

# SMOTE Multinomial Model Fitting

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We will now repeat the entire process of post feature selection and multinomial model fitting with our new, larger, datasets containing our synthesised data. From our process of feature selection that we did in our Python Notebook, we already saw a slight improvement in our decision tree model accuracy scores. Our hope is that we will see an improvement in the effectiveness of our multinomial model as well.

```
SData_Current <- read.csv('/Users/alyzehjiwani/Downloads/Data/Final Data Used/SMOTE_data.csv')
SData_Gap_Train <- read.csv('/Users/alyzehjiwani/Downloads/Data/Final Data Used/Year_Gap_SMOTE_Train_d
SData_Gap_Test <- read.csv('/Users/alyzehjiwani/Downloads/Data/Final Data Used/Crime_Data_Year_Gap_Test
```

## Post Feature Selection

From our analysis using decision trees and permutation feature importance in python, we are able to now remove some features that are unlikely to contribute to our models.

For SMOTE\_data, where the values for all the features and our response variable crime\_rate are taken in the same year, we decided to keep the following features: Com\_House, Child\_Care, Emp\_Res and Pop

For df\_2, where values for features are taken three years prior to values for our response variable crime\_rate, the features we have decided to keep are: Inflation, Year, Emp\_Res, Pop and Com\_House

```
SData_Current <- SData_Current[,c('Com_House', 'Child_Care', 'Pop', 'Emp_Res', 'C_Rate')]
SData_Gap_Train <- SData_Gap_Train[,c('Inflation', 'Year', 'Com_House', 'Pop', 'Emp_Res', 'C_Rate')]
SData_Gap_Test <- SData_Gap_Test[,c('Inflation', 'Year', 'Com_House', 'Pop', 'Emp_Res')]
```

We will now try to fit the data to a multinomial regression model

```
library(nnet)
library(caret)
```

```
## Loading required package: ggplot2
```

```
## Loading required package: lattice
```

Working with SData\_Current:

Splitting into Train/Test

```
index <- createDataPartition(SData_Current$C_Rate, p = 0.7, list = FALSE)
train <- SData_Current[index,]
test <- SData_Current[-index,]
```

```
model_Scur_1 <- multinom(C_Rate~., data = SData_Current)
```

```
## # weights: 30 (20 variable)
## initial value 2703.855693
## iter 10 value 2306.648738
## iter 20 value 1932.199874
## iter 30 value 1813.401523
## iter 40 value 1810.620305
## final value 1810.602419
## converged
```

```
summary(model_Scur_1)
```

```
## Call:
## multinom(formula = C_Rate ~ ., data = SData_Current)
##
## Coefficients:
## (Intercept) Com_House Child_Care Pop Emp_Res
## 1 0.03543474 0.04476201 0.004588498 -2.449197e-05 0.1333186
## 2 0.04703063 0.04696612 0.016648530 -4.644601e-05 0.4647420
## 3 0.21698055 0.05322401 0.010265796 -8.225881e-05 0.7917630
## 4 4.43596237 0.08196770 -0.020493060 -1.165475e-03 1.3111520
##
## Std. Errors:
## (Intercept) Com_House Child_Care Pop Emp_Res
## 1 4.870650e-05 0.007765118 0.005213027 4.482774e-06 9.722959e-05
## 2 4.710003e-05 0.007748095 0.004906921 4.700298e-06 1.122569e-04
## 3 1.039807e-04 0.007765348 0.005324381 5.053545e-06 2.214359e-04
## 4 2.098251e-04 0.018796385 0.010934331 1.276946e-04 3.343709e-04
##
## Residual Deviance: 3621.205
## AIC: 3661.205
```

```
exp(coef(model_Scur_1))
```

```
## (Intercept) Com_House Child_Care Pop Emp_Res
## 1 1.036070 1.045779 1.0045990 0.9999755 1.142614
## 2 1.048154 1.048086 1.0167879 0.9999536 1.591603
## 3 1.242320 1.054666 1.0103187 0.9999177 2.207284
## 4 84.433342 1.085421 0.9797155 0.9988352 3.710446
```

These are the probabilities of neighbourhoods being having a particular crime rate level

```
head(round(fitted(model_Scur_1),3))
```

```
##      0      1      2      3 4
## 1 0.344 0.271 0.214 0.170 0
## 2 0.359 0.272 0.221 0.149 0
## 3 0.283 0.236 0.243 0.239 0
## 4 0.056 0.355 0.297 0.293 0
## 5 0.355 0.260 0.277 0.108 0
## 6 0.322 0.353 0.213 0.113 0
```

We now want to see what the accuracy of the model is.

```
train$C_RatePred <- predict(model_Scur_1, newdata = train, 'class')
tab <- table(train$C_Rate, train$C_RatePred)
tab
```

```
##
##      0   1   2   3   4
## 0 173  17  32  18   0
## 1 133  32  31  35   0
## 2  82  36  43  75   0
## 3  36  41  34 105  20
## 4   0   0   0   0 236
```

Now we calculate accuracy

```
round((sum(diag(tab))/sum(tab))*100,2)
```

```
## [1] 49.96
```

Our accuracy is at a value of 50.21, which is higher than our original value of 42.75

We now predict on the test dataset and see our classification table

```
test$C_RatePred <- predict(model_Scur_1, newdata = test, "class")

tab_test <- table(test$C_Rate, test$C_RatePred)
tab_test
```

```
##
##      0   1   2   3   4
## 0  66  11  10   9   0
## 1  62  13   9  21   0
## 2  35  17  18  30   0
## 3  15   8  14  51  12
## 4   0   0   0   0 100
```

accuracy of test model

```
round((sum(diag(tab_test))/sum(tab_test))*100,2)
```

```
## [1] 49.5
```

Again, this is higher than our original value of 40.42

We now repeat this for the data where values of our features are taken three years prior to the values of our response variable.

```
model_Sgap_1 <- multinom(C_Rate~., data = SData_Gap_Train)
```

```
## # weights: 35 (24 variable)
## initial value 1545.060396
## iter 10 value 1521.471813
## iter 20 value 1168.729640
## iter 30 value 1016.369746
## iter 40 value 985.509795
## iter 50 value 977.818090
## iter 60 value 976.798117
## iter 70 value 975.890379
## iter 80 value 975.808460
## iter 90 value 970.056251
## iter 100 value 969.947559
## final value 969.947559
## stopped after 100 iterations
```

```
summary(model_Sgap_1)
```

```
## Call:
## multinom(formula = C_Rate ~ ., data = SData_Gap_Train)
##
## Coefficients:
## (Intercept) Inflation Year Com_House Pop Emp_Res
## 1 -321.52245 -0.2324984 0.15940493 0.05404951 1.105814e-05 0.03374738
## 2 71.64339 0.1946673 -0.03582643 0.05346558 -2.522182e-05 0.56206765
## 3 -531.60875 1.2953466 0.26255469 0.06066671 -4.563481e-05 0.84901705
## 4 -50.47378 591.6783241 -0.66903247 0.09143197 4.841996e-03 -0.01320817
##
## Std. Errors:
## (Intercept) Inflation Year Com_House Pop Emp_Res
## 1 6.840353e-08 2.508771e-05 0.0001220574 0.011236088 1.226962e-05 1.227861e-04
## 2 6.447748e-08 1.397687e-05 0.0001239996 0.011228947 1.292896e-05 1.524275e-04
## 3 6.728749e-08 6.201546e-06 0.0001298659 0.011232439 1.363454e-05 7.097931e-05
## 4 3.983029e-06 9.227320e-06 0.0080398183 0.002075954 1.331075e-03 3.522069e-05
##
## Residual Deviance: 1939.895
## AIC: 1987.895
```

```
exp(coef(model_Sgap_1))
```

```
## (Intercept) Inflation Year Com_House Pop Emp_Res
## 1 2.315117e-140 7.925510e-01 1.1728128 1.055537 1.0000111 1.0343233
## 2 1.301156e+31 1.214907e+00 0.9648077 1.054921 0.9999748 1.7542960
## 3 1.334295e-231 3.652262e+00 1.3002476 1.062545 0.9999544 2.3373482
## 4 1.200929e-22 9.175532e+256 0.5122039 1.095742 1.0048537 0.9868787
```

These are the probabilities of neighbourhoods being having a particular crime rate level

```
head(round(fitted(model_Sgap_1),3))
```

```
## 0 1 2 3 4
## 1 0.396 0.178 0.260 0.167 0
## 2 0.301 0.203 0.299 0.197 0
```

```
## 3 0.294 0.141 0.313 0.252 0
## 4 0.045 0.277 0.363 0.315 0
## 5 0.445 0.227 0.218 0.111 0
## 6 0.266 0.313 0.274 0.148 0
```

We now want to see what the accuracy of the model is.

```
SData_Gap_Train$C_RatePred <- predict(model_Sgap_1, newdata = SData_Gap_Train, 'class')
tab_gap <- table(SData_Gap_Train$C_Rate, SData_Gap_Train$C_RatePred)
tab_gap
```

```
##
##      0   1   2   3   4
## 0 148  20  15   9   0
## 1 101  49  18  24   0
## 2  81  28  41  42   0
## 3  25  25  42  97   3
## 4   0   0   0   2 190
```

Now we calculate accuracy

```
round((sum(diag(tab_gap))/sum(tab_gap))*100,2)
```

```
## [1] 54.69
```

Our accuracy for this model is slightly better at 54.69

We now predict on the test dataset.

```
SData_Gap_Test$C_RatePred <- predict(model_Sgap_1, newdata = SData_Gap_Test, "class")
head(SData_Gap_Test$C_RatePred)
```

```
## [1] 3 3 3 3 3 3
## Levels: 0 1 2 3 4
```

Our values for accuracy have improved using the synthesized data.