

✓ Congratulations! You passed!

Next Item

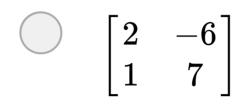


1. Let two matrices be

1/1 point

$$A=egin{bmatrix} 4 & 3 \ 6 & 9 \end{bmatrix}, \qquad B=egin{bmatrix} -2 & 9 \ -5 & 2 \end{bmatrix}$$

What is A - B?



$$\begin{bmatrix} 6 & -12 \\ 11 & 11 \end{bmatrix}$$

$$egin{bmatrix} 4 & 12 \ 1 & 11 \end{bmatrix}$$

$$egin{bmatrix} egin{bmatrix} 6 & -6 \ 11 & 7 \end{bmatrix}$$

Correct

To subtract B from A, carry out the subtraction element-wise.



2.

Let
$$x = egin{bmatrix} 2 \\ 7 \\ 4 \\ 1 \end{bmatrix}$$

1/1 point

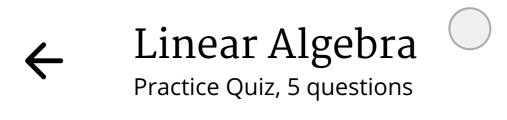
What is $\frac{1}{2} * x$?



$$\left[egin{array}{c}1\ rac{7}{2}\ 2\ rac{1}{2}\end{array}
ight]$$

Correct

To multiply the vector x by $\frac{1}{2}$, take each element of x and multiply that element by



- $\left[1 \quad \frac{7}{2} \quad 2 \quad \frac{1}{2}\right]$
- [4 14 8 2]



3. Let u be a 3-dimensional vector, where specifically

$$u = egin{bmatrix} 8 \ 1 \ 4 \end{bmatrix}$$

What is $u^{
m T}$?

Correct

$$\begin{bmatrix} 4 \\ 1 \\ 8 \end{bmatrix}$$

$$\begin{bmatrix} 8 \\ 1 \\ 4 \end{bmatrix}$$



4. Let u and v be 3-dimensional vectors, where specifically

$$u = egin{bmatrix} 4 \ -4 \ -3 \end{bmatrix}$$

and

$$v = egin{bmatrix} 4 \ 2 \ 4 \end{bmatrix}$$

What is $u^T v$?

(Hint:
$$u^T$$
 is a

Practice Quiz, 5 questions matrix. The answer you want can be obtained by taking

the matrix product of u^T and v.) Do not add brackets to your answer.

-4

Correct Response

Let A and B be 3x3 (square) matrices. Which of the following

1/1 point must necessarily hold true? Check all that apply.



$$A*B*A=B*A*B$$

Un-selected is correct



If A is the 3x3 identity matrix, then A st B = B st A



Correct

Even though matrix multiplication is not commutative in general (A*B
eq B*A for general matrices A,B), for the special case where A=I, we have A*B=I*B=B, and also B*A=B*I=B. So, A*B=B*A.



$$A*B=B*A$$

Un-selected is correct



$$A + B = B + A$$

Correct

We add matrices element-wise. So, this must be true.

3 P F

https://www.coursera.org/learn/machine-learning/quiz/SlzWU/linear-algebra