modelEval

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1 CSCI6380 Data Mining: Assignment #3

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1.1.2 Importing Libraries

```
[2]: from pathlib import Path import glob import os import string import pandas as pd import numpy as np from sklearn.metrics import confusion_matrix from sklearn.metrics import classification_report import sklearn.metrics as metrics import math import matplotlib import matplotlib import scipy.stats from scipy.stats import norm,t, binom from scipy import stats
```

1.2 Problem 1 - Calculate Classification Metrics

1.2.1 Input Data Manipulation

```
dataA['Predicted'] = np.select(conditions, values)
dataA.head()
```

```
[3]:
       Actual
                     M2 Predicted
           1.0 0.888361
                                1.0
          1.0 0.842602
                                1.0
     1
     2
          1.0 0.584694
                                1.0
     3
          1.0 0.973291
                                1.0
          1.0 0.274050
                               0.0
```

1.2.2 Define the Functions

```
[10]: def confusionMatrix (df):
          .....
          Function to produce confusion matrix.
          Takes a dataframe as parameter. This
          dataframe has actual scores in one column
          and predicted scores in the second column.
          conf_matrix = pd.DataFrame(np.zeros((2,2)), columns = ['Positive',_
       →'Negative'],
                         index = ['Positive', 'Negative'])
          for row in df.itertuples(index=True, name='Pandas'):
              if (row.Actual == 1.0 and row.Predicted == 1.0):
                  conf_matrix.at['Positive', 'Positive'] += 1
              if (row.Actual == 0.0 and row.Predicted == 0.0):
                  conf_matrix.at['Negative', 'Negative'] += 1
              if (row.Actual == 0.0 and row.Predicted == 1.0):
                  conf matrix.at['Negative', 'Positive'] += 1
              if (row.Actual == 1.0 and row.Predicted == 0.0):
                  conf_matrix.at['Positive', 'Negative'] += 1
          return conf_matrix
```

```
[13]: def calcMetrics (conf_matrix):
    """
    Function to calculate classification
    metrics from a confusion matrix.
    """

    TP = conf_matrix.iat[0,0]
    FN = conf_matrix.iat[0,1]
    FP = conf_matrix.iat[1,0]
    TN = conf_matrix.iat[1,0]
    TN = conf_matrix.iat[1,1]
    TP_Rate = TP/(TP+FN)
    FP_Rate = FP/(TN+FP)
    TN_Rate = TN/(TN+FP)
```

```
FN_Rate = FN/(FN+TP)
   print("True Positive Rate:\t",TP_Rate)
   print("False Positive Rate:\t",FP_Rate)
   print("True Negative Rate:\t",TN_Rate)
   print("False Negative Rate:\t",FN_Rate)
   print('_'*30)
   # Calculate success rate
   Succ Rate = (TP+TN)/(TP+TN+FP+FN)
   #metrics_df['Success(Accuracy)'] = Succ_Rate
   # Calculate precision
   Precision = TP/(TP+FP)
   # Calculate recall
   Recall = TP Rate
   # Calculate F1-Score
   F1_Score = 2*(Precision * Recall)/(Precision+Recall)
   # Calculate the Matthews correlation coefficient
   MCC = ((TP*TN)-(FP*FN))/math.sqrt((TP+FP)*(TP+FN)*(TN+FP)*(TN+FN))
   # Calculate Kappa score
   Accuracy = Succ_Rate
   ## Source: https://en.wikipedia.org/wiki/Cohen's kappa
   Exp_Accuracy = ((TP + FN) * (TP + FP) + (FP + TN) * (FN + TN)) / ((TP + TN_{\perp}))
\rightarrow+ FP + FN)**2)
   Kappa_Score = (Accuracy - Exp_Accuracy)/(1 - Exp_Accuracy)
   metrics_data= [[Succ_Rate, Precision, Recall, FP_Rate, F1_Score, MCC,__
→Kappa_Score]]
   metrics_df = pd.DataFrame(metrics_data, index=['Model Scores'], columns =__
→['Success(Accuracy)', 'Precision', 'Recall(TP-Rate)', 'FP-Rate', 'F1-Score', 
return metrics_df
```

1.2.3 Compute the Confusion Matrix

```
[14]: ## Compute the confusion matrix
cmA = confusionMatrix(dataA)
print('', 'Confusion Matrix', sep="\t")
print('_'*30)
print(cmA)
print('_'*30)
```

Confusion Matrix

Positive Negative
Positive 221.0 29.0
Negative 71.0 179.0

1.2.4 Compute the Classification Metrics

```
[15]: ## Calculate classification metrics
calcMetrics(cmA)
```

True Positive Rate: 0.884
False Positive Rate: 0.284
True Negative Rate: 0.716
False Negative Rate: 0.116

[15]: Success(Accuracy) Precision Recall(TP-Rate) FP-Rate \
Model Scores 0.8 0.756849 0.884 0.284

F1-Score MCC Kappa Model Scores 0.815498 0.608651 0.6

1.3 Problem 2 - Generating an ROC curve

1.3.1 Define the Functions

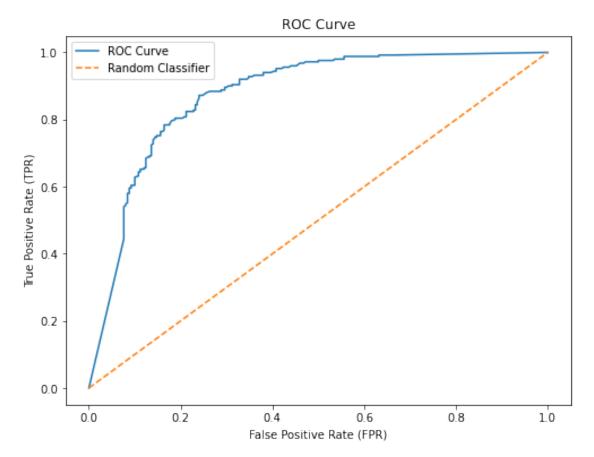
```
[18]: def make_ROC(data_actual, data_predict):
          nnn
          Function to compute ROC. Takes two
          parameters: first is actual scores,
          and second is predicted scores.
          N=len(data_actual)
          TPF=[]
          FPF=[]
          threshold=0
          j=0
          increment=1/N
          while(threshold<=1.1):</pre>
              \#threshold=i
              TP, FP, TN, FN = 0, 0, 0
              # Accumulate the true/false negative/positives
              for j in range(N):
```

```
if data_actual[j]==1:
                if data_predict[j]>=threshold:
                    TP+=1
                else:
                    FN+=1
            if data_actual[j]==0:
                if data_predict[j]>=threshold:
                    FP+=1
                else:
                    TN+=1
        # Calcualate true positive rate for current threshold.
        TP Rate=TP/(TP + FN)
        # Calcualate false positive rate for current threshold.
        FP_Rate=FP/(FP + TN)
        TPF.append(TP_Rate)
        FPF.append(FP_Rate)
        threshold+=increment
    return TPF, FPF
def plot_ROC(data_actual, data_predict):
    Function to make ROC curve plot. Takes false
    positive rate and true positive rates list as
    parameters.
    11 11 11
    # Get True Positive Rate and False Positive Rate lists
    TPF, FPF = make_ROC(data_actual, data_predict)
    # Plot the ROC curve
    fig = plt.figure(figsize=(8,6))
    plt.title('ROC Curve')
    plt.plot(FPF, TPF, label='ROC Curve')
    plt.plot([0, 1], ls="--", label='Random Classifier')
    plt.xlabel('False Positive Rate (FPR)')
    plt.ylabel('True Positive Rate (TPR)')
    plt.legend()
    plt.show()
```

1.3.2 Compute and Plot the ROC

```
[19]: ## Input data manipulation
  dataA_actual = np.asarray(dataA['Actual'])
  dataA_M2 = np.asarray(dataA['M2'])

## Plot the ROC curve
  plot_ROC(dataA_actual, dataA_M2)
```



1.4 Problem 3 - Performing t-test

1.4.1 Define the Functions

```
[22]: def std_dev(data):
    """
    Function to calculate standard devaiation
    from a given data.
    """
    n = len(data)
```

```
mean_data = sum(data)/n
    sum_of_square = 0
    for i in data:
        sum_of_square += (i-mean_data)**2
    sigsq = sum_of_square/(n-1)
    stdv = math.sqrt(sigsq)
    return stdv
def paired ttest(data1, data2):
    Function to perform independent two-sample
    t-test on two datasets. This function also
    calculates the p-value for hypothesis testing.
    # Get means of eacq dataset
    mean_data1 = sum(data1)/len(data1)
    mean_data2 = sum(data2)/len(data2)
    # Get standard deviations of each dataset
    sd_data1 = std_dev(data1)
    sd_data2 = std_dev(data2)
    # standard error of the difference between two means
    ## Source: https://en.wikipedia.org/wiki/
\rightarrowStudent%27s_t-test#Independent_two-sample_t-test
    SE_mean_d1_d2 = math.sqrt(sd_data1**2.0/len(data1) + sd_data2**2.0/
→len(data2))
    # Calculate t-statistic
    t_stat = (mean_data1 - mean_data2)/SE_mean_d1_d2
    # Calculate degree of freedom
    df = len(data1) + len(data1) - 2
    # Calcualte p-value using "survival function"
    ## Source: https://docs.scipy.org/doc/scipy/reference/tutorial/stats.
 \rightarrow html\#t-test-and-ks-test
    p_val = stats.t.sf(np.abs(t_stat), df)*2
   return t_stat, p_val
def kfold_cv_paired_ttest(data1, data2, k=10):
    Function to perform K-fold cross-validated
    paired t test. This function also calculates
    the p-value for hypothesis testing.
```

```
diff = [x - y for x, y in zip(data1, data2)]
#The mean of differences
mean_diff = sum(diff)/len(diff)
#The variance of differences
sigmaS = std_dev(diff)**2
#The number of data points used for testing
test_size = len(data1)/k
#The number of data points used for training
train_size = len(data1)-test_size
#The total number of data points
n=len(diff)
#Compute the corrected variance
sigmaS_corrected = sigmaS * (1/n + test_size/train_size)
#Compute the t_static
t_stat = mean_diff / math.sqrt(sigmaS_corrected)
#Compute the p-value
\#p\_val = (1.0 - t.cdf(abs(t\_stat), n-1)) * 2.0
p_val = stats.t.sf(abs(t_stat), n-1)*2.0
return t_stat, p_val
```

1.4.2 Perform t-test

K-fold ross-validated paired t test

```
t-statistic= -0.6330134168481609
p-value= 0.5281844102370656
```