queue at ticket counter, jobs at scheduler





12	9	7	18	14	36				
0	1	2	3	4	5	6	7	8	9

**Figure 8.1** Queue

12	9	7	18	14	36	45			
0	1	2	3	4	5	6	7	8	9

**Figure 8.2** Queue after insertion of a new element

	9	7	18	14	36	45			
0	1	2	3	4	5	6	7	8	9

**Figure 8.3** Queue after deletion of an element

## Operations on Queues

In Fig. 8.1,  $FRONT = 0$  and  $REAR = 5$ . Suppose we want to add another element with value 45, then  $REAR$  would be incremented by 1 and the value would be stored at the position pointed by  $REAR$ . The queue after addition would be as shown in Fig. 8.2. Here,  $FRONT = 0$  and  $REAR = 6$ . Every time a new element has to be added, we repeat the same procedure.

If we want to delete an element from the queue, then the value of  $FRONT$  will be incremented. Deletions are done from only this end

of the queue. The queue after deletion will be as shown in Fig. 8.3.

Here,  $FRONT = 1$  and  $REAR = 6$ .



# Enqueue

```
Step 1: IF REAR = MAX-1
        Write OVERFLOW
        Goto step 4
    [END OF IF]
Step 2: IF FRONT = -1 and REAR = -1
        SET FRONT = REAR = 0
    ELSE
        SET REAR = REAR + 1
    [END OF IF]
Step 3: SET QUEUE[REAR] = NUM
Step 4: EXIT
```

**Figure 8.4** Algorithm to insert an element in a queue

## Algorithm for ENQUEUE operation

- Check if the queue is **full** or not.
- If the queue is full, then print overflow error and exit the program.
- If the queue is not full, then check if front and rear both are **-1** means queue is empty, thus set front and rear = 0 and add element at position pointed by rear
- Else if both front or rear are not 0 then increment rear to 1 and add element to position pointed by rear





## Algorithm for DEQUEUE

operation:

- Check if the queue is empty or not.
- If the queue is empty, then print underflow error and exit the program.
- If the queue is not empty, then print the element at the **head** position and increment the head.

# Dequeue

```
Step 1: IF FRONT = -1 OR FRONT > REAR
        Write UNDERFLOW
    ELSE
        SET VAL = QUEUE[FRONT]
        SET FRONT = FRONT + 1
    [END OF IF]
Step 2: EXIT
```

**Figure 8.5** Algorithm to delete an element from a queue





# Types of Queues :

- Circular Queue,
- Double Ended Queue,
- Priority Queue.





		7	18	14	36	45	21	99	72
0	1	2	3	4	5	6	7	8	9

**Figure 8.14** Queue after two successive deletions

Suppose we want to insert a new element in the queue shown in Fig. 8.14.

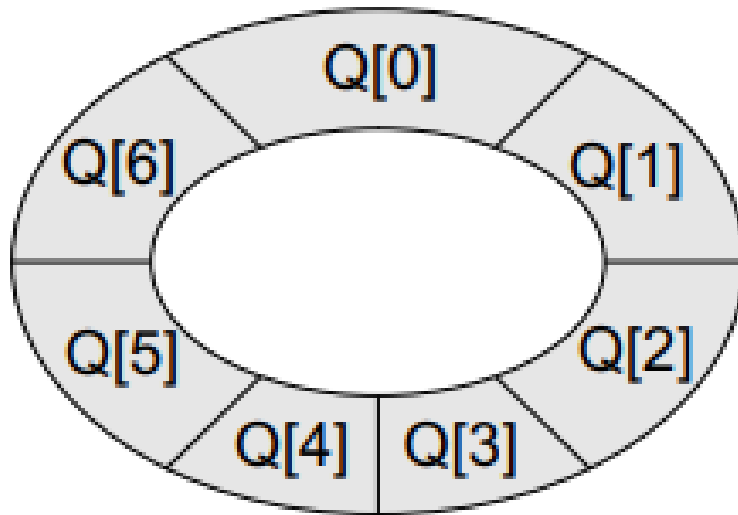
Even though there is space available, the overflow condition still exists because the condition  $\text{rear} = \text{MAX} - 1$  still holds true.

**This is a major drawback of a linear queue.**





## ❑ Circular Queue



**Figure 8.15** Circular queue

To resolve the problem of linear queues, we have two solutions.

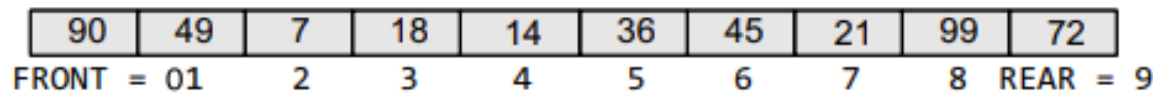
First, shift the elements to the left so that the vacant space can be occupied and utilized efficiently. But this can be very **time-consuming**, especially when the queue is quite large.

The second option is to use a **circular queue**.

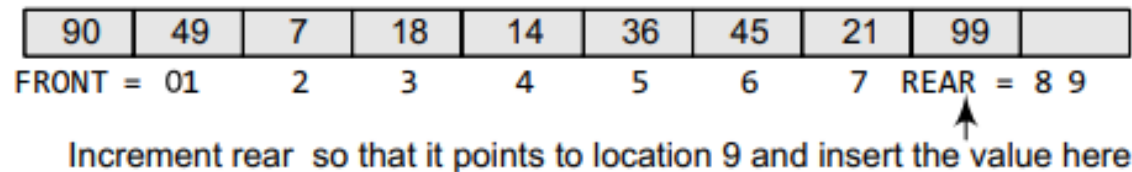
In the circular queue, the first index comes right after the last index. Conceptually, you can think of a circular queue as shown in Fig. 8.15



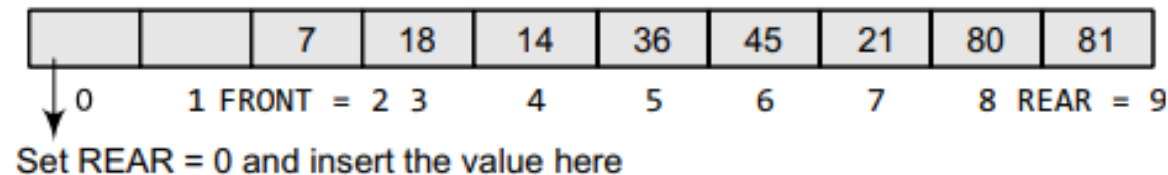
# □ Circular Queue



**Figure 8.16** Full queue



**Figure 8.17** Queue with vacant locations



**Figure 8.18** Inserting an element in a circular queue

- If  $\text{front} = 0$  and  $\text{rear} = \text{MAX} - 1$ , then the circular queue is **full**. Look at the queue given in Fig. 8.16 which illustrates this point.
- If  $\text{rear} \neq \text{MAX} - 1$ , then rear will be incremented and the value will be inserted as illustrated in Fig. 8.17.
- If  $\text{front} \neq 0$  and  $\text{rear} = \text{MAX} - 1$ , then it means that the queue is not full. So, set  $\text{rear} = 0$  and insert the new element there, as shown in Fig. 8.18



# ❑ Circular Queue (enqueue)

Limitation Of Circular queue

```

Step 1: IF FRONT = 0 and Rear = MAX - 1
        Write "OVERFLOW"
        Goto step 4
    [End OF IF]
Step 2: IF FRONT = -1 and REAR = -1
        SET FRONT = REAR = 0
    ELSE IF REAR = MAX - 1 and FRONT != 0
        SET REAR = 0
    ELSE
        SET REAR = REAR + 1
    [END OF IF]
Step 3: SET QUEUE[REAR] = VAL
Step 4: EXIT
  
```

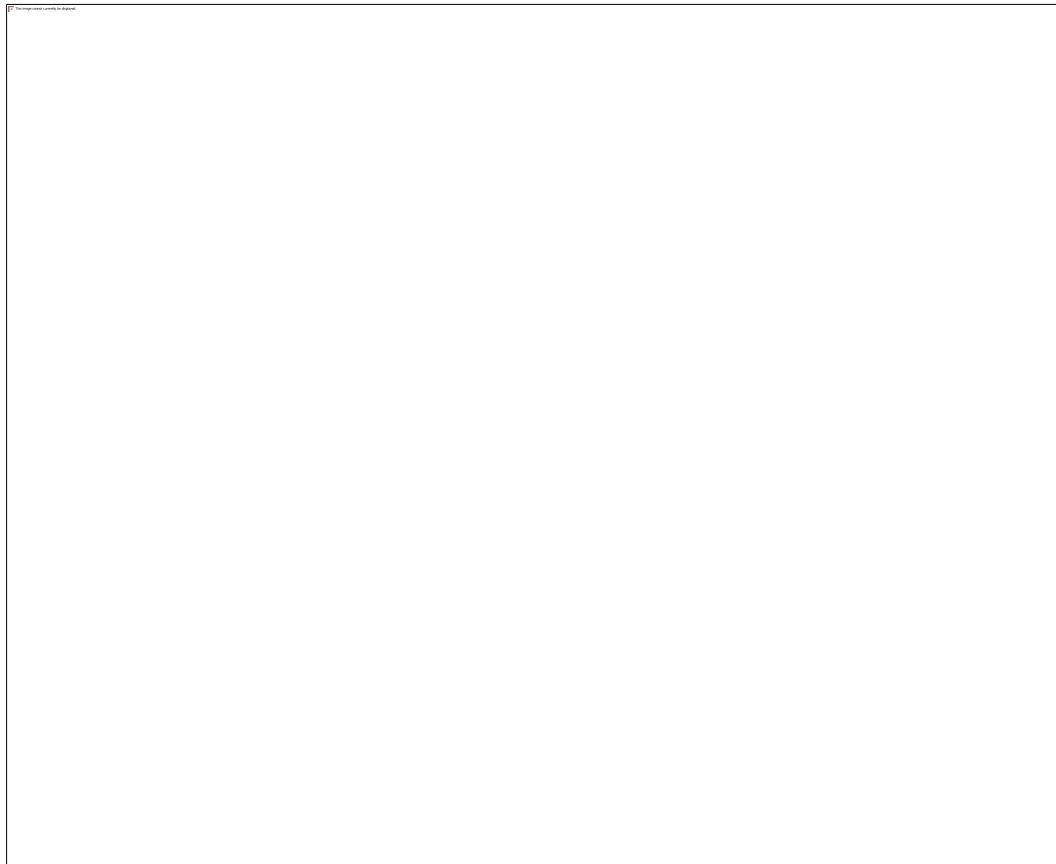
**Figure 8.19** Algorithm to insert an element in a circular queue

- If **front = 0 and rear = MAX - 1**, then the circular queue is full. Look at the queue given in Fig. 8.16 which illustrates this point.
- If **rear != MAX - 1**, then rear will be incremented and the value will be inserted as illustrated in Fig. 8.17.
- If **front != 0 and rear = MAX - 1**, then it means that the queue is not full. So, set rear = 0 and insert the new element there, as shown in Fig. 8.18





## ❑ Circular Queue(dequeue)



- Look at Fig. 8.20. If  $FRONT = -1$ , then there are no elements in the queue. So, an underflow condition will be reported.
- If the queue is not empty and  $FRONT = REAR$ , then after deleting the element at the front the queue becomes empty and so  $FRONT$  and  $REAR$  are set to  $-1$ . This is illustrated in Fig. 8.21.
- If the queue is not empty and  $FRONT = MAX-1$ , then after deleting the element at the front,  $FRONT$  is set to  $0$ . This is shown in Fig. 8.22.



# ❑ Circular Queue

```

Step 1: IF FRONT = -1
        Write "UNDERFLOW"
        Goto Step 4
    [END of IF]
Step 2: SET VAL = QUEUE[FRONT]
Step 3: IF FRONT = REAR
        SET FRONT = REAR = -1
    ELSE
        IF FRONT = MAX - 1
            SET FRONT = 0
        ELSE
            SET FRONT = FRONT + 1
        [END of IF]
    [END OF IF]
Step 4: EXIT
  
```

**Figure 8.23** Algorithm to delete an element from a circular queue

- Look at Fig. 8.20. If  $FRONT = -1$ , then there are no elements in the queue. So, an underflow condition will be reported.
- If the queue is not empty and  $FRONT = REAR$ , then after deleting the element at the front the queue becomes empty and so  $FRONT$  and  $REAR$  are set to  $-1$ . This is illustrated in Fig. 8.21.
- If the queue is not empty and  $FRONT = MAX - 1$ , then after deleting the element at the front,  $FRONT$  is set to  $0$ . This is shown in Fig. 8.22.







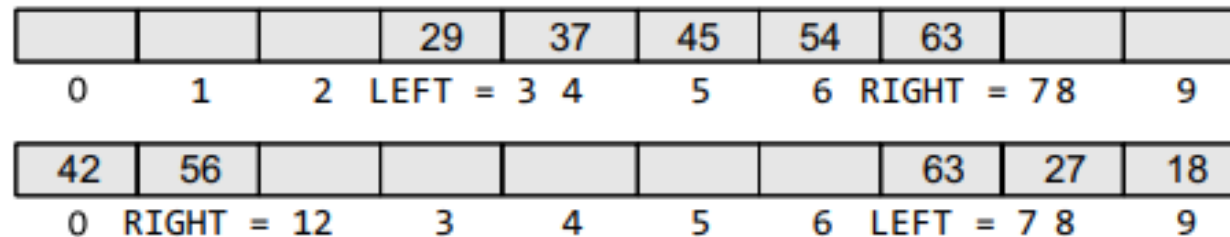
## ❑ Double Ended Queue (DE-Queue)

is a list in which the elements can be **inserted or deleted at either end**. It is also known as a **head-tail** linked list because elements can be added to or removed from either the front (head) or the back (tail) end

However, **no element can be added and deleted from the middle**.



## ❑ Double Ended Queue (DE-Queue)

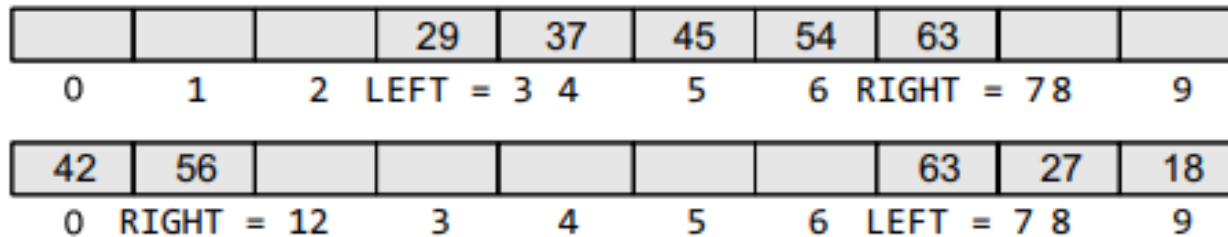


**Figure 8.24** Double-ended queues

In a deque, two pointers are maintained, **LEFT** and **RIGHT**, which point to either end of the deque. The elements in a deque extend from the **LEFT** end to the **RIGHT** end and since it is circular, **Dequeue[N-1]** is followed by **Dequeue[0]**.



## ❑ Double Ended Queue (DE-Queue)



**Figure 8.24** Double-ended queues

**Input restricted deque:** In this dequeue, insertions can be done only at one of the ends, while deletions can be done from both ends.

**Output restricted deque:** In this dequeue, deletions can be done only at one of the ends, while insertions can be done on both ends.

<https://www.youtube.com/watch?v=pSSXpYd2QxE>





## ❑ Double Ended Queue (DE-Queue)

Step1 : start

Step 2: show options 1. create, 2. Insertrear , 3. Insertfront,  
4.DeleteRear 5. Deletefront

Step 3: accept choice

Step 4: As per users choice call a function

Step 5: exit



$$\text{front} = (\text{front} - 1 + \text{MAX}) \% \text{MAX}$$

$$= (0 - 1 + 5) \% 5 = 4$$

# ❑ Double Ended Queue (DE-Queue)

Empty Queue  
front = -1, rear = -1



[0] [1] [2] [3] [4]

Insert 5, 10 at rear  
front = 0, rear = 1



[0] [1] [2] [3] [4]

Insert 25 at front  
front = 4, rear = 1



[0] [1] [2] [3] [4]

Insert 30 at front  
front = 3, rear = 1



[0] [1] [2] [3] [4]

Delete from rear  
front = 3, rear = 0



[0] [1] [2] [3] [4]

Delete from front  
front = 4, rear = 0



[0] [1] [2] [3] [4]

Delete from rear  
front = 4, rear = 4



[0] [1] [2] [3] [4]

Delete from front  
front = -1, rear = -1



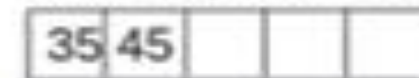
[0] [1] [2] [3] [4]

Insert 35 at front  
front = 0, rear = 0



[0] [1] [2] [3] [4]

Insert 45 at rear  
front = 0, rear = 1



[0] [1] [2] [3] [4]



### Algorithm for EnqueueFront

Step 1: if queue is full print message overflow and exit

Step 2: accept element

Step3: if queue is empty, set front=rear=0

data[0] = element

else

front = (front - 1 + MAX) % MAX

data [ front] = element

### Algorithm for EnqueueRear

Step 1: if queue is full print message overflow and exit

Step 2: accept element

Step3: if queue is empty, set front=rear=0

data[0] = element

else

rear = (rear + 1) % MAX

data [ rear] = element

### Algorithm for DequeueFront

Step 1: if queue is empty print message underflow and exit

Step 2: x = data[front]

Step3: if rear = front

initialize() // front,rear=-1

else

front = (front + 1) %MAX

Step 4: Return (x)

### Algorithm for DeQueueRear

Step 1: if queue is empty print message underflow and exit

Step 2: x = data[rear]

Step3: if rear = front

initialize() //front,rear=-1

else

rear = (rear - 1 + MAX) %MAX

Step 4: Return (x)



## □ Priority Queue:

- Each element is assigned a **priority**.
- Priority determines the order in which the elements will be processed
- An element with **higher priority** is processed before an element with a **lower priority**.
- Two elements with the same priority are processed on a first-come-first-served (**FCFS**) basis
- widely used in operating systems to execute the highest priority process first.





## □ Priority Queue:

For example, if there are three processes, where the first process needs 5 ns to complete, the second process needs 4 ns, and the third process needs 7 ns, then the second process will have the highest priority and will thus be the first to be executed.

However, CPU time is not the only factor that determines the priority, rather it is just one among several factors.



# □ Priority Queue:

Using arrays

Struct data{

int element;

int priority ;

}

**Insert operation** – adding element at location depending on priority



Ex. Jobs	priority (Execution Time)	sequence
TYPE	4	1
SWAP	3	2
COPY	5	3

TYPE	4	1							
SWAP	3	2	TYPE	4	1				
SWAP	3	2	TYPE	4	1	COPY	5	3	

front

rear





Inserting element in priority queue:

Step 1: if rear = MAX-1, then print message overflow and exit

Step 2: Accept element

Step 3: Search position of element as per the priority by moving existing elements

Step 4: set new element at proper position

Deleting element in priority queue:

Step 1: if front = rear = -1, then print message underflow and exit

Step 2: print front element as deleted

Step 3:  $P = PQ[\text{front}]$

Step 4: increment front by one

Step 5: return P



Inserting element in priority queue:

Step 1: if  $\text{rear} = \text{MAX}-1$ , then print message overflow and exit

Step 2: Accept element

Step 3: Search position of element as per the priority by moving existing elements

Step 4: set new element at proper position

Deleting element in priority queue:

Step 1: if  $\text{front} = \text{rear} = -1$ , then print message underflow and exit

Step 2: print front element as deleted

Step 3:  $P = \text{PQ}[\text{front}]$

Step 4: increment front by one

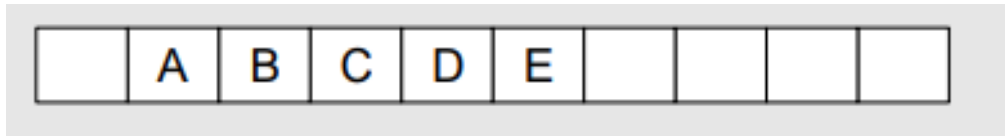
Step 5: return P



Que: Draw the queue structure in each case when the following operations are performed on an empty queue.

- (a) Add A, B, C, D, E, F
- (b) Delete two letters
- (c) Add G
- (d) Add H
- (e) Delete four letters
- (f) Add I

Que: Consider the queue given below which has FRONT = 1 and REAR = 5.



Now perform the following operations on the queue: (a) Add F (b) Delete two letters (c) Add G (d) Add H (e) Delete four letters (f) Add I



Identify which statements are incorrect

1. The elements are inserted from Rear in Queue
2. Dequeue operation will delete an element from front
3. isEmpty function will check if  $\text{Rear} = 0$
4. The circular queue will be full only when  $\text{FRONT} = \text{MAX} - 1$  and  $\text{REAR} = \text{Max} - 1$
5. Priority Queue is useful in handling interrupts.
6. Output-restricted deque allows deletions to be done only at one end of the dequeue, while insertions can be done at both the ends.
7. Output restricted Deque allows insertion of elements at either ends but not in the middle.
8. In queue, IsFull operation checks for  $\text{Front} = \text{Rear} = 0$





## Identify which statements are incorrect

1. The elements are inserted from Rear in Queue : **Correct**
2. Dequeue operation will delete an element from front : **correct**
3. isEmpty function will check if  $\text{Rear} = 0$  : **incorrect checks for front = rear = -1**
4. The circular queue will be full only when  $\text{FRONT} = \text{MAX} - 1$  and  $\text{REAR} = \text{Max} - 1$  :  
**incorrect front = 0 and rear = max-1**
5. Priority Queue is useful in handling interrupts: **correct**
6. Output-restricted deque allows deletions to be done only at one end of the dequeue, while insertions can be done at both the ends.: **correct**
7. In queue, IsFull operation checks for  $\text{Front} = \text{Rear} = 0$ : **incorrect it check for rear = max-1**





- Introduction to Data Structures: Linear and Non Linear Data Structures, Static and Dynamic Data Structures.
- Concept of Stack and Queue.
  - ❑ Array Implementation of Stack and Queue,
  - ❑ Circular Queue,
  - ❑ Double Ended Queue,
  - ❑ Priority Queue.
- **Concept of Linked Lists.**
  - ❑ **Singly linked lists,**
  - ❑ **doubly linked lists and**
  - ❑ **circular linked lists.**
- Insertion, deletion, update and copying operations with Singly linked lists, doubly linked lists and circular linked lists.
- Reversing a singly linked list.

**Self-learning Topics:** Linked List Implementation of Stack, Linked List implementation of Queue, Circular Queue, Double Ended Queue, Priority Queue.]





1. Can we use arrays if we are not sure of the number of elements in advance?
1. Does array make efficient use of memory?
1. What if elements can be stored randomly at any location rather than in consecutive locations, is it possible?

<https://www.youtube.com/watch?v=pSSXpYd2QxE>





# Using arrays for storing values

## 1. Drawbacks:

Memory wastage : `int arr[5]`

Element	11	12	13	Memory wastage	
Index	0	1	2	3	4

## Memory shortage

Element	11	12	13	14	15
Index	0	1	2	3	4

What if 6<sup>th</sup>  
element is  
given by user





## ❑ Concept of Linked Lists

- is a linear collection of data elements.
- user can add any number of elements to it
- data elements are called **nodes**
- acts as a building block to implement data structures such as stacks, queues, and their variations
- each node contains data field and a pointer to the next node.



**Figure 6.1** Simple linked list





## ❑ Concept of Linked Lists

In C, we can implement a linked list using the following code:

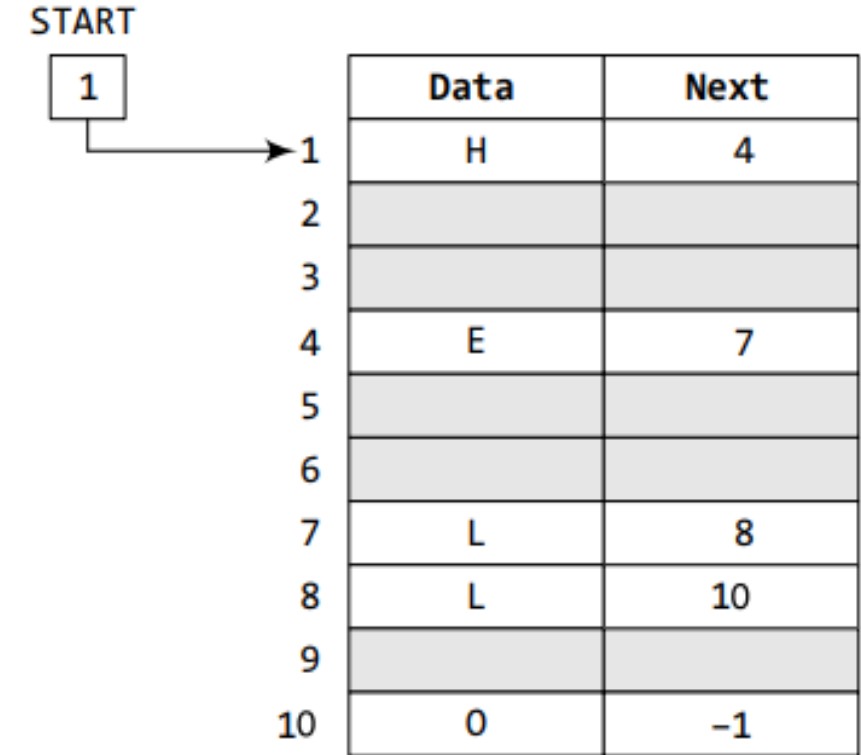
```
struct node
{
    int data;
    struct node *next;
};
```

**Node:** every elements in linked list is called node

**Data:** information or actual value

**Next** is a second part of a node, it contains **address** of next node. It helps us to go from one node to other node

START is used to store the address of the first node.



**Figure 6.2** START pointing to the first element of the linked list in the memory

a position where the NEXT entry contains -1 or NULL is end of the linked list

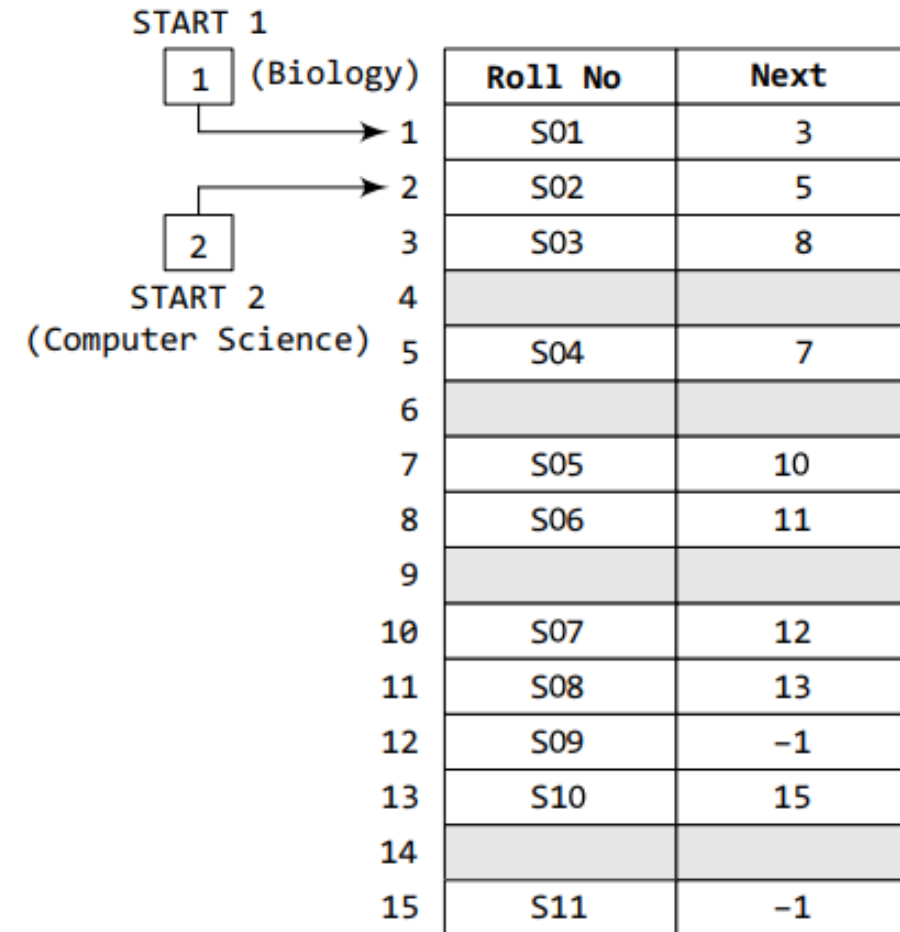




# ❑ Concept of Linked Lists

## Header node:

- A pointer that always points to the first node of the linked list
- It is considered as a reference to the link list
- You can also call it Start node
- If start node or header value is NULL means the link list is empty



**Figure 6.3** Two linked lists which are simultaneously maintained in the memory







## ❑ Memory Allocation and deallocation in Linked list

- Dynamic Memory allocation
- As per the necessity allocation and de allocation occurs
- Avoids memory shortage and memory wastage
- Use of malloc()
- Deallocating by using free function()



# ❑ Concept of Linked Lists

	Roll No	Name	Aggregate	Grade	Next
1	S01	Ram	78	Distinction	6
2	S02	Shyam	64	First division	14
3					
4	S03	Mohit	89	Outstanding	17
5					
6	S04	Rohit	77	Distinction	2
7	S05	Varun	86	Outstanding	10
8	S06	Karan	65	First division	12
9					
10	S07	Veena	54	Second division	-1
11	S08	Meera	67	First division	4
12	S09	Krish	45	Third division	13
13	S10	Kusum	91	Outstanding	11
14	S11	Silky	72	First division	7
15					
16					
17	S12	Monica	75	Distinction	1
18	S13	Ashish	63	First division	19
19	S14	Gaurav	61	First division	8

START  
18 →

**Figure 6.4** Students' linked list





# ❑ Linked Lists Vs Arrays

Linked List	Arrays
Linear data collection	Linear data collection
Data may not stored in consecutive memory locations	Data stored in consecutive memory locations
No random access of data	Random access of data allowed
Nodes in a linked list can be accessed only in a sequential manner.	Data elements can be accessed randomly
insertions and deletions can be done at any point in the list in a constant time.	Insertion deletions can not be done at any point in array
Flexible in Size	Fixed in size



## ❑ Types of Linked Lists

### ❑ Single link list

### ❑ Double

### ❑ Circular

Pointer:

-holds the address of the entire structure.

-Members of the structure can be accessed using (->) operator





## ❑ Singly Linked Lists

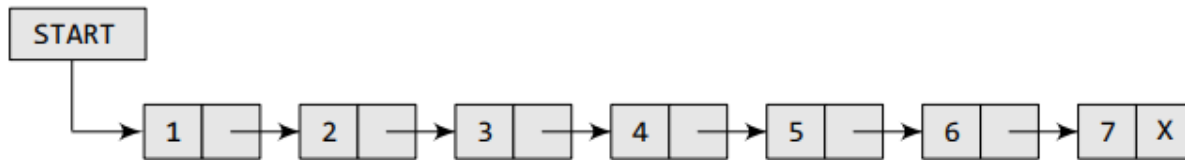


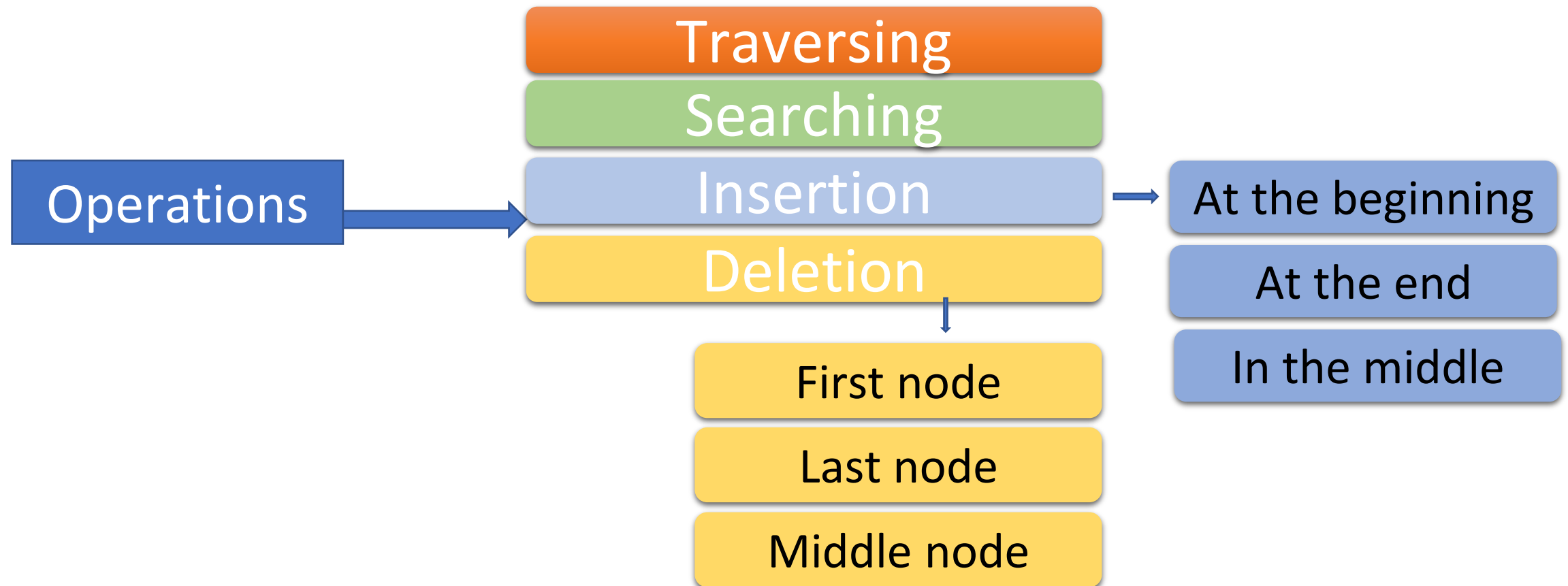
Figure 6.7 Singly linked list

- every node contains some **data** and a **pointer** to the next node of the same data type.
- the node stores the address of the next node in sequence.
- A singly linked list allows traversal of data only in one way.

**Note:** Since in a linked list, every node contains a pointer to another node which is of the same type, it is also called a **self-referential data type**

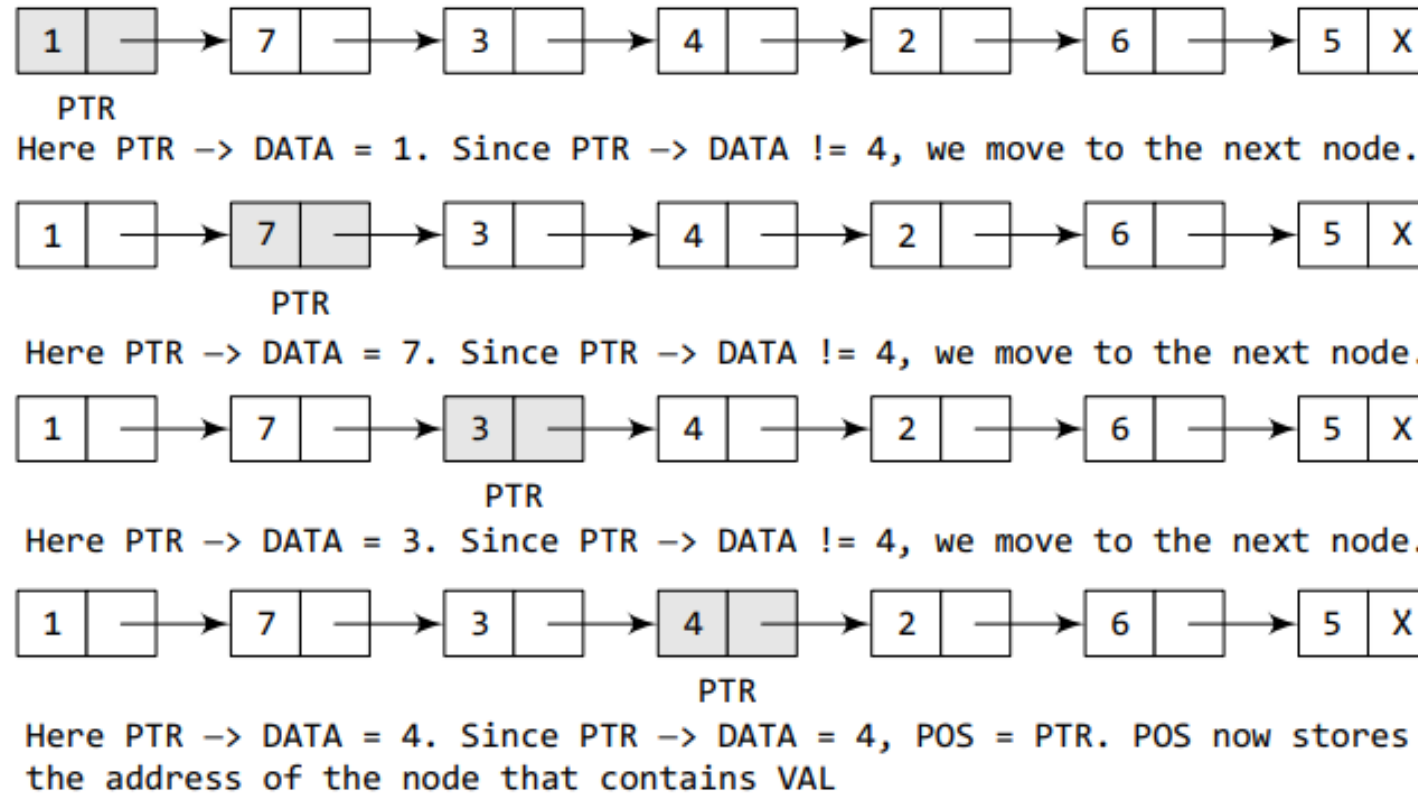


## ❑ Operations on Singly Linked Lists





## ❑ Searching & Traversing Singly Linke



**Figure 6.11** Searching a linked list





## ❑ Traversing Singly Linked Lists

```

Step 1: [INITIALIZE] SET PTR = START
Step 2: Repeat Steps 3 and 4 while PTR != NULL
Step 3:         Apply Process to PTR->DATA
Step 4:         SET PTR = PTR->NEXT
              [END OF LOOP]
Step 5: EXIT
  
```

**Figure 6.8** Algorithm for traversing a linked list

```

Step 1: [INITIALIZE] SET COUNT = 0
Step 2: [INITIALIZE] SET PTR = START
Step 3: Repeat Steps 4 and 5 while PTR != NULL
Step 4:         SET COUNT = COUNT + 1
Step 5:         SET PTR = PTR->NEXT
              [END OF LOOP]
Step 6: Write COUNT
Step 7: EXIT
  
```

**Figure 6.9** Algorithm to print the number of nodes in a linked list





## ❑ Traversing Singly Linked Lists

Void display (struct node \*q)

{

/\* address of head is passed to q\*/

while(q!=NULL)

{

printf("%d", q->data);

q = q->next;

}

}



## ❑ Searching in Singly Linked Lists

```

Step 1: [INITIALIZE] SET PTR = START
Step 2: Repeat Step 3 while PTR != NULL
Step 3:   IF VAL = PTR->DATA
           SET POS = PTR
           Go To Step 5
         ELSE
           SET PTR = PTR->NEXT
         [END OF IF]
       [END OF LOOP]
Step 4: SET POS = NULL
Step 5: EXIT
  
```

**Figure 6.10** Algorithm to search a linked list

```

Void search (struct node *q, int data)
{
    while(q!=NULL)
    {
        if(data == q->data)
        {printf("Element found");
        return;
        }
        q = q->next;
    }
    printf("Element not found");
}
  
```





## ❑ Inserting nodes in Linked Lists

four Insertion cases:

Case 1: The new node is inserted at the beginning.

Case 2: The new node is inserted at the end.

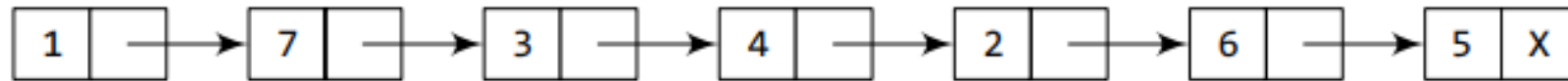
Case 3: The new node is inserted after a given node.

Case 4: The new node is inserted before a given node.



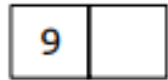
## ❑ Inserting nodes in Linked Lists

Case 1: The new node is inserted at the beginning.



START

Allocate memory for the new node and initialize its DATA part to 9.



Add the new node as the first node of the list by making the NEXT part of the new node contain the address of START.



START

Now make START to point to the first node of the list.



START

**Figure 6.12** Inserting an element at the beginning of a linked list



## ❑ Inserting nodes in Linked Lists

Case 1: The new node is inserted at the beginning.

```

Step 1: IF AVAIL = NULL
        Write OVERFLOW
        Go to Step 7
    [END OF IF]
Step 2: SET NEW_NODE = AVAIL
Step 3: SET AVAIL = AVAIL -> NEXT
Step 4: SET NEW_NODE -> DATA = VAL
Step 5: SET NEW_NODE -> NEXT = START
Step 6: SET START = NEW_NODE
Step 7: EXIT
  
```

**Figure 6.13** Algorithm to insert a new node at the beginning

- we first check whether memory is available for the new node.
- If the free memory has exhausted, then an **OVERFLOW** message is printed.
- Otherwise, if a free memory cell is available, then we allocate space for the new node.
- Set its DATA part with the given VAL and the next part is initialized with the address of the first node of the list, which is stored in START.
- Now, since the new node is added as the first node of the list, it will now be known as the START node, that is, the START pointer variable will now hold the address of the NEW\_NODE







## ❑ Concept of Linked Lists

```

Step 1: IF AVAIL = NULL
        Write OVERFLOW
        Go to Step 12
    [END OF IF]
Step 2: SET NEW_NODE = AVAIL
Step 3: SET AVAIL = AVAIL -> NEXT
Step 4: SET NEW_NODE -> DATA = VAL
Step 5: SET PTR = START
Step 6: SET PREPTR = PTR
Step 7: Repeat Steps 8 and 9 while PREPTR -> DATA
        != NUM
Step 8:     SET PREPTR = PTR
Step 9:     SET PTR = PTR -> NEXT
    [END OF LOOP]
Step 10: PREPTR -> NEXT = NEW_NODE
Step 11: SET NEW_NODE -> NEXT = PTR
Step 12: EXIT
  
```

**Figure 6.16** Algorithm to insert a new node after a node that has value NUM

- PREPTR which will be used to store the address of the node preceding PTR. Initially, PREPTR is initialized to PTR.
- So now, PTR, PREPTR, and START are all pointing to the first node of the linked list.
- In the while loop, we traverse through the linked list to reach the node that has its value equal to NUM. We need to reach this node because the new node will be inserted after this node.
- Once we reach this node, in Steps 10 and 11, we change the NEXT pointers in such a way that new node is inserted after the desired node.







## ❑ Inserting nodes in Linked Lists

Case 1: The new node is inserted at the beginning.

```
Step 1: IF AVAIL = NULL
        Write OVERFLOW
        Go to Step 7
    [END OF IF]
Step 2: SET NEW_NODE = AVAIL
Step 3: SET AVAIL = AVAIL -> NEXT
Step 4: SET NEW_NODE -> DATA = VAL
Step 5: SET NEW_NODE -> NEXT = START
Step 6: SET START = NEW_NODE
Step 7: EXIT
```

Step 2: SET NEW\_NODE = AVAIL

Step 3: SET AVAIL = AVAIL -> NEXT

These steps allocate memory for the new node.

In C, there are functions like malloc(), alloc, and calloc() which automatically do the memory allocation on behalf of the user.

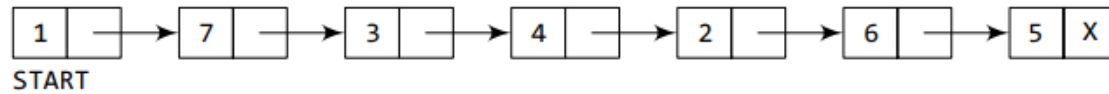
**Figure 6.13** Algorithm to insert a new node at the beginning



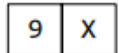


# ❑ Inserting nodes in Linked Lists

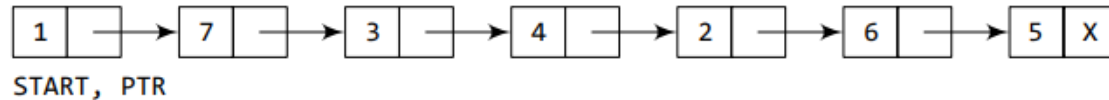
## Case2: Inserting a Node at the End of a Linked List



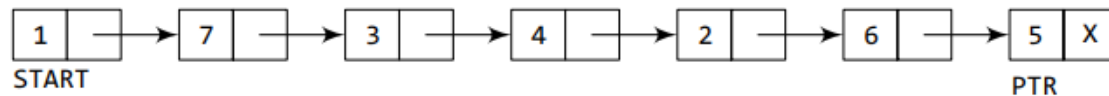
Allocate memory for the new node and initialize its DATA part to 9 and NEXT part to NULL.



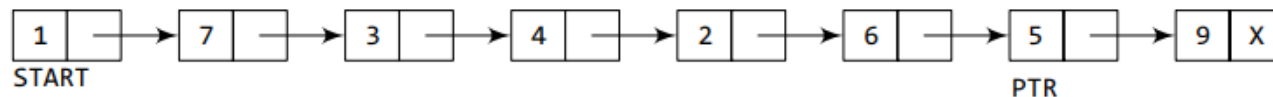
Take a pointer variable PTR which points to START.



Move PTR so that it points to the last node of the list.



Add the new node after the node pointed by PTR. This is done by storing the address of the new node in the NEXT part of PTR.



**Figure 6.14** Inserting an element at the end of a linked list

- we take a pointer variable PTR and initialize it with START.
- That is, PTR now points to the first node of the linked list.
- In the while loop, we traverse through the linked list to reach the last node.
- Once we reach the last node, we change the NEXT pointer of the last node to store the address of the new node.
- Remember that the NEXT field of the new node contains NULL, which signifies the end of the linked list.





# ❑ Inserting nodes in Linked Lists

## Case2: Inserting a Node at the End of a Linked List

```
Step 1: IF AVAIL = NULL
        Write OVERFLOW
        Go to Step 10
    [END OF IF]
Step 2: SET NEW_NODE = AVAIL
Step 3: SET AVAIL = AVAIL -> NEXT
Step 4: SET NEW_NODE -> DATA = VAL
Step 5: SET NEW_NODE -> NEXT = NULL
Step 6: SET PTR = START
Step 7: Repeat Step 8 while PTR -> NEXT != NULL
Step 8:     SET PTR = PTR -> NEXT
    [END OF LOOP]
Step 9: SET PTR -> NEXT = NEW_NODE
Step 10: EXIT
```

**Figure 6.15** Algorithm to insert a new node at the end

- we take a pointer variable PTR and initialize it with START.
- That is, PTR now points to the first node of the linked list.
- In the while loop, we traverse through the linked list to reach the last node.
- Once we reach the last node, we change the NEXT pointer of the last node to store the address of the new node.
- Remember that the NEXT field of the new node contains NULL, which signifies the end of the linked list.





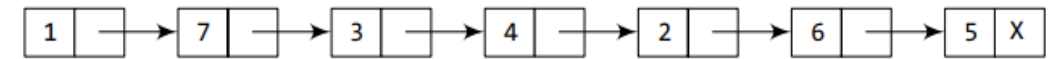
## ❑ Inserting nodes in Linked Lists-

### Case 3: Inserting a Node After a Given Node in a Linked List

```

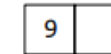
Step 1: IF AVAIL = NULL
        Write OVERFLOW
        Go to Step 12
    [END OF IF]
Step 2: SET NEW_NODE = AVAIL
Step 3: SET AVAIL = AVAIL -> NEXT
Step 4: SET NEW_NODE -> DATA = VAL
Step 5: SET PTR = START
Step 6: SET PREPTR = PTR
Step 7: Repeat Steps 8 and 9 while PREPTR -> DATA
        != NUM
Step 8:     SET PREPTR = PTR
Step 9:     SET PTR = PTR -> NEXT
    [END OF LOOP]
Step 10: PREPTR -> NEXT = NEW_NODE
Step 11: SET NEW_NODE -> NEXT = PTR
Step 12: EXIT
  
```

**Figure 6.16** Algorithm to insert a new node after a node that has value NUM

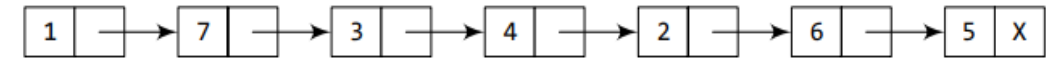


START

Allocate memory for the new node and initialize its DATA part to 9.



Take two pointer variables PTR and PREPTR and initialize them with START so that START, PTR, and PREPTR point to the first node of the list.

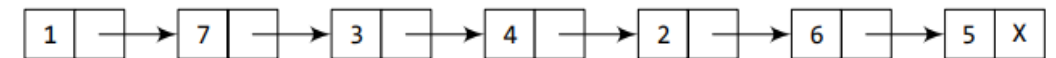


START

PTR

PREPTR

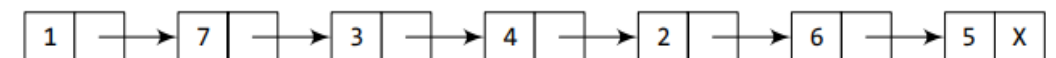
Move PTR and PREPTR until the DATA part of PREPTR = value of the node after which insertion has to be done. PREPTR will always point to the node just before PTR.



START

PREPTR

PTR

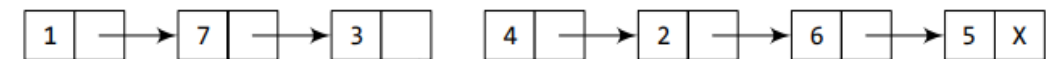


START

PREPTR

PTR

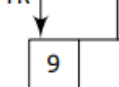
Add the new node in between the nodes pointed by PREPTR and PTR.



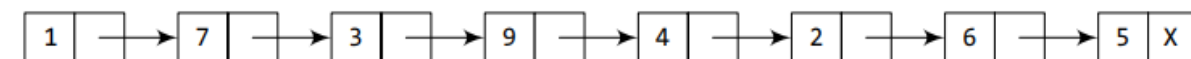
START

PREPTR

PTR



NEW\_NODE



START

**Figure 6.17** Inserting an element after a given node in a linked list





## ❑ Insertion in the middle before given node in Linked Lists

```

Step 1: IF AVAIL = NULL
        Write OVERFLOW
        Go to Step 12
    [END OF IF]
Step 2: SET NEW_NODE = AVAIL
Step 3: SET AVAIL = AVAIL -> NEXT
Step 4: SET NEW_NODE -> DATA = VAL
Step 5: SET PTR = START
Step 6: SET PREPTR = PTR
Step 7: Repeat Steps 8 and 9 while PTR -> DATA != NUM
Step 8:     SET PREPTR = PTR
Step 9:     SET PTR = PTR -> NEXT
    [END OF LOOP]
Step 10: PREPTR -> NEXT = NEW_NODE
Step 11: SET NEW_NODE -> NEXT = PTR
Step 12: EXIT
  
```

**Figure 6.18** Algorithm to insert a new node before a node that has value NUM





## ❑ Deleting nodes in Linked Lists

Three cases:

Case 1: The first node is deleted.

Case 2: The last node is deleted.

Case 3: The node after a given node is deleted.

Note: Underflow is a condition that occurs when we try to delete a node from a linked list that is empty.

This happens when  $START = NULL$  or when there are no more nodes to delete.

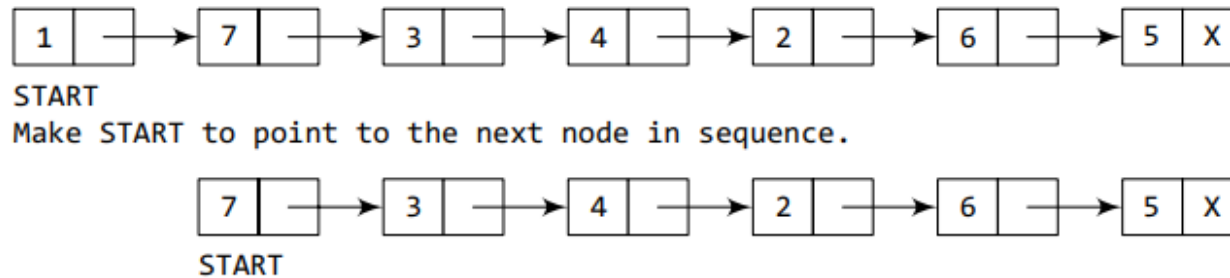






## ❑ Deleting nodes in Linked Lists

### Case 1: The first node is deleted.



**Figure 6.20** Deleting the first node of a linked list

```

Step 1: IF START = NULL
        Write UNDERFLOW
        Go to Step 5
    [END OF IF]
Step 2: SET PTR = START
Step 3: SET START = START -> NEXT
Step 4: FREE PTR
Step 5: EXIT
  
```

**Figure 6.21** Algorithm to delete the first node

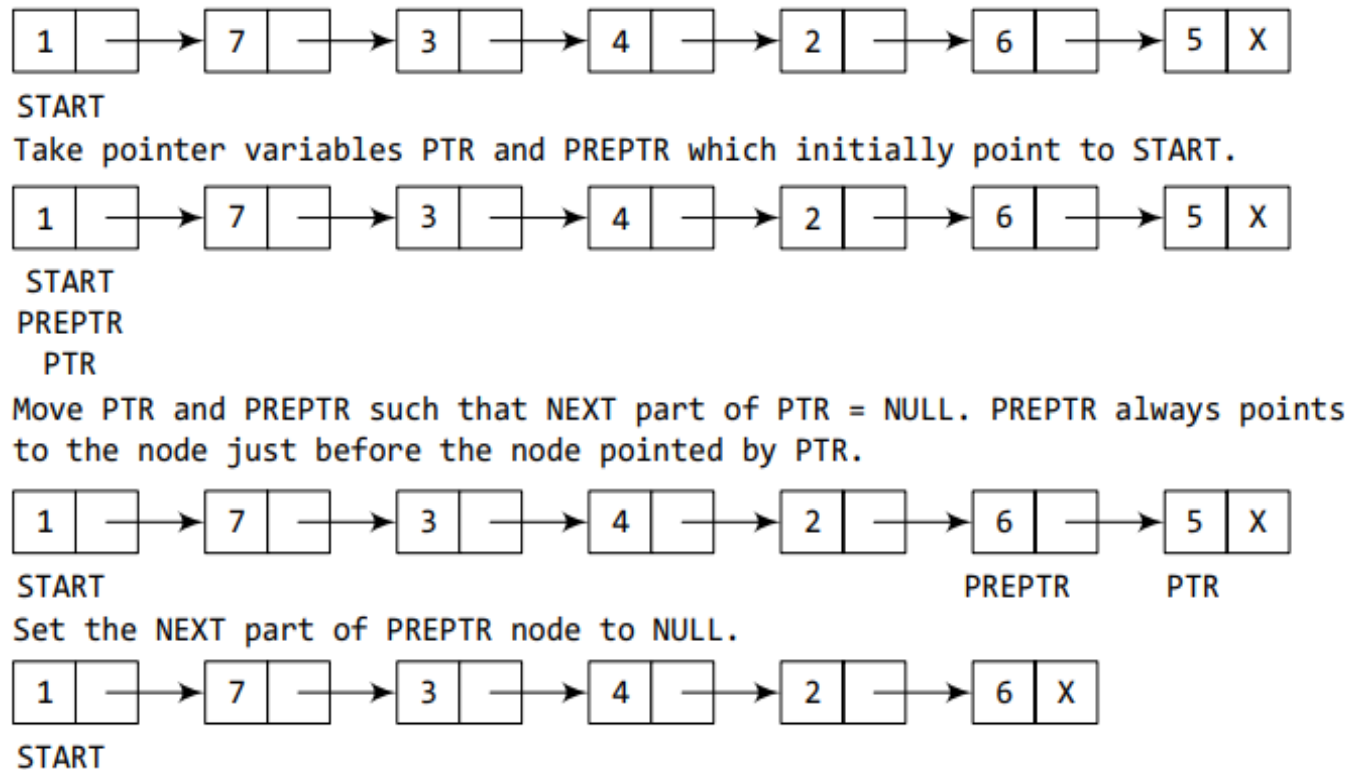
- In Step 1, we check if the linked list exists or not.
- If START = NULL, then it signifies that there are no nodes in the list and the control is transferred to the last statement of the algorithm.
- However, if there are nodes in the linked list, then we use a pointer variable PTR that is set to point to the first node of the list.
- For this, we initialize PTR with START that stores the address of the first node of the list.
- In Step 3, START is made to point to the next node in sequence and finally the memory occupied by the node pointed by PTR (initially the first node of the list) is freed and returned to the free pool.





## ❑ Deleting nodes in Linked Lists

### Case 1: Deleting the Last Node from a Linked List.



**Figure 6.22** Deleting the last node of a linked list

```

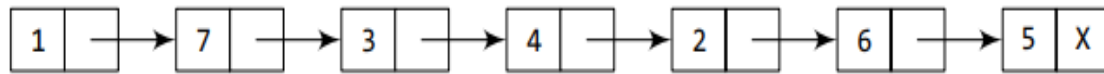
Step 1: IF START = NULL
        Write UNDERFLOW
        Go to Step 8
    [END OF IF]
Step 2: SET PTR = START
Step 3: Repeat Steps 4 and 5 while PTR->NEXT != NULL
Step 4:     SET PREPTR = PTR
Step 5:     SET PTR = PTR->NEXT
    [END OF LOOP]
Step 6: SET PREPTR->NEXT = NULL
Step 7: FREE PTR
Step 8: EXIT
  
```

**Figure 6.23** Algorithm to delete the last node



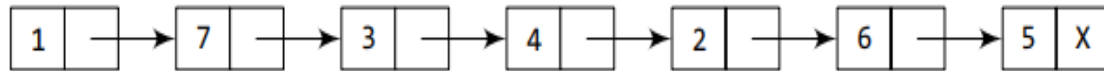


## ❑ Deleting nodes in after given node Linked Lists



START

Take pointer variables PTR and PREPTR which initially point to START.

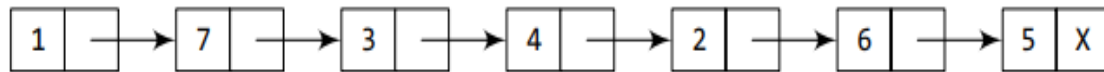


START

PREPTR

PTR

Move PTR and PREPTR such that NEXT part of PTR = NULL. PREPTR always points to the node just before the node pointed by PTR.



START

PREPTR

PTR

Set the NEXT part of PREPTR node to NULL.



START

```

Step 1: IF START = NULL
        Write UNDERFLOW
        Go to Step 10
    [END OF IF]
Step 2: SET PTR = START
Step 3: SET PREPTR = PTR
Step 4: Repeat Steps 5 and 6 while PREPTR->DATA != NUM
Step 5:     SET PREPTR = PTR
Step 6:     SET PTR = PTR->NEXT
    [END OF LOOP]
Step 7: SET TEMP = PTR
Step 8: SET PREPTR->NEXT = PTR->NEXT
Step 9: FREE TEMP
Step 10: EXIT
  
```

**Figure 6.25** Algorithm to delete the node after a given node





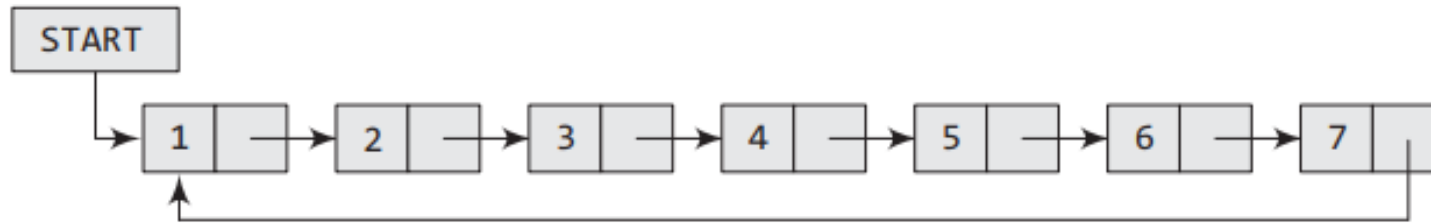
## ❑ Circular link list

we can begin at any node and traverse the list in any direction, forward or backward, until we reach the same node where we started. Thus, a circular linked list has no beginning and no ending.



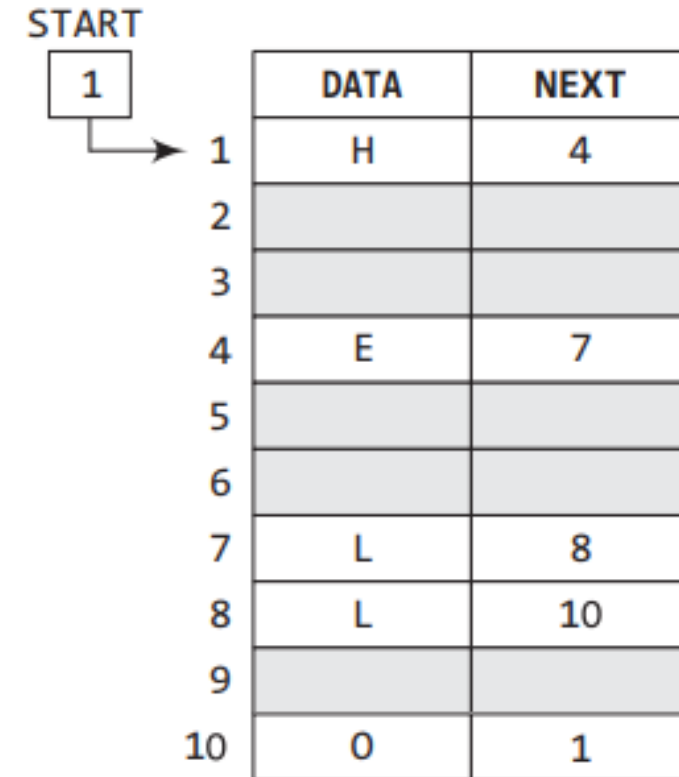


## ❑ Circular link list



we can begin at any node and traverse the list in any direction, forward or backward, until we reach the same node where we started.

Thus, a circular linked list has no beginning and no ending.



**Figure 6.27** Memory representation of a circular linked list



## ❑ Circular link list

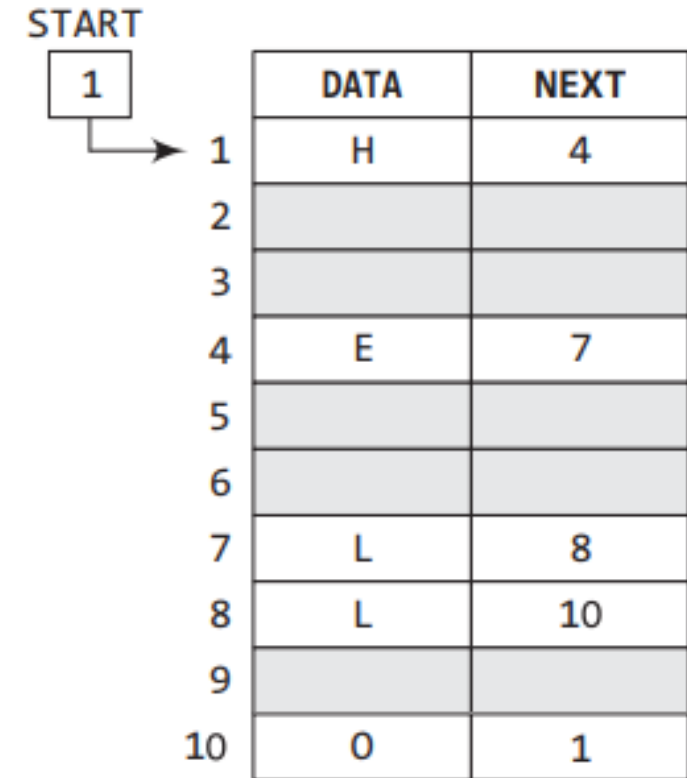


Operations :

Insertion

Deletion

Displaying data



**Figure 6.27** Memory representation of a circular linked list



## ❑ Inserting nodes in Circular Linked Lists

```

Step 1: IF AVAIL = NULL
        Write OVERFLOW
        Go to Step 11
    [END OF IF]
Step 2: SET NEW_NODE = AVAIL
Step 3: SET AVAIL → NEXT
Step 4: SET NEW_NODE → DATA = VAL
Step 5: SET PTR = START
Step 6: Repeat Step 7 while PTR → NEXT != START
Step 7:     PTR = PTR → NEXT
    [END OF LOOP]
Step 8: SET NEW_NODE → NEXT = START
Step 9: SET PTR → NEXT = NEW_NODE
Step 10: SET START = NEW_NODE
Step 11: EXIT
  
```

**Figure 6.30** Algorithm to insert a new node at the beginning





## ❑ Inserting nodes in Circular Linked Lists

```

Step 1: IF AVAIL = NULL
        Write OVERFLOW
        Go to Step 10
    [END OF IF]
Step 2: SET NEW_NODE = AVAIL
Step 3: SET AVAIL = AVAIL -> NEXT
Step 4: SET NEW_NODE -> DATA = VAL
Step 5: SET NEW_NODE -> NEXT = START
Step 6: SET PTR = START
Step 7: Repeat Step 8 while PTR -> NEXT != START
Step 8:     SET PTR = PTR -> NEXT
    [END OF LOOP]
Step 9: SET PTR -> NEXT = NEW_NODE
Step 10: EXIT
  
```

**Figure 6.32** Algorithm to insert a new node at the end





## ❑ Deleting nodes in Circular Linked Lists

```
Step 1: IF START = NULL
        Write UNDERFLOW
        Go to Step 8
    [END OF IF]
Step 2: SET PTR = START
Step 3: Repeat Step 4 while PTR->NEXT != START
Step 4:     SET PTR = PTR->NEXT
    [END OF LOOP]
Step 5: SET PTR->NEXT = START->NEXT
Step 6: FREE START
Step 7: SET START = PTR->NEXT
Step 8: EXIT
```

**Figure 6.34** Algorithm to delete the first node





## ❑ Deleting nodes in Circular Linked Lists

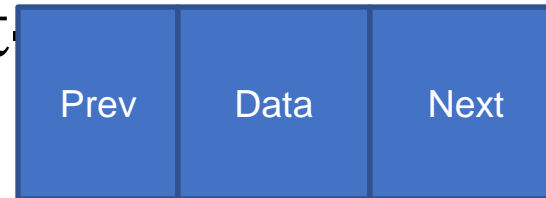
```
Step 1: IF START = NULL
        Write UNDERFLOW
        Go to Step 8
    [END OF IF]
Step 2: SET PTR = START
Step 3: Repeat Steps 4 and 5 while PTR->NEXT != START
Step 4:     SET PREPTR = PTR
Step 5:     SET PTR = PTR->NEXT
    [END OF LOOP]
Step 6: SET PREPTR->NEXT = START
Step 7: FREE PTR
Step 8: EXIT
```

**Figure 6.36** Algorithm to delete the last node



## ❑ Types of Linked Lists

### ❑ Doubly Linked List





## Doubly Linked List-

```
Step 1: IF AVAIL = NULL
        Write OVERFLOW
        Go to Step 9

    [END OF IF]
Step 2: SET NEW_NODE = AVAIL
Step 3: SET AVAIL = AVAIL -> NEXT
Step 4: SET NEW_NODE -> DATA = VAL
Step 5: SET NEW_NODE -> PREV = NULL
Step 6: SET NEW_NODE -> NEXT = START
Step 7: SET START -> PREV = NEW_NODE
Step 8: SET START = NEW_NODE
Step 9: EXIT
```

**Figure 6.40** Algorithm to insert a new node at the beginning



# Doubly Linked List-

```

Step 1: IF AVAIL = NULL
        Write OVERFLOW
        Go to Step 11
    [END OF IF]
Step 2: SET NEW_NODE = AVAIL
Step 3: SET AVAIL = AVAIL → NEXT
Step 4: SET NEW_NODE → DATA = VAL
Step 5: SET NEW_NODE → NEXT = NULL
Step 6: SET PTR = START
Step 7: Repeat Step 8 while PTR → NEXT != NULL
Step 8:     SET PTR = PTR → NEXT
    [END OF LOOP]
Step 9: SET PTR → NEXT = NEW_NODE
Step 10: SET NEW_NODE → PREV = PTR
Step 11: EXIT
  
```

**Figure 6.42** Algorithm to insert a new node at the end





# Doubly Linked List-

```

Step 1: IF AVAIL = NULL
        Write OVERFLOW
        Go to Step 12
    [END OF IF]
Step 2: SET NEW_NODE = AVAIL
Step 3: SET AVAIL = AVAIL -> NEXT
Step 4: SET NEW_NODE -> DATA = VAL
Step 5: SET PTR = START
Step 6: Repeat Step 7 while PTR -> DATA != NUM
Step 7:     SET PTR = PTR -> NEXT
    [END OF LOOP]
Step 8: SET NEW_NODE -> NEXT = PTR -> NEXT
Step 9: SET NEW_NODE -> PREV = PTR
Step 10: SET PTR -> NEXT = NEW_NODE
Step 11: SET PTR -> NEXT -> PREV = NEW_NODE
Step 12: EXIT
  
```

**Figure 6.43** Algorithm to insert a new node after a given node





## Doubly Linked List-

```

Step 1: IF AVAIL = NULL
        Write OVERFLOW
        Go to Step 12
    [END OF IF]
Step 2: SET NEW_NODE = AVAIL
Step 3: SET AVAIL = AVAIL → NEXT
Step 4: SET NEW_NODE → DATA = VAL
Step 5: SET PTR = START
Step 6: Repeat Step 7 while PTR → DATA != NUM
Step 7:     SET PTR = PTR → NEXT
    [END OF LOOP]
Step 8: SET NEW_NODE → NEXT = PTR
Step 9: SET NEW_NODE → PREV = PTR → PREV
Step 10: SET PTR → PREV = NEW_NODE
Step 11: SET PTR → PREV → NEXT = NEW_NODE
Step 12: EXIT
    
```

**Figure 6.45** Algorithm to insert a new node before a given node







## Doubly Linked List-

```
Step 1: IF START = NULL
        Write UNDERFLOW
        Go to Step 6
    [END OF IF]
Step 2: SET PTR = START
Step 3: SET START = START → NEXT
Step 4: SET START → PREV = NULL
Step 5: FREE PTR
Step 6: EXIT
```

**Figure 6.48** Algorithm to delete the first node



## Doubly Linked List

```
Step 1: IF START = NULL
        Write UNDERFLOW
        Go to Step 7
    [END OF IF]
Step 2: SET PTR = START
Step 3: Repeat Step 4 while PTR->NEXT != NULL
Step 4:     SET PTR = PTR->NEXT
    [END OF LOOP]
Step 5: SET PTR->PREV->NEXT = NULL
Step 6: FREE PTR
Step 7: EXIT
```

**Figure 6.50** Algorithm to delete the last node



# Doubly Linked List

```

Step 1: IF START = NULL
        Write UNDERFLOW
        Go to Step 9
    [END OF IF]
Step 2: SET PTR = START
Step 3: Repeat Step 4 while PTR -> DATA != NUM
Step 4:     SET PTR = PTR -> NEXT
    [END OF LOOP]
Step 5: SET TEMP = PTR -> NEXT
Step 6: SET PTR -> NEXT = TEMP -> NEXT
Step 7: SET TEMP -> NEXT -> PREV = PTR
Step 8: FREE TEMP
Step 9: EXIT
  
```

**Figure 6.52** Algorithm to delete a node after a given node





## Doubly Linked List-

```

Step 1: IF START = NULL
        Write UNDERFLOW
        Go to Step 9
    [END OF IF]
Step 2: SET PTR = START
Step 3: Repeat Step 4 while PTR -> DATA != NUM
Step 4:     SET PTR = PTR -> NEXT
    [END OF LOOP]
Step 5: SET TEMP = PTR -> PREV
Step 6: SET TEMP -> PREV -> NEXT = PTR
Step 7: SET PTR -> PREV = TEMP -> PREV
Step 8: FREE TEMP
Step 9: EXIT
  
```

**Figure 6.54** Algorithm to delete a node before a given node





## ❑ References:

1. Reema Thareja; Data Structures using C; Oxford.
2. Ellis Horowitz, Sartaj Sahni; Fundamentals of Data Structures; Galgotia Publications; 2010.

Program References: <https://www.digitalocean.com/community/tutorials/stack-in-c>

SFIT Library University Paper link

[https://drive.google.com/file/d/1J4WUjNV0U1qDwJ6lalgDoTUKWXmI7XGe/view?usp=drive\\_link](https://drive.google.com/file/d/1J4WUjNV0U1qDwJ6lalgDoTUKWXmI7XGe/view?usp=drive_link)