# Mobile Robot Navigation Amidst Humans with Intents and Uncertainties: A Time Scaled Collision cone Approach

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#### Outline

Motivation

Human Intention prediction

Proactive collision avoidance in intent space

#### Motivation

- Robots and humans are beginning to occupy the same work spaces
- Account for human intent in robot's navigation and avoidance Maneuver
- Uncertain and Haphazard local movements of human

#### Outline

Motivation

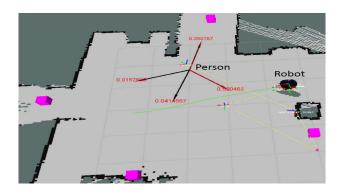
Human Intention prediction

Proactive collision avoidance in intent space

#### Human Intention prediction

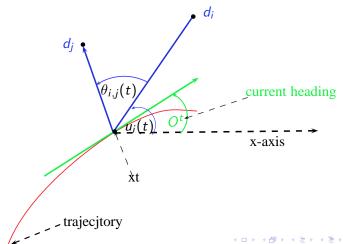
- Characterize intents as the final destinations a person might reach
- ▶ Let  $D = \{d^1, d^2, ..., d^m\}$  be the set of final destinations a person can go to in a given environment
- compute the probability of each of these intents Using Hidden Markov Model.
- ► Characterize local Haphazard movements as a gaussian  $\mathcal{N}(\mu_i(\mathbf{x}^t), \sigma_t)$

# Human Intention prediction

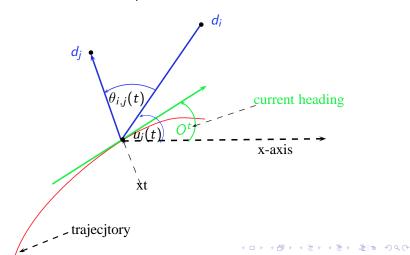


- Let  $S^t \in D$  represent the intent of a person to reach destination  $S^t$  at time t.
- D represents set of states in HMM.
- ▶ Human trajectories are represented as  $X(T) = \{x^1, x^2, ..., x^T\}$

- $ightharpoonup O^t$  is the angle defined by the first derivative of the trajectory at point xt
- ▶ Given the current position and orientation we compute the probability of reaching each of the destination  $d^i \in D$



- $\blacktriangleright \mu_i(t)$  is the measure relative to the destination  $\mathbf{d}^i$
- $ightharpoonup O^t$  is the global measure of the target orientation
- $\theta_{ij}(t)$  is the measure between final destinations  $\mathbf{d^i}$  and  $\mathbf{d^j}$  relative to the current position  $\mathbf{x^t}$



▶  $b_i(O^t)$  is the probability of observing heading  $O^t$  given that the person is following the intent  $\mathbf{d}^i$  at time t.

$$b_i(O^t) = p(O^t|S^t = \mathbf{d^i}) = \mathcal{N}(O^t|\mu_i(t), \sigma_o)$$

▶  $a_{ij}(t)$  is the probability that the human changes his intent from  $\mathbf{d^i}$  to  $\mathbf{d^j}$  at any discrete instant t

$$a_{ij}(t) = p(S^{t+1} = \mathbf{d}^{\mathbf{j}}|S^t = \mathbf{d}^{\mathbf{i}}) = \eta \mathcal{N}(\theta_{ij}(t)|0, \sigma_a)$$



- Let  $O^{1:T} = \{O^1, O^1, ..., O^T\}$  is the set of measurements obtained till time T.
- Our task is to calculate  $p(S^t = \mathbf{d^i} | O^{1:T}, \lambda)$
- ▶ In HMM this term is usually referred to as  $\gamma_t(i)$  To find this we use standard forward and backward algorithms.

# Proactive collision avoidance in intent space

#### Summary

- ► The first main message of your talk in one or two lines.
- ► The second main message of your talk in one or two lines.
- ▶ Perhaps a third message, but not more than that.
- Outlook
  - Something you haven't solved.
  - Something else you haven't solved.

# For Further Reading I



Handbook of Everything.

Some Press, 1990.



On this and that.

Journal of This and That, 2(1):50-100, 2000.