# Ⅲ. 표본설계 개요

## 1. 모집단의 정의 및 표본추출틀

- (1) 목표모집단 : 사업체\* 정의에 부합되는 대한민국내 '전문, 과학 및 기술 서비스업'을 영위하는 사업체
  - \* 사업체의 정의 : 일정한 물리적 장소 또는 일정한 지역 내에서 하나의 단일 또는 주된 경제활동에 독립적으로 종사하는 기업체 또는 기업체를 구성하는 부분단위
- (2) 조사모집단: 제9차 한국표준산업분류상 'M 전문, 과학 및 기술 서비스업' 중일부 업종(70. 연구개발업, 7151 회사본부)을 제외한 모든 사업체
- (3) 표본추출를 : 조사모집단을 구성하는 '12년 기준 전국사업체조사 사업체 명부(76,622개)

#### 2. 표본설계

- (1) 부차모집단 : 시도 및 산업세세분류
- (2) 표본추출방법 : 층화계통추출방법
- (3) 층화방법 : 부차모집단별로 다음과 같이 층화
  - 1차 층화 : 전수층, 표본층
    - 전수층
    - 전수업종
      - ··기타 회계관련 서비스업(71209), 비금융 지주회사(71520)
      - ··전국·산업세세분류별 사업체수가 30개 이하인 업종
      - ··시도 · 산업세세분류별 20개 이하인 업종
    - · 전수경계점 이상
      - ··매출액 100억 이상인 사업체
      - ··종사자수 50인 이상인 사업체
      - $(y_{i+1}-y_i) \ge (3 \times \sigma_y)$ 인 경우, 매출액이 상대적으로 큰 사업체

- 표본층 : 전수층 사업체를 제외한 나머지 사업체
- 2차 층화 : 종사자규모층(1~4인, 5~9인, 10~19인, 20~49인, 50인 이상)

### (4) 표본규모결정

- 배분방법 : 네이만 배분법(neyman allocation)
- 부문별 목표 상대표준오차(CV, Cofficient of Variation)
  - 산업중분류별 목표 CV 1.1% 이내
  - 시도별 목표 CV 1.5% 이내
  - 산업세세분류별 목표 CV 3.2% 이내
  - 시도 및 산업세분류별 목표 CV 5.1% 이내
  - 시도 및 산업세세분류별 목표 CV 6.6% 이내
- ㅇ 표본수 계산 공식

$$\cdot \ \, n_{hi} = \frac{\sum_{j=1}^{5} N_{hij}^{2} \cdot S_{r, \; hij}^{2} / w_{hij}}{cv^{2} \cdot Y_{hi}^{2} + \sum_{j=1}^{5} (N_{hij} \cdot S_{r, \; hij}^{2})}$$

$$\cdots w_{hij} = \frac{S_{r, \, hij} \cdot N_{hij}}{\sum_{j=1}^{5} S_{r, \, hij} \cdot N_{hij}}$$

$$\cdots \ \, S_{r,\,hij} = \frac{\displaystyle \sum_{l}^{N_{hij}} (y_{hij} - R_{hij} x_{hij})^2}{N_{hij} - 1} , \qquad \text{어기처} \ \, R_{hij} = \frac{\displaystyle \sum_{l}^{N_{hij}} y_{hijl}}{\displaystyle \sum_{l}^{N_{hij}} x_{hijl}}$$

$$\cdot \ n_{\mathit{hij}} = n_{\mathit{hi}} \cdot w_{\mathit{hij}}$$

천자 h : 시도 변수 n : 표본크기 i : 산업세세분류 N : 모집단크기 i :

x : 보조변수(종사자수) cv : 목표 상대표준오차

w : 증별 표본수 배분 비율

(5) 표본사업체 선정 : 부차모집단 및 종사자규모 층별로 사업체를 매출액 내림차순으로 정렬한 후 계통추출(중앙값 계통추출)

### 3. 총합 추정

- 사후층화 비추정방법 : 표본설계시 전년기준 표본추출틀을 사용함에 따라 추정단계에서 최신 자료로 사후층 형성
  - 주요 특성변수인 매출액과 상관관계가 높은 종사자수의 비(ratio)를 이용하여 모집단 총합을 추정

$$\circ$$
 분리 비(separate ratio) r 추정 :  $\hat{r}_{hij} = \frac{\sum\limits_{l}^{sn_{hij}} y_{hijl}}{\sum\limits_{l}^{sn_{hij}} x_{hijl}}$ 

- 종사자층별 총합 추정 : 
$$\hat{\tau}_{y,\,hij}=\sum_{l}^{cn_{hij}}y_{\,hijl}+\hat{r}_{\,hij} imes\,_sT_{x,\,hij}$$

- 시도별 총합 추정 
$$\hat{ au}_{y,h} = \sum_i \sum_j \hat{ au}_{y,hij}$$

- 전국 총합 추정 : 
$$\hat{ au}_y = \sum_h \hat{ au}_{y,h}$$

변수 x : 종사자수 y : 매출액

천자 c : 전수층 사업체 s : 표본층 사업체 h : 시도 i : 산업세세분류 j : 종사자규모층 l : 개별사업체

### 4. 표본분산 추정

○ 분리 비 추정 분산식

- 종사자층별 총합  $\hat{ au}_{u.hii}$ 의 분산 :

$$\hat{V}(\hat{\tau}_{y,\,hij}) = \tau_{x,\,hij}^{2} \hat{V}(r_{hij}) = \frac{{}_{s}N_{hij}({}_{s}N_{hij} - {}_{s}n_{hij})}{{}_{s}n_{hij}} \hat{s}_{r,\,hij}^{2}$$

역기처, 
$$\hat{s}_{r,hij}^2 = \frac{\sum\limits_{l}^{s_{hij}}(y_{hijl} - \hat{r}_{hij}x_{hijl})^2}{s_{hij} - 1}$$

- 시도별 총합 
$$\hat{ au}_{y,h}$$
의 분산 :  $\hat{V}(\hat{ au}_{y,h}) = \sum_i \sum_j \hat{V}(\hat{ au}_{y,hij})$ 

- 전국 총합 
$$\hat{\tau_y}$$
의 분산 :  $\hat{V}(\hat{\tau}_y) = \sum_h \hat{V}(\hat{\tau}_{y,h})$ 

$$\circ$$
 표준오차 :  $SE(\hat{ au_y}) = \sqrt{\hat{V}(\hat{ au_y})}$ 

$$\circ$$
 상대표준오차 :  $CV(\hat{ au_y}) = \ \frac{SE(\hat{ au_y})}{\hat{ au_y}} imes 100$ 

$$\circ$$
 100(1- $lpha$ )% 신뢰구간 :  $\hat{ au}_y \pm z_{lpha/2} SE(\hat{ au}_y)$ 

# Ⅲ. Outline of sample design

### 1. Definition of population and sample frame

- (1) Target population: Domestic establishments\* conducting professional, scientific and technical activities(section M)
  - \* The establishment is defined as an enterprise or part of an enterprise that is situated in a single location and in which only a single(non-ancillary) productive activity is carried out or in which the principal productive activity accounts for most of the value added.
- (2) Survey population: All establishments classified into section M. professional, scientific and technical activities of KSIC Rev.9 except for establishments corresponding to 70 division(research and development) and 7151 class(activities of head offices)
- (3) Sample frame: 76,622 establishments consisting of the survey population from the 2012 census on establishments

### 2. Sample design

- (1) Sub-population: Province and sub-classes of industrial classification
- (2) Sampling method: Stratified systematic sampling method
- (3) Stratified method: Stratified by sub-population
  - Primary stratification: take-all stratum, take-some stratum
    - Take-all stratum
      - · Complete survey section
        - ·· Other accounting book-keeping and auditing activities(71209), Non-financial holding companies(71520)
        - ·· Survey section whose the establishments number is 30 and less in a population by sub-classes of industry & whole country
        - ·· Survey section whose the establishments number is 20 and less in a population by sub-classes of industry & province were completely surveyed

- · Take-all threshold more
  - ·· Establishments with 10 billion won and more in annual sales
  - ·· Establishments with 50 and more in the number of workers
  - · · Application of  $(y_{i+1}-y_i) \ge (3 \times \sigma_y)$ , establishments with relatively high annual sales
- Take-some stratum : Establishments excluding take-all stratum
- Secondary stratification : size of workers stratum(1~4persons, 5~9, 10~19, 20~49, 50 persons and more)
- (4) Determining the sample size
  - Allocation method: neyman allocation
  - Target Coefficient Variation(CV) by sector
    - Within 1.1% of CV for divisions of industry
    - Within 1.5% of CV for cities and provinces
    - Within 3.2% of CV for sub-classes of industry
    - Within 5.1% of CV for cities and classes of industry
    - Within 6.6% of CV for cities and sub-classes of industry
  - Calculating the Sample size

$$\cdot \ \, n_{hi} = \frac{\sum_{j=1}^{5} N_{hij}^{2} \cdot S_{r, \ hij}^{2} / w_{hij}}{cv^{2} \cdot Y_{hi}^{2} + \sum_{j=1}^{5} (N_{hij} \cdot S_{r, \ hij}^{2})}$$

$$\cdots w_{hij} = \frac{S_{r, hij} \cdot N_{hij}}{\sum_{j=1}^{5} S_{r, hij} \cdot N_{hij}}$$

$$\cdot \cdot \cdot S_{r,\,hij} = \frac{\displaystyle\sum_{l}^{N_{hij}} (y_{hij} - R_{hij}x_{hij})^2}{N_{hij} - 1}, \quad \text{where } R_{hij} = \frac{\displaystyle\sum_{l}^{N_{hij}} y_{hijl}}{\displaystyle\sum_{l}^{N_{hij}} x_{hijl}}$$

$$\cdot n_{hij} = n_{hi} \cdot w_{hij}$$

subscript h : district variable n : Total sample size

i : sub-classes of industry N : Population

j : 1,2...5, stratum by size of workers Y : pimary characteristics(annual sales)

x : Auxiliary characteristics(number of workers)

cv: Target relative standard error

w: Allocation rate of sample size for stratum

### (5) Selecting the sample establishment

Annual sales of establishments were descending sorts by subpopulation and size of workers stratum. Then establishments were selected through systematic sampling

#### 3. Estimate of total amount

- Post stratified ratio estimation
  - Estimaing total population amount using ratio of number of workers that highly correlating with annual sales, the primary characteristics.

$$\hspace{0.5cm} \circ \hspace{0.2cm} \text{Estimates of separate ratio} : \hspace{0.2cm} \hat{r}_{hij} = \frac{\displaystyle\sum_{l}^{sn_{hij}} y_{hijl}}{\displaystyle\sum_{l}^{sn_{hij}} x_{hijl}}$$

- Estimates by size of workers stratum : 
$$\hat{\tau}_{y,\,hij} = \sum_{l}^{cn_{hij}} y_{\,hijl} + \hat{r}_{\,hij} \times \,_{s}\tau_{x,\,hij}$$

- Estimates by district : 
$$\hat{\tau}_{y,h} = \sum_{i} \sum_{j} \hat{\tau}_{y,hij}$$

- Estimates of whole country : 
$$\hat{\tau}_y = \sum_{b} \hat{\tau}_{y,\,h}$$

subscript  $\mathcal{C}$ : take-all stratum variable  $\mathbf{x}$ : number of workers

 $_{S}$  : take-some stratum y : annual sales

h: district

i : sub-classes of industry
j : stratum by size of workers
l : individual establishment

## 4. Sampling variance

o Variation estimation of separate ratio

- Variation of total amount by size of workers stratum :

$$\hat{V}(\hat{\tau}_{y,\,hij}) \; = \tau_{x,\,hij}^{2} \; \hat{V}(r_{hij}) = \frac{{}_{s}N_{hij}({}_{s}N_{hij} - {}_{s}n_{hij})}{{}_{s}n_{hij}} \; \hat{s}_{r,\,hij}^{2}$$

$$\text{where, } \hat{s}_{r,\,hij}^{\,2} = \frac{\sum\limits_{l}^{s_{hij}}(y_{hijl} - \hat{r}_{hij}x_{hijl})^2}{{}_sn_{hij} - 1}$$

- Variation of total amount by district :  $\hat{V}(\hat{\tau}_{y,h}) = \sum_i \sum_j \hat{V}(\hat{\tau}_{y,hij})$ 

- Variation of whole country : 
$$\hat{V}(\hat{\tau}_y) = \sum_h \hat{V}(\hat{\tau}_{y,\,h})$$

- $\circ \ \ \ \, \text{Standard error} \, : \, \textit{SE}(\hat{\tau_{y}}) \! = \ \sqrt{\hat{\textit{V}}(\hat{\tau_{y}})}$
- $\circ \ \ \text{Relative standard error} : \ CV(\hat{\tau_y}) = \ \frac{SE(\hat{\tau_y})}{\hat{\tau_y}} \times \ 100$
- $\circ \ \ 100 (1\text{-}\alpha)\% \ \ \text{confidence interval} \ : \ \hat{\boldsymbol{\tau}}_y \pm z_{\alpha/2} SE(\hat{\boldsymbol{\tau}}_y)$