

# Planning

# Planning

- The task of coming up with a sequence of actions that will achieve a goal is called planning. For classical planning we will consider only environments that are fully observable, deterministic, finite, static and discrete. These are called classical planning environments.
- Planning problems can be represented as states, actions and goals.
- Representation of states:- planners decompose the world into logical conditions and represent a state as a conjunction of positive literals.

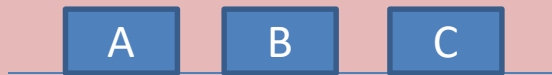
# Planning

- Representation of goals:- A goal is a partially specified state, represented as a conjunction of positive literals.
- Representation of actions:- An action is specified in terms of the preconditions that must hold before it can be executed and the effects that ensue when it is executed.
- A solution for a planning problem is an action sequence that when executed in the initial state, result in a state that satisfies the goal.

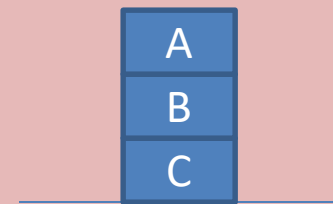
# Planning

## Example: The blocks world

- The blocks world consists of a set of cube shaped blocks sitting on a table.
- A robot arm can pick up only one block at a time and move it to another position , either on the table or on top of another block.
- Suppose the goal is to get block A on B and block B on C .



Initial state



Final/goal state

## Example: The blocks world

- $\text{On}(b,x) \rightarrow$  Block  $b$  is on  $x$ , where  $x$  is either another block or the table.
- $\text{Clear}(x) :-$  nothing on top of  $x$ .
- $\text{Move}(b,x,y) \rightarrow$  Moving block  $b$  from the top of  $x$  to the top of  $y$ .
  - The precondition for this action is no other block be on top of  $b$  or  $y$ . In STRIPS we can write :
  - $\text{Action}(\text{Move}(b,x,y))$   
PRECOND:  $\text{On}(b,x) \wedge \text{clear}(b) \wedge \text{clear}(y)$   
EFFECT:  $\text{On}(b,y) \wedge \text{clear}(x) \wedge \sim \text{On}(b,x) \wedge \sim \text{Clear}(y)$

# Example: The blocks world

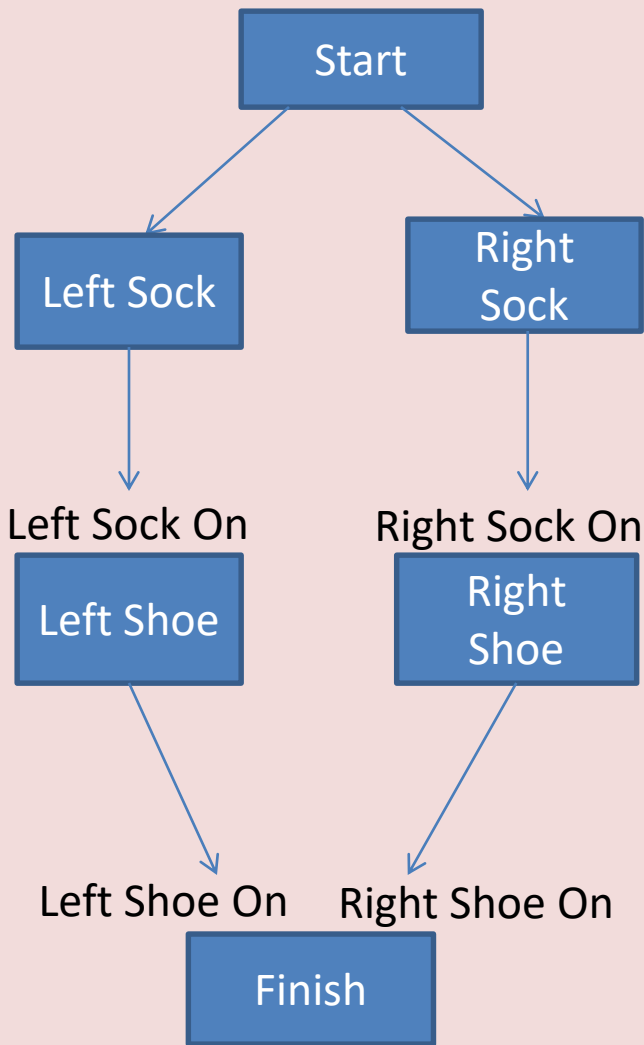
So to build a three-block tower one solution is:-

- Init (  $\text{On}(A, \text{Table}) \cap \text{On}(B, \text{Table}) \cap \text{On}(C, \text{Table})$   
 $\cap \text{Block}(A) \cap \text{Block}(B) \cap \text{Block}(C) \cap \text{clear}(A) \cap \text{clear}(B)$   
 $\cap \text{clear}(C)$ )
- Goal( $\text{On}(A, B) \cap \text{On}(B, C)$ )
- Action(Move( $b, x, y$ ))
- Then we can formulate the solution as the sequence  
[ Move (B, Table, C), Move( A, Table, B)]
- The planning of the above type are called ***totally ordered planning***. It has only strict linear sequences of actions connecting the start state to the goal state. We can't decompose the problem into sub-problems.

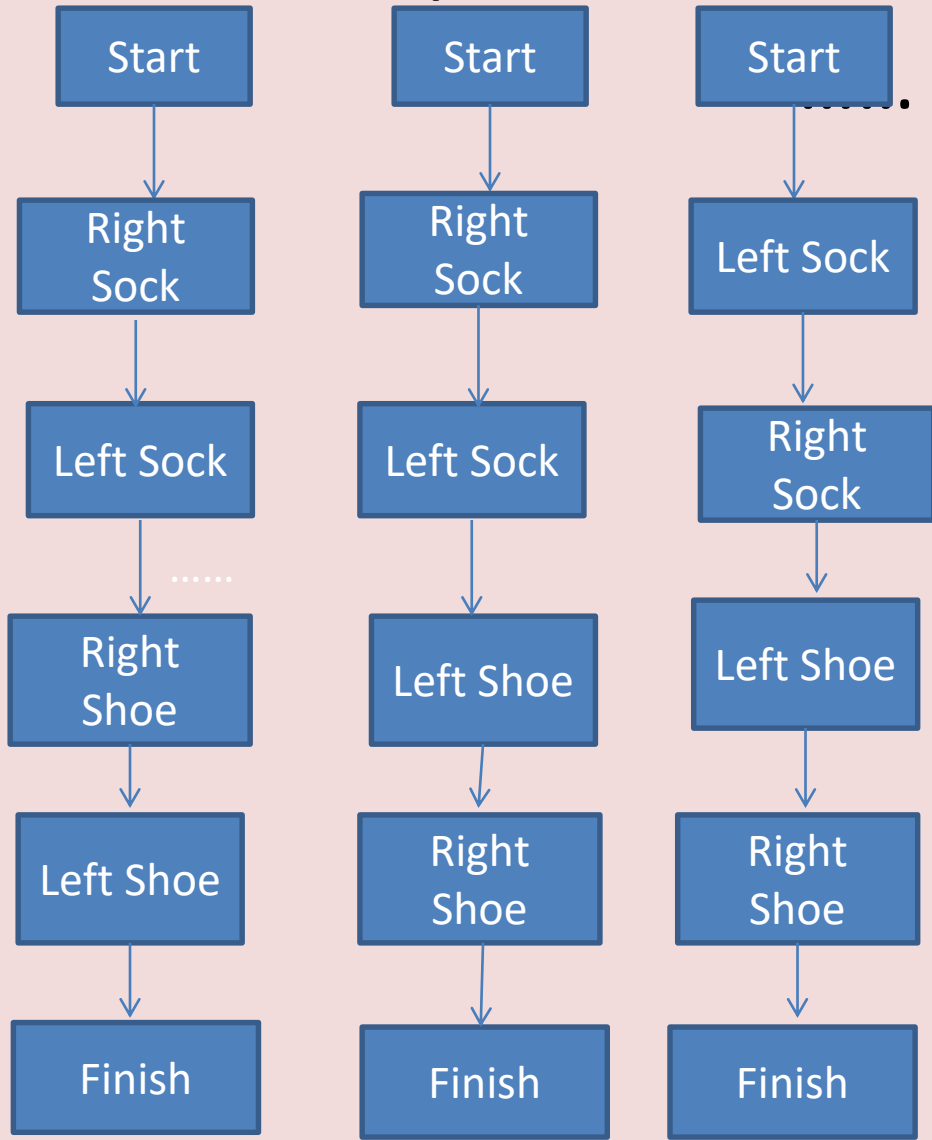
# Partially ordered planning

- Consider the simple problem of putting on a pair of shoes.
- Goal( RightShoesOn  $\cap$  LeftshoeOn) ; Init()
- Action(RighSock, EFFECT: RightSockOn)
- Action(LeftSock, EFFECT: LeftSock On)
- Action(RightShoe, PRECOND: RightSockOn, EFFECT:  
RightShoeOn)
- Action(LeftShoe, PRECOND: LeftSockOn, EFFECT: LeftShoeOn)
- A planner can plan 2 action sequences : [Rightsock, RightShoe] and [LeftSock, LeftShoe]. Then the two sequences can be combined to yield the final plan.
- Any planning algorithm that can place two actions into a plan without specifying which comes first is called a partial order planning.

# Partial order plan



# Total order plans





- In this example, the partial order solution corresponds to six possible total order plans; each of these is called a linearization of the partial order plan.