Let's focus on the combined method that adds predictors which improve model fit, and removes ones that don't - based on minimising AIC:

```
> summary(steplimitsboth)
Call:
lm(formula = House price ~ Crime + Population, data = data)
Residuals:
     Min
              10 Median
                                3Q
                                        Max
-27192.2 -6161.4 -555.2
                            6203.4 24061.0
Coefficients:
             Estimate Std. Error t value Pr(>|t|)
(Intercept) 1.736e+05 1.243e+04 13.973 < 2e-16 ***
           -3.343e+02 1.147e+02 -2.915 0.00388 **
Crime
           6.662e-01 2.442e-01 2.729 0.00682 **
Population
               0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
Signif. codes:
Residual standard error: 9366 on 247 degrees of freedom
Multiple R-squared: 0.06084, Adjusted R-squared: 0.05323
                8 on 2 and 247 DF, p-value: 0.0004301
F-statistic:
> AIC(steplimitsboth)
[1] 5286.855
```

We can see the procedure has settled on the model with Crime and Population. AIC value is 5286.855. In this case the stepwise model is the same as what we arrived at manually.

We can also estimate the confidence intervals for each of our parameters using the confint() function - this tells us that 95% of the time the true parameter value will lie somewhere between these points

```
> confint(steplimitsboth, level = 0.95) 2.5 \% \qquad 97.5 \% (Intercept) 1.491596e+05 \qquad 198110.856517 Crime -5.602084e+02 \qquad -108.461481 Population 1.853052e-01 \qquad 1.147126
```