

CS 352 Fall 2023
Midterm 2 (80 Minutes)

Please write with a dark pen or pencil

On my honor, I have neither received nor given any unauthorized assistance on this examination (assignment):

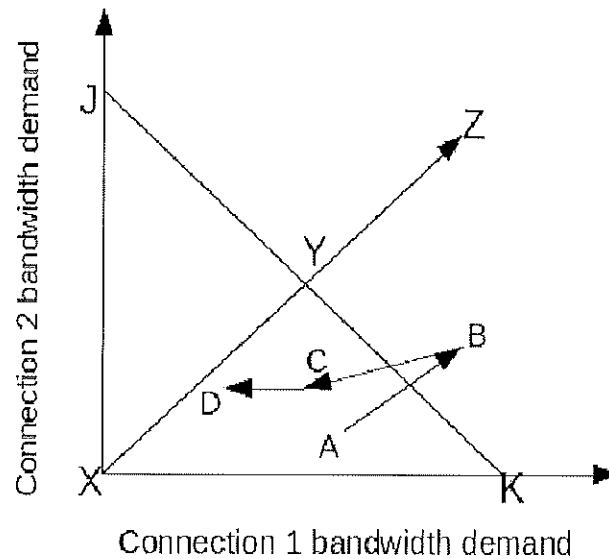
First Name: Akshaj

Last Name: Kammari

NetID: gk1990

Question	Score
Problem 1 (12 points)	
Problem 2 (6 points)	
Problem 3 (6 points)	
Problem 4 (9 points)	
Problem 5 (14 points)	
Problem 6 (12 points)	
Problem 7 (14 points)	
Problem 8 (9 points)	
Problem 9 (12 points)	
Problem 10 (6 points)	
Total (100 points)	

1. Additive Increase/Multiplicative Decrease (12 points)



The above diagram shows the bandwidth demand of two TCP connections. Connection 1's demand is on the X-axis and connection 2's demand is the Y-axis. Their demands can change with time. Write the line segment that corresponds to the the following events or statements:

- a. (3 points) The maximum bandwidth of the bottleneck link available to both connection 1 and 2.

XY

- b. (3 points) Both connection 1 and 2 increase the number of outstanding (i.e. unacknowledged) packets they will allow in the connection.

YZ

- c. (3 points) The bandwidth demand of the bottleneck link was exceeded, both connection 1 and connection 2 observe a packet loss with duplicate acknowledgements, so both decrease their bandwidth demand.

BC

- d. (3 points) Connection 1 decreases its demand, but connection 2 does not.

CD

2. Little's Law (6 points)

- a. (3 Points) In a network, you have an average of 200 data packets queued for transmission, and the network's transmission rate is 400 packets per second. What is the average delay (W) of the packets using Little's Law? You can leave your answer in unreduced form.

$(\text{mean arrival rate}) * (\text{mean response time})$

$$400W = 200$$

$$W = \frac{200}{400} = \frac{1}{2}$$

0.5 seconds

- b. (3 Points) What would the average waiting time be if all the packets from the above problem exited the queue, but now we observe an average packet interarrival time of 0.0005 seconds per packet.

3 seconds

3. M/M/1 Queue (6 Points)

Recall in an M/M/1 queue, the probability of K items is $p_k = p^k \cdot p_0$

- a. (3 points) what is meaning of p_0 in this equation?

initial utilization server

- b. (3 points) Why must we keep multiplying p when we increase the value of k ? You may use a diagram in your explanation.

linear growth



4. M/M/1 queue (9 Points)

A server can only process one packet at a time, and the processing time follows an exponential distribution with an average of 0.001 seconds per packet. Packets arrive

according to a Poisson distribution, with an average rate of 700 packets per second. Analyze this M/M/1 queuing system. You may leave your answers in unreduced form:

- a. (3 points) The average number of packets in the entire system.

$$L = \lambda (1-p)$$

$$= (1-0.001)(700)$$

- b. (3 points) The average waiting time for a packet in the queue (not including the server)

$$W = W_q + \frac{1}{\mu}$$

\downarrow avg. wait time for whole system
 \downarrow avg. wait time in queue
 \downarrow service rate of server

$$W_q = W - \frac{1}{\mu}$$

- c. (3 points) The number of buffers needed to keep the packet loss rate below one in a hundred million.

$$\lambda = 700 \text{ pps}$$

$$\mu = 1/0.001 = 1000 \text{ pps}$$

5. Fair Queueing (14 Points)

- a. (5 points) Consider a system with **Weighted Fair Queueing (WFQ)** scheduling. This system has four queues, each assigned a specific weight (**A: 3, B: 2, C:4, D:1**). These queues are designed to be processed at a rate of 10 Mbps. Given the list of input traffic rates, complete the list of output rates for each of the queues.

Input rates (Mbps)				Output rates (Mbps)			
A	B	C	D	A	B	C	D
3	2	4	1	9	4	16	1

15	10	10	10	70	30	50	20
6	6	1	2	18	12	4	2
10	0	0	10	40	10	10	20
5	1	3	5	15	2	12	5

- b. (9 points) Suppose a router has three input flows and one output. It receives the packets listed in the following table all at the same time in the router's WFQ computation, in the order listed (i.e., a very slight difference in real time). Assume the current virtual time is zero, and ties are broken by having packets which arrive first get priority. Assume the link rate is 1 Bps. For the Weighted Fair Queueing schedule fill in the table, and specify the order in which packets are transmitted.

Packet	Packet size (Byte)	Flow	Weight	Weighted Finish #
1	100	1	1	1
2	100	1	1	2
3	100	1	1	3
4	100	1	1	4
5	190	2	4	5
6	200	2	4	6
7	110	3	1	8
8	50	3	1	7

The transmission order is: _____

Finishing time of packet k of flow i is:

$$F_i^k = \max(F_i^{k-1}, v(t)) + \frac{L_i^k}{w_i}$$

\downarrow
 virt. time = 0

$L_i^k \rightarrow$ length of packet k in flow i
 $w_i \rightarrow$ weight of flow i

6. Leaky Bucket (12 Points)

Suppose there is a leaky bucket at the host network interface. Network data rate is 2 MBps and the data rate on the link from the host to the bucket is 2.5 MBps.

- a. (6 points) Assume the host wants to send 250 MB over the network in bursts. Calculate the minimum capacity of the bucket considering no data loss. You can leave your answer in unreduced form.

$$\frac{250}{2.5} = 100 \text{ bursts per second}$$

$$2.5 - 2 = 0.5 \text{ mb}$$

$$(100)(0.5) = 50 \text{ mb}$$

- b. (6 points) Assume the capacity of the bucket is 100 MB. What is the longest burst time in order for no data to be lost?

$$50 \text{ seconds}$$

7. Token Bucket (14 Points)

- a. (4 points) Assume a host needs to transmit 30 Mb of data over the network. There is a token bucket with the maximum capacity of 15 Mb, and a filling rate of 5 Mbps. The token bucket is initially full. Data transmission can occur only when there are available tokens in the bucket, otherwise they are queued until there are tokens available. The host sends the data at a peak rate of 20 Mbps. How long does it take to send the entire 30 Mb of data through the network?

$$30 \text{ Mb} \rightarrow 15 \text{ Mb} \rightarrow 15 \text{ Mb} \rightarrow 10 \text{ Mb} \rightarrow 5 \text{ Mb}$$

$$0.5 \text{ s} \quad 1.5 \text{ s} \quad 2.5 \text{ s} \quad 3.5 \text{ s}$$

$$4 \text{ seconds}$$

- b. (10 points) Assume that we have a token bucket that has a fill rate of 10 KBps, a bucket size of 50 KB, and the bucket starts off full. There is a host that sends 15KB-packets every 0.5 seconds in a periodic manner, starting at t=0.5 seconds.

$$15 \text{ KB} \rightarrow 15 \text{ KB} \rightarrow 15 \text{ KB} \rightarrow 30 \text{ KB} \rightarrow 15 \text{ KB} \rightarrow 45 \text{ KB} \rightarrow 15 \text{ KB} \rightarrow 60 \text{ KB}$$

$$0.5 \text{ s} \quad 1 \text{ s} \quad 1.5 \text{ s} \quad 2 \text{ s} \quad 2.5 \text{ s} \quad 3 \text{ s}$$

Data transmission can occur only when there are available tokens in the bucket, otherwise they are queued until there are tokens available and the queue can be of unlimited size. You can leave all your answers in unreduced form.

1. (3 points) How many tokens are left in the bucket after 1.5 seconds?

30 Tokens

2. (3 points) How long will it take until packets start to be queued?

2 seconds

3. (4 points) Now, suppose the host can send data as much as it wants, whenever it wants. If the token bucket has a fill rate of 20 KBps, what would be the maximum possible burst size?

25 KB

8. Subnets (9 points)

You have been assigned the IP address range 192.168.0.0/24, and you need to create several subnets to accommodate different departments in your organization. You have the following requirements:

- Subnet A should support up to 30 hosts.
- Subnet B should support up to 20 hosts.
- Subnet C should support up to 10 hosts.

Calculate the subnet mask, network address, usable host addresses range, and the broadcast address for each subnets (A, B, and C).

192.168.0.0

NetID: 06/1090

(3 points) Subnet A:

192.168.0.0

(3 points) Subnet B:

192.168.0.0

(3 points) Subnet C:

192.168.0.0

9. CIDR (12 points)

An ISP has the address 128.64.3.0/24. Customer A wants 64 IP addresses, Customer B wants 32 IP addresses, Customer C wants 32 IP addresses, and Customer D wants 128 IP addresses. For each of the customers provide the appropriate CIDR mask and the range of IP addresses that each customer can use.

(3 points) Customer A:

128.64.3.0

128.64.3.0 - 128.64.67.0

(3 points) Customer B:

128.64.3.0 - 128.64.52.0

(3 points) Customer C:

128.64.3.0 - 128.64.32.0

(3 points) Customer D:

128.64.3.0 - 128.64.128.0

10. DHCP (6 points)

(6 points) What is the purpose of the DHCP protocol? (1-2 sentences)

more effective way of receiving IP addresses from server.

1 mill seconds = 0.001 seconds

Seconds	Packet arrival (Mb)	Token count at the beginning of the second (Mb)	Token count at the end of the second (Mb)	Token generated rate (Mb/sec)	Packets left at the beginning of the second	Packets left at the end of the second	Comment
1	1	0.5	0	0.2	-	1 - 0.5 - 0.2 = 0.3	Generated 0.2Mb token, forwarded 0.5Mb
2	1	0	0	0.2	0.3	1 - 0.3 - 0.2 = 1.1	Generated 0.2Mb token, forwarded 0.2Mb
3	1	0	0	0.2	2.1	2.1 - 0.2 = 1.9	Forwarded 0.2Mb
4	0	0	0	0.2	1.9	1.9 - 0.2 = 1.7	Forwarded 0.2Mb
5	0	0	0	0.2	1.7	1.7 - 0.2 = 1.5	Forwarded 0.2Mb
6	0	0	0	0.2	1.5	1.5 - 0.2 = 1.3	Forwarded 0.2Mb
7	0	0	0	0.2	1.3	1.3 - 0.2 = 1.1	Forwarded 0.2Mb
8	0	0	0	0.2	1.1	1.1 - 0.2 = 0.9	Forwarded 0.2Mb
9	0	0	0	0.2	0.9	0.9 - 0.2 = 0.7	Forwarded 0.2Mb
10	0	0	0	0.2	0.7	0.7 - 0.2 = 0.5	Forwarded 0.2Mb
11	0	0	0	0.2	0.5	0.5 - 0.2 = 0.3	Forwarded 0.2Mb
12	0	0	0	0.2	0.3	0.3 - 0.2 = 0.1	Forwarded 0.2Mb
13	0	0	0	0.2	0.1	0.1 - 0.2 = 0	Forwarded 0.1Mb

A. $L = p / (1 - p) = 7.33$ B. $Lq = "p" \cdot 2 / (1 - p) = 6.45$ C. $P\{11 \text{ or more messages in the system}\} = P\{N \geq 11\} = "p" \cdot 11 = 0.245$

$P = \frac{\lambda}{\mu}$
 $P^0 = \frac{\lambda}{\mu}$

- Computer A has 19.5 MB to send on a network and transmits the data in a burst of 6 Mbytes. The maximum transmission rate across routers is 4 Mbps. If computer A's transmission is shaped using a leaky bucket, how much capacity must the queue in the bucket hold so as not to discard any data?

Answer:

Time to transmit the data in a burst $\Rightarrow (19.5 \cdot 8) / 6 = 26$ sec.

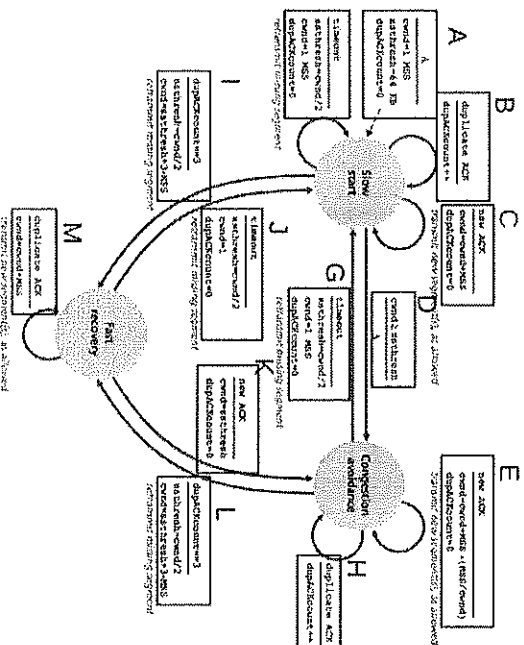
Actual data transmitted in 26 sec $\Rightarrow 4 \cdot 26 = 13$ Mbytes

Bucket size $\Rightarrow 19.5 \text{ MB} - 13 \text{ MB} = 6.5 \text{ MB}$

- Over the course of an hour we observe a web server has 6000 requests arrive. We also observe that the average service time of a request is 0.5 seconds. Using Little's law, the average number of web requests in the server is:

Answer:

$L = \lambda \cdot W = (6000/3600) \cdot 0.5 = 0.8333$



C. When an acknowledgement arrives, TCP increases the congestion window in order to double the window size for each (approximate) round-trip time. E. When an acknowledgement arrives, TCP increases the congestion window in order to increase the window size by 1 segment for each (approximate) round-trip time. J. When a timeout occurs, TCP resets the threshold to half the congestion window, then resets the congestion window to 1, then enters slow start, while it was waiting for an acknowledgement that would have allowed TCP to return to congestion avoidance mode after having seen 3 duplicate acks. K. When an acknowledgement arrives, the congestion window is set to the threshold in order to reduce the window size, but not by as much as a slow start.

λ = arrival rate of jobs
 μ = service rate of the server
 L = average number of events in long system
 Lq = average number of events in queue
 W = average waiting time in the whole system
 Wq = average waiting time in queue
 $L = \lambda W = (\frac{\lambda}{\mu}) W$ $W = Wq + \frac{1}{\mu}$
 $Lq = \lambda Wq$
 $\lambda > \mu$ the queue is unstable
 $\lambda < \mu$ ✓
 $P = \frac{\lambda}{\mu}$ $L = \frac{\lambda}{\mu - \lambda}$ $W = \frac{1}{\mu - \lambda}$
 $Wq = \frac{\lambda}{\mu(\mu - \lambda)}$ $Lq = \frac{\lambda^2}{\mu(\mu - \lambda)}$

- Traffic to a message switching center for one of the outgoing communication lines arrives in a random pattern at an average rate of 240 messages per minute. The line has a transmission rate of 800 characters per second. The message length distribution (including control characters) is approximately exponential with an average length of 176 characters. Calculate the following principal statistical measures of system performance, assuming that a very large number of message buffers are provided:
 - Average number of messages in the system?
 - Average number of messages in the queue waiting to be transmitted?
 - Probability that 10 or more messages are waiting to be transmitted (not including the message being transmitted)?

Answer:

Parameters: Average message length/line speed = $176/800 = 0.22$ $\mu = 1/0.22 = 4.55$ message/sec $\lambda = 4$ message/sec $\rho = 0.88$