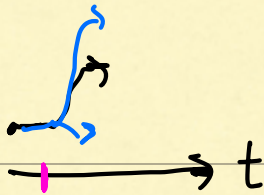


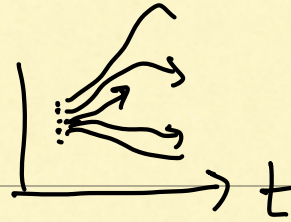
HETEROGENEITY

A.K.A.

PARAMETRIC NOISE



RANDOMNESS
"IN DYNAMICS"



RANDOMNESS "IN
PARAMETERS"

EX

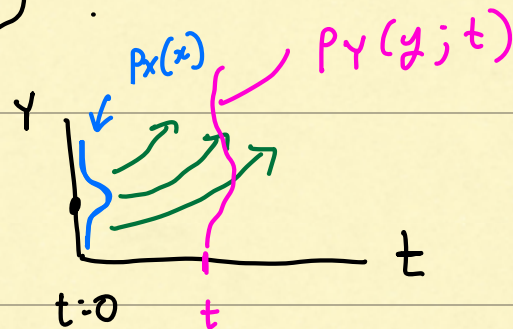
$Y(t)$ obeys

$$\frac{dY}{dt} = kY$$

$$Y(0) = X$$

i) suppose $X \sim p_X(x)$.

WHAT IS $p_Y(y; t)$?



TO SOLVE THIS:

SUPPOSE $X \sim p_X(x)$

AND $Y = g(X)$

WHAT IS $p_Y(y)$?

PS6: $K \sim \rho_K(K) \quad ?$

PS6

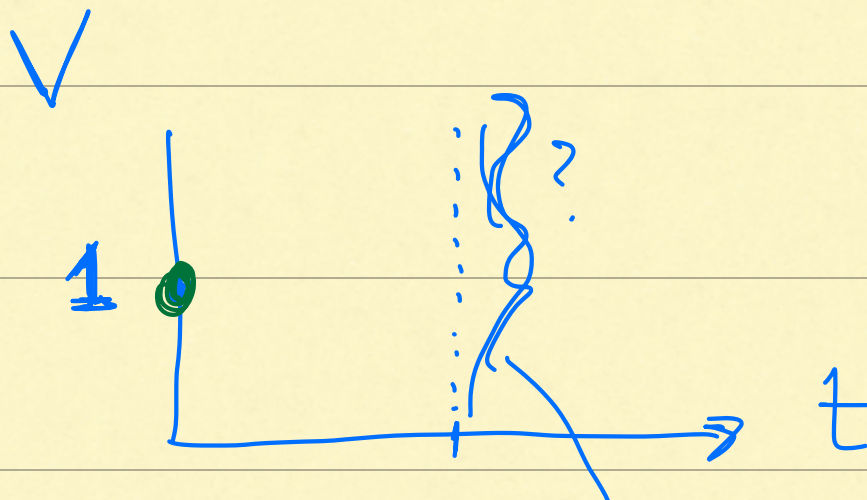
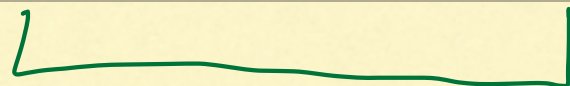
$$X, K \xleftrightarrow{\quad} R$$

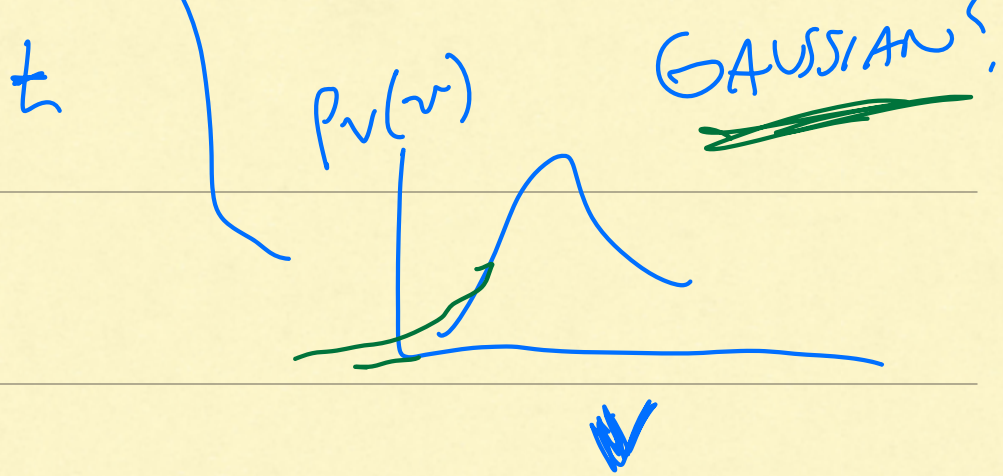
$$Y \xleftrightarrow{\quad} V$$

$$\text{IF } Y = g(X) \quad \Bigg| \quad V = g(R)$$

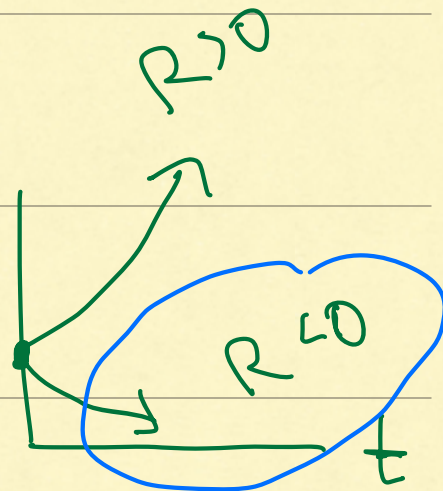
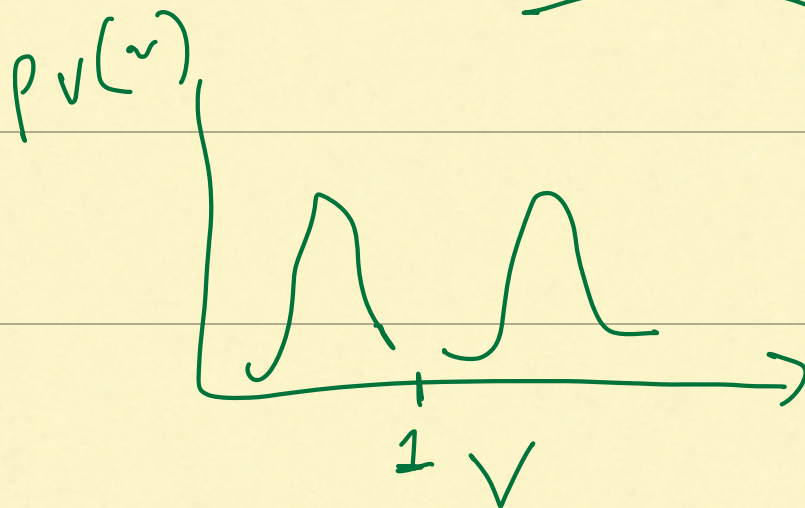
$$g^{-1} = e^{\left(\frac{r-1}{\pi}\right)t}$$

$$p_V(v) =$$





BIMODAL?



NOT BIMODAL?

