

EVS ASSIGN - 3

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Q1.

(i) Unused PV potential = 11 TWh/year
of Switzerland

Nuclear energy of = 25.6 TWh/year
Switzerland

We use 60% of PV potential to
replace nuclear energy = 0.6×11 TWh/year

= 6.6 TWh/year

∴ The remaining to be met by
natural gas plants

$$= 25.6 - 6.6$$

$$= 19 \text{ TWh / year}$$

Now, the annual supply of gas power
plant with capacity factor of 85%

$$= 500 \text{ MW} \times 0.85 / \text{year}$$

$$= 3.72 \text{ TWh / year}$$

\therefore Number of gas power plants reqd

$$= \frac{19 \text{ TWh / yr}}{3.72 \text{ TWh / yr}}$$

$$= 5.1077$$

$$= 6$$

\therefore 6 power plants are required.

(ii) Maximum land that can be occupied

$$= 27000 \text{ hectares}$$

$$= 2.7 \times 10^8 \text{ m}^2$$

Average daily solar radiation = 2.1 kWh/m^2

Occupied area = 30% of total

$$= 0.3 \times 2.7 \times 10^8 = 8.1 \times 10^7 \text{ m}^2$$

Now, let the efficiency be α , then,
the solar radiation ~~absorbed~~
utilized by the panels

$$= 2.1 \times 10^3 \times \alpha \text{ Wh/m}^2$$

According to question, applying area
constraint

$$\frac{\geq 0.6 \times 11 \text{ TWh/yr}}{2.1 \times 10^3 \times \alpha \times 365 \text{ Wh/m}^2 \cdot \text{yr}} \leq 81 \times 10^6$$

$$\Rightarrow \frac{11 \times 10^{12} \times 0.6}{2.1 \times 10^3 \times \alpha \times 365} \leq 81 \times 10^6$$

$$\Rightarrow \alpha \geq \frac{11 \times 10^{12} \times 0.6}{2.1 \times 10^3 \times 365 \times 81 \times 10^6}$$

$$\Rightarrow \alpha \geq 0.177 \times 0.6$$

$$\Rightarrow \boxed{\alpha \geq 0.1062}$$

$$\Rightarrow \text{Minimum efficiency needed} \\ = 10.62 \%$$

(iii) To achieve full potential with the efficiency same as in part (ii), we require say 'x' TWh/year solar energy. Then,

$$(x)(\alpha) = 0.6 \times 11 \text{ TWh/yr}$$

$$\Rightarrow x = \frac{0.6 \times 11 \text{ TWh/yr}}{0.177 \times 0.6}$$

$$\Rightarrow x = 62.147 \text{ TWh/year}$$

Therefore, we require 62.147 TWh/yr solar energy.

(iv) The total installed PV capacity assuming a capacity factor of

$$9\% = \frac{0.6 \times 11 \text{ TWh/yr}}{0.09}$$

$$= 73.33 \text{ TWh/yr}$$

$$= 0.6 \times 122.22 \times \frac{1}{8760} \text{ TW}$$

$$= 0.6 \times 13.95 \text{ GW power}$$

$$= \boxed{8.37 \text{ GW}}$$

Q2. (i) Energy demand = 1500 kWh/month
Solar isolation available for 112 hours/month

\Rightarrow solar power produced by PV cells

$$= \frac{1500 \text{ kWh/month}}{112 \text{ h/month}}$$

$$= 13.39 \text{ kW}$$

To produce 1W cost is \$3.

Cost of fabrication, maintenance & interest
on capital = \$6

$$\begin{aligned}\text{Total cost} &= \$13.39 \times 6 \times 10^3 \\ &= \$80.34 \times 10^3\end{aligned}$$

Now, Energy produced for 20 years

$$= 1500 \text{ kWh} \times 12 \times 20$$

$$= 3.6 \times 10^5 \text{ kWh}$$

\therefore Cost of solar generated electricity

$$= \frac{80.34 \times 10^3}{3.6 \times 10^4}$$

$$= \boxed{\$0.223 / \text{kWh}}$$

PTO

(ii) Current tariff of electricity = \$0.07/kwh

The reduction in cost of solar generated electricity needed

$$= \$0.223 - \$0.07$$

$$= \$0.153/\text{kwh}$$

Let new price be x \$/w.

\therefore Total cost calculated with all power produced in 20 years

$$= \$13.39 \times 10^3 \times (x)$$

$$\therefore 13.39 \times 10^3 \times (x) = 2.52 \times 10^4$$

$$\Rightarrow x = \frac{\$25.2}{13.39} / \text{w}$$

$$= \boxed{\$1.882 / \text{w}}$$

Current cost per w \rightarrow \$ 6

Hence, reduction reqd

$$= \$ (6 - 1.882) \text{ per } w$$

$$= \boxed{\$ 4.118/w}$$

in order to be
competitive