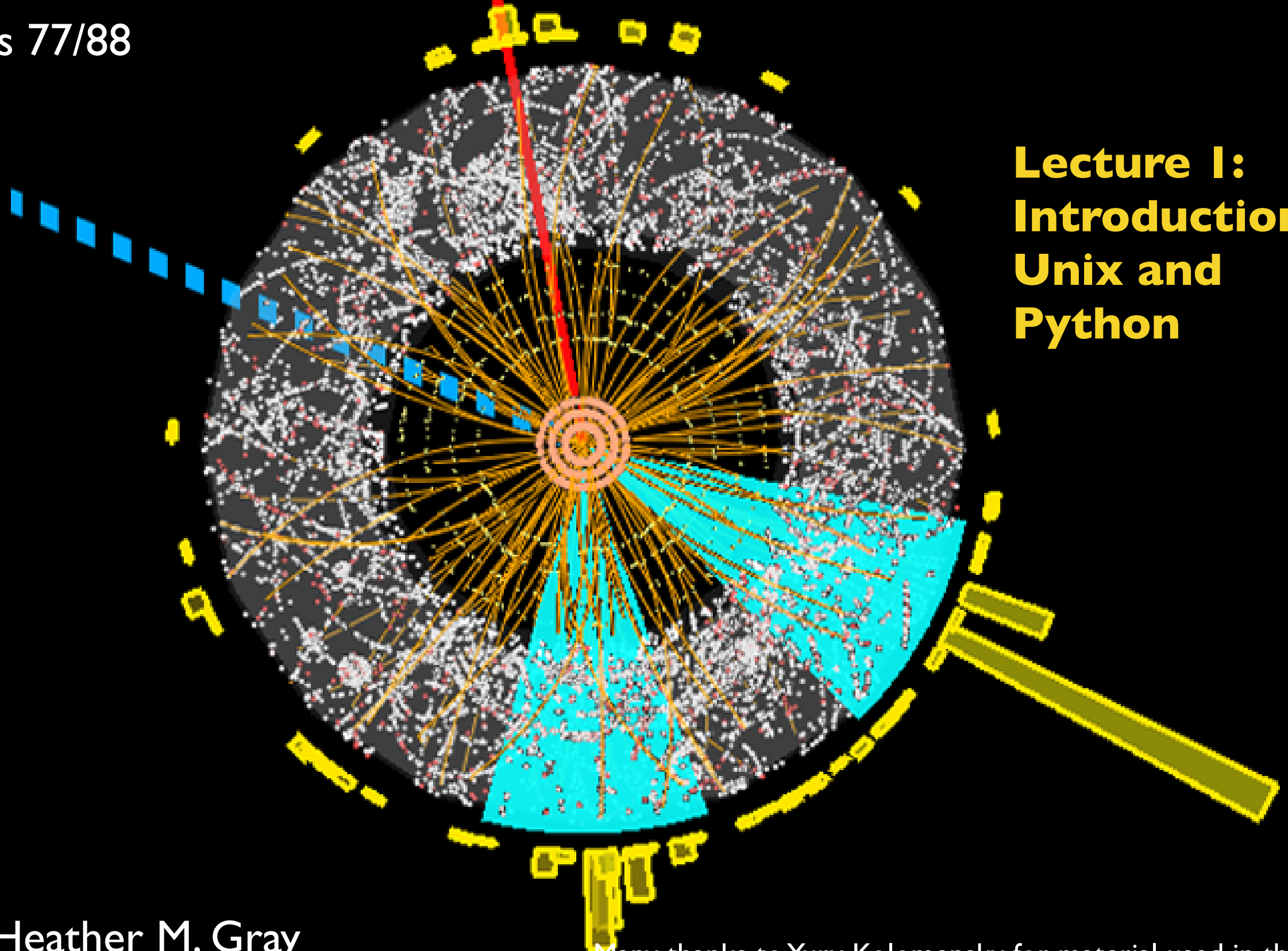


# Introduction to Computational Techniques in Physics/Data Science Applications in Physics

Physics 77/88

## Lecture I: Introduction to Unix and Python



Prof. Heather M. Gray

Many thanks to Yury Kolomensky for material used in this course

# **The What and Why of Computing**

# Why Computing?

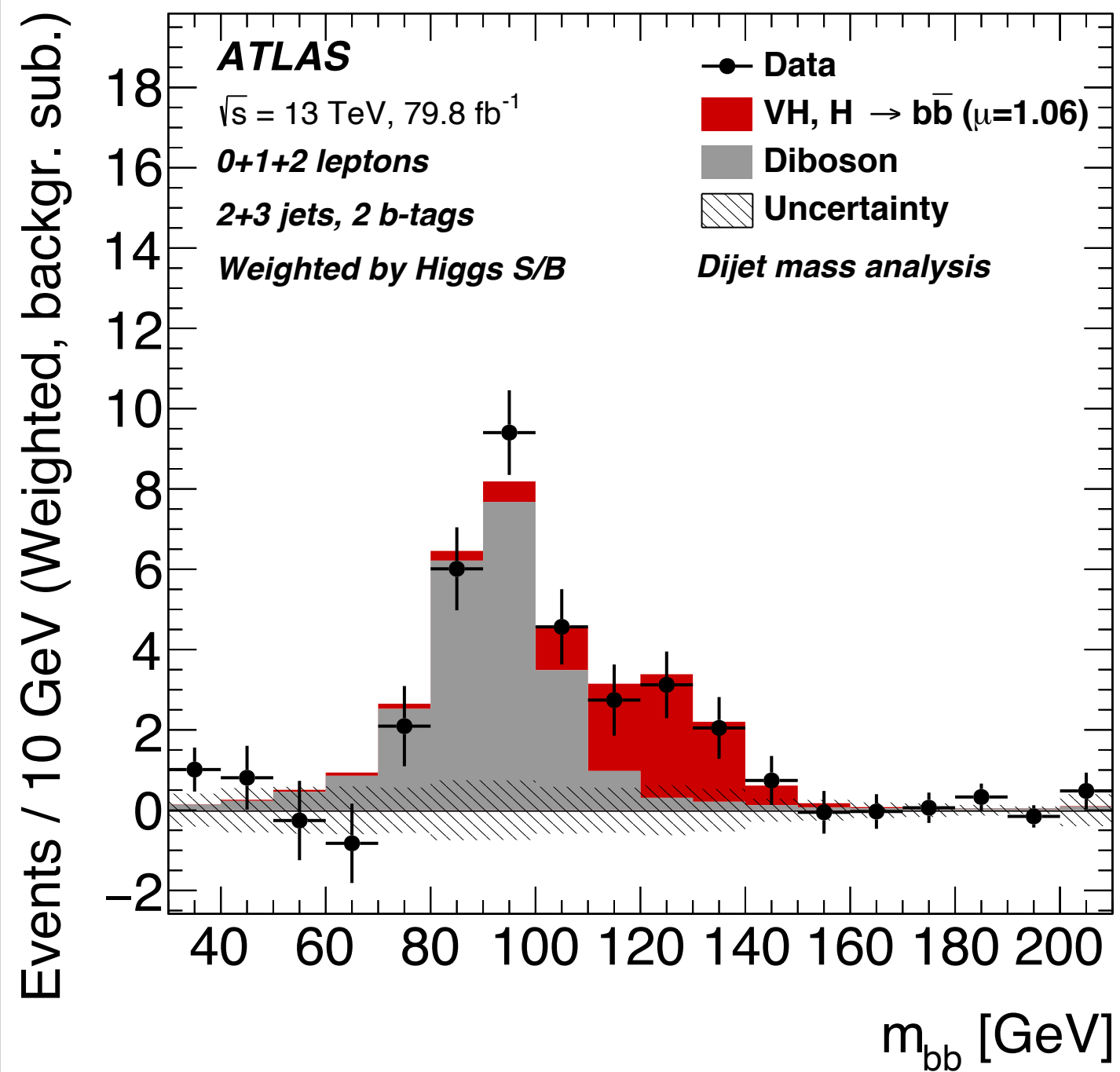
- Necessary tool
  - Physics =
  - Observations →
    - Make a set of \_\_\_\_\_ or \_\_\_\_\_
      - Summarize the \_\_\_\_\_
    - Most \_\_\_\_\_ are drawn with some degree of \_\_\_\_\_
      - e.g. \_\_\_\_\_
      - In reality, we know \_\_\_\_\_ to some precision
        - e.g.  $G_N =$  \_\_\_\_\_
- Many measurements are \_\_\_\_\_ (e.g. \_\_\_\_\_)
  - Have to be interpreted in \_\_\_\_\_

- Many measurements require complicated
  - Computerization
- are computerized
- And use computers too

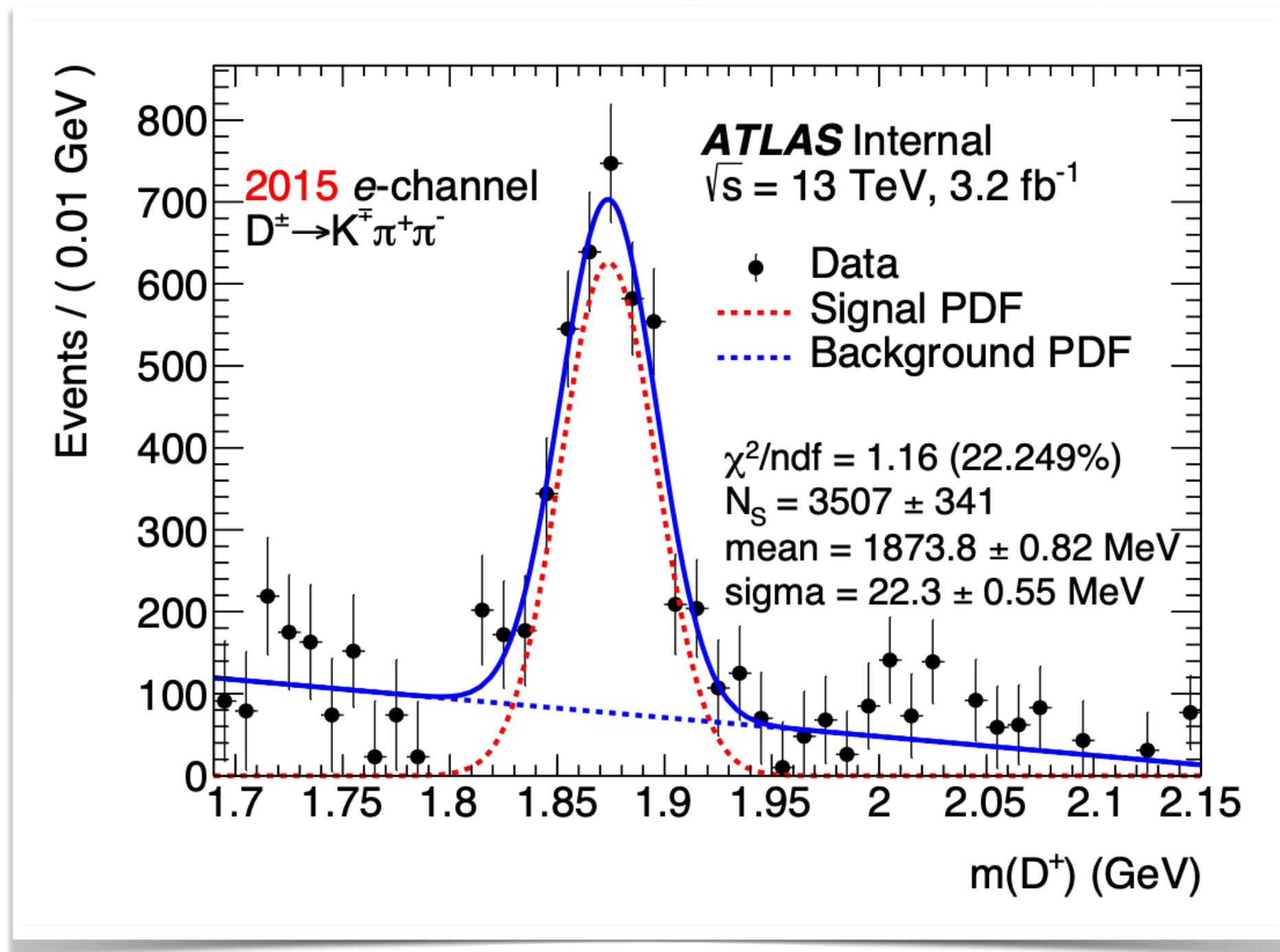
# My First Exposure to Computing



# Examples (My Research)

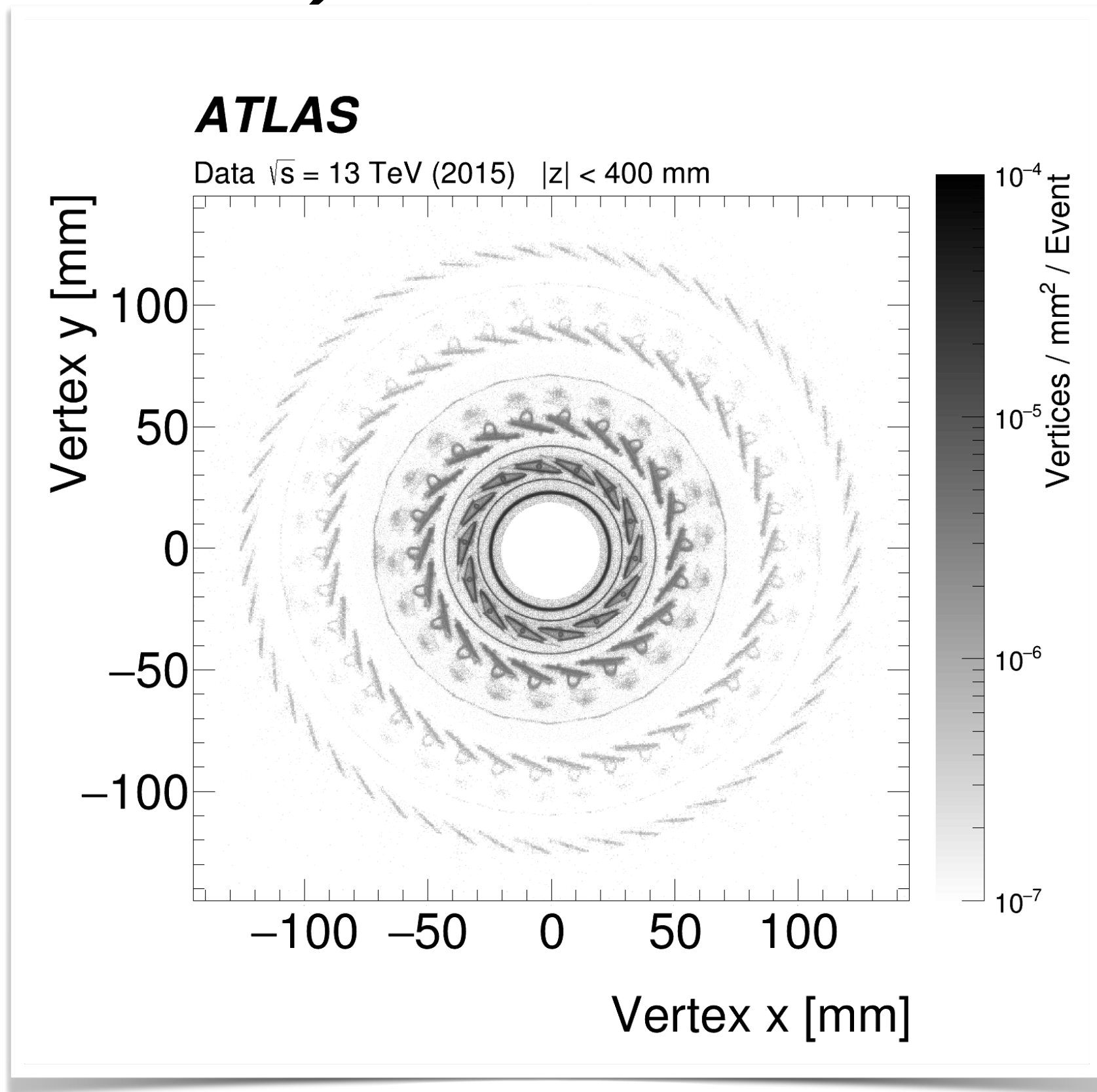


# Examples (My Research)



M. Muskinja (PostDoc)

# Examples (My Research)





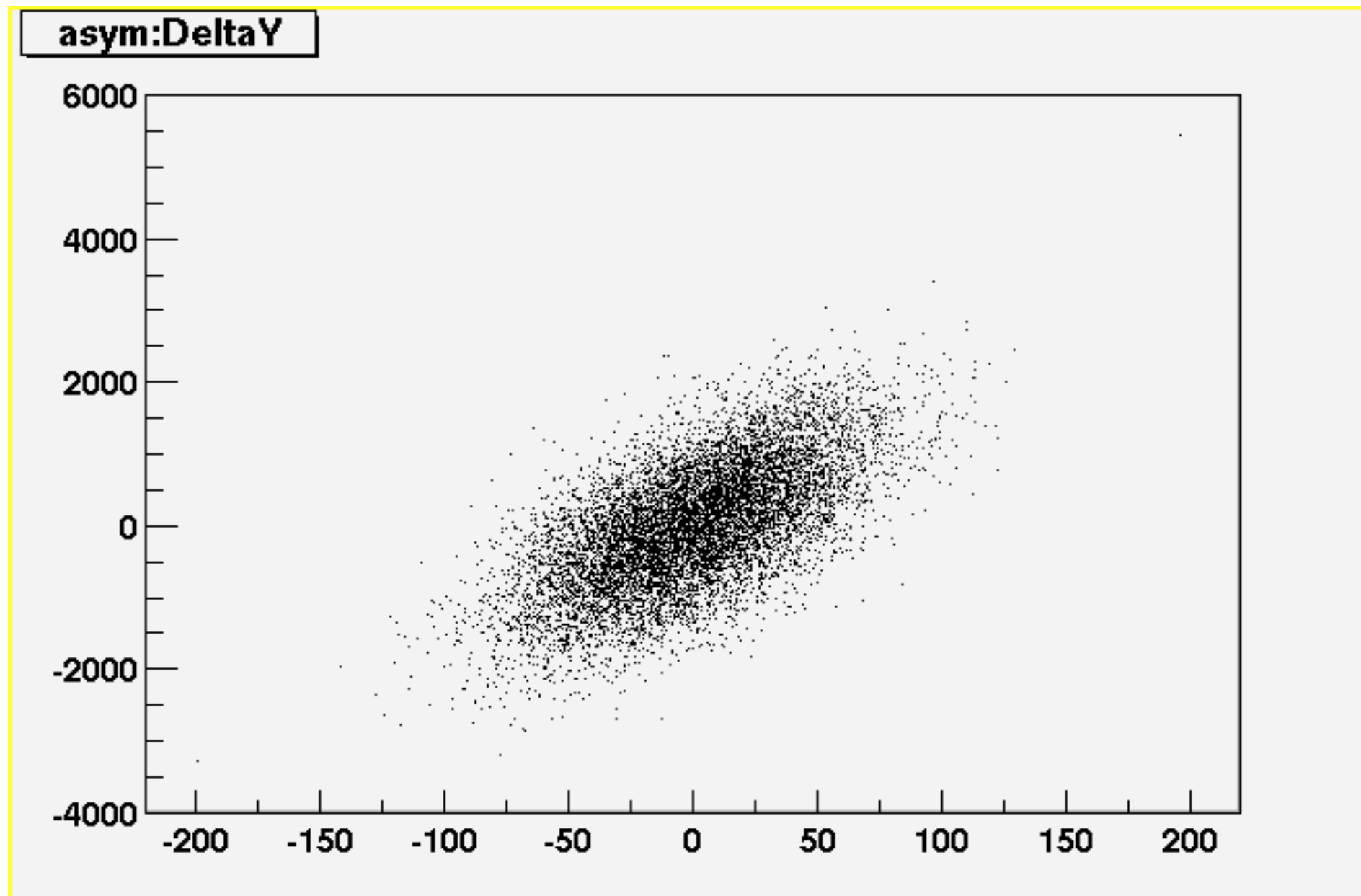
# Describing the Data

- Data: results of
  - In physics we mostly deal with  $\vec{r}, \vec{v}, \vec{a}$ , i.e.
  - Other fields may deal with
    - An American Robin has gray upper parts and head, and orange under parts, usually brighter in the male
  - Numbers are  $\infty$  to handle
    - We will mostly deal with  $\mathbb{R}$
- Types of quantitative data
  - $\mathbb{R}$  data, e.g.
    - $\vec{r}$
  - $\mathbb{Z}$  data, e.g.
    - Some  $\vec{r}$ , e.g. from  $\vec{r} = \vec{r}_0 + \vec{v}t$
  - $\mathbb{C}$  data, e.g.
    - $\vec{v}$
  - Sets of  $\mathbb{R}$  :

# Visualizing the Data

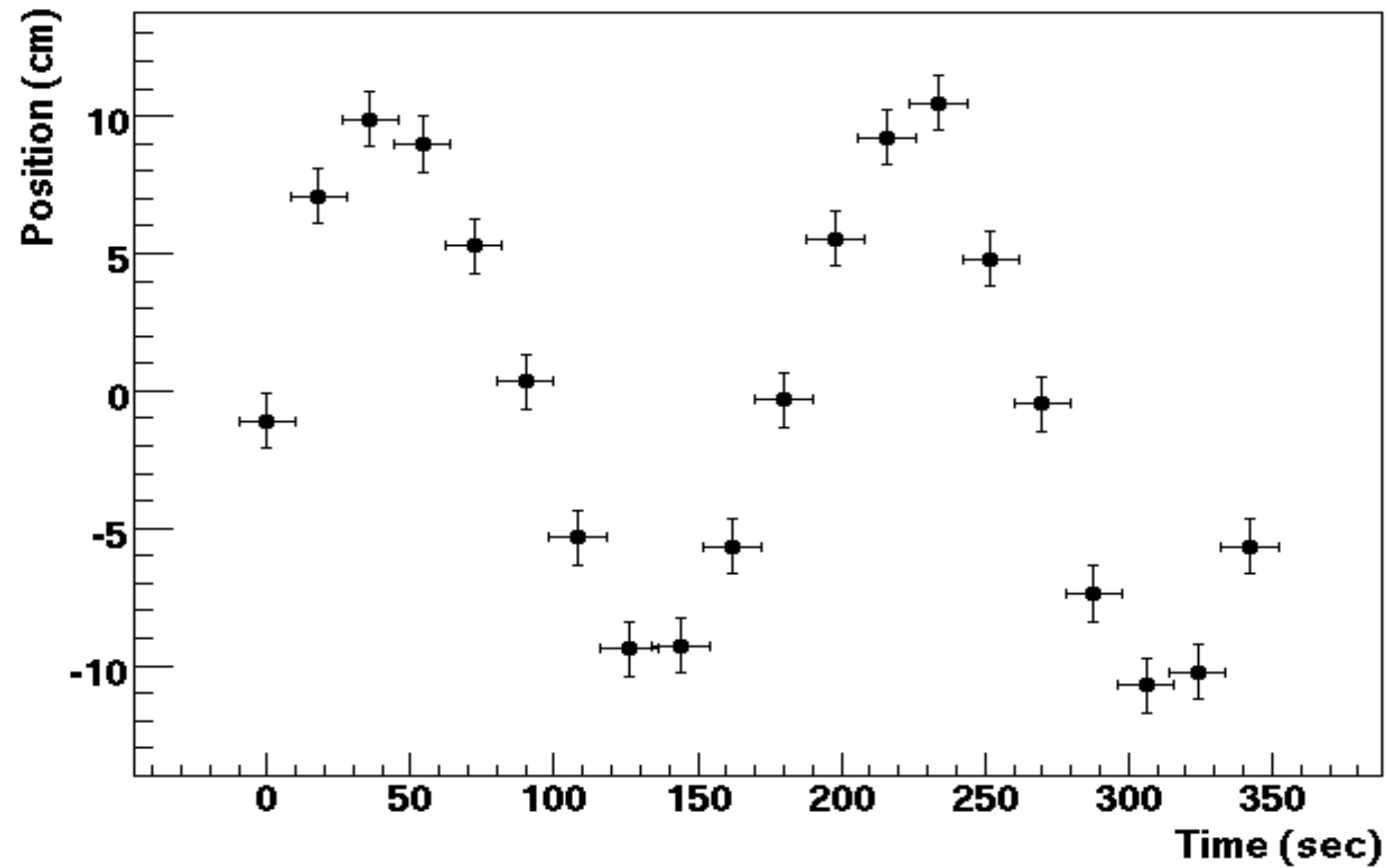
- Tables
  - datasets can be difficult to
- Graphs
  -
- Charts
  -

# Examples

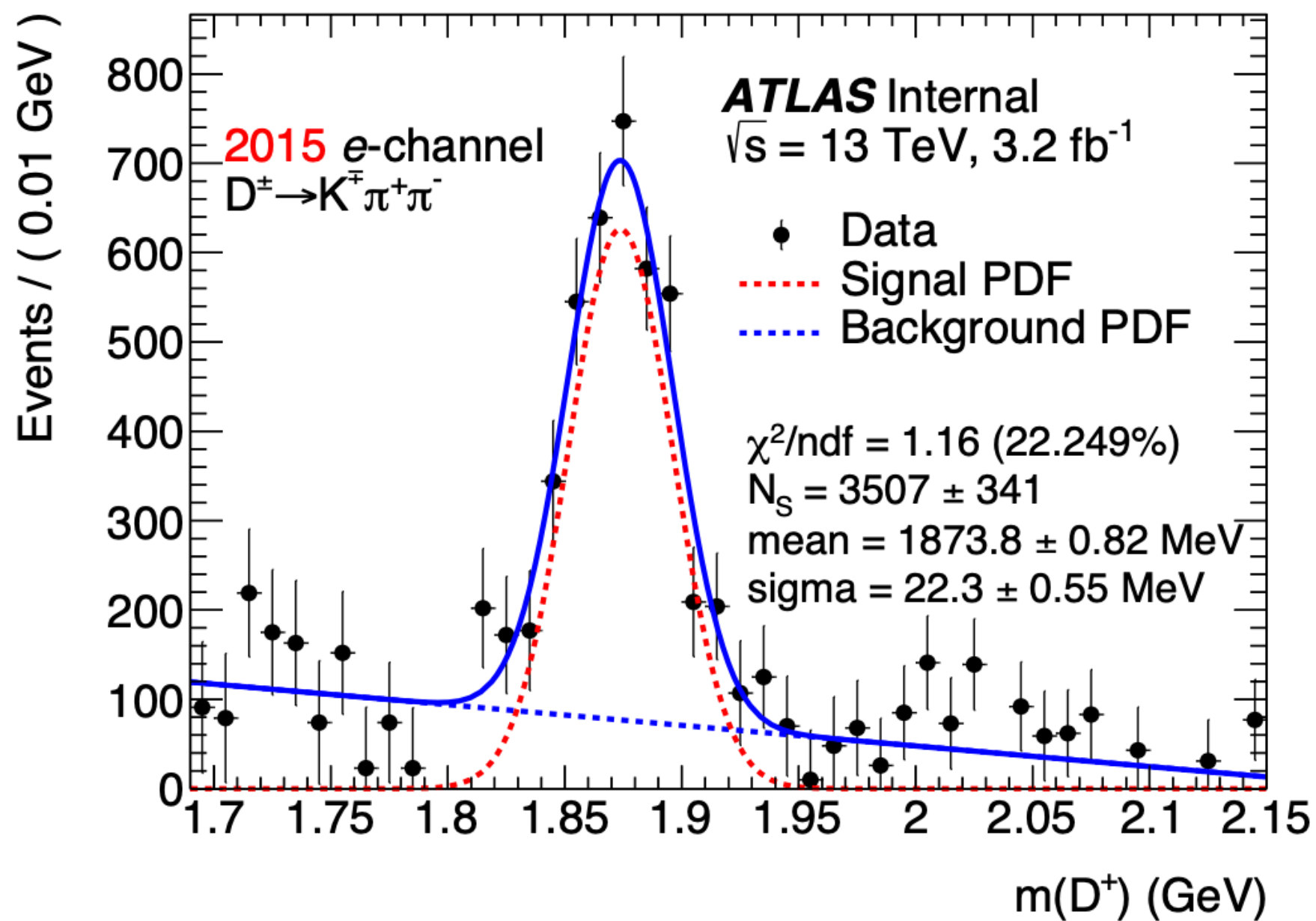


# Examples

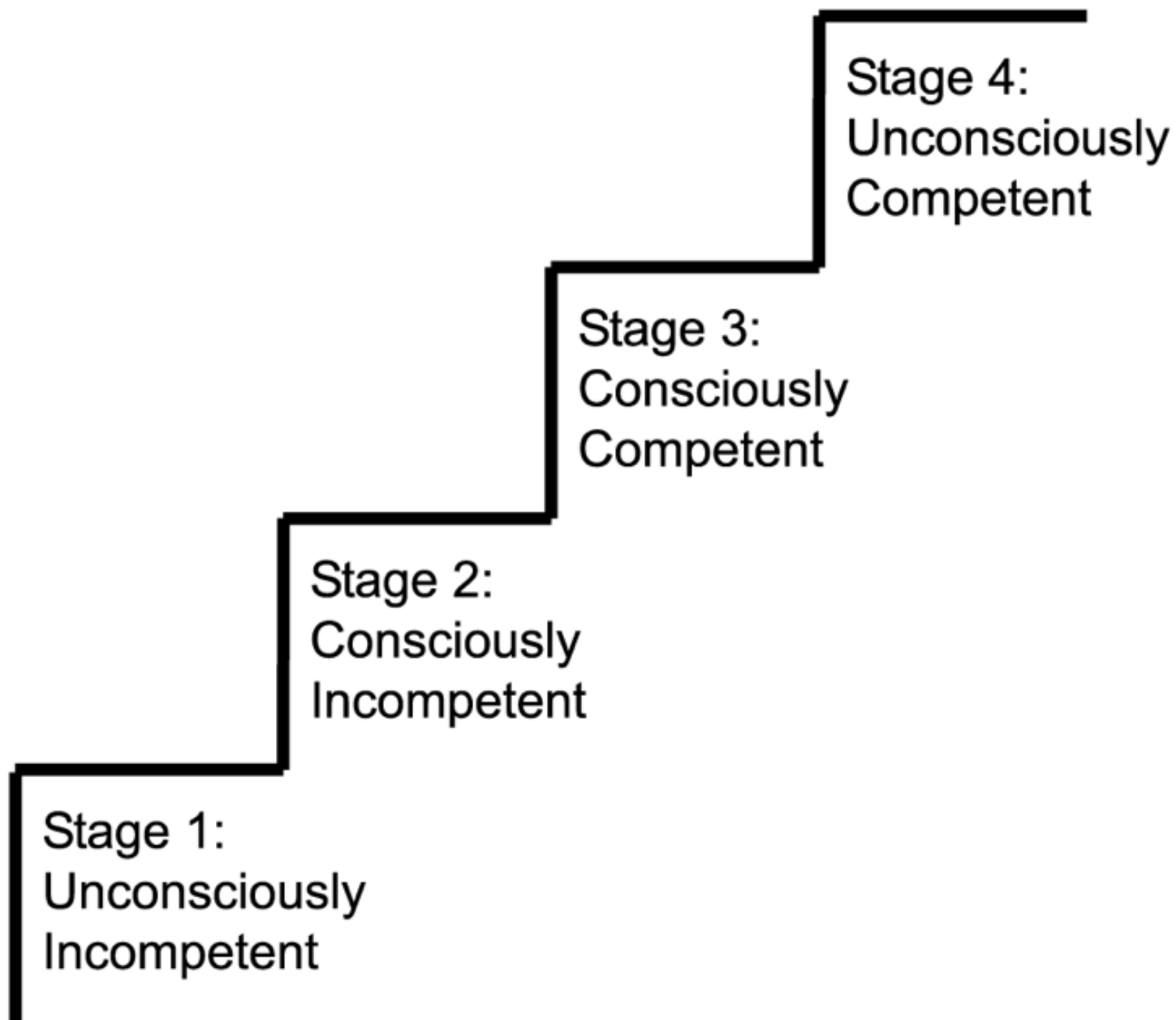
Graph



# Examples



# How You Should Learn



# How to Approach This Course

- Active Learning
  - Learn by
- Three main threads to the course
  - 
  - 
  -
- No single book covers all of it
  - Recommend two (Newman, Hughes & Hase)
  - Many online resources for each step
    - Book → Lecture → Workshop → HW → Book cycle applies

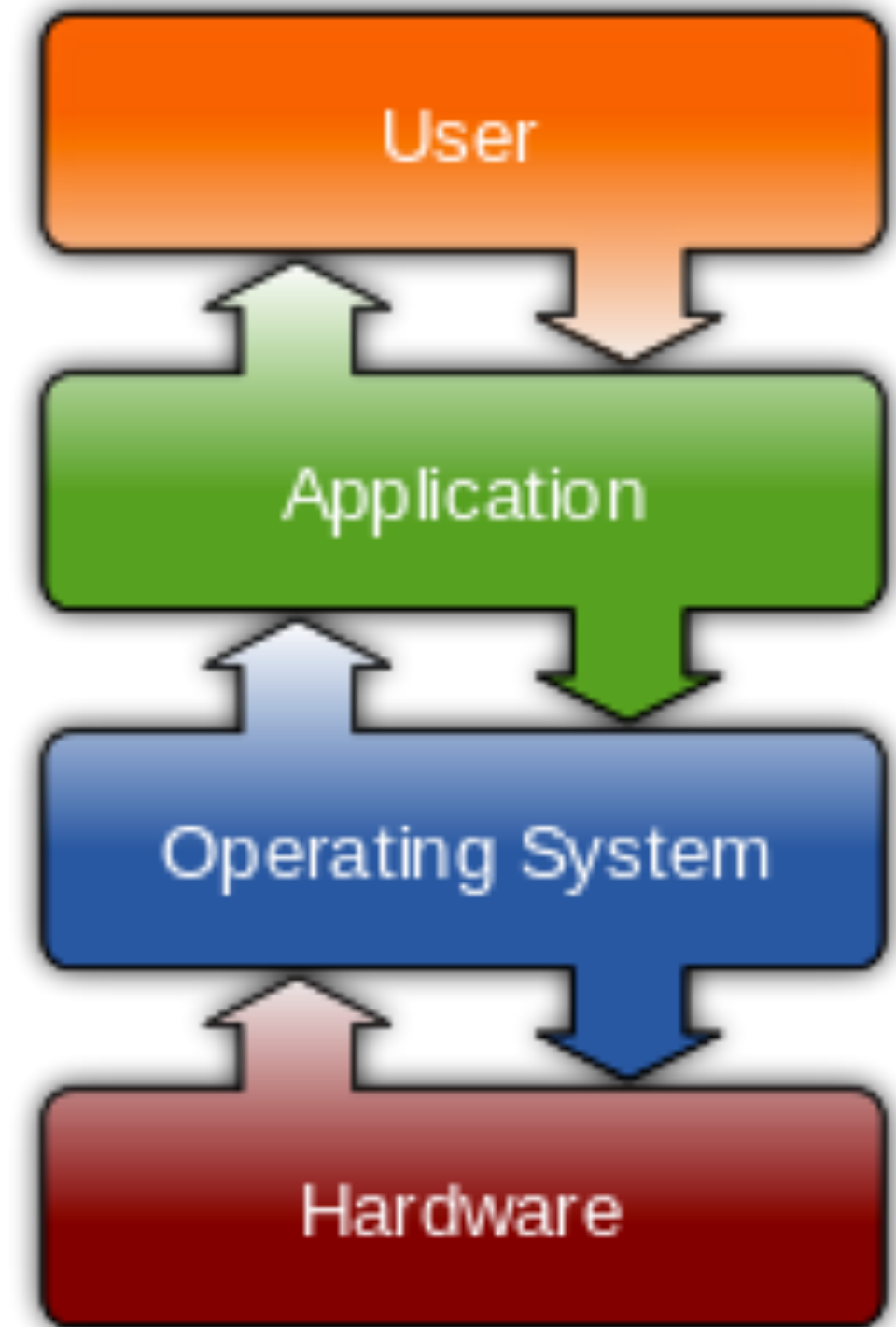
**Let's take a look at the  
jupyter notebook**



# **Operating Systems, Programming Environments, Representations**

# Brief Spiel: Operating Systems

- Operating System ( ) is an interface between a and a
  - Translate to electronic signals, report results back
  - Optimized for hardware, efficient
    - Low-level code
  - Interface can be graphical ( ), text-based ( ), or mixed ( )



Source: Wikipedia

# Unix/Linux

- One of the oldest (surviving) OS ( )
- Initially developed for , ported to (Linux and spinoffs)
- Variants are now running on a variety of hardware
  - PC ( )
  - Mac ( )
  - smartphones ( , )
  - even the occasional microwave
- Robust, efficient
- Designed to be , so basic interface is a

# Programming Environments

- interface
- interface
- Connecting to a server (ssh, terminal)
- Scripts
- Compiled vs interpreted languages

```
[root@localhost ~]# ping -q fa.wikipedia.org
PING text.pmtpa.wikimedia.org (208.80.152.2) 56(84) bytes of data.
^C
--- text.pmtpa.wikimedia.org ping statistics ---
1 packets transmitted, 1 received, 0% packet loss, time 0ms
rtt min/avg/max/mdev = 540.528/540.528/540.528/0.000 ms
[root@localhost ~]# pwd
/root
[root@localhost ~]# cd /var
[root@localhost var]# ls -la
total 72
drwxr-xr-x. 18 root root 4096 Jul 30 22:43 .
drwxr-xr-x. 23 root root 4096 Sep 14 20:42 ..
drwxr-xr-x.  2 root root 4096 May 14 00:15 account
drwxr-xr-x. 11 root root 4096 Jul 31 22:26 cache
drwxr-xr-x.  3 root root 4096 May 18 16:03 db
drwxr-xr-x.  3 root root 4096 May 18 16:03 empty
drwxr-xr-x.  2 root root 4096 May 18 16:03 games
drwxrwx--T.  2 root gdm  4096 Jun  2 18:39 gdm
drwxr-xr-x. 38 root root 4096 May 18 16:03 lib
drwxr-xr-x.  2 root root 4096 May 18 16:03 local
lrwxrwxrwx.  1 root root    11 May 14 00:12 lock -> ../run/lock
drwxr-xr-x. 14 root root 4096 Sep 14 20:42 log
lrwxrwxrwx.  1 root root    10 Jul 30 22:43 mail -> spool/mail
drwxr-xr-x.  2 root root 4096 May 18 16:03 nis
drwxr-xr-x.  2 root root 4096 May 18 16:03 opt
drwxr-xr-x.  2 root root 4096 May 18 16:03 preserve
drwxr-xr-x.  2 root root 4096 Jul  1 22:11 report
lrwxrwxrwx.  1 root root    6 May 14 00:12 run -> ../run
drwxr-xr-x. 14 root root 4096 May 18 16:03 spool
drwxrwxrwt.  4 root root 4096 Sep 12 23:50 tmp
drwxr-xr-x.  2 root root 4096 May 18 16:03 yp
[root@localhost var]# yum search wiki
Loaded plugins: langpacks, presto, refresh-packagekit, remove-with-leaves
rpmfusion-free-updates                               | 2.7 kB      00:00
rpmfusion-free-updates/primary_db                     | 206 kB      00:04
rpmfusion-nonfree-updates                             | 2.7 kB      00:00
updates/metalink                                      | 5.9 kB      00:00
updates                                                | 4.7 kB      00:00
updates/primary_db                                   73% [=====] 62 kB/s | 2.6 MB      00:15 ETA
```

Source: Wikipedia

# Brief Spiel: Programming Languages

- Programming languages allow   to translate sets of   (an algorithm) to a form understandable by a
- Classifications
  - 
  - 
  - 
  -
- Implementations
  - 
  - 
  - 
  -

# Data Representation

- Data on computers represented in **binary** format
- Base **2** representation (as opposed to base **10** )

- $abcd_2 =$

- Examples:

Decimal numbers	Binary equivalent	Decimal numbers	Binary equivalent
0	0000	8	1000
1	0001	9	1001
2	0010	10	1010
3	0011	11	1011
4	0100	12	1100
5	0101	13	1101
6	0110	14	1110
7	0111	15	1111

- Smallest memory cell:

- **8** bits = **1** byte (B)

- Measures of memory

- 1 kB = **1024** ; 1 MB = **1024** , etc

# Binary Representation

- Practical consequences
  - All numbers in the digital format are  $\text{finite}$ , i.e. they have precision
    - This is easy to understand with  $\frac{1}{10}$  (  $\frac{1}{10}$  by construction)
    - Real numbers: think about representation in
      - $0.125 = \frac{1}{8}$
    - Could you represent  $1/10$  in powers of 2 ? What about  $\pi$  ?
  - Basic data types have  $\text{range}$  and  $\text{precision}$  value, as well as precision, determined by the data type size
    - i.e. how much  $\text{memory}$  is allocated for each data type
    - Most common:  $4$  or  $8$  bytes for integer and real values

# Examples: Integer Data

- C/C++

```
root [0] sizeof(int) // number of bytes for integer  
(const int)4  
root [1] sizeof(long) // number of bytes for long integer  
(const int)8  
root [2] []
```

- This means:

- Range of signed ints in C is  $\pm 2147483647$
- Range of unsigned ints in C is  $0..4294967295$
- E.g. time in Unix is represented as  
— in seconds from Jan 1, 1970.  
Hence the impending end of time in
  - (Google “end of unix time”)

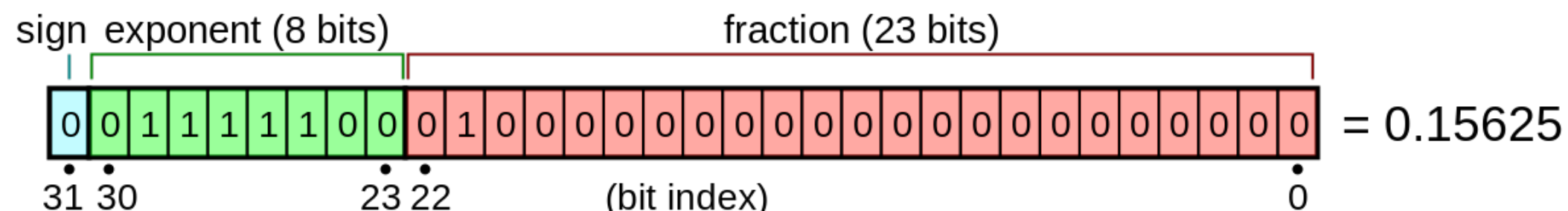




# Examples: Real numbers

- Real numbers are represented by 3 fields

- 
- 
- 



$$\text{value} = (-1)^{\text{sign}} \times \left( 1 + \sum_{i=1}^{23} b_{23-i} 2^{-i} \right) \times 2^{(e-127)}$$

- For example, most languages use `float` and `double` floating point numbers

- `float` and `double` in C/C++

# Precision and Range

For both single and double precision IEEE floating point numbers:

Property	Value for float	Value for double
Largest representable number	3.402823466e+38	1.7976931348623157e+308
Smallest number without losing precision	1.175494351e-38	2.2250738585072014e-308
Smallest representable number(*)	1.401298464e-45	5e-324
Mantissa bits	23	52
Exponent bits	8	11
Epsilon(**)	1.1929093e-7	2.220446049250313e-16

[http://www.cprogramming.com/tutorial/floating\\_point/understanding\\_floating\\_point\\_representation.html](http://www.cprogramming.com/tutorial/floating_point/understanding_floating_point_representation.html)

*What about Python ? Let's go back to the Notebook*