HW05 - Stat 133, Fall 2016, Prof. Sanchez

Your Name

The purpose of this assignment is to write simple functions.

Area of a circle

For a given circle of radius r, the area A is:

$$A=\pi r^2$$

Write a function circle_area() that calculates the area of a circle. This function must take one argument radius. Give radius a default value of 1. The function should stop() if radius is negative.

For example:

```
# default (radius 1)
circle_area()
```

[1] 3.141593

```
# radius 3
circle_area(radius = 3)
```

[1] 28.27433

This should not work

```
# bad radius
circle_area(radius = -2)
```

Area of a cylinder

For a given cylinder of radius r and height h the area A is:

$$A = 2\pi rh + 2\pi r^2$$

Notice that the formula of the area of a cylinder includes the area of a circle: πr^2 . Write a function cyl_area(), that calls circle_area(), to compute the area of a cylinder.

This function must take two arguments: radius and height. Give both arguments a default value of 1. In addition, the function should stop if any of radius or height are negative.

For instance:

```
# default (radius 1, height 1)
cyl_area()
```

[1] 12.56637

```
# radius 2, height 3
cyl_area(radius = 2, height = 3)
```

[1] 62.83185

These should not work

```
# bad radius
cyl_area(radius = -2, height = 1)

# bad height
cyl_area(radius = 2, height = -1)

# bad radius and height
cyl_area(radius = -2, height = -1)
```

Volume of a cylinder

For a given cylinder of radius r and height h the volume V is:

$$V = \pi r^2 h$$

Write a function cyl_volume(), that calls circle_area(), to compute the volume of a cylinder. This function must take two arguments: radius and height. Give both arguments a default value of 1.

For example:

```
# default (radius 1, height 1)
cyl_volume()

## [1] 3.141593

cyl_volume(radius = 3, height = 10)

## [1] 282.7433

cyl_volume(height = 10, radius = 3)

## [1] 282.7433
```

Even number

Write a function is_even() that determines whether a number is even (i.e. multiple of 2). If the input number is even, the output should be TRUE. If the input number is odd, the output should be FALSE. If the input is not a number, the output should be NA

For example:

```
# even number
is_even(10)

## [1] TRUE

# odd number
is_even(33)

## [1] FALSE

# not a number
is_even('a')

## [1] NA
```

Odd number

Use your function is_even() to write a function is_odd() that determines if a number is odd (i.e. not a multiple of 2). If a number is odd, the output should be TRUE; if a number is even the output should be FALSE; if the input is not a number the output should be NA

For example:

```
# odd number
is_odd(1)

## [1] TRUE

# even number
is_odd(4)

## [1] FALSE

# not a number
is_odd('a')

## [1] NA
```

Converting Miles to other units

The table below shows the different formulas for converting miles (mi) into other scales:

Units	Formula
Inches	mi x 63360
Feet	$\mathrm{mi} \ge 5280$
Yards	$mi \times 1760$
Meters	$\mathrm{mi} \ / \ 0.00062137$
Kms	mi 3/ 0.62137

Write the following five functions for each type of conversion. Each function must take one argument x with default value: x = 1.

```
• miles2inches()
```

- miles2feet()
- miles2yards()
- miles2meters()
- miles2kms()

For example:

```
miles2inches(2)

## [1] 126720

miles2feet(2)

## [1] 10560

miles2yards(2)

## [1] 3520

miles2meters(2)

## [1] 3218.694

miles2kms(2)

## [1] 3.218694
```

Using switch()

Create a function convert() that converts miles into the specified units. Use switch() and the previously defined functions—miles2inches(), miles2feet(), ..., miles2kms—to define convert(). Use two arguments: x and to, like this:

```
convert(40, to = "in")
```

By default, to = "km", but it can take values such as "in", "ft", "yd", or "m".

For instance:

```
convert(3, "in")
convert(3, "ft")
convert(3, "yd")
convert(3, "m")
convert(3, "km")
```

Two Given Points

Let p_1 and p_2 be two points with two coordinates: $p_1 = (x_1, y_1)$ and $p_2 = (x_2, y_2)$.

The distance d between two points can be calculated with the formula:

$$d = \sqrt{(x_2 - x_2)^2 + (y_2 - y_1)^2}$$

The midpoint of the line segment between p_1 and p_2 can be found as:

$$p = \left(\frac{x_1 + x_2}{2}, \frac{y_1 + y_2}{2}\right)$$

The intercept a and the slope b of the line y = a + bx connecting two points p_1 and p_2 can be found as:

$$b = \frac{y_2 - y_1}{x_2 - x_1}, \quad a = y_1 - bx_1$$

Distance

Write a function find_distance() that returns the distance between two given points. You should be able to call the function like this:

```
# coordinates for point-1 and point-2
p1 <- c(0, 0)
p2 <- c(1, 1)

find_distance(p1, p2)</pre>
```

```
# your 'find_distance()' function
```

Midpoint

Write a function find_midpoint() that returns the midpoint between two given points. You should be able to call the function like this:

```
p1 <- c(0, 0)
p2 <- c(1, 1)

find_midpoint(p1, p2)</pre>
```

```
# your 'find_midpoint()' function
```

Slope

Write a function find_slope() that returns the slope of the line connecting two given points. You should be able to call the function like this:

```
p1 <- c(0, 0)
p2 <- c(1, 1)

find_slope(p1, p2)</pre>
```

```
# your 'find_slope()' function
```

Intercept

Write a function find_intercept() that returns the intercept of the line connecting two given points. This function must internally use find_slope()

```
p1 <- c(0, 0)
p2 <- c(1, 1)

find_intercept(p1, p2)</pre>
```

```
# your 'find_intercept()' function
```

Line

Write a function find_line(). This function must use find_slope() and find_intercept(). The output should be a list with two named elements: "intercept" and "slope", Here is how you should be able to use find_line():

```
p1 <- c(0, 0)
p2 <- c(1, 1)
eq <- find_line(p1, p2)
eq$intercept
eq$slope</pre>
```

```
# your 'find_line()' function
```

Information about two given points

Once you have the functions find_distance(), find_midpoint(), and find_line(), write an overall function called info_points() that returns a list with the distance, the midpoint, and the line's slope and intercept terms. Here is how you should be able to use info_points():

```
p1 <- c(-2, 4)
p2 <- c(1, 2)

results <- info_points(p1, p2)
results$distance
results$midpoint
results$intercept
results$slope</pre>
```

Finally create a plot that displays the given points, the line, and the midpoint. The title of the plot must show the line equation. For instance, if the points are $p_1 = (-2, 4)$ and $p_2 = (1, 2)$, the plot may look like this:

$$y = (-2/3x) + (8/3)$$

