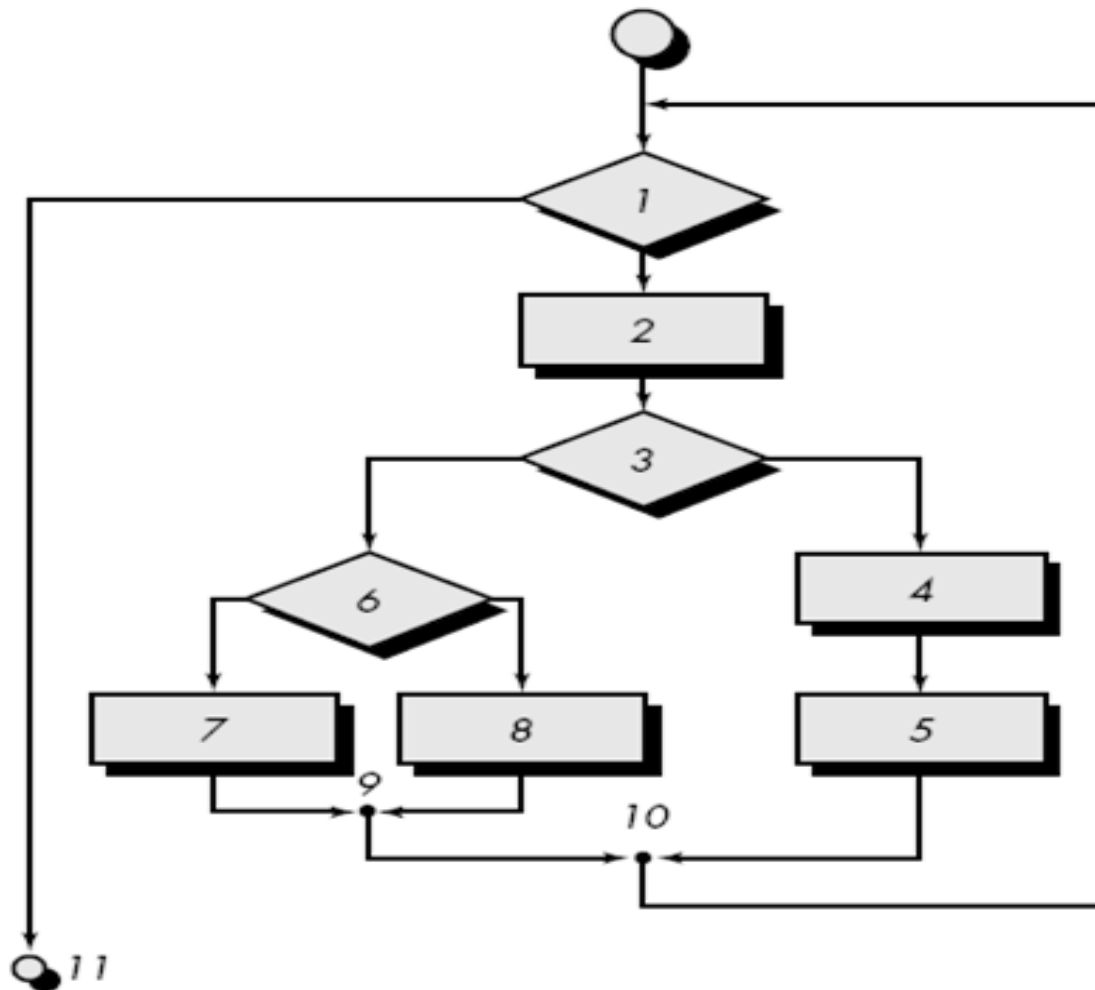


BASIS PATH TESTING

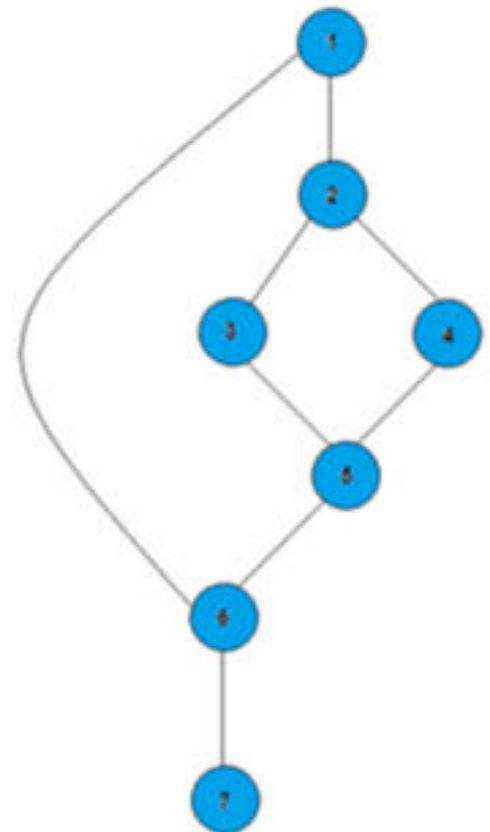
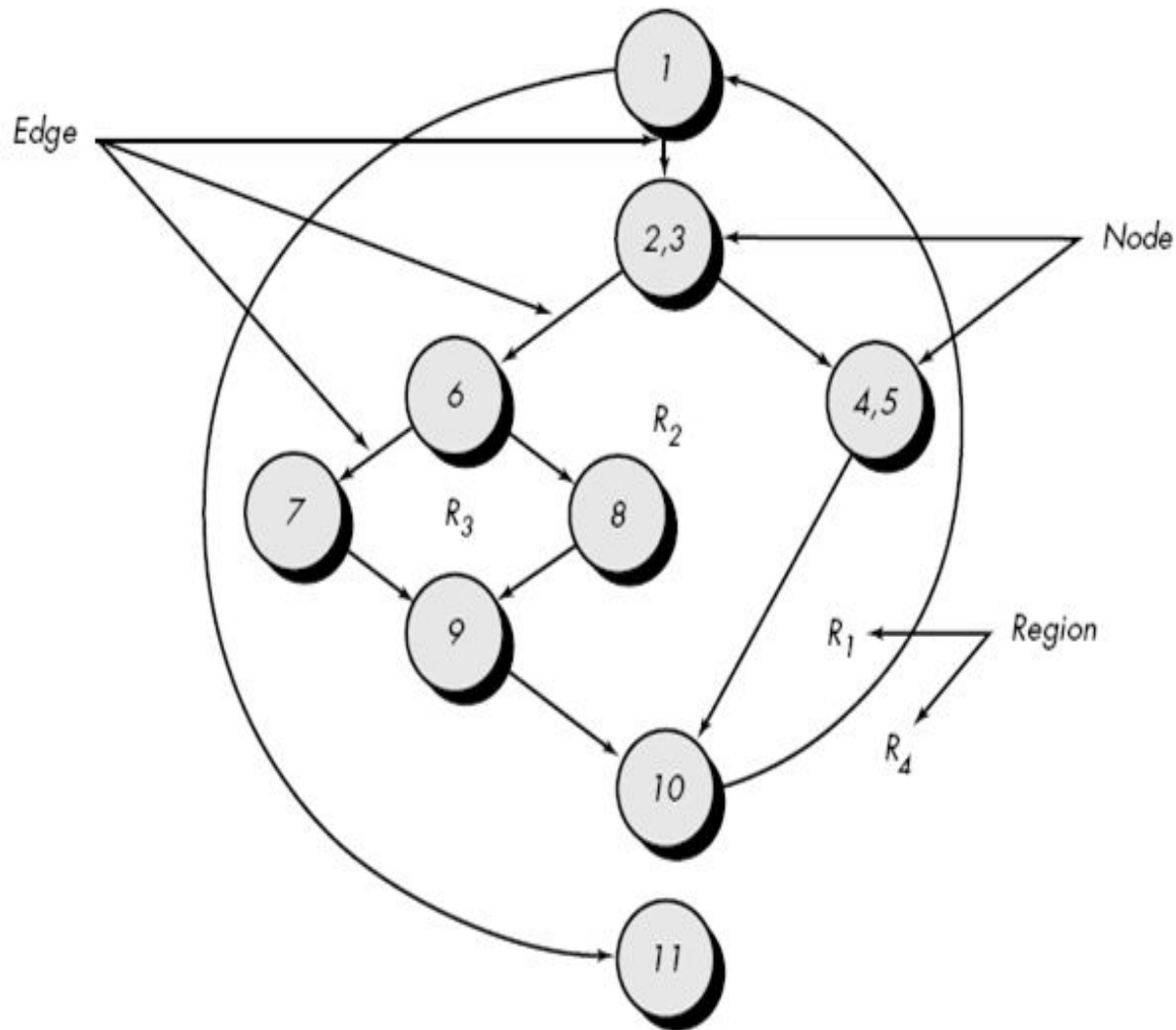
DERIVING TEST CASES

FlowGraph



1. If A= 50
2. THEN IF B>C
3. THEN A =B
4. ELSE A=C
5. ENDIF
6. ENDIF
7. Print A

Solution



Independent program paths

● Path 1: 1-11

● Path 2: 1-2-3-4-5-10-1-11

● Path 3: 1-2-3-6-8-9-10-1-11

● Path 4: 1-2-3-6-7-9-10-1-11

● Path 5: 1-2-3-4-5-10-1-2-3-6-8-9-10-1-11

● Path 1: 1,2,3,5,6, 7

● Path 2: 1,2,4,5,6, 7

● Path 3: 1, 6, 7

Cyclomatic complexity

It is a quantitative measure of independent paths in the source code of a software program.

Cyclomatic complexity can be calculated by using control flow graphs or concerning functions, modules, methods or classes within a software program.

An Independent path is defined as a path that has at least one edge that has not been traversed before in any other path.

1. The *no. of regions* corresponds to the cyclomatic complexity.

2. Cyclomatic complexity, $V(G)$, for a flow graph, G , is defined as

$$V(G) = E - N + 2$$

where E is the number of flow graph edges, N is the number of flow graph nodes.

3. Cyclomatic complexity, $V(G)$, for a flow graph, G , is also defined as

$$V(G) = P + 1$$

where P is the number of predicate nodes edges.

● **Regions:**

$$V(G) = 4 \text{ regions}$$

● **Edge and Node:**

$$V(G) = \text{Edge} - \text{Node} + 2$$

$$V(G) = 11 - 9 + 2$$

$$V(G) = 4$$

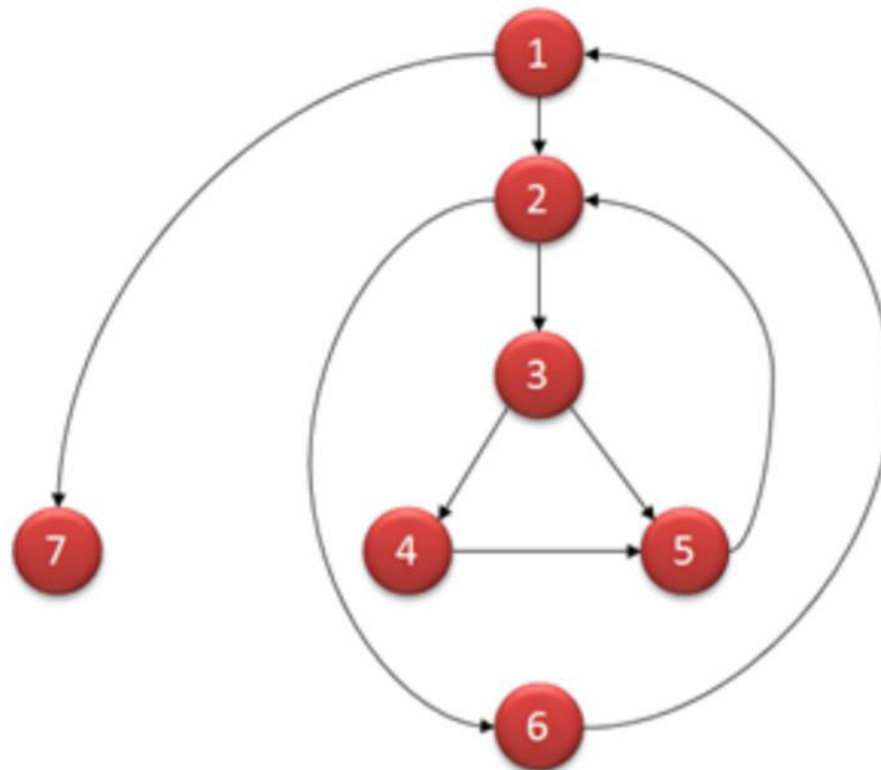
● **Predicate Nodes:**

$$V(G) = \text{Predicate Nodes} + 1$$

$$V(G) = 3 + 1$$

$$V(G) = 4$$

Determine Cyclomatic complexity in all the ways



EXAMPLE

PROCEDURE

- This procedure computes the average of 100 or fewer numbers that lie between bounding values
- It also computes the sum and the total number valid.

INTERFACE RETURNS average, total.input, total.valid;
INTERFACE ACCEPTS value, minimum, maximum;

TYPE value[1:100] IS SCALAR ARRAY;
TYPE average, total.input, total.valid;
 minimum, maximum, sum IS SCALAR;
TYPE i IS INTEGER;

i = 1;

total.input = total.valid = 0;

sum = 0;

DO WHILE value[i] <> -999 AND total.input < 100

 increment total.input by 1;

 IF value[i] >= minimum AND value[i] <= maximum

 THEN increment total.valid by 1;

 sum = sum + value[i]

 ELSE skip

 ENDIF

 increment i by 1;

ENDDO

IF total.valid > 0

 THEN average = sum / total.valid;

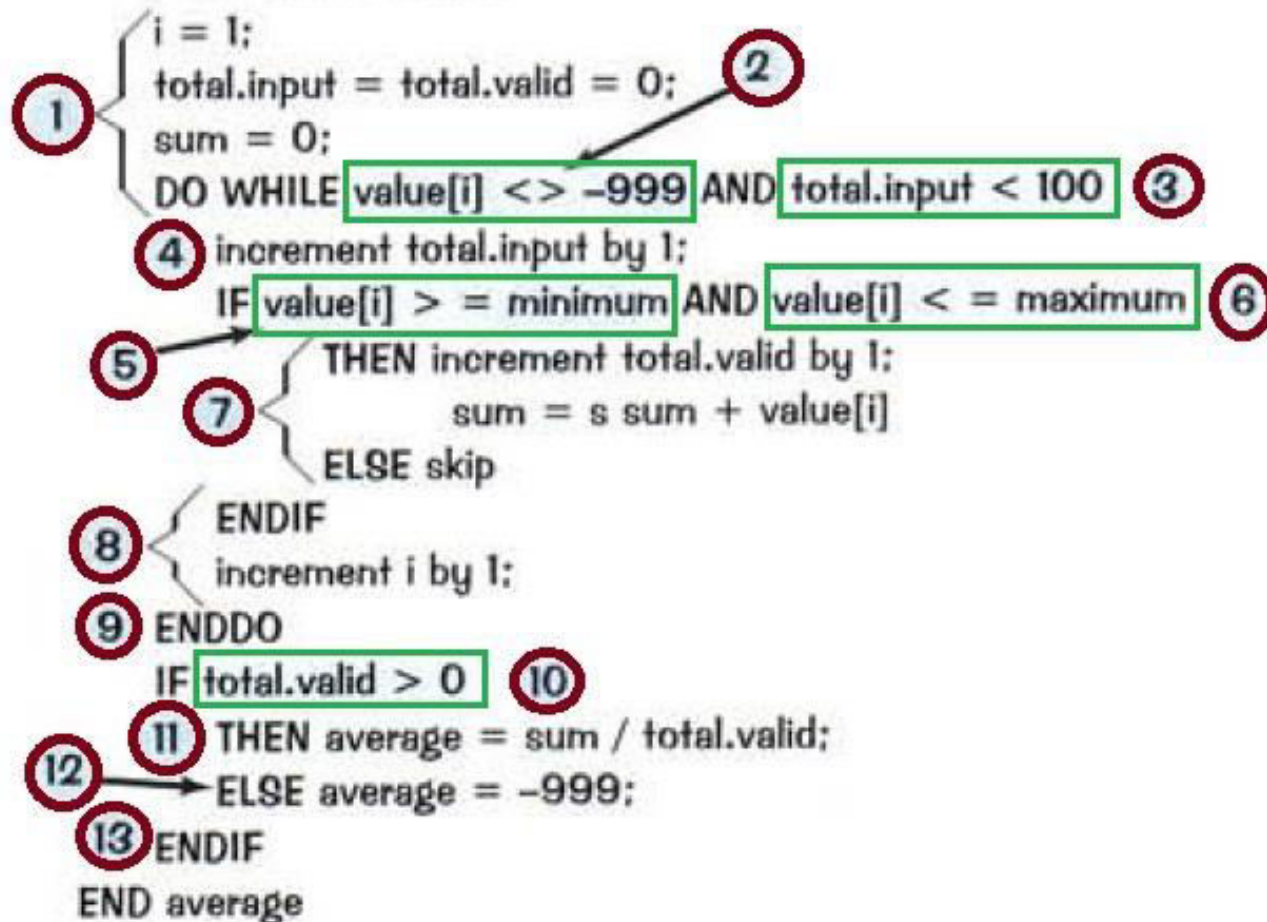
 ELSE average = -999;

ENDIF

END average

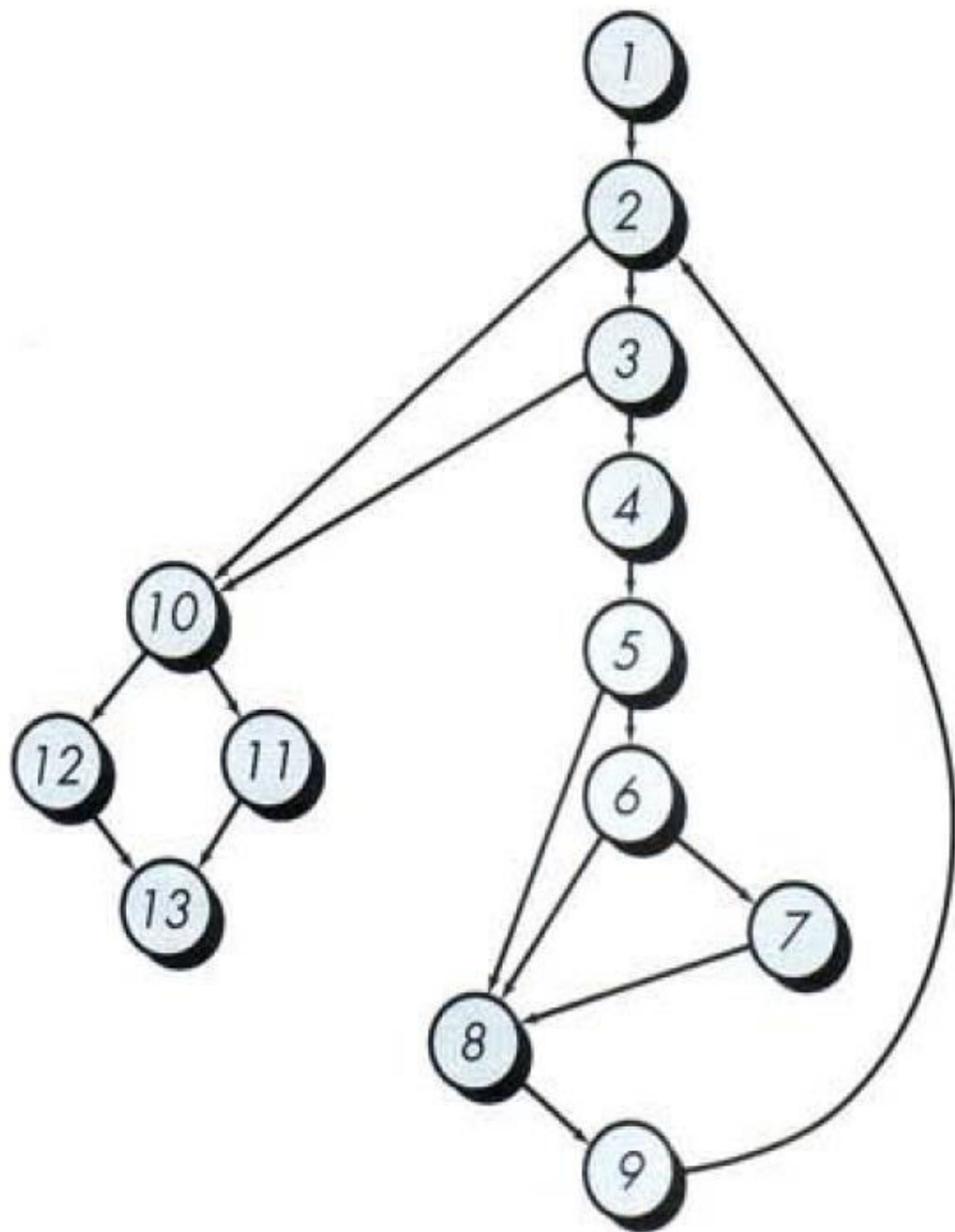
INTERFACE RETURNS average, total.input, total.valid;
INTERFACE ACCEPTS value, minimum, maximum;

TYPE value[1:100] IS SCALAR ARRAY;
TYPE average, total.input, total.valid;
 minimum, maximum, sum IS SCALAR;
TYPE i IS INTEGER;



STEP - 1

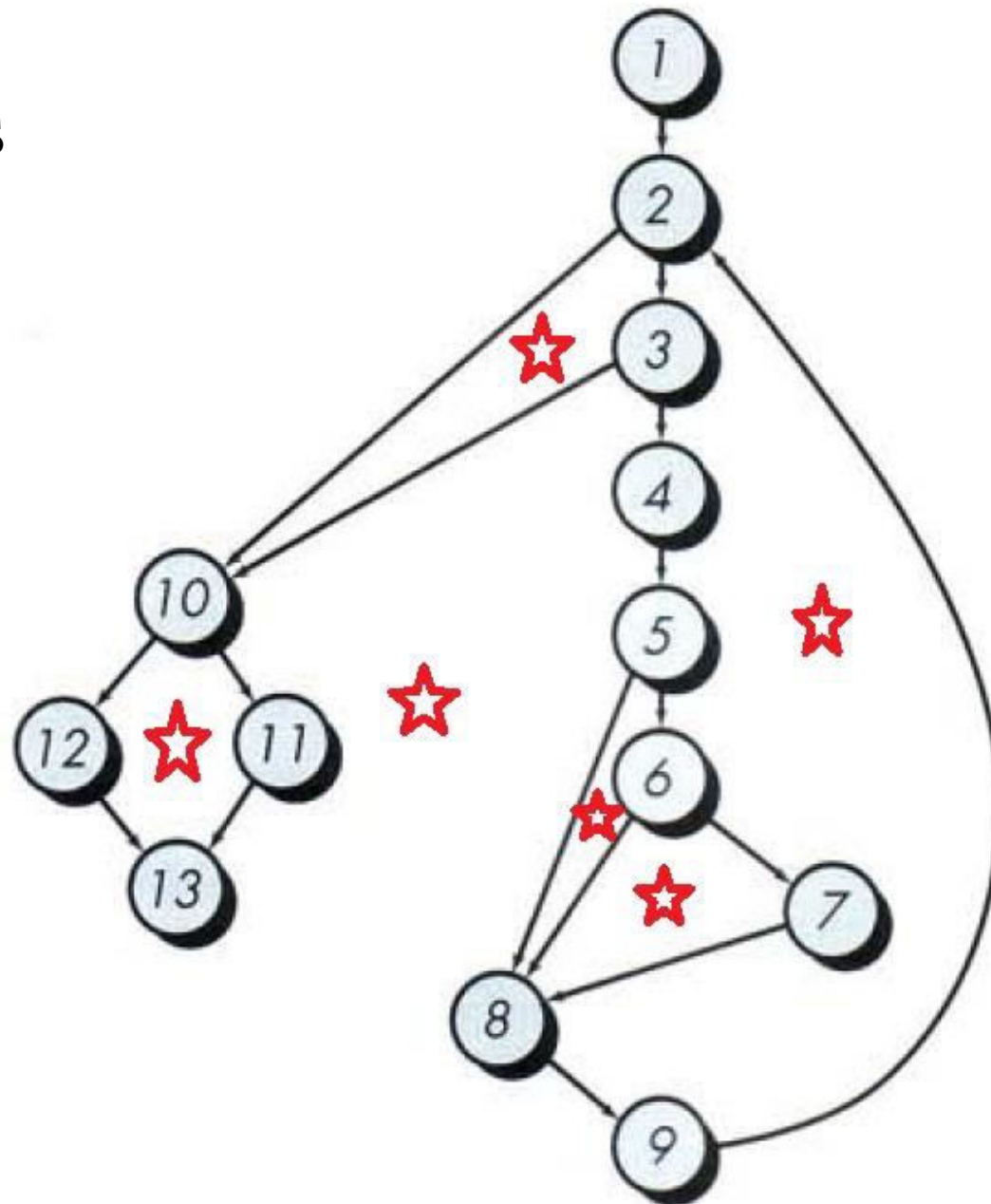
Using the design or code as a foundation, Draw a corresponding flow graph



STEP - 2

Determine the
cyclomatic complexity of the
resultant flow graph

★ REGIONS



● **Regions:**

$$V(G) = 6 \text{ regions}$$

● **Edge and Node:**

$$V(G) = \text{Edge} - \text{Node} + 2$$

$$V(G) = 17 - 13 + 2$$

$$V(G) = 6$$

● **Predicate Nodes:**

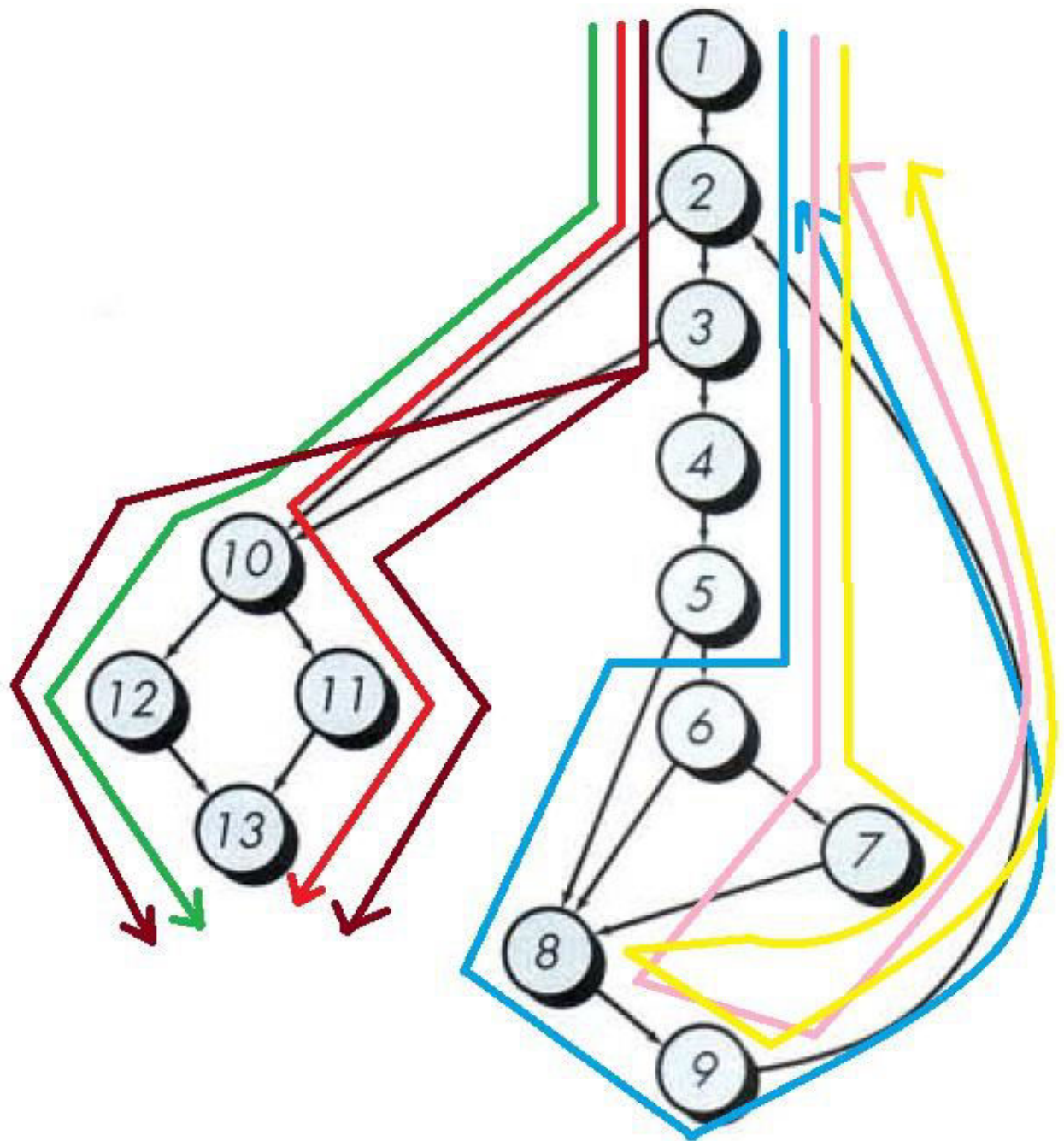
$$V(G) = \text{Predicate Nodes} + 1$$

$$V(G) = 5 + 1$$

$$V(G) = 6$$

STEP - 3

Determine the basis set
of linearly independent paths.



● **PATH – 1 :**

1-2-10-11-13

● **PATH – 2 :**

1-2-10-12-13

● **PATH – 3 :**

1-2-3-10-11-13

● **PATH – 4 :**

1-2-3-4-5-8-9-2-....

● **PATH – 5 :**

1-2-3-4-5-6-8-9-2-....

● **PATH – 6 :**

1-2-3-4-5-6-7-8-9-2-....

STEP - 4

Prepare a test cases that will force execution of each path in the basis

● **PATH – 1 :**

1-2-10-11-13

● **PATH – 2 :**

1-2-10-12-13

● **PATH – 3 :**

1-2-3-10-11-13

● **PATH – 4 :**

1-2-3-4-5-8-9-2-....

● **PATH – 5 :**

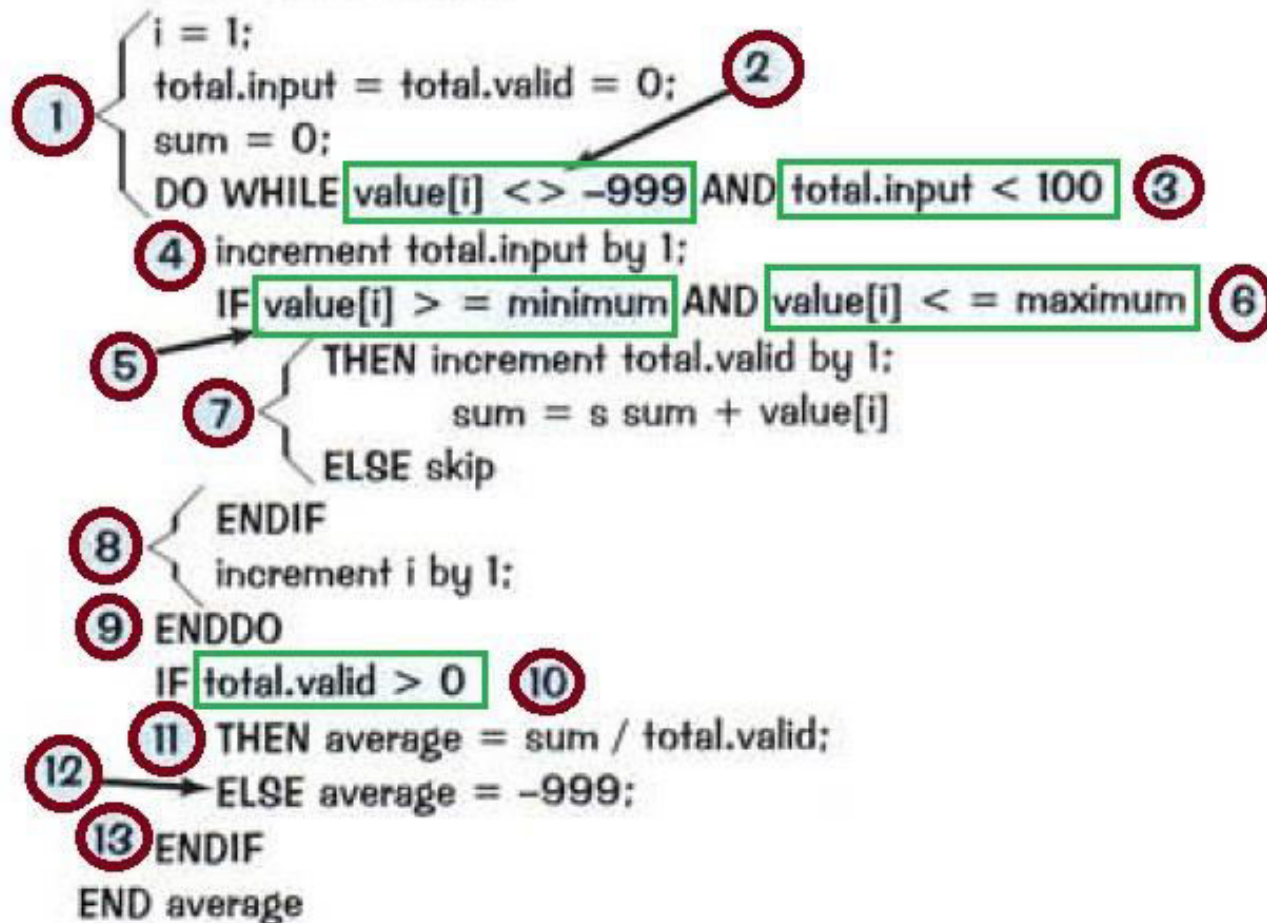
1-2-3-4-5-6-8-9-2-....

● **PATH – 6 :**

1-2-3-4-5-6-7-8-9-2-....

INTERFACE RETURNS average, total.input, total.valid;
INTERFACE ACCEPTS value, minimum, maximum;

TYPE value[1:100] IS SCALAR ARRAY;
TYPE average, total.input, total.valid;
 minimum, maximum, sum IS SCALAR;
TYPE i IS INTEGER;



| INPUT | EXPECTED OUTPUT | PASS / FAIL |
|--|-----------------|-------------|
| Test Case – 1 Path – 1 | | |
| Sum = 45 , Total valid = 10 Value [1] = - 999 | Average = 4.5 | Pass |
| Test Case – 2 Path – 2 | | |
| Sum = 100 , Total valid = 0 Value [1] = - 999 | Average = - 999 | Pass |
| Test Case – 3 Path – 3 | | |
| Min = 1, Max = 11, Total.input = 101 Value[1, 2, 3,, 101] Sum = 100 | Average = 0.9 | Pass |

| INPUT | EXPECTED OUTPUT | PASS / FAIL |
|---|-----------------|-------------|
| Test Case – 4 Path – 4 | | |
| Min = 1, Max = 10, Value[0, 2, 3,, 10] | Average = - 999 | Pass |
| Min = 1, Max = 10, Value[1, 2, 3,, 10,0] | Average = 4.5 | Pass |
| Test Case – 5 Path – 5 | | |
| Min = 1, Max = 11, Value[1, 2, 3,, 11] | Average = 4.5 | Pass |
| Min = 1, Max = 11, Value[11, 2, 3,, 10] | Average = - 999 | Pass |

| INPUT | EXPECTED OUTPUT | PASS / FAIL |
|---|-----------------|-------------|
| Test Case – 6 | | |
| Path – 6 | | |
| Min = 1, Max = 11, Value[1, 2, 3,, 10] | Average = 4.5 | Pass |

Function to delete element

```
Function fn_delete_element (int value, int array_size, int
    array[])
{
    int i;
    location = array_size + 1;

    for i = 1 to array_size
        if ( array[i] == value )
            location = i;
        end if;
    end for;

    for i = location to array_size
        array[i] = array[i+1];
    end for;
    array_size --;
}
```

Function fn_delete_element (int value, int
array_size, int array[])

{

1 int i;

location = array_size + 1;

2 for i = 1 to array_size

3 if (array[i] == value)

4 location = i;

end if;

end for;

5 for i = location to array_size

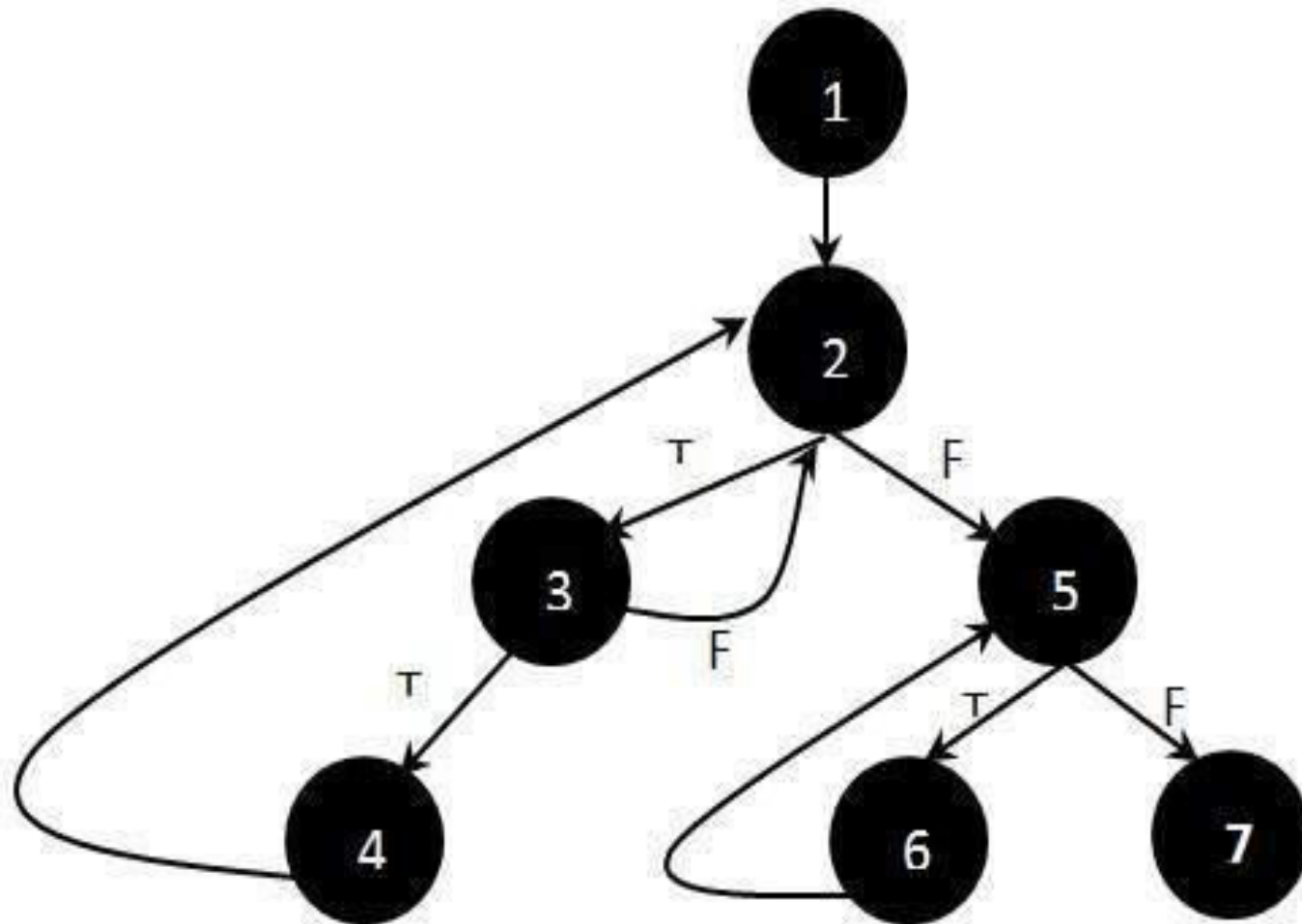
6 array[i] = array[i+1];

end for;

7 array_size --;

}

Flow graph



Independent Paths

● Path 1: 1 - 2 - 5 - 7

● Path 2: 1 - 2 - 5 - 6 - 7

● Path 3: 1 - 2 - 3 - 2 - 5 - 6 - 7

● Path 4: 1 - 2 - 3 - 4 - 2 - 5 - 6 - 7

Advantages of Basic Path Testing

- It helps to reduce the redundant tests
- It focuses attention on program logic
- It helps facilitates analytical versus arbitrary case design
- Test cases which exercise basis set will execute every statement in a program at least once