

$$1) a) \frac{1.03 - 1}{0.1/\sqrt{50}} = \frac{0.03}{0.01414} \quad P(Z > 2.12) = 1 - 0.9330 = 0.017$$

$$b) 0.017 = 1.7\%$$

$$3) a) \frac{231.4 - 232}{\frac{2.19}{\sqrt{66}}} = -1.11 \quad 2P(Z < -1.11) = 2(0.1335) = 0.2670$$

$$b) 0.2670 = 26.70\%$$

$$5) a) \frac{4.5 - 5.4}{2.7/\sqrt{80}} = -2.93 \quad P = P(Z < -2.93) = 0.0014$$

b) Since the P value is less than we conclude the number of sick days less than 5.4

$$7) a) \frac{850 - 900}{153/\sqrt{60}} = -2.531 \quad P\text{val} = 0.0070$$

b) It is less than 900 considering the information that is provided

1) $P = 0.5$

3) a) Not possible because the smaller the value the more true it is

b) Not possible because we're not sure if H_0 is true

c) Not possible because P_{val} is not prob. of H_0

d) Might be because H_0 might be true but unlikely

e) The smaller the P value the more certain we are

f) The smaller the P_{val} the more possible it is

- 5) a) True
b) False
c) True
d) False

- 11) a) $H_0: \mu \leq 8$
b) $H_0: \mu \leq 6000$
c) $H_0: \mu = 10$

- 15) $H_0: \mu \leq 7$ Level of sig. $\alpha = 0.05$
Alt $H_1: \mu > 7$ $P\text{-val} = 0.40$
No, the given conclusion is incorrect.

- 21) a) Yes, since $M_0 = 3.5$ is greater than the 95%, the $P\text{-val.}$ of testing $H_0: \mu \geq 3.5$ will be less than 0.05
b) No, we need to know the 99% upper confidence bound.