

# Project : Automatic Segmentation of Left Ventricle

M. Arsalan KHAWAJA\* and Bui Thien Bao†

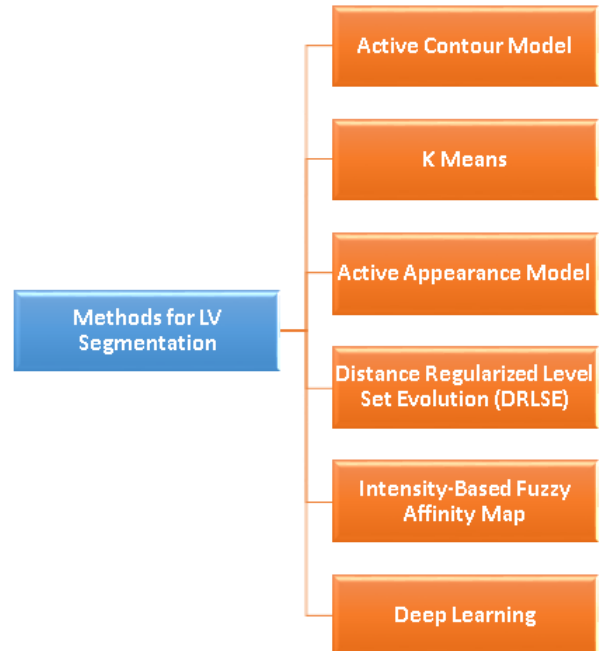
\*Center Universitaire Condorcet,  
Universite de Bourgogne,  
71200, Le Creusot,  
France.

Email : Muhammad-Arsalan\_Khawaja@etu.u-bourgogne.fr

†Center Universitaire Condorcet,  
Universite de Bourgogne,  
71200, Le Creusot,  
France.  
Email :

*Abstract*—Left Ventricle

*Index Terms*—K-means, Python,



## I. INTRODUCTION

The segmentation of left ventricle is of utmost importance when it come to diagnosis of heart diseases. It takes too much of a time for manual segmentation and is a painstaking task. This segmentation establishes and provides us with important knowledge of critical parameters which can help us calculate certain ratios. These ratios help doctors to predict the condition of heart and in some cases diagnose a particular disease. In short, an efficeint segmentation of heart ends up saving patient life.

Unfortunately doctors are too busy to manually segment each of the medical image and it also wastes alot of thier time. They are more needed to patients. There is an inevitable demand for some automatic segmentation of left ventricle. Alot of work has been done in this field, but because medical images are not really the most perfect images, segmentation algorithms are destined to struggle with accuracy. Some of the most common methods used for demonstrated in figure 1.

Figure 1. These are some methods / Algorithms used to segment left ventricle. Each of them have their own advantages and disadvatages. None of them is perfect

We went through the algorithms and decided to use Hybrid Approach for our segmentation. In hybrid approach, we intend to use more than one approaches / algorithms to work simultaneosly on the segmentation of the image. In this project we used mainly primarily K-Means algorithm inspired by []. Alongside, a border following algorithm inspired from [] was used to enhance segmentation results. The preprocessing was done with adaptive smoothing algorithm. Finally we optimized the performance of our algorithm by repeated experiments of using the algorithm with different datasets and setting the parameters to optimal value.

## II. METHODOLOGY

### III. DEVELOPMENT

discuss algorithms

#### A. Adaptive non linear smoothing

We considered Feature-Preserving Adaptive Smoothing Method (FPASM) for our project. The primary K-Means research [] that we were following took this algorithm from another research []. Adaptive smoothing is a class of typical nonlinear smoothing techniques that have been studied for many years.

The idea is to adapt pixel intensities to the local attributes of an image on the basis of discontinuity measures. Note that in this algorithm there are two kind of discontinuities, Local and Contextual discontinuity. This novel approach joins these both discontinuities to preserve edges and at same time smooth images. It is brilliant method according to us.

In order to measure local discontinuities, we define four detectors for pixel  $(x, y)$  along four directions. These four directions are vertical (V), horizontal (H), diagonal (D), and counter-diagonal (C), respectively. Accordingly, four detectors are defined as

$$\begin{aligned} E_{H_{xy}} &= |I_{x+1,y} - I_{x-1,y}| \\ E_{V_{xy}} &= |I_{x,y+1} - I_{x,y-1}| \\ E_{C_{xy}} &= |I_{x+1,y+1} - I_{x-1,y-1}| \\ E_{D_{xy}} &= |I_{x+1,y-1} - I_{x-1,y+1}| \end{aligned} \quad (1)$$

Here  $I_{(x,y)}$  is the intensity of pixel  $(x, y)$ . To be more clear we constructed this figure 2.

$(x-1, y-1)$	$(x, y-1)$	$(x+1, y-1)$
$(x-1, y)$	$(x, y)$	$(x+1, y)$
$(x-1, y+1)$	$(x, y+1)$	$(x+1, y+1)$

Figure 2. The pixel  $(x, y)$  is our pixel of operation. We see the local discontinuity defined in equations 21 is nothing but calculating the differences around the neighbouring pixels.

With these differences in mind, we define the local discontinuity as:

$$E_{xy} = \frac{E_{H_{xy}} + E_{V_{xy}} + E_{C_{xy}} + E_{D_{xy}}}{4} \quad (2)$$

In order to detect contextual discontinuities, we use spatial variance to make a measure. First, we define a contextual neighborhood associated with pixel  $(x, y)$ ,  $N_{xy}(R)$ , as

$$N_{xy}(R) = \{(i, j) | x-R \leq i \leq x+R, y-R \leq j \leq y+R\} \quad (3)$$

Note that, here  $R(R > 1)$  is a parameter that determines the size of this contextual neighborhood. The contextual neighborhood is defined here without explicitly counting image boundaries. The parameter  $R$  describes a spatial scale or a resolution that critically determines results of the contextual discontinuity measure. We calculate the mean of pixels on  $N_{xy}(R)$ ,  $\mu_{xy}(R)$ , as

$$\mu_{xy}(R) = \frac{\sum_{(i,j) \in N_{xy}(R)} I_{i,j}}{|N_{xy}(R)|} \quad (4)$$

and the spatial variance,  $\sigma_{xy}^2(R)$ , can be calculated as:

$$\begin{aligned} \sigma_{xy}^2(R) &= \frac{\sum_{(i,j) \in N_{xy}(R)} (I_{i,j} - \mu_{xy}(R))^2}{|N_{xy}(R)|} \\ &= \frac{\sum_{(i,j) \in N_{xy}(R)} I_{i,j}^2}{|N_{xy}(R)|} - \left( \frac{\sum_{(i,j) \in N_{xy}(R)} I_{i,j}}{|N_{xy}(R)|} \right)^2 \end{aligned} \quad (5)$$

The normalized  $\tilde{\sigma}_{xy}^2(R)$  can be written as:

$$\tilde{\sigma}_{xy}^2(R) = \frac{\sigma_{xy}^2(R) - \sigma_{\min}^2(R)}{\sigma_{\max}^2(R) - \sigma_{\min}^2(R)} \quad (6)$$

where  $\sigma_{\max}^2(R)$  and  $\sigma_{\min}^2(R)$  are the maximal and minimal spatial variance across the entire image, respectively. Intuitively,  $\tilde{\sigma}_{xy}^2(R)$  reflects the relative degree of the contextual discontinuities for pixel  $(x, y)$ . The table I describes the influence of  $\tilde{\sigma}_{xy}^2(R)$  in a more articulate way on the smoothing.

$\tilde{\sigma}_{xy}^2(R)$	Indication
Large Value	There is presence of significant feature
Small Value	There aint any significant feature or significant edges found

Table I

INTERPRETATION OF SPATIAL NORMAL VARIANCE RESULTS

So, these results recommend us that the local attributes of a pixel with a high contextual discontinuity should be preserved and those of a pixel with a low contextual discontinuity should be smoothed toward homogeneity. However, both noise and trivial features irrelevant to a given problem lead to the complexity for visual information processing. In order to reduce their influence in the contextual discontinuity estimation, we introduce a transformation into  $\tilde{\sigma}_{xy}^2(R)$ ;

$$\Phi(\tilde{\sigma}_{xy}^2(R), \theta_\sigma) = \begin{cases} 0 & \tilde{\sigma}_{xy}^2(R) < \theta_\sigma \\ \tilde{\sigma}_{xy}^2(R) & \tilde{\sigma}_{xy}^2(R) \geq \theta_\sigma \end{cases} \quad (7)$$

Here  $\theta_\sigma$  ( $0 \leq \theta_\sigma \leq 1$ ) is a threshold. For a given  $\theta_\sigma$ ,  $\Phi(\tilde{\sigma}_{xy}^2(R), \theta_\sigma)$  gives us lead to contextual discontinuity map. In summary, pixels of same area or region are supposed to have low contextual discontinuities except the case, for those pixels located near boundaries that have high contextual discontinuities. Unlike local discontinuity measure, contextual discontinuity measure is relatively insensitive to local intensity changes.

Now that we have established the concepts of Local Discontinuity and Contextual discontinuity, It is easier to understand the smoothing algorithm. The key concept of adaptive smoothing is to update a pixel's intensity through the influence of local weighted averaging of its neighboring pixels' intensities. The flow chart in figure 3 gives the birds eye view of smoothing algorithm.

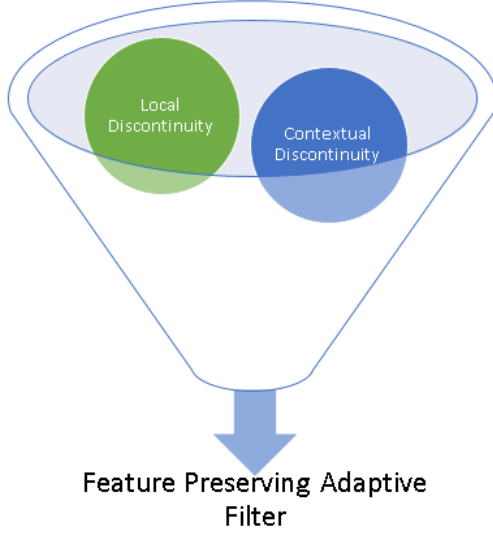


Figure 3. Flow Chart for the idea of Adaptive filter. In step-1, we calculate local discontinuity. In step-2, we calculate contextual discontinuity. In step-3 with the suitable guess of parameters  $R$  and  $\theta$ , we use equation 8 to calculate filtered image. If the results are not satisfactory, we play with the parameters and recalculate the filtered image upto reasonable number of iterations.

The smoothing algorithm as shown in equation 8 runs through the entire image updating each pixels intensity value  $I_{xy}^t$ , where  $t$  is the iteration value.

$$I_{xy}^{t+1} = I_{xy}^t + \eta_{xy} \frac{\sum_{(i,j) \in N_{xy}(1)/[(x,y)]} \eta_{ij} y_{ij}^t (I_{i,j}^t - I_{x,y}^t)}{\sum_{(i,j) \in N_{xy}(1)/[(x,y)]} \eta_{ij} \gamma_{ij}^t} \quad (8)$$

here:

$$\begin{aligned} \eta_{ij} &= \exp(-\alpha \mathcal{N}(\tilde{\sigma}_{xy}^2(R), \theta_\sigma)) \\ \gamma_{ij}^t &= \exp(-E_{ij}^t/S) \end{aligned} \quad (9)$$

The main goal of smoothing is to alleviate the complexity for subsequent processes in early vision. With this pre-processing, the results of our MRI image are shown in figure .

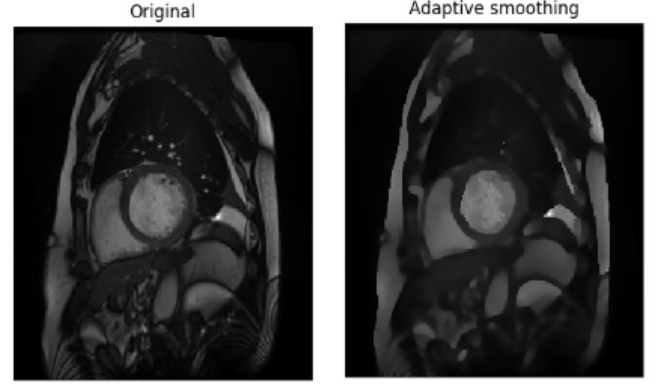


Figure 4.

### B. K-Means Clustering

The smoothed images were then clustered using k-means algorithm proposed by Duda and Hart [1], [2]. This algorithm has four steps as shown in figure 5 to search for the image clusters.

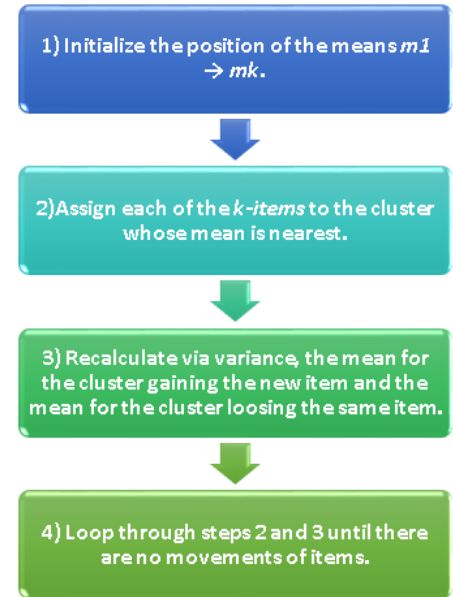


Figure 5. The figure demonstrates the process of K-Means algorithm step by step. The algorithm is quite simple and is widely used in Machine learning, Economics, Data science and many other fields.

The key idea of the  $K$ -means algorithm is to divide  $M$  points in  $N$  dimensions into  $K$  clusters, such that the within-cluster sum of squares is minimized [1]. K-means Clustering is categorized as unsupervised learning, which means that it does not need any intervention by human in our project and leads way to automatic segmentation of Left Ventricle. The figure [] shows results after applying k-means clustering.



Figure 6.

### C. Detection of Region of Interest (ROI)

It was a trickiest part of the project. We tried a number of approaches to detect the region of interest, i.e the region containing left ventricle and its nearby surroundings. The approaches have been defined described briefly:

1) *Hough Transform*: We know that the left ventricle can thought of as an approximation of circle. Hough transform is used to detect circular features in an image. We applied hough transform and detected ventricle. With the centre of ventricle detected as centre of circle, we declared the reasonable area around centre of circle as region of interest. However this approach was not a great idea because:

- Left ventricle is the only circular shape object in image, Many slices had more than one circular object other than left ventricle which allowed it hough transform to detect false left ventricle.
- In some images / slices, left ventricle becomes too dark to be detected as an object.
- In some images / slices, the left ventricle is not near to circular shape. so hough transform fails

Based on these reasons, we decided to go for another approach.

### D. Segmentation of Left Ventricle

A border following algorithm inspired by [3] was used to segment Left Ventricle. Border following is one of the most important and popular technique in segmentation of binary images. . It derives a sequence of the coordinates or the chain codes from the border between a connected component of 1-pixels<sup>1</sup> (1-component)' and a connected component of 0-pixels<sup>2</sup> (background or hole).

The basic idea of border following algorithm is simple. It works on binary image and already produced binary image by  $k = 2$  (2 clusters) with  $k$ -means clustering. The border following algorithm as illustrated in figure ][ sees th component as 1 and background as 0. When it moves through the pixel grid passing each pixel watching out their intensity (0 or 1). As soon as it observes a jump from O-Pixel to 1-Pixel, it

memorizes the pixel location and value. After it memorizes<sup>3</sup> all the jumps i.e switching from O-Pixel to 1-Pixel and vice versa, It categorizes the the border in number of objects depending whether the pixel locations are connected to each other or they are sparsely located.

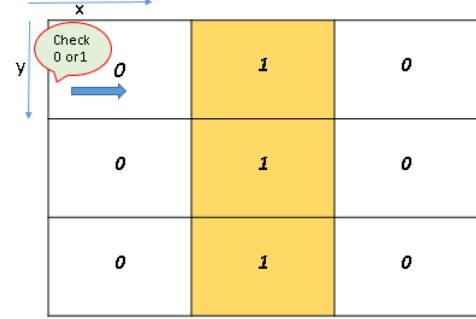


Figure 7.

The resulting segmented image is shown in figure [ ].

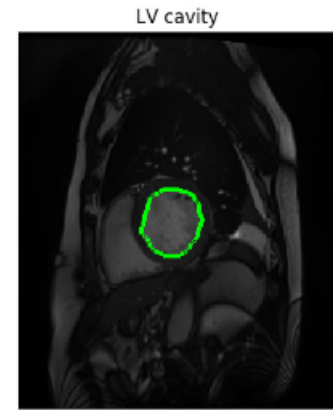


Figure 8.

## IV. IMPROVEMENTS AND REFINEMENTS

initial accuracy , changes made, accuracy increased,

### A. First Version

discuss initial version

### B. Second Version

discuss final version

## V. FINAL RESULTS

discuss analyze

## VI. EXECUTIVE SUMMARY

summary

<sup>3</sup>By memorize we mean it saves the pixel location in a vector

<sup>1</sup>Pixels with densities 1 are called the 1-pixel

<sup>2</sup>Pixels with densities 0 are called the 0-pixel

## VII. USER GUIDE

how to use app.

## REFERENCES

- [1] Hartigan. A k-means clustering algorithm. *Journal of the Royal Statistical Society. Series C (Applied Statistics)*, 28(1):100–108, 1979.
- [2] Duda Richard. *Pattern classification and scene analysis*, volume 3. Wiley New York, 1973.
- [3] Satoshi Suzuki et al. Topological structural analysis of digitized binary images by border following. *Computer vision, graphics, and image processing*, 30(1):32–46, 1985.