Cost-effectiveness acceptability curve plots

Introduction

The intention of this vignette is to show how to plot different styles of cost-effectiveness acceptability curves using the BCEA package.

Two interventions only

This is the simplest case, usually an alternative intervention (i = 1) versus status-quo (i = 0).

The plot show the probability that the alternative intervention is cost-effective for each willingness to pay, k,

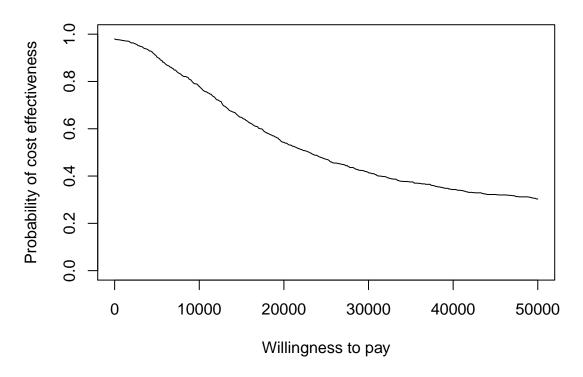
$$p(NB_1 \ge NB_0|k)$$
 where $NB_i = ke - c$

Using the set of N posterior samples, this is approximated by

$$\frac{1}{N} \sum_{j}^{N} \mathbb{I}(k \Delta e^{j} - \Delta c^{j})$$

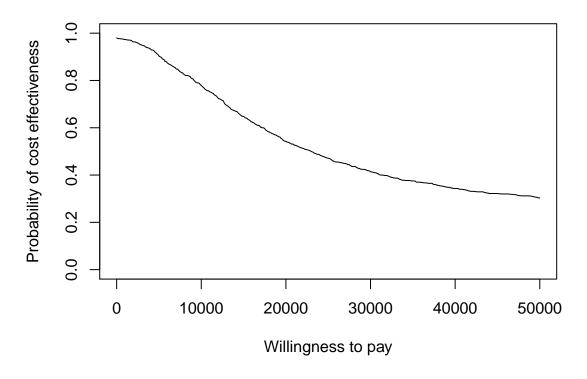
R code To calculate these in BCEA we use the bcea() function.

```
data("Vaccine")
he <- bcea(e, c)
# str(he)
ceac.plot(he)</pre>
```

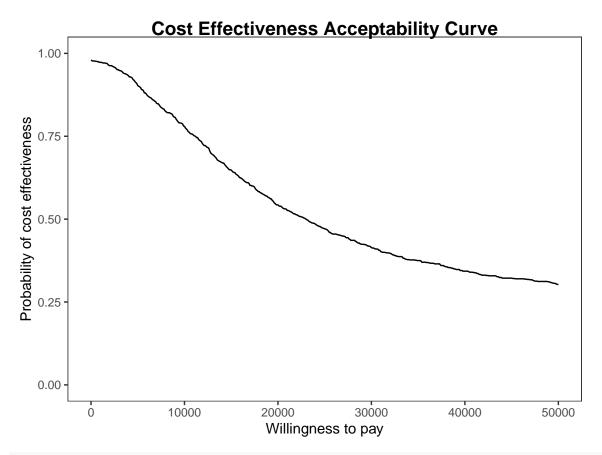


The plot defaults to base R plotting. Type of plot can be set explicitly using the graph argument.

ceac.plot(he, graph = "base")

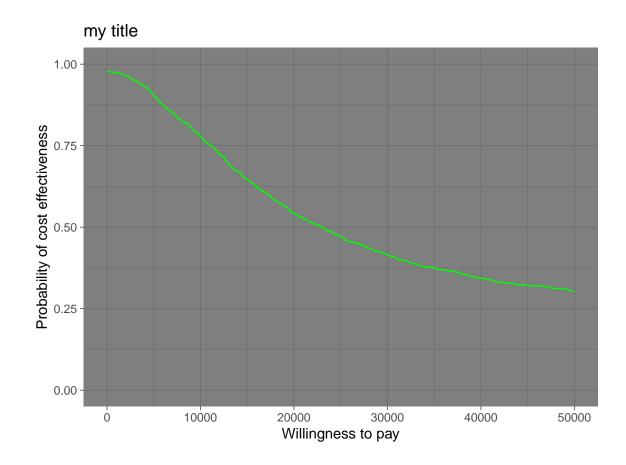


ceac.plot(he, graph = "ggplot2")



```
# ceac.plot(he, graph = "plotly")
```

Other plotting arguments can be specified such as title, line colours and theme.



Multiple interventions

This situation is when there are more than two interventions to consider. Incremental values can be obtained either always against a fixed reference intervention, such as status-quo, or for all pair-wise comparisons.

Against a fixed reference intervention

Without loss of generality, if we assume that we are interested in intervention i = 1, then we wish to calculate

$$p(NB_1 \ge NB_s|k) \ \exists \ s \in S$$

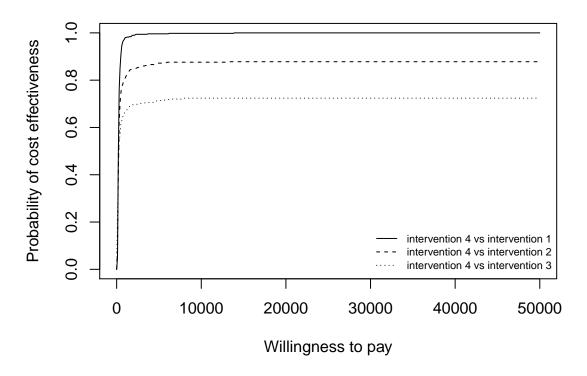
Using the set of N posterior samples, this is approximated by

$$\frac{1}{N}\sum_{j}^{N}\mathbb{I}(k\Delta e_{1,s}^{j}-\Delta c_{1,s}^{j})$$

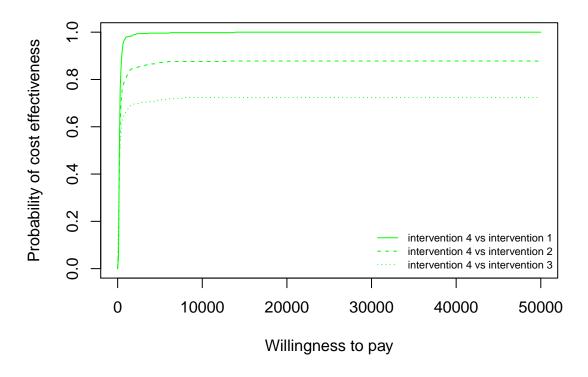
R code This is the default plot for ceac.plot() so we simply follow the same steps as above with the new data set.

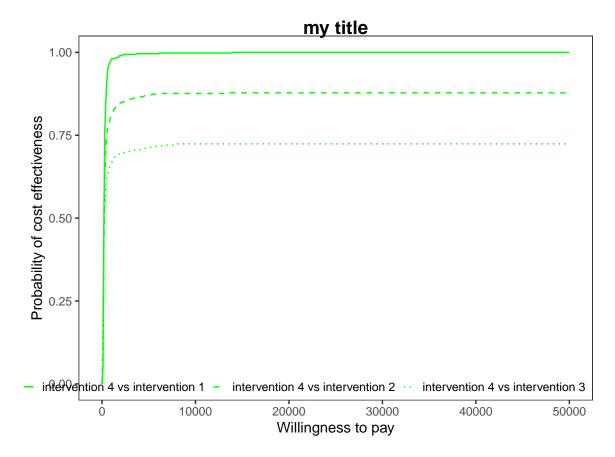
```
data("Smoking")
he <- bcea(e, c, ref = 4)
# str(he)</pre>
```

```
ceac.plot(he)
#> Wrong number of colours provided. Falling back to default
```



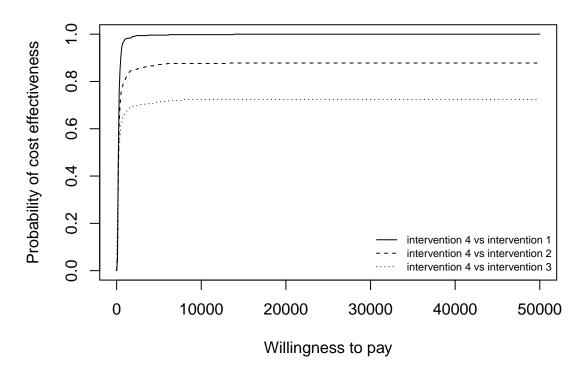
my title



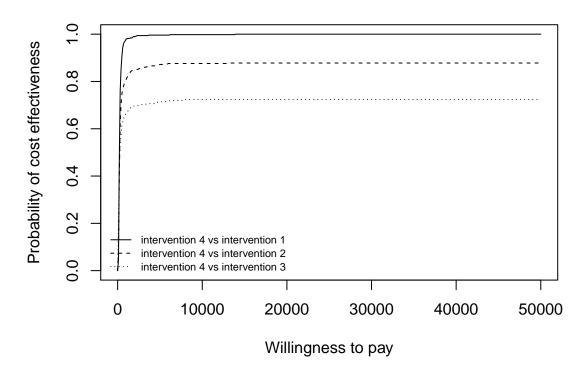


Reposition legend.

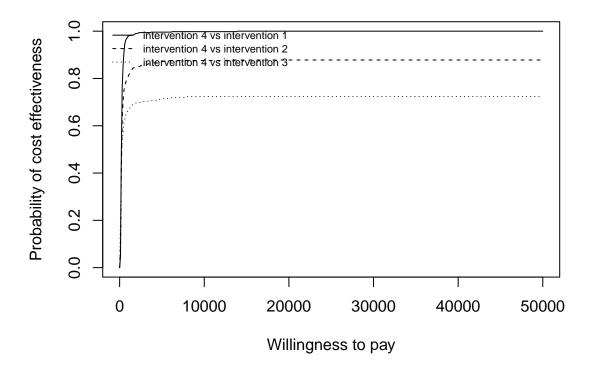
```
ceac.plot(he, pos = FALSE) # bottom right
#> Wrong number of colours provided. Falling back to default
```



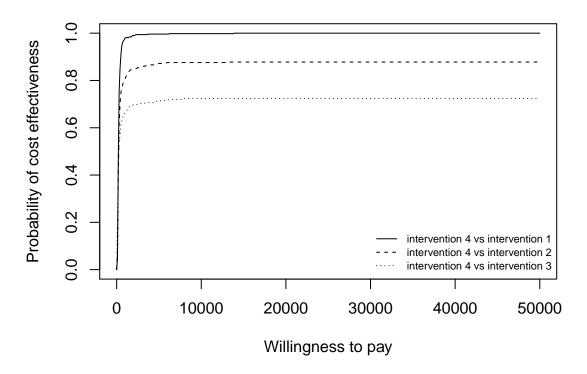
```
ceac.plot(he, pos = c(0, 0))
#> Wrong number of colours provided. Falling back to default
```



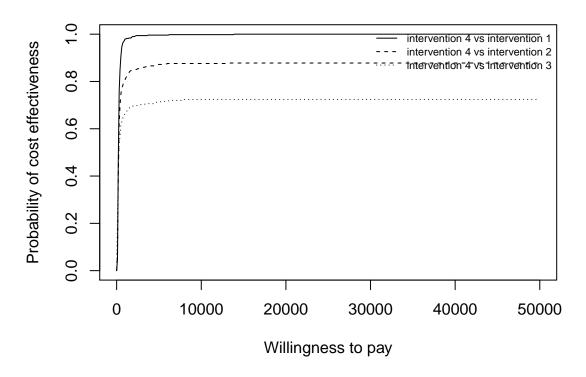
```
ceac.plot(he, pos = c(0, 1))
#> Wrong number of colours provided. Falling back to default
```



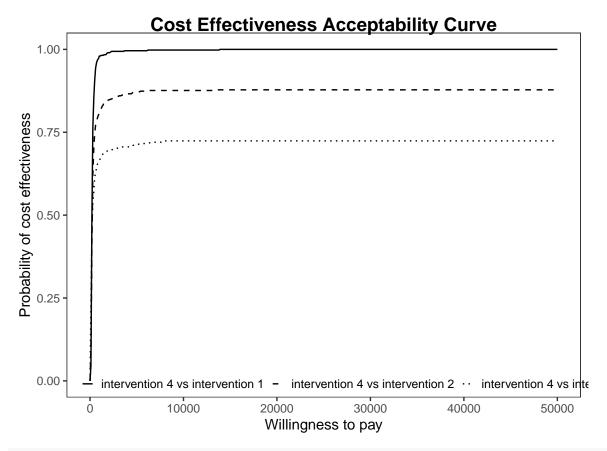
```
ceac.plot(he, pos = c(1, 0))
#> Wrong number of colours provided. Falling back to default
```



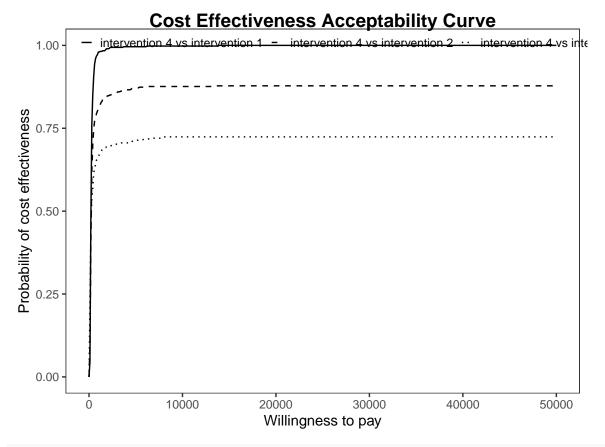
```
ceac.plot(he, pos = c(1, 1))
#> Wrong number of colours provided. Falling back to default
```



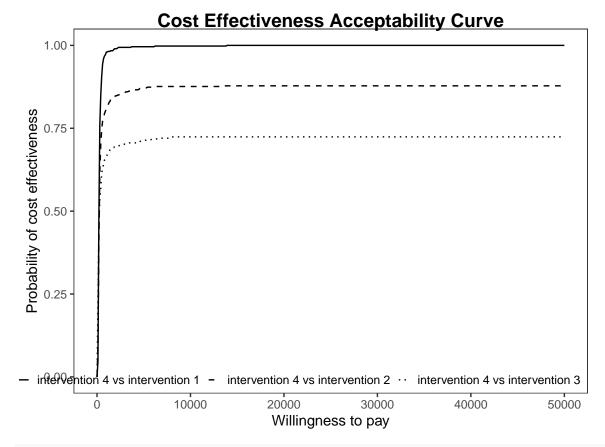
ceac.plot(he, graph = "ggplot2", pos = c(0, 0))



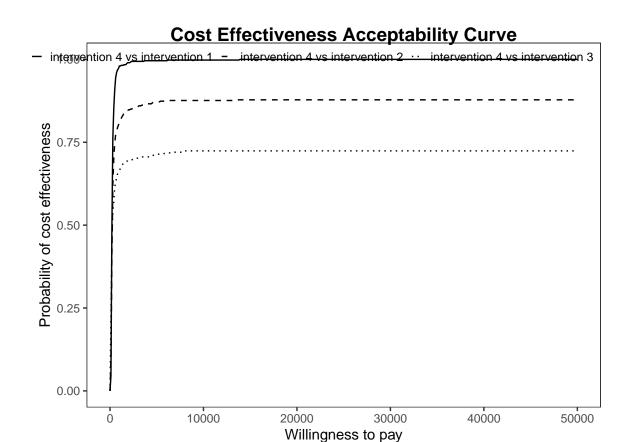
ceac.plot(he, graph = "ggplot2", pos = c(0, 1))



ceac.plot(he, graph = "ggplot2", pos = c(1, 0))

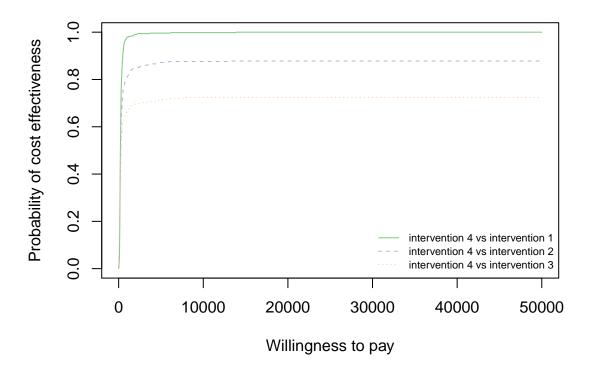


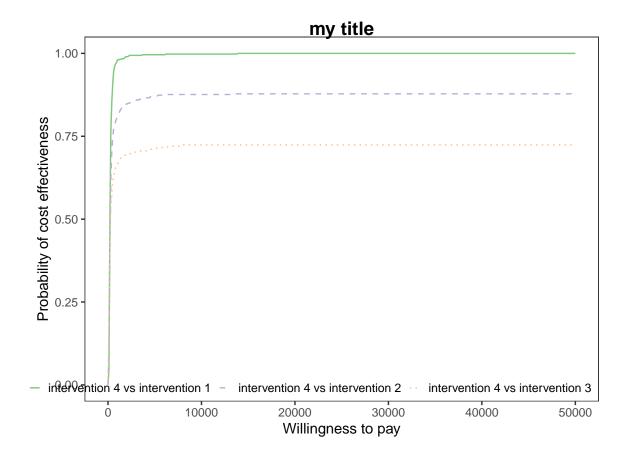
ceac.plot(he, graph = "ggplot2", pos = c(1, 1))



Define colour palette.

my title





Pair-wise comparisons

Again, without loss of generality, if we assume that we are interested in intervention i = 1, the we wish to calculate

$$p(NB_1 = \max\{NB_i : i \in S\}|k)$$

This can be approximated by the following.

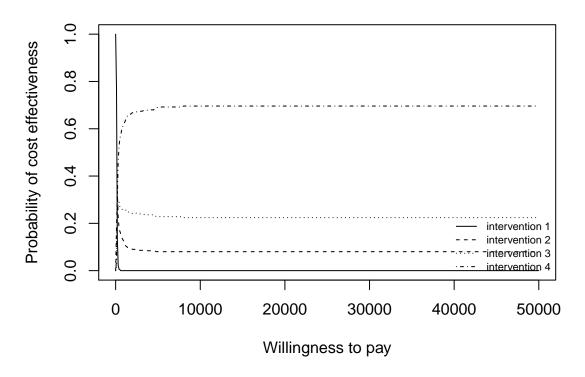
$$\frac{1}{N} \sum_{j}^{N} \prod_{i \in S} \mathbb{I}(k \Delta e_{1,i}^{j} - \Delta c_{1,i}^{j})$$

R code In BCEA we first we must determine all combinations of paired interventions using the multi.ce() function.

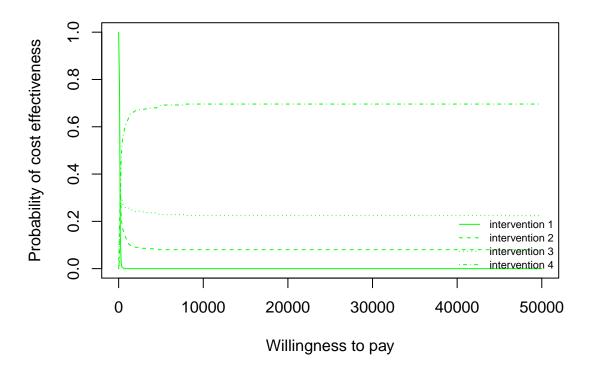
```
he <- multi.ce(he)
```

We can use the same plotting calls as before i.e. ceac.plot() and BCEA will deal with the pairwise situation appropriately. Note that in this case the probabilities at a given willingness to pay sum to 1.

```
ceac.plot(he, graph = "base")
#> Wrong number of colours provided. Falling back to default
```



my title



my title

