

# **Unit-6**

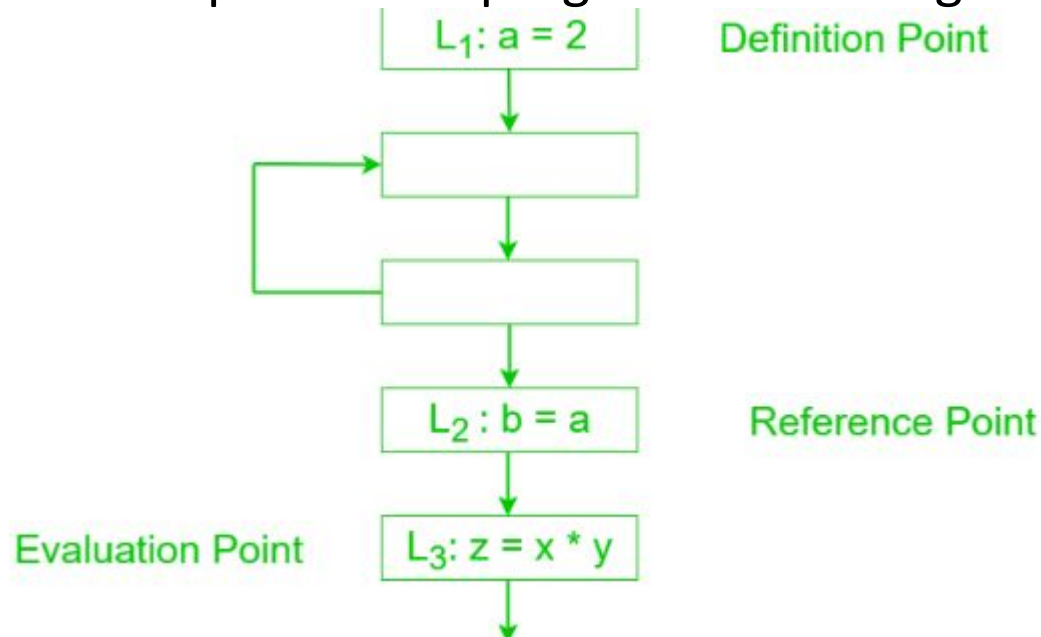
## **Global Data flow Analysis**

Dr.C.Kavitha  
AP(SG)  
Dept. of CSE  
PSG College of Technology

# Introduction to Data Flow Analysis

- In order to do code optimization and a good job of code generation , compiler needs to collect information about the program as a whole and to distribute this information to each block in the flow graph.
- Data flow information that can be optimizing compiler collects by a process Data Flow Analysis.
- The generation and killing of process depends on the desired information on the Data Flow Analysis to be solved.
- Data Flow Analysis is affected by the control construct in a problem.

- Within each basic block, a point is assigned between two adjacent statements, before the first statement, and after the last statement
- A path from  $p_1$  to  $p_n$  is a sequence of points  $p_1, p_2, \dots, p_n$  such that for each  $i$ ,  $1 \leq i \leq n-1$ , either  $p_i$  is the point immediately preceding a statement and  $p_{i+1}$  is the point immediately following that statement in the same block, or  $p_i$  is the end of some block and  $p_{i+1}$  is the beginning of a successor block
- **Definition Point:** a point in a program containing some definition.
- **Reference Point:** a point in a program containing a reference to a data item.
- **Evaluation Point:** a point in a program containing evaluation of expression.

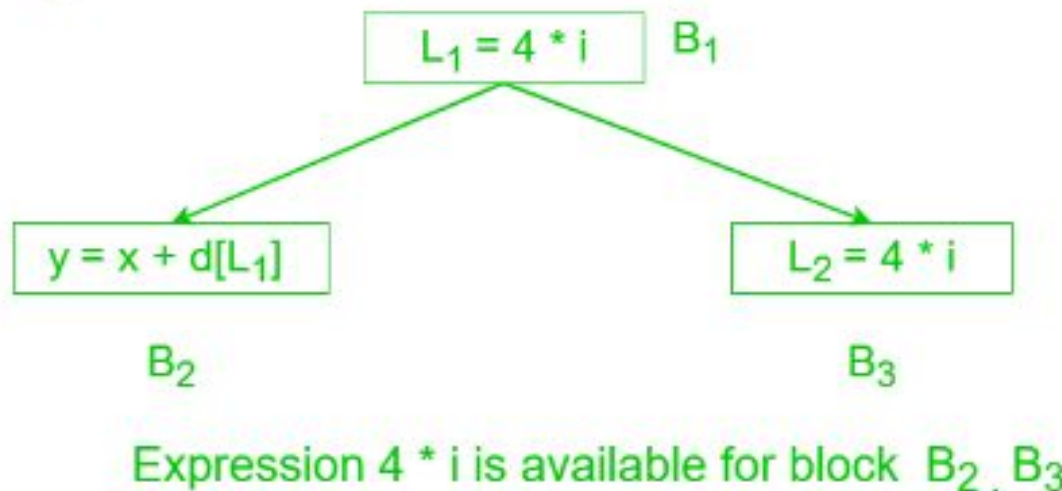


- **Available Expression** – A expression is said to be available at a program point x iff along paths its reaching to x. A Expression is available at its evaluation point.

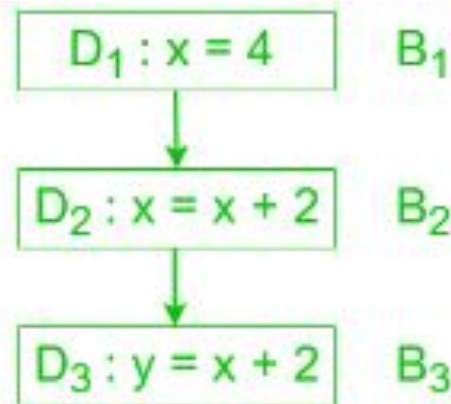
A expression  $a+b$  is said to be available if none of the operands gets modified before their use.

- **Advantage** –

It is used to eliminate common sub expressions.

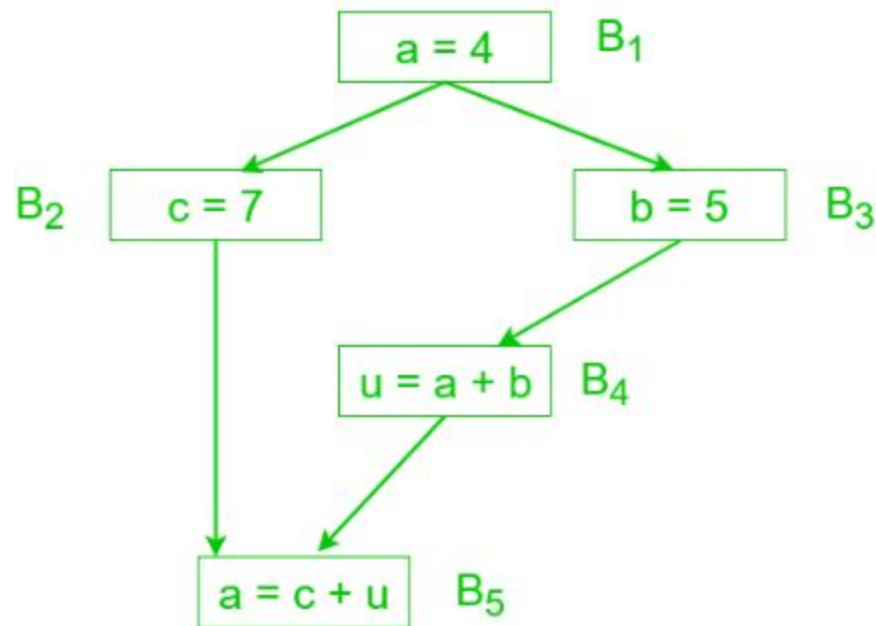


- **Reaching Definition** – A definition  $D$  reaches a point  $x$  if there is path from  $D$  to  $x$  in which  $D$  is not killed, i.e., not redefined.
- **Advantage** –  
It is used in constant and variable propagation.



$D_1$  is reaching definition for  $B_2$  but not for  $B_3$  since it is killed by  $D_2$

- **Live variable** – A variable is said to be live at some point  $p$  if from  $p$  to end the variable is used before it is redefined else it becomes dead.
- **Advantage** –
  - It is useful for register allocation.
  - It is used in dead code elimination.



*a is live at block B<sub>1</sub> , B<sub>3</sub> , B<sub>4</sub> but killed at B<sub>5</sub>*

- **Busy Expression** – An expression is busy along a path iff its evaluation exists along that path and none of its operand definition exists before its evaluation along the path.
- **Advantage** –  
It is used for performing code movement optimization.

# Information for Reaching Definitions

- $\text{gen}[S]$ : definitions generated within  $S$  and reaching the end of  $S$
- $\text{kill}[S]$ : definitions killed within  $S$
- $\text{in}[S]$ : definitions reaching the beginning of  $S$
- $\text{out}[S]$ : definitions reaching the end of  $S$



# Data Flow Equation

- Data flow information can be collected by setting up and solving systems of equations that relate information at various points

$$\mathbf{out[S] = gen[S] \cup (in[S] - kill[S])}$$

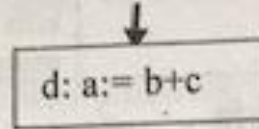
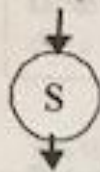
- Let  $S$  be a statement, the information at the end of a statement (**out[S]**) is either generated within the statement (**gen[S]**) or enters at the beginning (**in[S]**) and is not killed as control flows through the statement

# The Iterative Algorithm

- Repeatedly compute in and out sets for each node in the control flow graph simultaneously until there is no change
- $\text{in}[B] = \bigcup_{P \in \text{pred}(B)} \text{out}[P]$
- $\text{out}[B] = \text{gen}[B] \cup (\text{in}[B] - \text{kill}[B])$

given above.  
The data flow equations for reaching definitions for different types of statements are given below:

- a. If a block has only one **simple** statement represented by S. Here the definition of 'a', namely 'd' is killed as shown below.



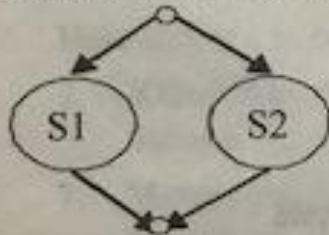
$$\begin{aligned} \text{gen}[S] &= \{d\} \\ \text{kill}[S] &= \text{in}[S] - \{d\} \\ \text{out}[S] &= \text{gen}[S] \cup (\text{in}[S] - \text{kill}[S]) \end{aligned}$$

- b. If a block has a **sequence** of simple statements S1 and S2. Hence out[S1] becomes in[S2]. Also in[S] is in[S1] and out[S2] is out[S]. Definitions generated and killed within the block are a combination of those for S1 and S2.



$$\begin{aligned} \text{gen}[S] &= \text{gen}[S2] \cup (\text{gen}[S1] - \text{kill}[S2]) \\ \text{kill}[S] &= \text{kill}[S2] \cup (\text{kill}[S1] - \text{gen}[S2]) \\ \text{in}[S1] &= \text{in}[S] \\ \text{in}[S2] &= \text{out}[S1] \\ \text{out}[S] &= \text{out}[S2] \end{aligned}$$

- c. If a block has a **decision** to choose one of the paths of either S1 or S2, in[S] is in[S1] and in[S2]. Also, out[S] is union of out[S1] and out[S2]. Definitions generated within the block are a combination of those for S1 and S2. Definitions killed within the block are the intersection of those in S1 and S2.

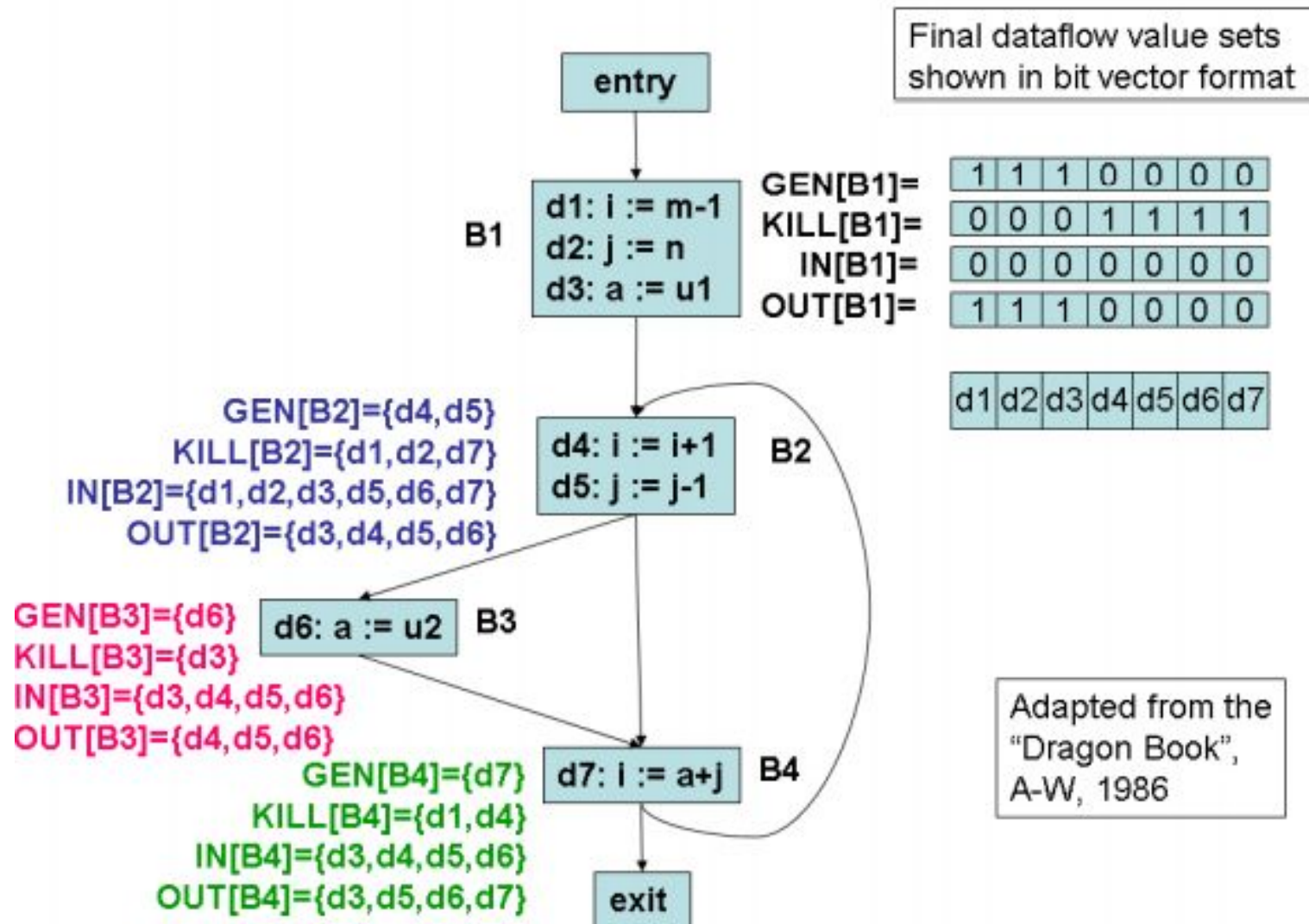


$$\begin{aligned} \text{gen}[S] &= \text{gen}[S1] \cup \text{gen}[S2] \\ \text{kill}[S] &= \text{kill}[S1] \cap \text{kill}[S2] \\ \text{in}[S1] &= \text{in}[S] \\ \text{in}[S2] &= \text{in}[S] \\ \text{out}[S] &= \text{out}[S1] \cup \text{out}[S2] \end{aligned}$$

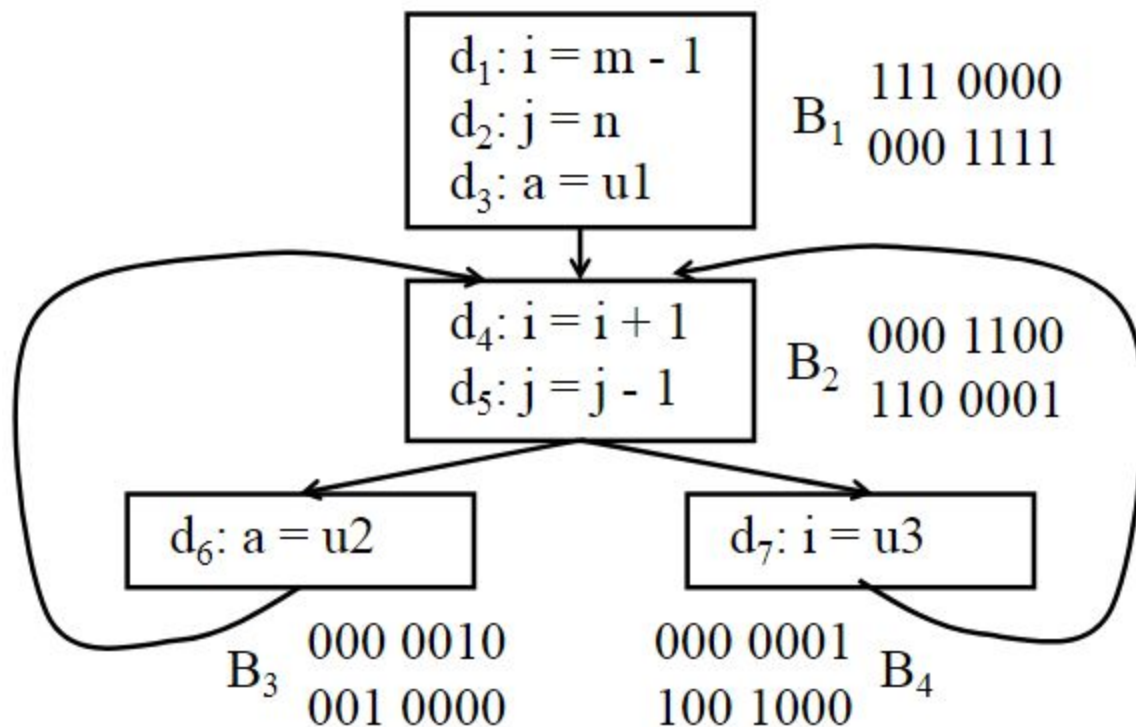
# Algorithm: Reaching Definitions

```
/* Assume  $\text{in}[B] = \emptyset$  for all  $B$  */  
for each block  $B$  do  $\text{out}[B] := \text{gen}[B]$   
   $\text{change} := \text{true}$ ;  
  while  $\text{change}$  do begin  
     $\text{change} := \text{false}$ ;  
    for each block  $B$  do begin  
       $\text{in}[B] := \bigcup_{p \in \text{pred}(B)} \text{out}[p]$   
       $\text{oldout} := \text{out}[B]$   
       $\text{out}[B] := \text{gen}[B] \cup (\text{in}[B] - \text{kill}[B])$   
      if  $\text{out}[B] \neq \text{oldout}$  then  $\text{change} := \text{true}$   
    end  
  end  
end
```

# Reaching Definitions: Bit Vector Representation

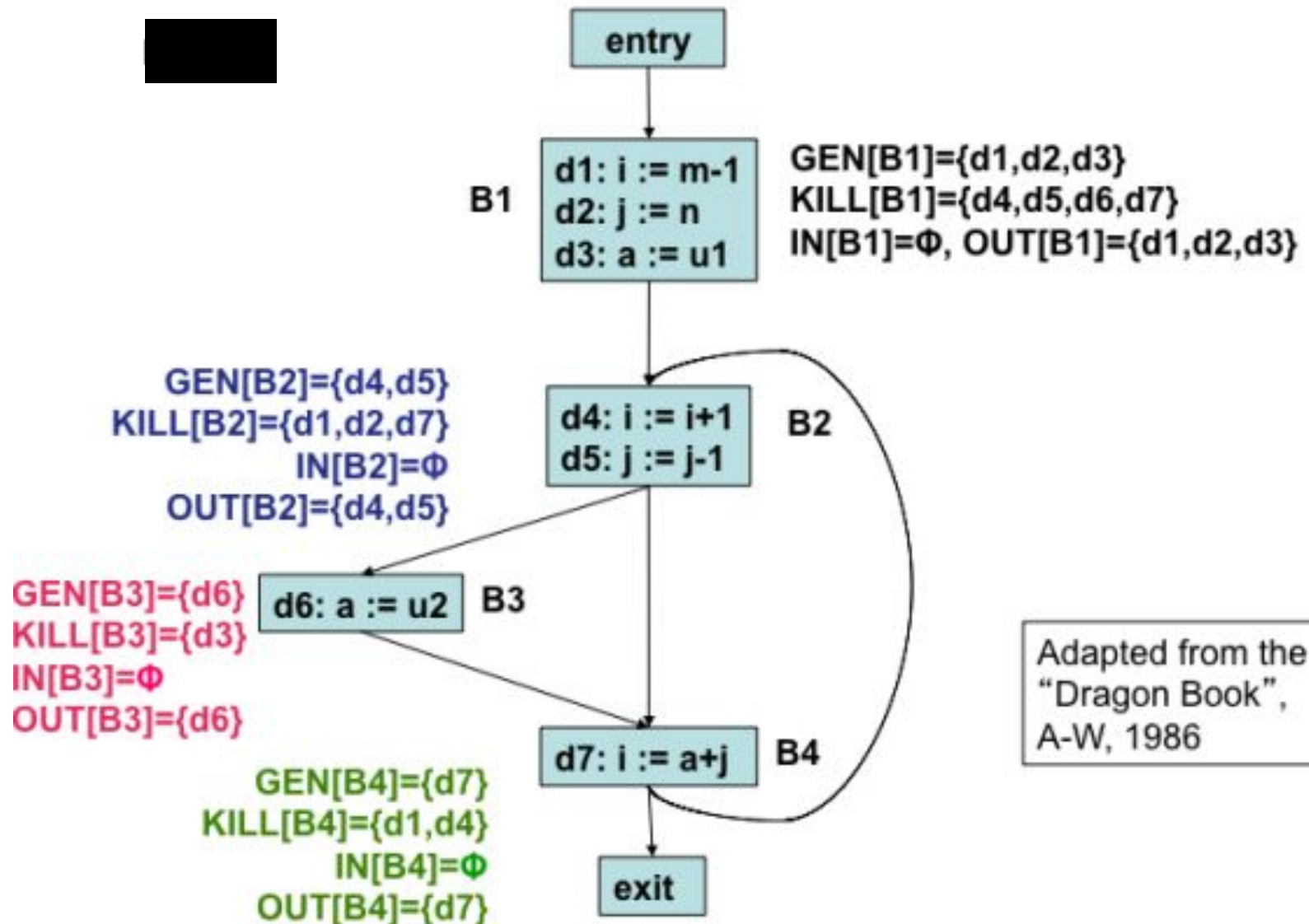


# An Example

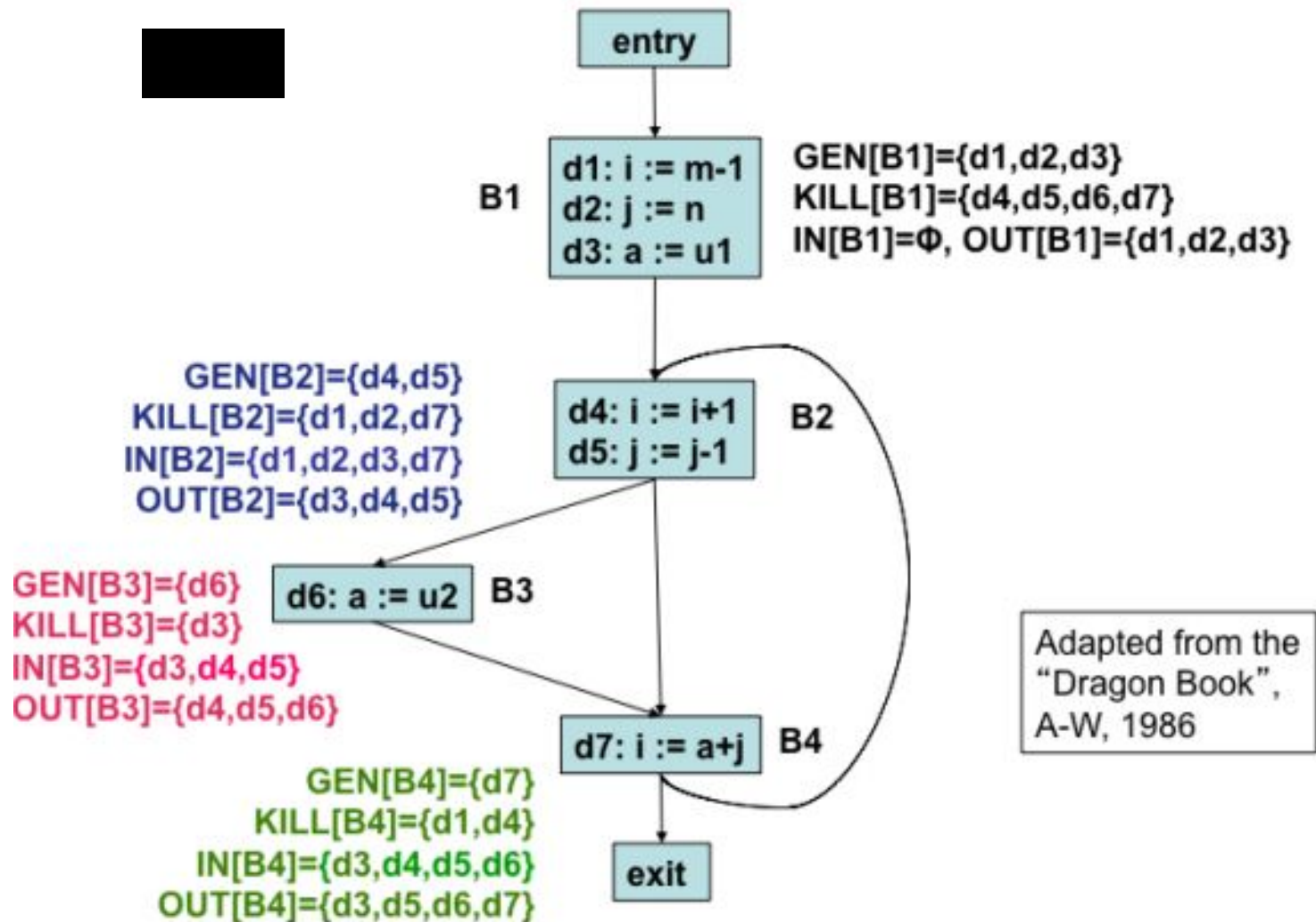




Pass 0

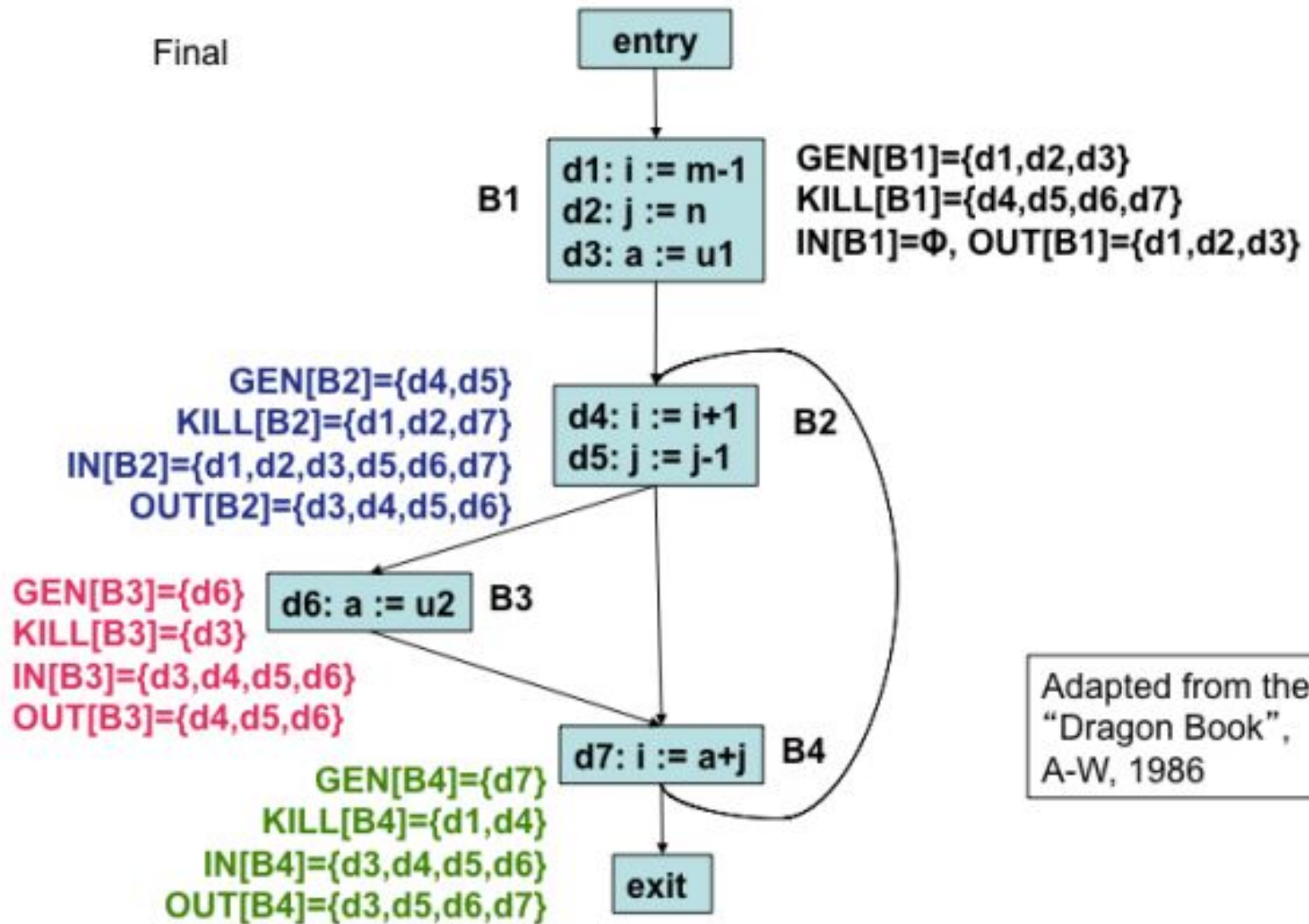


## Pass 1





Final

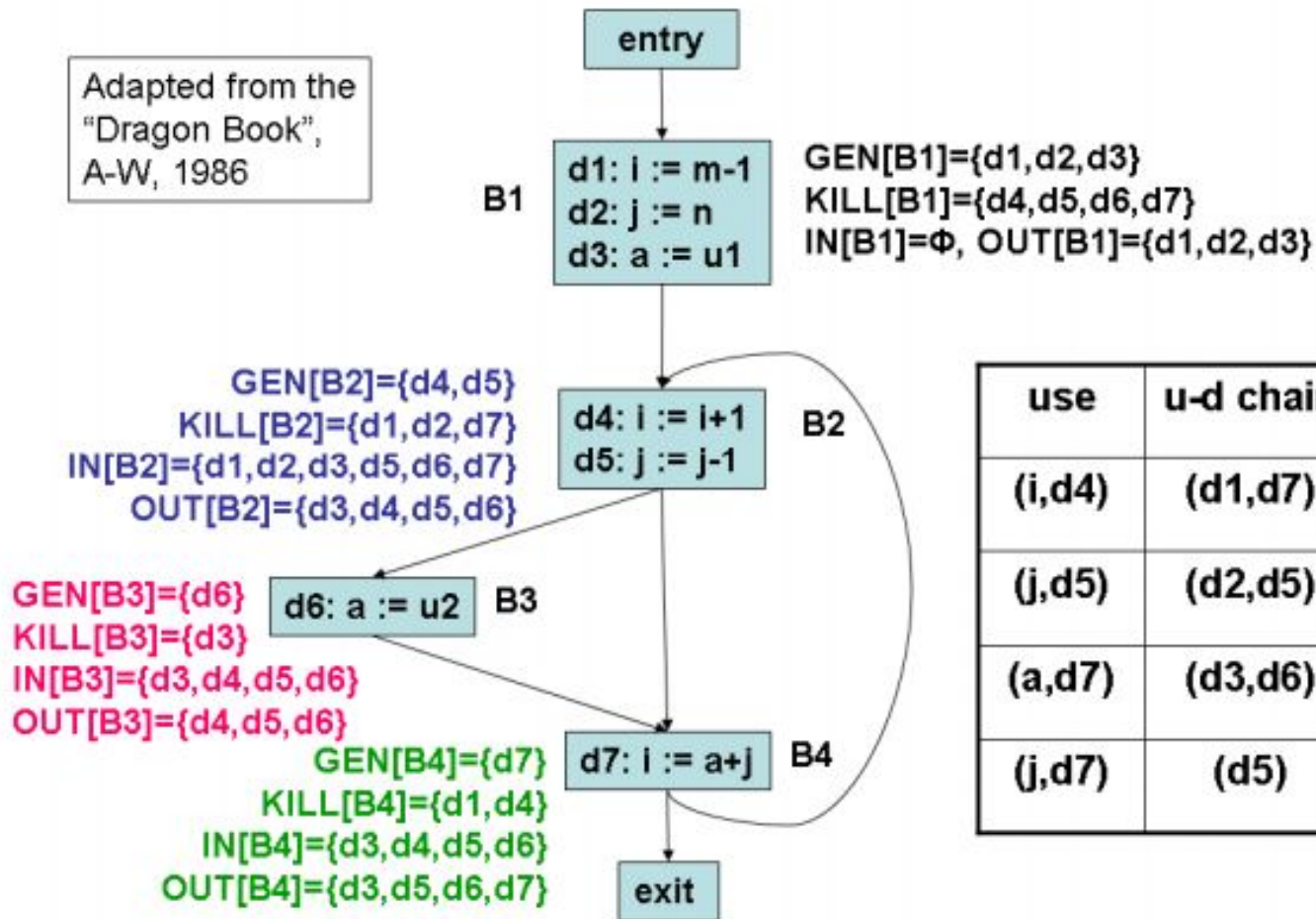


Adapted from the  
"Dragon Book",  
A-W, 1986

# An Example

Block	Initial		Pass 1		Pass 2	
	In[B]	Out[B]	In[B]	Out[B]	In[B]	Out[B]
B <sub>1</sub>	000 0000	111 0000	000 0000	111 0000	000 0000	111 0000
B <sub>2</sub>	000 0000	000 1100	111 0011	001 1110	111 1111	001 1110
B <sub>3</sub>	000 0000	000 0010	001 1110	000 1110	001 1110	000 1110
B <sub>4</sub>	000 0000	000 0001	001 1110	001 0111	001 1110	001 0111

Adapted from the  
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## Block B2

In[B2]=1110011 {d1,d2,d3,d6,d7} From program flow graph {d2,d3,d6} do not define i. Hence ud-chain for i defined in B2 is only {d1,d7}

**Thank You**

- <https://tutorialspoint.dev/computer-science/compiler-design/data-flow-analysis-compiler>
- <https://slideplayer.com/slide/3418022/>