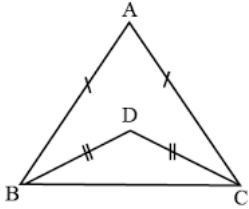


CLASS 9th: Triangles DPP

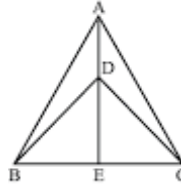
Q1. BE and CF are two equal altitudes of a triangle ABC. Using RHS congruence rule, prove that the triangle ABC is isosceles.

Q2. In the figure, $AB=AC$ & $DB=DC$. Find the ratio of $\angle ABD:\angle ACD$.



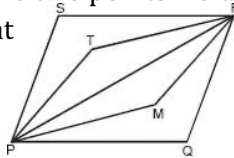
Q3. $\triangle ABC$ and $\triangle DBC$ are two isosceles triangles on the same base BC and vertices A and D are on the same side of BC (see figure). If AD is extended to intersect BC at E, show that

- (i) $\triangle ABD \cong \triangle ACD$
- (ii) $\triangle ABE \cong \triangle ACE$
- (iii) AE bisects $\angle A$ as well as $\angle D$
- (iv) AE is the perpendicular bisector of BC

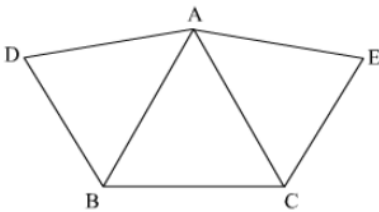


Q4. In the given figure, T and M are two points inside a parallelogram PQRS such that $PT = MR$ and $PT \parallel MR$. Then prove that

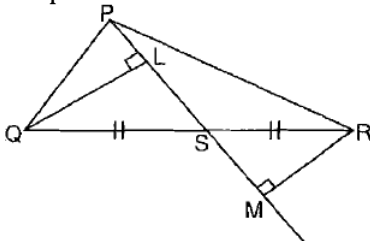
- (a) $\triangle PTR \cong \triangle MRP$
- (b) $RT \parallel PM$ and $RT = PM$



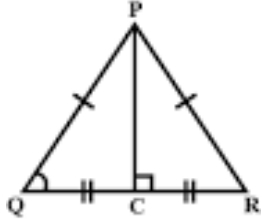
Q5. On the sides AB and AC of triangle ABC, equilateral triangle ABD and ACE are drawn. Prove that: $CD = BE$.



Q6. PS is a median and QL and RM are perpendiculars drawn from Q and R respectively on PS produced. Then Prove that $QL = RM$.



Q7. In the given figure, triangles PQC and PRC are such that $QC = PR$ and $PQ = CR$. Prove that $\angle PCQ = \angle CPR$.



Q8. ABC is an isosceles triangle in which altitudes BE and CF are drawn to equal sides AC and AB respectively. Show that these altitudes are equal.