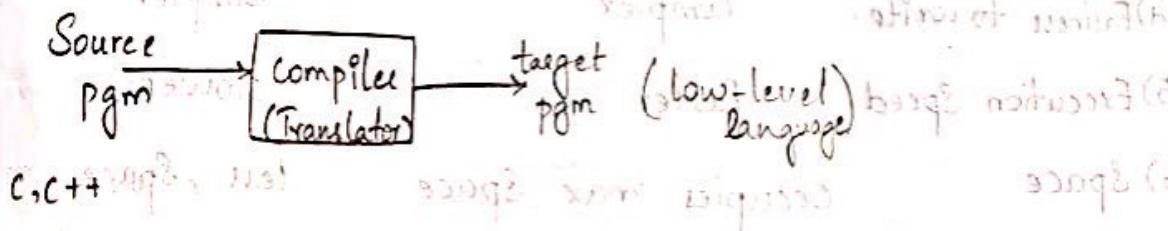


Introduction

* Compiler :-

- Translate/Converting one Programming language into another.
- Translate an executable program in one language into an executable pgm usually in another language.



Python etc. has no compiler. only interpreter.

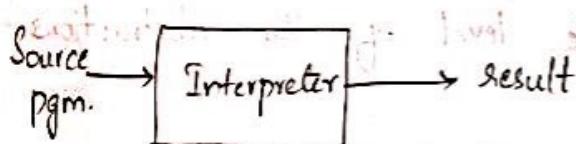
* Programming Language :-

It has rigid property

It has no ambiguity.

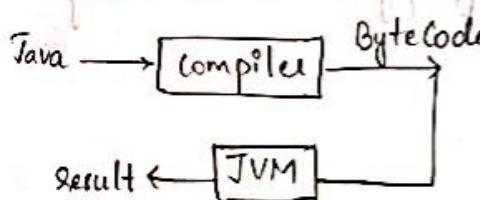
→ A formal language described for expressing computations and also have rigid property and meaning and no ambiguity.

* * Interpreter :-



* Need not convert into target pgm. It will directly give o/p.

Eg: Java



* * Difference between Compiler and Interpreter.

Learning Dimension	Compiler	Interpreter
1) Defn	Program	Program
2) Examples	C, C++, FORTAN	Python, Pascal, Scheme
3) Looking at	Entire piece of code	Line - by - line
4) Easeiness to write	Complex	Simpler
5) Execution Speed	Faster	Slower.
6) Space	Occupies max space	less space.
7) Target pgm	Object code	Simplified intermediate code.

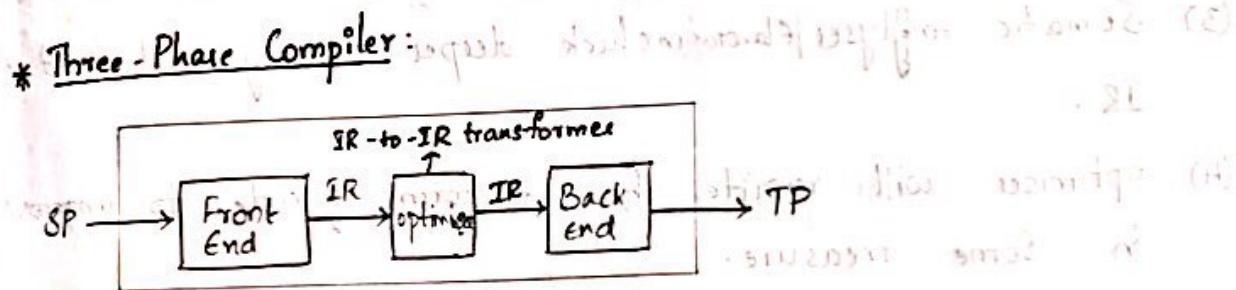
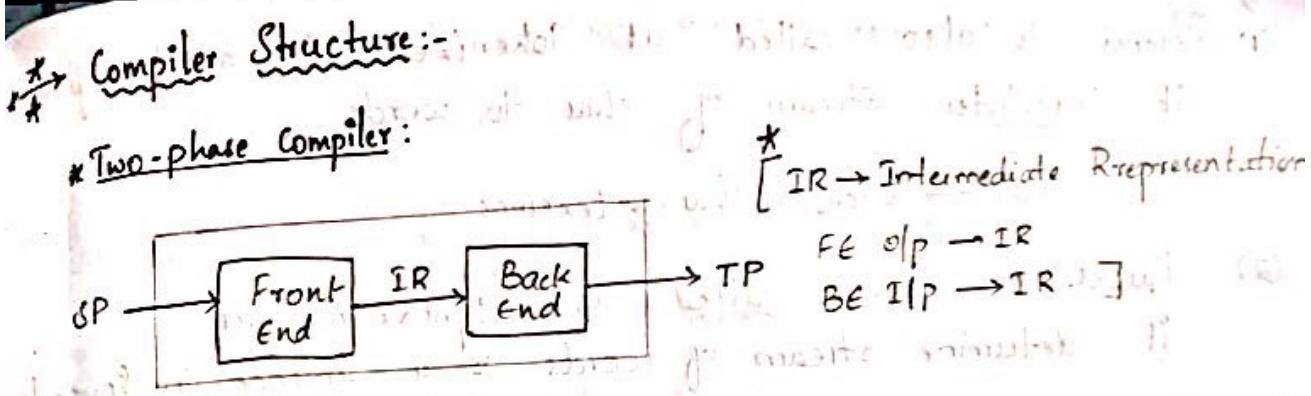
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* Why Study compiler construction?

- 1. Efficiently handle complex algo problems.
- 2. App of theory to practice.
- 3. Primary responsibility for application performance.
- 4. Design the appropriate level of the abstractions.

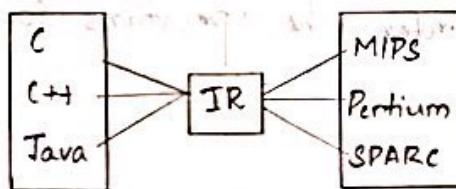
→ Fundamental principles of compiler | Objectives | Challenges.

- (1) preserve meaning.
- (2) Must improve performance of pgm. in some way.

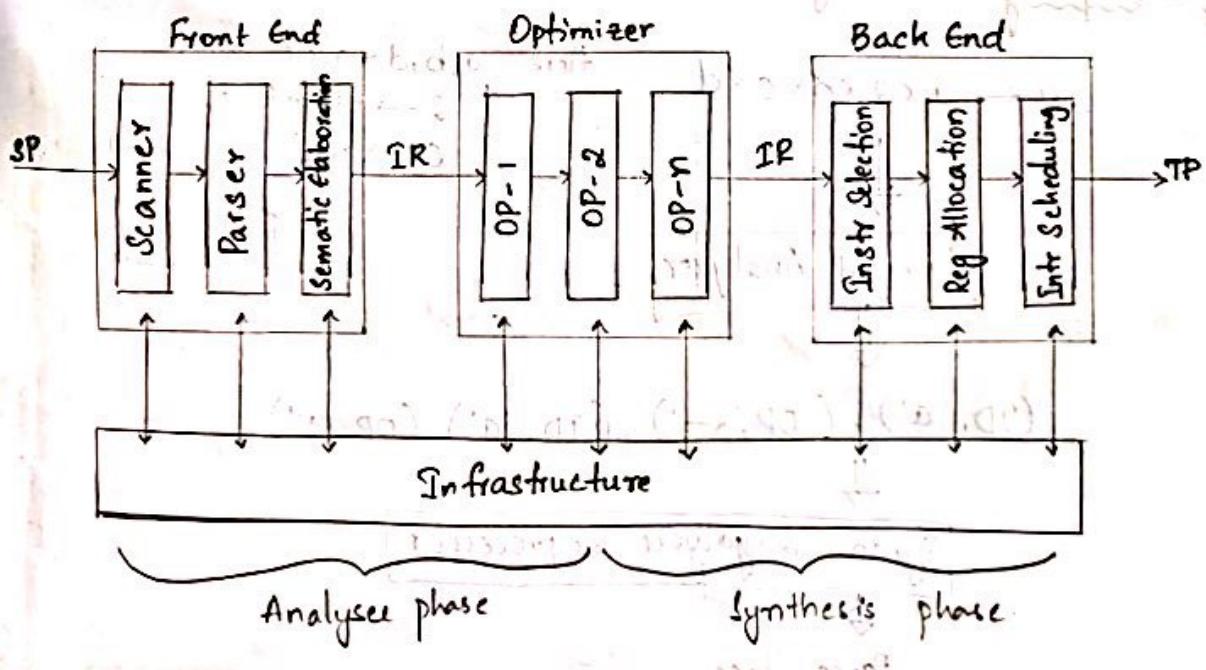


* Retargeting:

Dfn: Task of changing compiler to generate code for new processor.



* Structure of a Typical Compiler:

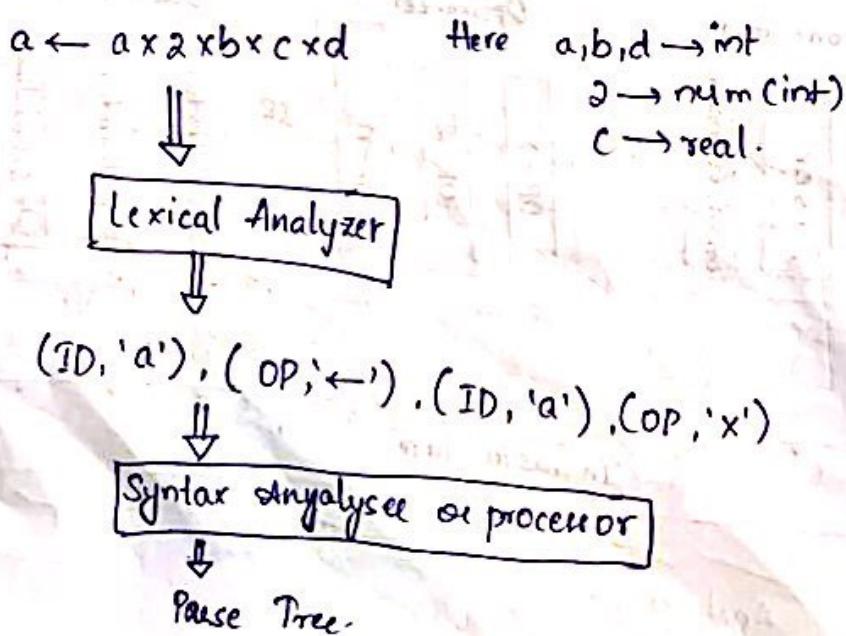


* EXP:-

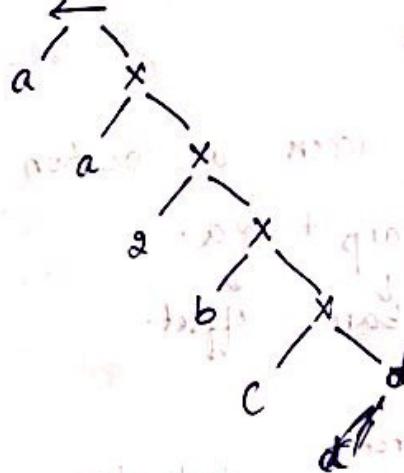
- (1) Scanner is also called as Tokenizer / lexical Analyzer.
it translates stream of char to words
words \rightarrow Tokens ; char \rightarrow lexemes.
- (2) Parser is also called as Syntax Analyzer.
it determine stream of words is a Sentence in Source.
- (3) Semantic Analyzer/Elaboration check deeper meaning and built app IR.
- (4) Optimiser will rewrite the IR form of code to improve it in some measure.
- (5) Instruction Selection will rewrite the IR into target language operations like Assembly level lang pgm.
- (6) Reg Allocation will rewrite the code to fit to the finite set of reg of target machine.
- (7) Instruction Scheduling will reorder the operations so that they run faster

6.1119

* \rightarrow Compiling of a given Sentence:-



→ Parse Tree:



Semantic Elaboration

optimizer

$$t_0 = a \times 2$$

$$t_1 = t_0 \times b$$

$$t_2 = t_1 \times c$$

$$t_3 = t_2 \times d$$

[Three add code] = low level assembly code

optimizer

$$t_0 = a \times 2$$

$$t_1 = t_0 \times b$$

$$t_2 = t_1 \times c$$

$$a = t_2 \times d$$

Instruction Selection

writing ILOC code

Intermediate language for an optimising compiler.

(*) It is an abstract assembly language for a simple RISC processor.

→ This ILOC code assumes that a, b, c & d are located at offsets $@a, @b, @c$, & $@d$ from an add contained in the register ~~register~~.

* γ_{aep} → activation record pointer. This will have the base address.

If we want to access a location of any variable then $\text{loc} = \gamma_{\text{aep}} + @a$.
 ↓ base ↓ offset.

* ILOC code:

$\text{loadAI } \underbrace{\gamma_{\text{aep}}, @a}_{\text{source}} \Rightarrow r_a \quad \underbrace{r_a}_{\text{destination}}$

$\text{LoadI } a \Rightarrow r_2$

(*) Note:-

$\text{load AI } \gamma_{\text{aep}}, @b \Rightarrow r_b$

$\text{load AI } \gamma_{\text{aep}}, @c \Rightarrow r_c$

No. of memory cycles
req for instr in ILOC

$\text{load AI } \gamma_{\text{aep}}, @d \Rightarrow r_d$

- loadAI = 3
- & storeAI = 3

$\text{mult } r_a, r_b \Rightarrow r_a$

- all other = 1

$\text{mult } r_a, r_b \Rightarrow r_a$

- mult = 2

$\text{mult } r_a, r_c \Rightarrow r_a$

$\text{mult } r_a, r_d \Rightarrow r_a$

$\text{StoreAI } r_a \Rightarrow \gamma_{\text{aep}}, @a$

- mult = 2

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→



$r_1, r_2, \gamma_{\text{aep}}$

$\text{loadAI } \gamma_{\text{aep}}, @r \Rightarrow r_1$

$\text{add } r_1, r_1 \Rightarrow r_1$

$\text{loadAI } \gamma_{\text{aep}}, @b \Rightarrow r_2$

$\text{mult } r_1, r_2 \Rightarrow r_1$

$\text{loadAI } \gamma_{\text{aep}}, @c \Rightarrow r_2$

$\text{mult } r_1, r_2 \Rightarrow r_1$

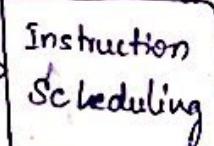
$\text{loadAI } \gamma_{\text{aep}}, @d \Rightarrow r_2$

$\text{mult } r_1, r_2 \Rightarrow r_1$

$\text{loadAI } \gamma_{\text{aep}}, @a \Rightarrow r_1$

$\text{mult } r_1, r_2 \Rightarrow r_1$

$\text{loadAI } \gamma_{\text{aep}}, @a \Rightarrow r_1$



Instruction Scheduling

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Before Recording			After Recording		
Start	End	ILOC code	Start	End	ILOC code
1	3	—	1	3	LoadAI $r_{arp}, @a \Rightarrow r_1$
4	4	—	2	4	LoadAI $r_{arp}, @b \Rightarrow r_2$
5	7	—	3	5	LoadAI $r_{arp}, @c \Rightarrow r_3$
8	9	—	4	4	add $r_1, r_1 \Rightarrow r_1$
10	12	—	5	6	mult $r_1, r_2 \Rightarrow r_1$
13	14	—	6	8	LoadAI $r_{arp}, @d \Rightarrow r_2$
15	17	—	9	8	box mult $r_1, r_3 \Rightarrow r_1$
18	19	—	9	10	mult $r_1, r_2 \Rightarrow r_1$
20	22	—	11	13	StoreAI $r_1 \Rightarrow r_{arp}, @a$

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Chapter #2

* Scanners :-

2.1 Intro

2.2 Recognizing words

- formalism for Recognizers
- Recognizing more complex words

2.3 Regular Expression

- Notation
- Examples.

2.4 From Regular Expression to Scanners

* * Lemma :- Actual text for a word recognized by an FA.

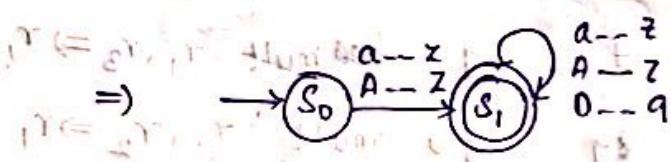
automata.

* * Token :- Type: identifier.

* Identifying variable :-

new $(S, \Sigma, \delta, S_0, S_A)$

$S_0 \rightarrow S_1$



* * Regular Expression :-

$[a - z] = a | b | c - - | z$

$RE = ([a - z] | [A - z]) ([a - z] | [A - z] | [O - 9])^*$

* Unsigned Integer :-

$RE = 0 | [1 - 9][0 - 9]^*$

* Unsigned Real Numbers :-

$([1 - 9][0 - 9]^*) (\cdot | . [0 - 9]^*)$

* Scientific Notations :- $10.23E+23$

* No. of Reg $\rightarrow R0 - R31$ with an optional leading 0 on 8 digit reg name. (is valid)

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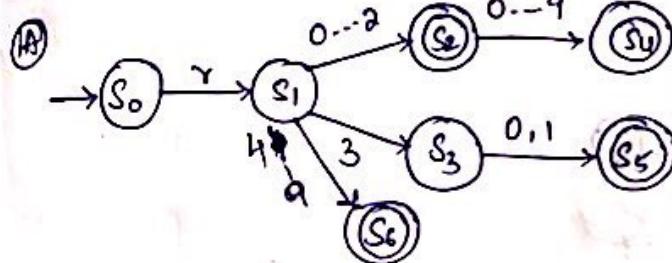
* Regular Expression:-

(1) γ_0 to γ_3

(2) PAN \Rightarrow format UUUUUUDDDDU

(3) Passport - No \Rightarrow assumption

Eg: A1234567



$$RE = \gamma [0,1,2] \cdot [0, \dots, 9] + [3] \cdot [0,1] + [4, \dots, 9]$$

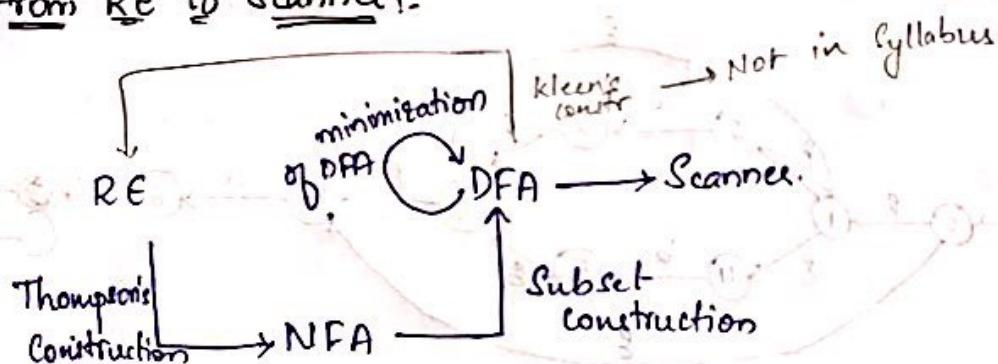
(3A) PAN \rightarrow UUUUUUDDDDU (D = digit)

$$RE = [A-z]^5 [0-9]^4 [A-z]$$

(3B) REF First char can't be = x, Q, %

$$([A-P] | [R-W] | \gamma) [1-9] [0 \dots 9] \text{ space } ? [0-9]^4 [1-9]$$

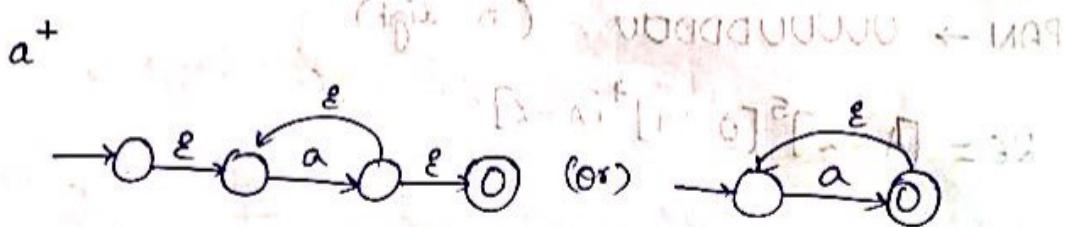
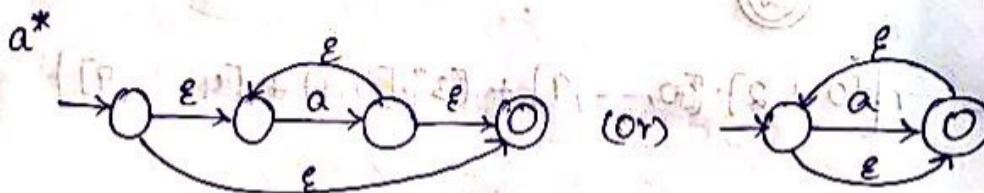
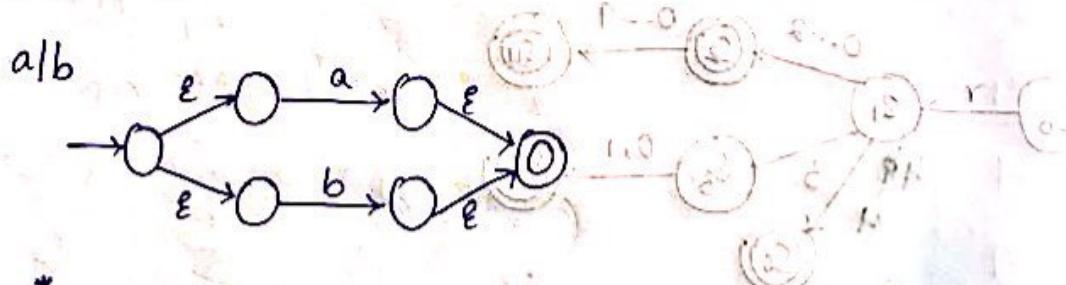
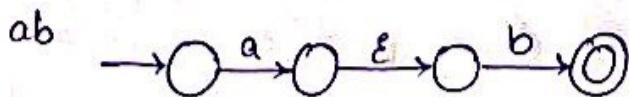
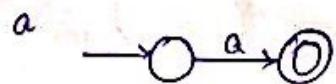
* From RE to Scanner:-



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* Regular Expression to NFA :-

* Thompson's construction :-

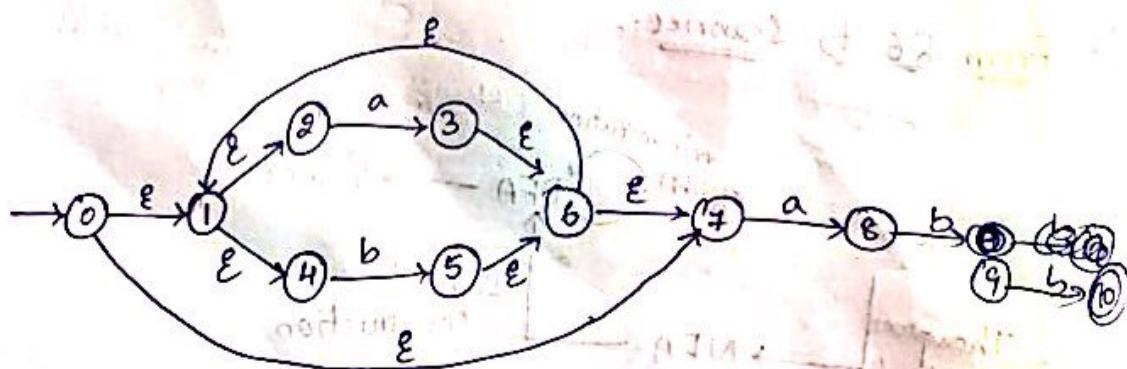


* NFA to DFA :-

Subset constr. method

Ex:- $(a/b)^*abb$ to minimized DFA ?

Ans:-



States	a	b
$\rightarrow A$	B	C
B	B	D
C	B	C
D	B	E
E	B	C

$$A = \epsilon\text{-closure}(0) = \{0, 1, 2, 4, 7\}$$

$$B = \epsilon\text{-closure}(3, 8) = \{3, 6, 7, 1, 2, 4, 8\} \\ \{1, 2, 3, 4, 6, 7, 8\}$$

$$C = \epsilon\text{-closure}(5) = \{5, 6, 7, 1, 2, 4\} \\ = \{1, 2, 4, 5, 6, 7\}$$

* Minimization of DFA:

Two states s_1 & s_2 are equivalent iff both states are final or nonfinal states
 \Rightarrow if $s_1 = s_2$ then replace those 2 states by one representative state.

Eg: from above example dfa table.

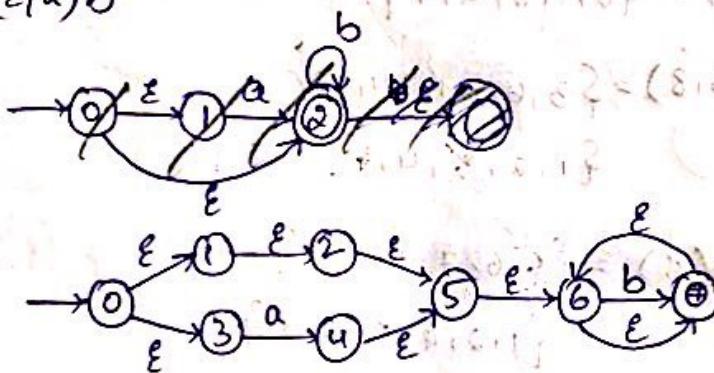
	a	b
$\rightarrow A$	B	A
B	B	D
D	B	E
* E	B	A

\rightarrow Minimized DFA

- ① $H(0/123)^*$
 ② $H(1/2/3)^*$
 ③ $(a/b)^*ab(a/b)^*$
 ④ $(\epsilon/a)b^*$
 ⑤ $(a/b/c)^*(a/b)^*$

solutions:

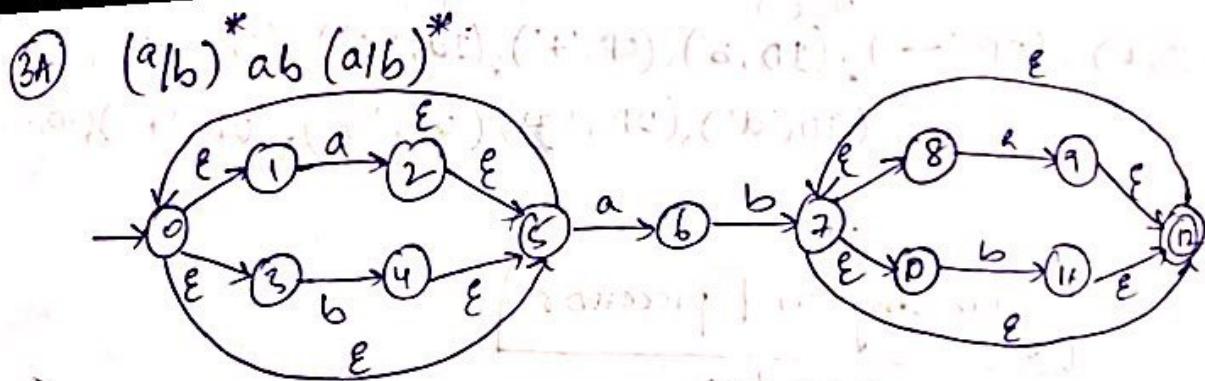
- ④ $(\epsilon/a)b^*$



$$\rightarrow \epsilon - c(0) = \{0, 1, 3, 2, 5, 6, 7\}$$

- A a + b
 $\rightarrow A \quad \emptyset B \quad \emptyset C$ $B(\emptyset B)H(\emptyset C) = \{4, 5, 6, 7\}$
 B \emptyset + C
 C \emptyset + C $C(\emptyset) = \{6, 7\}$

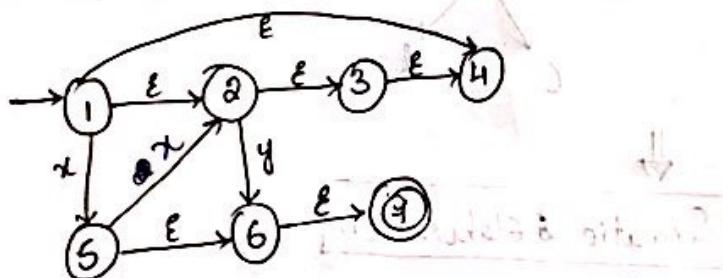
min	a	b	
*A	B	B	$B \equiv C$
*B	\emptyset	B	



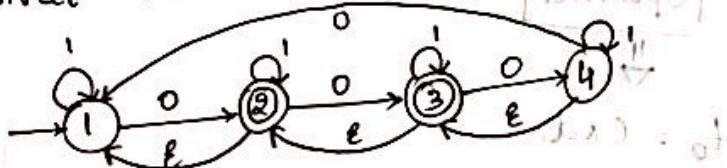
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- 1Q. Show the o/p of the phase compiler for the expression given below. $a - (b + (c * d)) * e$, here d is real.

- 2Q. Construct a minimal DFA for the following



- 3Q) Convert the below NFA to DFA using subset construction



- 4Q) Write RE for Roll no of A university students (UG stud yr of admission)

Sol.: $(cb|am|bg)(EN).uu.(cselece|MEE|ENG|EEE) \cdot (0[3,4,5,6,7,8,9]/1[1, \dots, 9])^3 (0 \dots 9)^3$

Solution:

1A.

$$a = b + c * d + e$$

↓

Lexical Analyzer

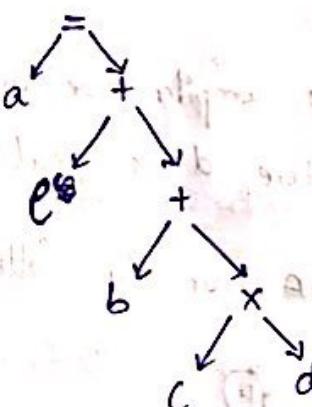
$a, b, c, e \rightarrow \text{Pnt}$
 $d \rightarrow \text{real}$

$(ID, 'a')$, $(OP, '←')$, $(ID, 'b')$, $(OP, '+')$, $(ID, 'c')$, $(OP, '*')$,
 $(ID, 'd')$, $(OP, ')')$, $(OP, '+')$, $(ID,$



Syntax analyzer / processor

parse tree



Schematic elaboration

Optimiser



$$t_0 = c \times d$$

$$t_1 = t_0 + b$$

$$t_2 = t_1 + e$$

$$t_3 = t_2 + f$$

Optimiser



$$t_0 = c \times d$$

$$t_1 = t_0 + b$$

$$at_2 = t_1 + e + f$$



Intr Selection



Illoc code

loadAI $r_{arp}, @b \Rightarrow r_b$
 loadAI $r_{arp}, @c \Rightarrow r_c$
 loadAI $r_{arp}, @d \Rightarrow r_d$
 loadAI $r_{arp}, @e \Rightarrow r_e$
 mult $r_c, r_d \Rightarrow r_a$
~~mult~~ $r_a, r_b \Rightarrow r_a$
 add $r_a, r_e \Rightarrow r_a$
 storeAI $r_a \Rightarrow r_{arp}, @a$

\Downarrow

Reg allocation

Start End code.

1	3	loadAI $r_{arp}, @c \Rightarrow r_1$
4	6	loadAI $r_{arp}, @d \Rightarrow r_2$
7	8	mult $r_1, r_2 \Rightarrow r_1$
9	11	loadAI $r_{arp}, @b \Rightarrow r_3$
12	13	add $r_3, r_1 \Rightarrow r_1$
13	15	loadAI $r_{arp}, @e \Rightarrow r_2$
16	16	add $r_2, r_1 \Rightarrow r_1$
17	19	store $r_1 \Rightarrow r_{arp}, @a$

\Downarrow

Instr scheduling

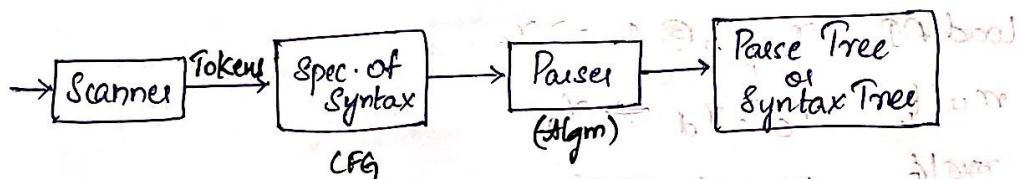
Start End code

1	3	loadAI $r_{arp}, @c \Rightarrow r_1$
2	4	loadAI $r_{arp}, @d \Rightarrow r_2$
3	5	loadAI $r_{arp}, @b \Rightarrow r_3$
5	6	mult $r_1, r_2 \Rightarrow r_1$
6	8	loadAI $r_{arp}, @e \Rightarrow r_2$
7	7	add $r_1, r_2 \Rightarrow r_1$
9	9	add $r_1, r_2 \Rightarrow r_1$
10	12	storeAI $r_1 \Rightarrow r_{arp}, @a$

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Chapter #3

* * Parsers [Syntax Analyzer]:



Pausing

Expressing Syntax → Why not RE?

CFG

Sentence / String

Production

NT symbol

Terminal symbol

Deviation

Sentinal form.

Parse Tree or Syntax Tree

lm derivation

rm derivation

Ambiguity

* Grammars:-

(1) $C \rightarrow PF$ class Identifier XY

(2) $P \rightarrow \text{public}$

(3) $P \rightarrow \epsilon$

(4) $F \rightarrow \text{Final}$

(5) $F \rightarrow \epsilon$

(6) $X \rightarrow \text{extends Identifier}$

(7) $X \rightarrow \epsilon$

(8) $Y \rightarrow \text{implements I}$

- (9) $y \rightarrow \epsilon$
- (10) $I \rightarrow \text{Identifier}$
- (11) $J \rightarrow , I$
- (12) $T \rightarrow \epsilon$

~~* \Rightarrow derivation or Parse Tree:~~

18) (class car extends vehicle
 public class JavaIsCrazy
 implements factory, Builder,
 Listener public final class
 President extends Person
 implements Official)

* Derive the given sentence from above grammar?

Sol:

$$C \rightarrow PF \text{ class identifier } X Y$$

$$C \rightarrow F \text{ class identifier } X Y \quad (P \rightarrow \epsilon)$$

$$C \rightarrow \underline{\text{class identifier}} X Y \quad (F \rightarrow \epsilon)$$

$$C \rightarrow \text{class identifier} \underset{\substack{\downarrow \\ \text{car}}}{\text{extends}} \text{ Identifier} \underset{\substack{\downarrow \\ \text{vehicle}}}{\text{implements}}$$

\therefore Not possible to derive complete sentence.

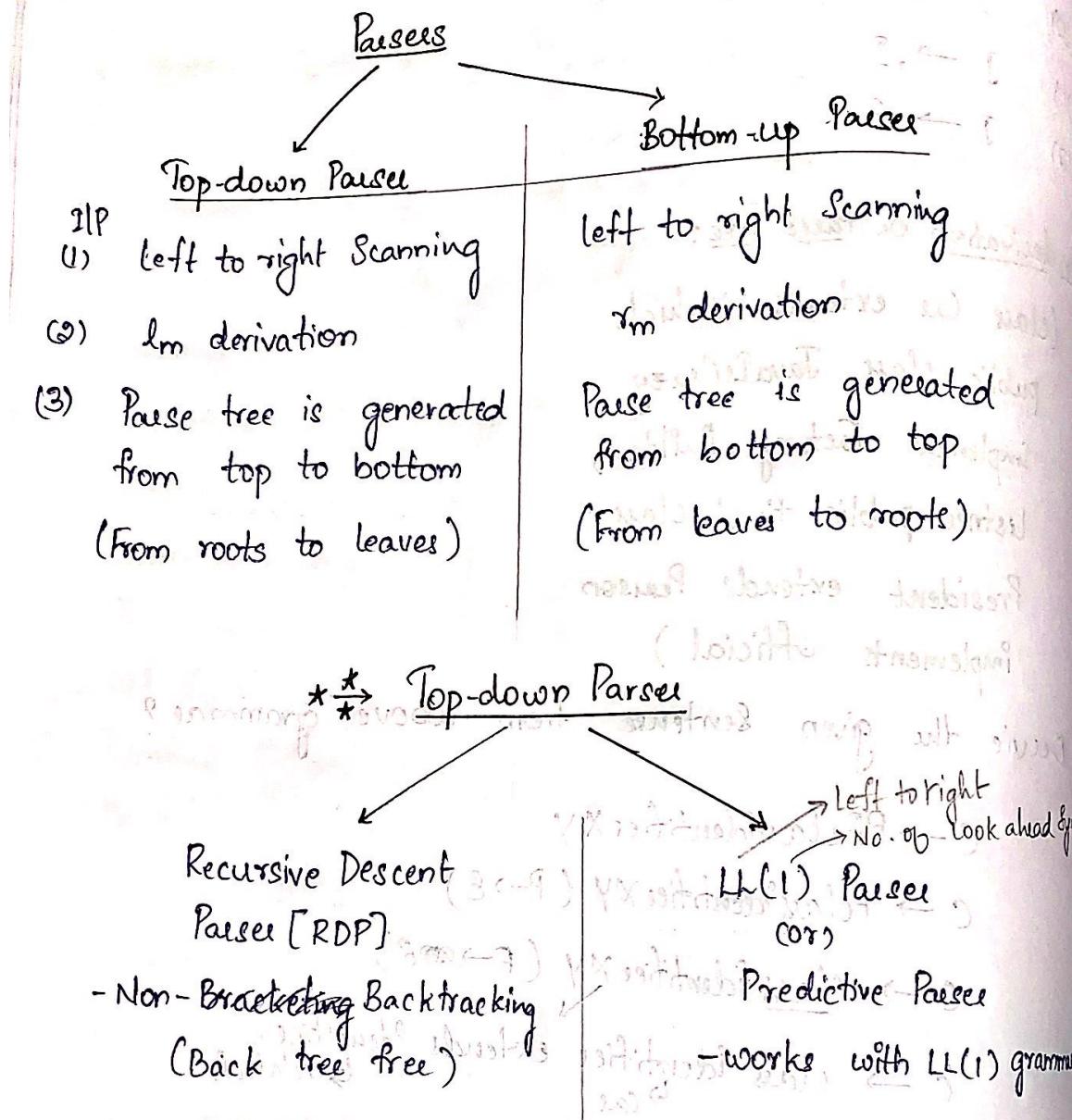
28) Start \rightarrow Parent / bracket

bracket $\rightarrow [\text{Paren}] / []$

Paren $\rightarrow (\text{bracket}) / ()$

Check if string [() is derivable? and [()] () ?

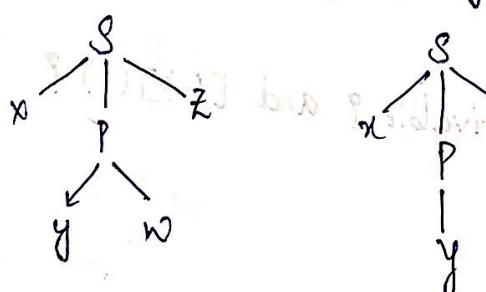
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* * Problems with topdown Parser: backtracking

(1) Backtracking:-

$$S \rightarrow xPz \quad P \rightarrow yx/y$$

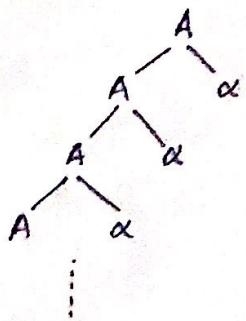


* * It occurs when there is more than one alternate in production to be tried while parsing the input.

(2) Left Recursion:-

LR Grammar

$$A \xrightarrow{+} A\alpha$$



The grammar is left recursive if it has a nonterminal A, such that there is a derivation $A \Rightarrow A\alpha$ for some string ' α '(anything) then this is left recursive.

* Elimination of Left Recursion :-

If $A \rightarrow A\alpha/B$ by replacing this pair of productions
with \textcircled{X}

$A \rightarrow BA'$
$A' \rightarrow \alpha A' / \epsilon$

left Recursion type

↓ ↓

Immediate Indirect

Eg:-
$$\begin{array}{l} A \\ \overbrace{F \rightarrow E + T/T}^{\sim \alpha} \\ T \rightarrow T * F / F \\ F \rightarrow (E) / \text{id} \end{array}$$

Sol:-
$$\begin{array}{l} E \rightarrow TE' \\ E' \rightarrow +TE'/\epsilon \\ T \rightarrow FT' / F \\ T' \rightarrow *FT'/\epsilon \\ F \rightarrow (\epsilon) / \text{id} \end{array}$$

Suppose:

If we have multiple α & B values

$$A \rightarrow A\alpha_1 | A\alpha_2 | \dots | A\alpha_n | B_1 | B_2 | \dots | B_m \Rightarrow A \rightarrow B_1 A' | B_2 A' | \dots | B_m A'$$

$$A' \rightarrow \alpha_1 A' | \alpha_2 A' | \dots | \alpha_n A' | \epsilon$$

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* Problem 8:

$$\textcircled{1} \quad S \rightarrow (L) | a$$

$$L \rightarrow \overset{A}{L}, \overset{B}{S} | S$$

$$xA \leftarrow A \quad \text{common rule}$$



$$\textcircled{2} \quad S \rightarrow a | \Lambda | (T) | T$$

$$T \rightarrow T, S | a | \uparrow (T)$$

$$\textcircled{3} \quad S \rightarrow R a | A a | a$$

$$R \rightarrow ab$$

$$A \rightarrow AR | AT | b$$

$$T \rightarrow Tb | a$$

Sol:-

$$\textcircled{1A} \quad S \rightarrow (L) | a$$

$$L \rightarrow SL'$$

$$L' \rightarrow , SL' | \epsilon$$

$$xA \leftarrow A \quad \text{common rule}$$

$$S \leftarrow a | \Lambda | (T) | T$$

$$T \leftarrow T, S | a | \uparrow (T)$$

$$\textcircled{2A} \quad S \rightarrow a | \Lambda | (T) | T$$

$$T \rightarrow (T)T' | aT' | \uparrow T'$$

$$T' \rightarrow , ST' | \epsilon$$

$$T \leftarrow T + T \leftarrow T$$

$$T \leftarrow T + T \leftarrow T$$

$$T \leftarrow (T) \leftarrow T$$

$$\textcircled{3A} \quad S \rightarrow Ra | Aa | a$$

$$R \rightarrow ab$$

$$A \rightarrow bA'$$

$$A' \rightarrow RA' | TA' | \epsilon$$

$$T \rightarrow aT'$$

$$T' \rightarrow bT' | \epsilon$$

$$T \leftarrow T + T \leftarrow T$$

$$T \leftarrow T + T \leftarrow T$$

$$T \leftarrow T + T \leftarrow T$$

$$T \leftarrow (T) \leftarrow T$$

valid string: $a \leftarrow a \leftarrow a \leftarrow (ab) \leftarrow (ab, a) \leftarrow ab \leftarrow a \leftarrow ab \leftarrow a$

* Indirect Left Recursion :-

$$\text{④ } S \rightarrow A \\ A \rightarrow Ba/a \\ B \rightarrow Ab$$

Sol:- $S \rightarrow A$ → Backward Substitution
 $A \rightarrow Ab/a/Ba$ → Forward Substitution
 $B \rightarrow Ab$ → Final Ans

$$\Rightarrow S \rightarrow A \\ A \rightarrow Ab/a/Ba \\ B \rightarrow Bab/ab$$

$$S \rightarrow A \\ A \rightarrow Ba/a \rightarrow \text{Forward Substitution} \\ B \rightarrow Bab/ab \rightarrow \text{Final Ans}$$

$$\Rightarrow S \rightarrow A \\ A \rightarrow Ba/a \\ B \rightarrow abB' \\ B' \rightarrow abB'/\epsilon$$

$$\text{⑤ } A \rightarrow Cd \\ B \rightarrow Ce \\ C \rightarrow A/B/f$$

Sol:- $A \rightarrow Cd$
 $B \rightarrow Ce$
 $C \rightarrow Ce/Cd/\epsilon$

$$\Rightarrow A \rightarrow Cd \\ B \rightarrow Ce \\ C \rightarrow fC' \\ C' \rightarrow eC'/dC'/\epsilon$$

$$\textcircled{1} \quad A \rightarrow AB / Aab / BA / a$$

$$B \rightarrow Bb / Aa / b$$

Sol:

$$A \rightarrow BAA' / AA'$$

$$A' \rightarrow BA' / abA' / \epsilon$$

$$B \rightarrow aA'aB' / bB'$$

$$B' \rightarrow bB' / AA'aB' / \epsilon$$

$$\textcircled{4} \quad S \rightarrow Aa / b$$

$$A \rightarrow Ac / Sd / \epsilon$$

$$\textcircled{5} \quad S \rightarrow AA / \epsilon$$

$$A \rightarrow SS / \epsilon$$

* * Left factoring:-

The process of factoring out common prefixes of alternate

$$A \rightarrow \underbrace{\alpha B_1}_{\alpha} \mid \underbrace{\alpha B_2}_{\alpha}$$

left factored, then the original production become

$A \rightarrow \alpha A'$
$A' \rightarrow B_1 \mid B_2$

Q: ① $S \rightarrow iEts \xrightarrow{\alpha} iEtS \xrightarrow{\alpha} iEts \xrightarrow{\alpha} S \mid a$

$$E \rightarrow b$$

Sol:

$$S \rightarrow iEts \xrightarrow{\alpha} iEtS \xrightarrow{\alpha} iEts \xrightarrow{\alpha} S \mid a$$

$$S \xrightarrow{\alpha} eS \mid \epsilon$$

$$E \rightarrow b$$

26/11/19

* LL(1) Parser / Predictive Parser :-

* Steps in constructing LL(1) Parser:

1. For a given grammar G , Eliminate left recursion if any. Make it suitable for LL(1) parser/gram
2. Perform left factoring if required.
3. Compute FIRST and FOLLOW on the symbols.
4. Construct the predictive parsing table.
5. Check if given ip can be parsed.

Eg:- ① $S \rightarrow (L) | a$
 $L \rightarrow L, S | \epsilon$

② $E \rightarrow TE'$
 $E' \rightarrow +TE' | \epsilon$
 $T \rightarrow FT'$
 $T' \rightarrow *FT' | \epsilon$
 $F \rightarrow (\epsilon) | id$

Ans:- $S \rightarrow (L) | a$
 $L \rightarrow SL' | \epsilon$
 $L' \rightarrow ,SL' | \epsilon$

* FIRST:- (Def)

FIRST of α is a set of terminal symbols that of 1st symbol appearing at RHS in derivation of α and if $\alpha \xrightarrow{*} \epsilon$ then ϵ is also in $FIRST(\alpha) = \{\epsilon\}$.

* RULES:- $x \rightarrow ax$. (computing FIRST)

① If x is NT
 $FIRST(x) = a$

② If x is T

$$\text{FIRST}(x) = \{x\}$$

③ If $x \rightarrow \epsilon$ is production

$$\text{FIRST}(x) = \{\epsilon\}$$

④ If $x \rightarrow y_1, y_2, \dots, y_k$ and y_i is Nullable

$$\text{FIRST}(x) = \text{FIRST}(y_2)$$

If y_2 is also Nullable

$$\text{FIRST}(x) = \text{FIRST}(y_3)$$

* \Rightarrow FIRST for above eg(1).

	FIRST
S	(a)
L	(a)
L'	, ε

\rightarrow eg② FIRST

	FIRST
E	(id)
E'	+ ε
T	(id)
T'	* ε
F	(id)

③ $S \rightarrow Bb/Cd$

B $\rightarrow aB/\epsilon$

C $\rightarrow cC/\epsilon$

Sol:

	FIRST
S	a, ε, c, b, d
B	a, ε
C	c, ε

$$④ S \rightarrow ACB / CbB / Ba$$

$$A \rightarrow da / BC$$

$$B \rightarrow g / \epsilon$$

$$C \rightarrow h / \epsilon$$

$$(1) \leftarrow 2 \text{ } (1)$$

below first & follow

$$S \rightarrow S \leftarrow S \leftarrow S$$

Def:-

	FIRST
S	d, g, ε, h, a, b, c
A	d, g, ε, h
B	g, ε
C	h, ε

* Computation of FOLLOW :- (only NT's)

Def:-

FOLLOW(A) is defined as set of terminal symbols that appear immediately to the right of A

$$\text{FOLLOW}(A) = \{ a \mid S^* \Rightarrow \alpha A \beta \} \text{ where } \alpha \text{ & } \beta \text{ are some grammar symbols (T or NT or } \epsilon \text{)}$$

* Computing Rules:-

① FOLLOW(S) = \$ if \$ is a start symbol of grammar.

② If you have prod. $A \rightarrow \alpha B \beta$, FOLLOW(B) = FIRST(B) except \$

③ $A \rightarrow \alpha B$, FOLLOW(B) = FOLLOW(A)

④ $A \rightarrow \alpha B \beta$ where FIRST(B) contains \$, FOLLOW(B) = FOLLOW(A)

Ex:- ① $S \rightarrow CL$

② $S \rightarrow a$

③ $L \rightarrow SL$

④ $L' \rightarrow SL'$

⑤ $L' \rightarrow \epsilon$

	$\star \xrightarrow{*}$	FOLLOW
S		\$, FIRST(L') - \epsilon, FOLLOW(L')
L		FIRST()) - \epsilon
L'		FOLLOW(L), FOLLOW(L')

3 x

H → same as Q.

$$\textcircled{3} \Rightarrow S \xrightarrow{*} L \xrightarrow{\alpha, B, B} \epsilon S L'$$

$$\text{rule 3} \rightarrow L \xrightarrow{\alpha, B} S L'$$

$$\text{follow}(L') = \text{follow}(L)$$

$$\text{rule 4} \rightarrow L \xrightarrow{\alpha, B, B} S L'$$

$$\text{FIRST}(B) \rightarrow \text{contains } \epsilon \rightarrow \text{true}$$

last ~~working~~ then $\text{Follow}(S) = \text{Follow}(L)$

$$\textcircled{3} \Rightarrow L' \xrightarrow{\alpha, S L'} \text{Follow}(L')$$

$$\text{rule 3} \rightarrow L' \xrightarrow{\alpha, S L'} \epsilon \{ \text{ } \} = (\text{A})\text{C}\text{O\textcolor{red}{I}}\text{J}\text{O\textcolor{red}{I}}$$

$$\text{rule 3} \Rightarrow L' \xrightarrow{\alpha, S L'}$$

$$\text{Follow}(L') = \text{Follow}(L')$$

$$\text{rule 4} \Rightarrow L' \xrightarrow{\alpha, B, B} S L'$$

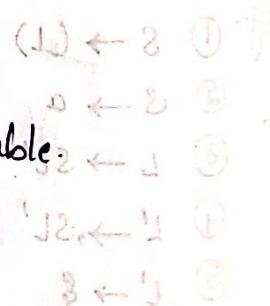
$$F(B) \rightarrow \text{contains } \epsilon \text{. then }$$

$$\text{Follow}(B) = \text{Follow}(L')$$

$$\textcircled{2}, \textcircled{5} \quad L' \xrightarrow{\epsilon} \text{No rule to apply}$$

	FOLLOW
S	\$,)
L)
L')

⇒ Final table



27/11/19

* Step 1: Rules to be followed to make entry in the LL(1) table:-

Step 1: For each prod $A \rightarrow \alpha$ of g , do Step 2 and Step 3.

Step 2: For each terminal a in $\text{FIRST}(\alpha)$ add $A \rightarrow \alpha$ to $T[A, a]$

Step 3: (a) If ϵ in $\text{FIRST}(\alpha)$ add $A \rightarrow \alpha$ to $T[A, \epsilon]$ for each terminal b in $\text{FOLLOW}(A)$

(b) If ϵ in $\text{FIRST}(\alpha)$ & $\$$ in $\text{FOLLOW}(A)$ then

add $A \rightarrow \alpha$ to $T[A, \$]$

Step 4: Each undefined entry = Error.

Eg:- $S \rightarrow (L)$

$S \rightarrow a$

$L \rightarrow SL'$

$L' \rightarrow , SL'$

$L' \rightarrow \epsilon$

Sol:-

	FIRST	FOLLOW
S	$a, \$$	$,)$
L	a	$)$
L'	$, \epsilon$	$)$

LL(1) Table

	a	,	$($	$)$	$\$$
S	$S \rightarrow a$	Error	$S \rightarrow (L)$	Error	Error
L	$L \rightarrow SL'$	Error	$L \rightarrow SL'$	Error	Error
L'	Error	$L' \rightarrow , SL'$	Error	$L' \rightarrow \epsilon$	Error

Empty cells are Errors

① $S \rightarrow (L)$

$$\text{FIRST}(\alpha) = ($$

$$\Rightarrow T[S, ()]$$

② $S \rightarrow a$

$$\Rightarrow T[S, a]$$

③ $L \rightarrow \tilde{S}L'$

$$\text{FIRST}(\alpha) = S$$

$$\text{FIRST}(S) = (a)$$

$$\Rightarrow T[L, a] \& T[L, ()]$$

④ $L' \rightarrow \tilde{S}L'$

$$\text{FIRST}(\alpha) = ,$$

$$\Rightarrow T[L', ,]$$

⑤ $L' \rightarrow \epsilon$

$\text{FIRST } \alpha \text{ is } \epsilon \text{ then add } L' \rightarrow \epsilon \text{ to } T[L', b]$

where $b = \text{FOLLOW}(L') =)$

$$\Rightarrow T[L', ,]$$

Stack	I/P	Action.
\$ \$	(a, a)\$	$S \rightarrow \tilde{(L)}$ Push RTK in reverse
\$) L((a, a)\$	$L \rightarrow S \tilde{L}'$ Push RTK in reverse
\$) *	a, a)\$	$S \rightarrow a$ push
\$) L' \$	a, a)\$	$L' \rightarrow , S L'$ push RTK in reverse
\$) L' a	a, a)\$	$S \rightarrow a$ push
\$) L'	, a)\$	$L' \rightarrow , S L'$ push RTK in reverse
\$) L' * \$	a)\$	$S \rightarrow a$ push
\$) L' \$) \$	$L' \rightarrow \epsilon \rightarrow \text{pop}$
\$) L') \$	$L' \rightarrow \epsilon \rightarrow \text{pop}$
\$ *) \$	stop //
\$		

28/11/19 (10 marks)

* * Recursive Descent Parser [RDP] :-

Dfn:- A parser that uses a set of recursive procedures to recognize its input with no backtracking is called a RDP. Each NT \Rightarrow one recursive parser.

Eg:-

- (Q) Write RDP for grammar given below. Assume that token is a global variable that contains next input token and a function advance reads the next token and fn error is called if input token is not valid. and \$ is end marker.

$$E \rightarrow E + id / id$$

Sol:- remove LR $\Rightarrow E \rightarrow id E'$
 $E' \rightarrow + id E' / \epsilon$

\Rightarrow Recursive procedure

$\boxed{\$} \boxed{+} \boxed{id}$ = gl algorithm

```

→ main()
{
    E();
    if (token == $)
    {
        print("Success");
    }
    else
    {
        Error();
    }
}
Error()
{
    print(" parsing failure");
}

Advance()
{
    token = getnexttoken();
}

```

$E()$

{ if ($\text{token} == \text{id}$)

Printing identifier to file & reading A
below it

Advance();

EDASH();

EDASH()

{ if ($\text{token} == +$) writing command for '+' after

last token from previous test below it

Advance();

if ($\text{token} == \text{id}$)

{ Advance();

EDASH();

else {

return;

⊗ Sample I/p \Rightarrow

id	+	id	\$
----	---	----	----