

What This Algorithm Does:

Step	Logic
Smooths the data	Removes sensor noise to detect true trend
Detects a stable window	Finds a low-slope, low-noise period — treats it as "normal" behavior
Compares slope	Measures how fast values are rising now, compared to baseline
Self-learns thresholds	No hardcoded values; learns from past system behavior
Classifies state	Normal, Warning, or Critical based on trend steepness

STEP-BY-STEP EXPLANATION

Step 1: Generate or Input the Sensor Data


python

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```
sensor_data = [...100 readings...]
```

You can use real sensor readings, or generate synthetic ones like in this code:

- First 70 readings → **flat/stable**
- Last 30 readings → **slowly rising**

 This simulates a real-world case where your system heats up or degrades over time.

Step 2: Smooth the Sensor Data

python

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```
smoothed = savgol_filter(sensor_data, window_length=11, polyorder=2)
```

Real sensors are noisy, so we **smooth the curve** to focus on the **actual trend**, not random jumps.

🔗 Smoothing makes slope detection more accurate.

Step 3: Detect a Stable "Baseline" Window Automatically

python

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```
baseline_start, baseline_end = find_stable_baseline(smoothed)
```

Here, the algorithm **scans the smoothed data** to find a window that is:

- Flat (slope ≈ 0)
- Low in noise (low variance)

This window is assumed to be when the system was **behaving normally**.

💡 This is your **reference point** for comparison.

Step 4: Define the Current Window (Recent Data)

python

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```
current_window = smoothed[-24:] # last 2 hours if 5 min interval
```

We look at the last 24 readings (2 hours) to see **what's happening now**.


Step 5: Calculate Slope for Both Windows

python

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```
baseline_slope = (baseline_window[-1] - baseline_window[0]) /  
window_size  
current_slope = (current_window[-1] - current_window[0]) / window_size
```

- The **baseline slope** shows how fast the system was changing when it was healthy.
- The **current slope** shows how fast it's changing now.

 This tells us how much the system behavior has shifted.

Step 6: Define Dynamic Thresholds

python

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```
warning_threshold = 1.5 × baseline_slope  
critical_threshold = 2.5 × baseline_slope
```

The algorithm **learns** what's "too fast" by multiplying the baseline slope.

✅ No hardcoded values — this adapts to each system's own behavior.

Step 7: Compare and Classify the System

python

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```
if current_slope > critical_threshold:  
    final_state = "Critical"  
elif current_slope > warning_threshold:  
    final_state = "Warning"  
else:  
    final_state = "Normal"
```

- If the system is heating up **a lot faster** than it used to → 🔥 Critical
- If it's warming **a bit faster** than before → ⚠️ Warning
- If it's behaving similarly → ✅ Normal

Imagine this:

You're observing a **machine's temperature sensor**.

You're not just asking:

✗ “Is the temperature high?”

You're asking:

✓ “Is the machine heating up **faster** than it usually does when it's okay?”

That's the **core intuition**

You're comparing how fast values are changing now to how fast they used to change when things were normal.

It's like:

- You know how calmly your system normally behaves (baseline slope).
- You notice that it's now speeding up (current slope).
- If the current behavior is too different — you raise an alert.

💬 Summary: What Your Algorithm Is Thinking

“I remember how the system behaves when it's calm.
Now I see it's speeding up more than usual.
This could be trouble — better raise a warning or alert!”

That's intelligent behavior — not just reacting to fixed values.

logic

START

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[1] Get sensor data (e.g., 100 readings)

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[2] Smooth the data using Savitzky-Golay filter
- Removes noise

- Reveals the true trend

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[3] Find a stable "baseline window"

- Slide a fixed-size window over data
- In each window:
 - Calculate slope = (last - first) / window_size
 - Calculate variance of the values
- Select window with:
 - Slope ≈ 0 (almost flat)
 - Lowest variance (least noisy)

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[4] Extract the "current window" (latest N readings)

- This is what we want to classify

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[5] Compute slope in both windows:

- Baseline Slope = (last - first) / size
- Current Slope = (last - first) / size

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[6] Compute thresholds from baseline:

- Warning Threshold = $1.5 \times \text{baseline_slope}$
- Critical Threshold = $2.5 \times \text{baseline_slope}$

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[7] Compare current slope:

- IF current_slope > critical_threshold:
 - System State = "Critical"
- ELSE IF current_slope > warning_threshold:
 - System State = "Warning"
- ELSE:
 - System State = "Normal"

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[8] Output:

- Print/return system state
- Optional: Plot smoothed curve
 - with baseline and current window highlights

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END

