DERIVATIVE (OR) GRADIENT MASKING (OR) PRE-WITT MASKING * Image differentiation enhances edges & other idiscontinuities & de-emphasizes were with slowly varying intensities By using gradient masking we find out the vertical & horizontal thick values only Gradient function, of = Of ox $f(x,y) = \left[\left|\frac{\partial f}{\partial x}\right|^2 + \left|\left|\frac{\partial f}{\partial y}\right|^2\right]$ * Let us consider an image ω_1 w₃ ω_2 ω_5 · W6 WA ω_{τ} ω_8 Wa Differentiation is nothing but difference blu pouvious Present images. 8f = ω+ - ω/4 + ω8 - ω5 + ω9 - ω/6 + ω/4 - ω, + ω/5 - ω2 + ω/6 - ω3 = W+ Wg + Wq - (W,+W2+W3)

$$\frac{\partial f}{\partial x} = \begin{bmatrix} -1 & -1 & -1 \\ 0 & 0 & 0 \\ 1 & 1 & 1 \end{bmatrix}$$

$$\frac{\partial f}{\partial y} = \omega_3 - \omega_3' + \omega_6 - \omega_5' + \omega_9 - \omega_8'$$

=
$$\omega_3 + \omega_6 + \omega_9 - (\omega_1 + \omega_4 + \omega_4)$$

$$\frac{\partial f}{\partial y} = \begin{bmatrix} -1 & 0 & 1 \\ -1 & 0 & 1 \\ -1 & 0 & 1 \end{bmatrix}$$

Form the definition, one-dimensional function
$$f(z)$$
 is In x -disaction, $\frac{\partial f}{\partial x} = f(x+i) - f(x)$.

In x - dissection,
$$\frac{\partial f}{\partial x} = f(x+1,y) - f(x,y)$$

In y-disaction,
$$\frac{\partial f}{\partial y} = f(x_1y_{11}) - f(x_1y_1)$$

Its equivalent 1s
$$\begin{cases} 0 & \begin{cases} 0 & 0 \\ 1 & 2 \end{cases} & 3 & 4 \\ 0 & 5 & 6 \end{cases} = 3 & 4 \end{cases}$$