

# Lubrication and Journal Bearings

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- Types of Lubrication
- Viscosity
- Petroff's Equation
- Thick-Film Lubrication
- Hydrodynamic Theory and Lubrication
- Design Considerations
- The Relations of the Variables – Lubrication Charts

## Background

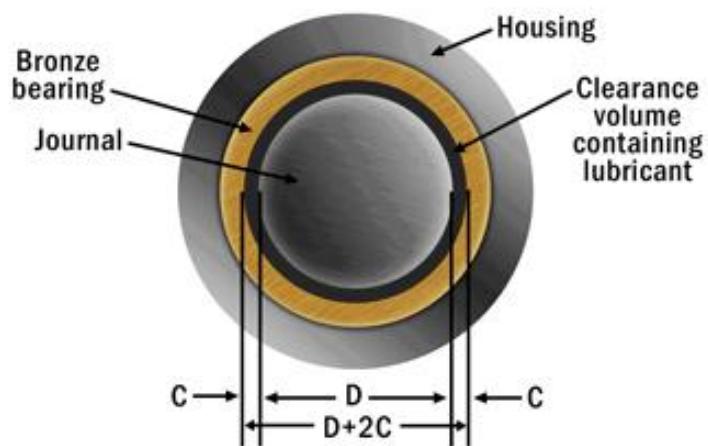
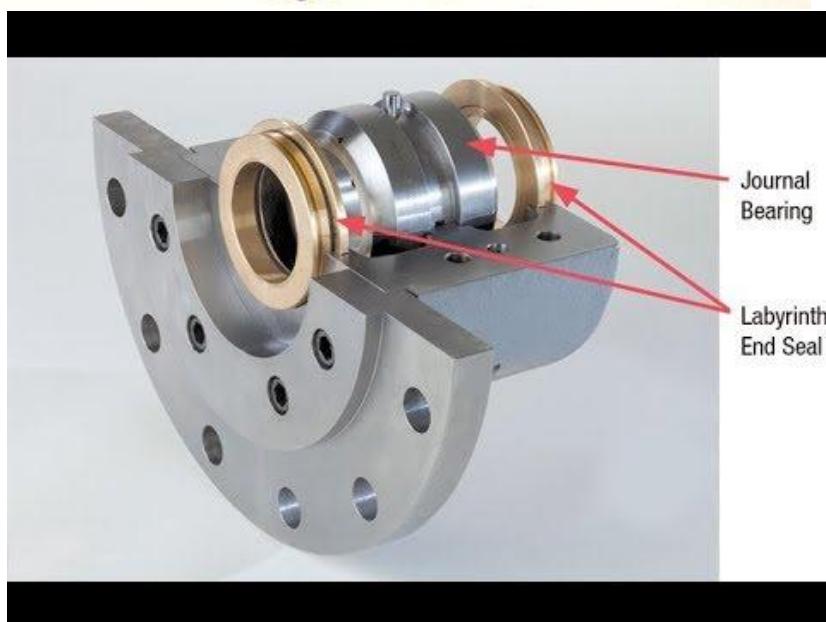
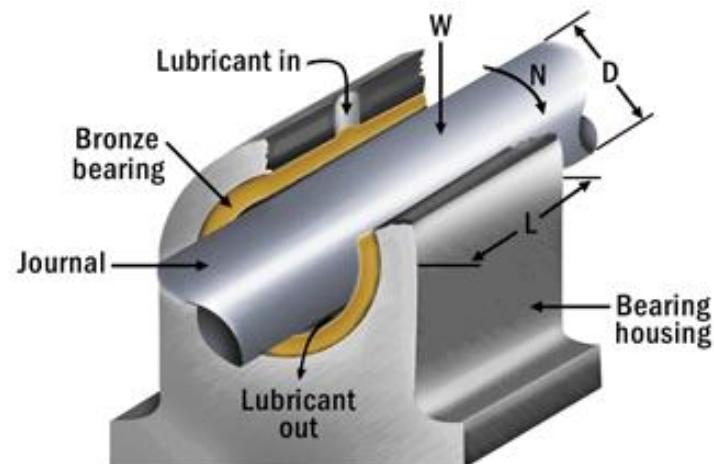
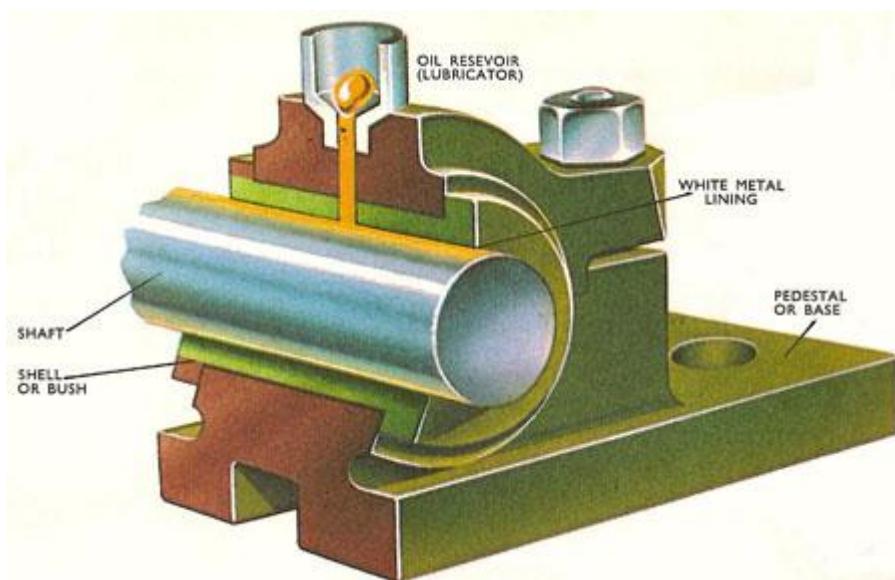
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In industry, the **use of journal bearings** is specialized for rotating machinery both low and high speed.

**Journal bearings** are used widely to support the shafts in industrial machinery involving heavy loads, such as

compressors  
turbines and  
centrifugal pumps.

# Background Cont'd



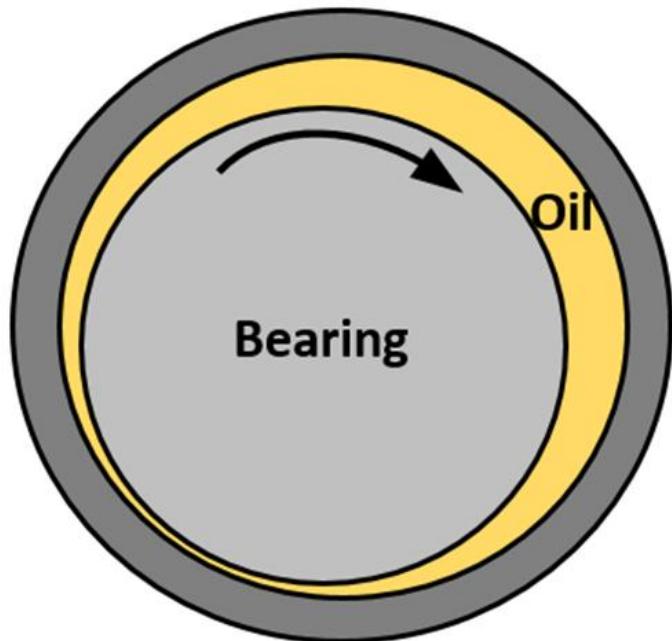
# Types of Lubrication

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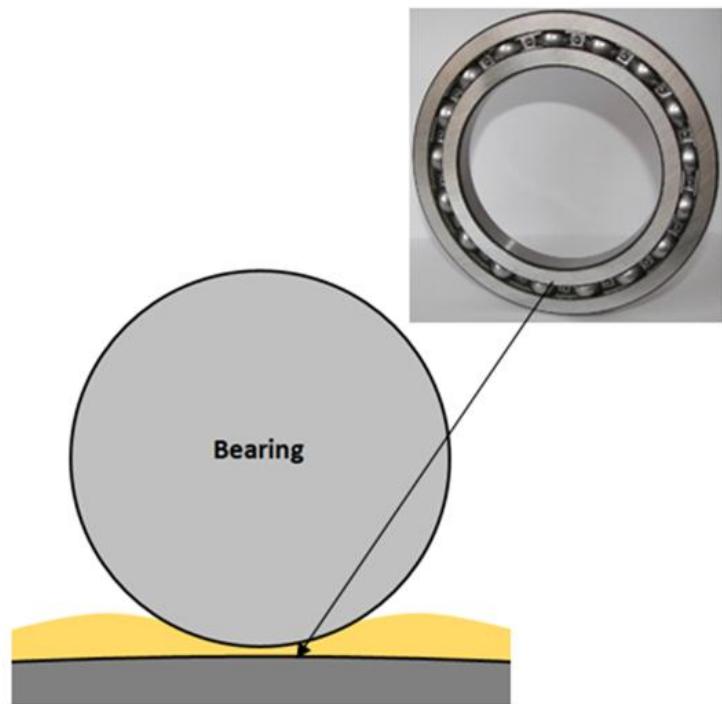
- **Hydrodynamic**
  - Load-Carrying surfaces are separated by a relatively thick film
  - The fluid creates a wedge-shaped zone due to relative motion to separate the parts
  - No metal-to-metal contact
- **Hydrostatic**
  - Lubricant is introduced into the load-bearing zone at a high pressure to separate the parts.
- **Elastohydrodynamic**
  - Occurs when the lubricant is between rolling surfaces such as mating gears.
- **Boundary**
  - Lubricant is just enough to cover the asperities resulting in some degree of metal-to-metal contact at the micro level.
- **Solid film:** Uses solid lubricants such as graphite

# Applications – Types of Lubrication

Hydrodynamic Lubrication



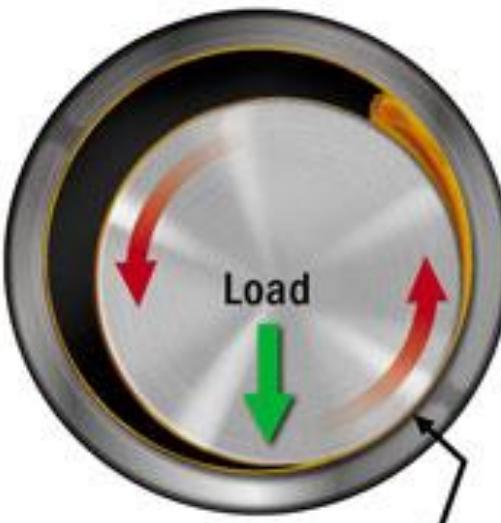
Elastohydrodynamic Lubrication



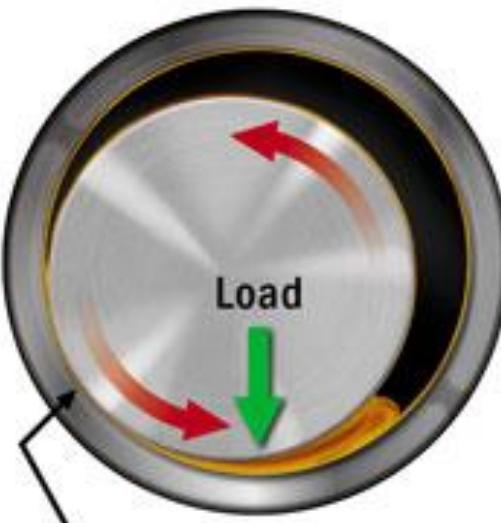
## Applications – Types of Lubrication Cont'd



High-Pressure Area  
(Shaft at Rest)



High-Pressure Area  
(Shaft Starting to Rotate)



High-Pressure Area  
(Shaft at Full Speed)

# Applications – Types of Lubrication Cont'd



# Viscosity

- Shear stress in a fluid is proportional to the rate of change of velocity with respect to  $y$

$$\tau = \frac{F}{A} = \mu \frac{du}{dy} \quad (12-1)$$

- $\mu$  is *absolute viscosity*, also called *dynamic viscosity*

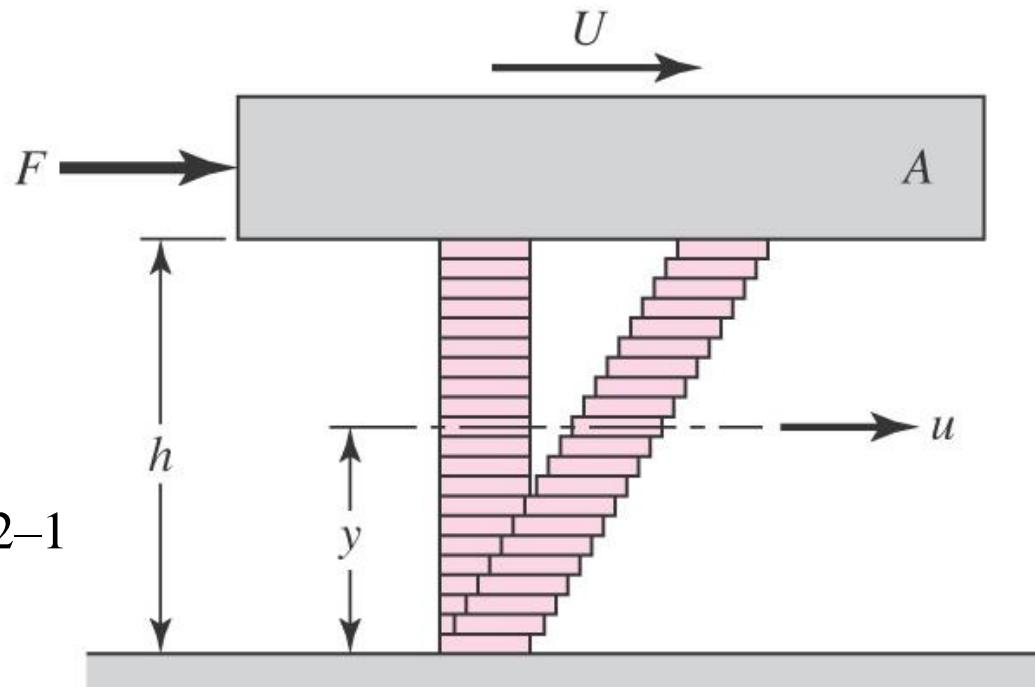


Fig. 12-1

# Viscosity

- For most lubricating fluids, the rate of shear is constant, thus

$$du/dy = U/h$$

$$\tau = \frac{F}{A} = \mu \frac{U}{h} \quad (12-2)$$

- Fluids exhibiting this characteristic are called *Newtonian fluids*

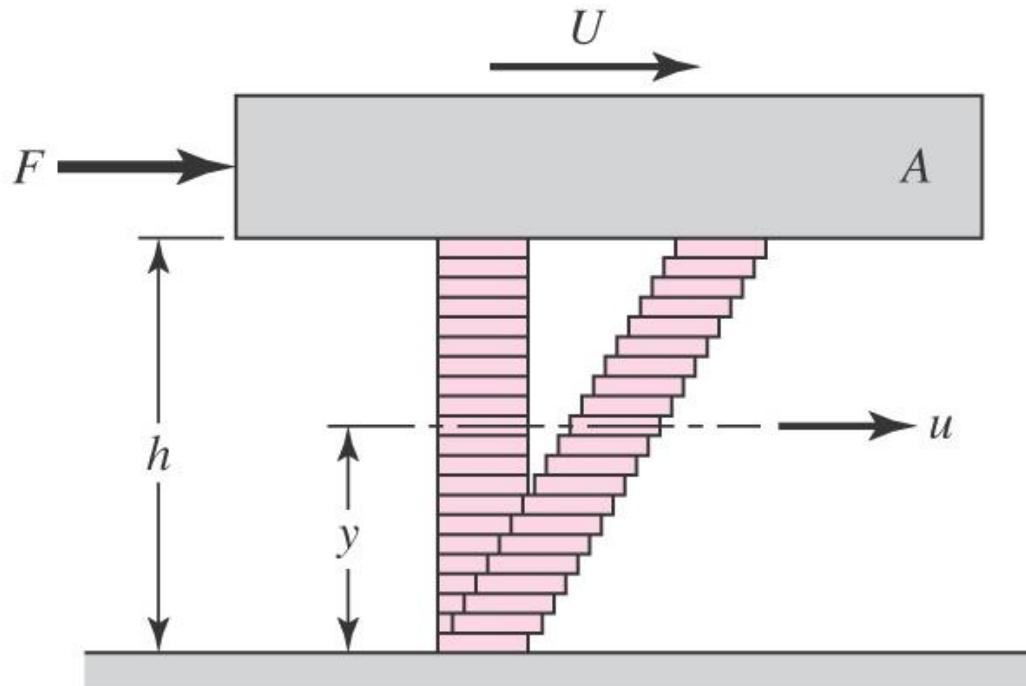


Fig. 12-1

# Units of Viscosity

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- Units of absolute viscosity
  - ips units:  $\text{reyn} = \text{lbf}\cdot\text{s/in}^2$
  - **SI units:**  $\text{Pa}\cdot\text{s} = \text{N}\cdot\text{s/m}^2$  length (metre), mass (kilogram), and time (sec).
  - cgs units: Poise =  $\text{dyn}\cdot\text{s/cm}^2$
- cgs (centimeters, grams, seconds) units are discouraged, but common historically in lubrication
- Viscosity in cgs is often expressed in centipoise (cP), designated by Z
- Conversion from cgs to SI and ips:

$$\mu(\text{Pa}\cdot\text{s}) = (10)^{-3} Z \text{ (cP)}$$

$$\mu(\text{reyn}) = \frac{Z \text{ (cP)}}{6.89(10)^6}$$

$$\mu(\text{mPa}\cdot\text{s}) = 6.89 \mu'(\mu\text{reyn})$$

## Units of Viscosity

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- In ips units, the microreyn ( $\mu$ reyn) is often convenient.
- The symbol  $\mu'$  is used to designate viscosity in  $\mu$ reyn

$$\mu = \mu' / (10^6)$$

# Measurement of Viscosity

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- *Saybolt Universal Viscosimeter* used to measure viscosity
- Measures time in seconds for 60 mL of lubricant at specified temperature to run through a tube 17.6 mm in diameter and 12.25 mm long
  - Result is *kinematic viscosity*
  - Unit is stoke = cm<sup>2</sup>/s
- Using *Hagen-Poiseuille law* kinematic viscosity based on seconds Saybolt, also called *Saybolt Universal viscosity (SUV)* in seconds is

$$Z_k = \left( 0.22t - \frac{180}{t} \right) \quad (12-3)$$

where  $Z_k$  is in centistokes (cSt) and  $t$  is the number of seconds Saybolt

# Measurement of Viscosity

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- In SI, kinematic viscosity  $\nu$  has units of  $\text{m}^2/\text{s}$
- Conversion is  $\nu(\text{m}^2/\text{s}) = 10^{-6} Z_k \text{ (cSt)}$
- Eq. (12–3) in SI units,

$$\nu = \left( 0.22t - \frac{180}{t} \right) (10^{-6}) \quad (12-4)$$

- To convert to dynamic viscosity, multiply  $\nu$  by density in SI units

$$\mu = \rho \left( 0.22t - \frac{180}{t} \right) (10^{-6}) \quad (12-5)$$

where  $\rho$  is in  $\text{kg/m}^3$  and  $\mu$  is in pascal-seconds

# Comparison of Absolute Viscosities of Various Fluids

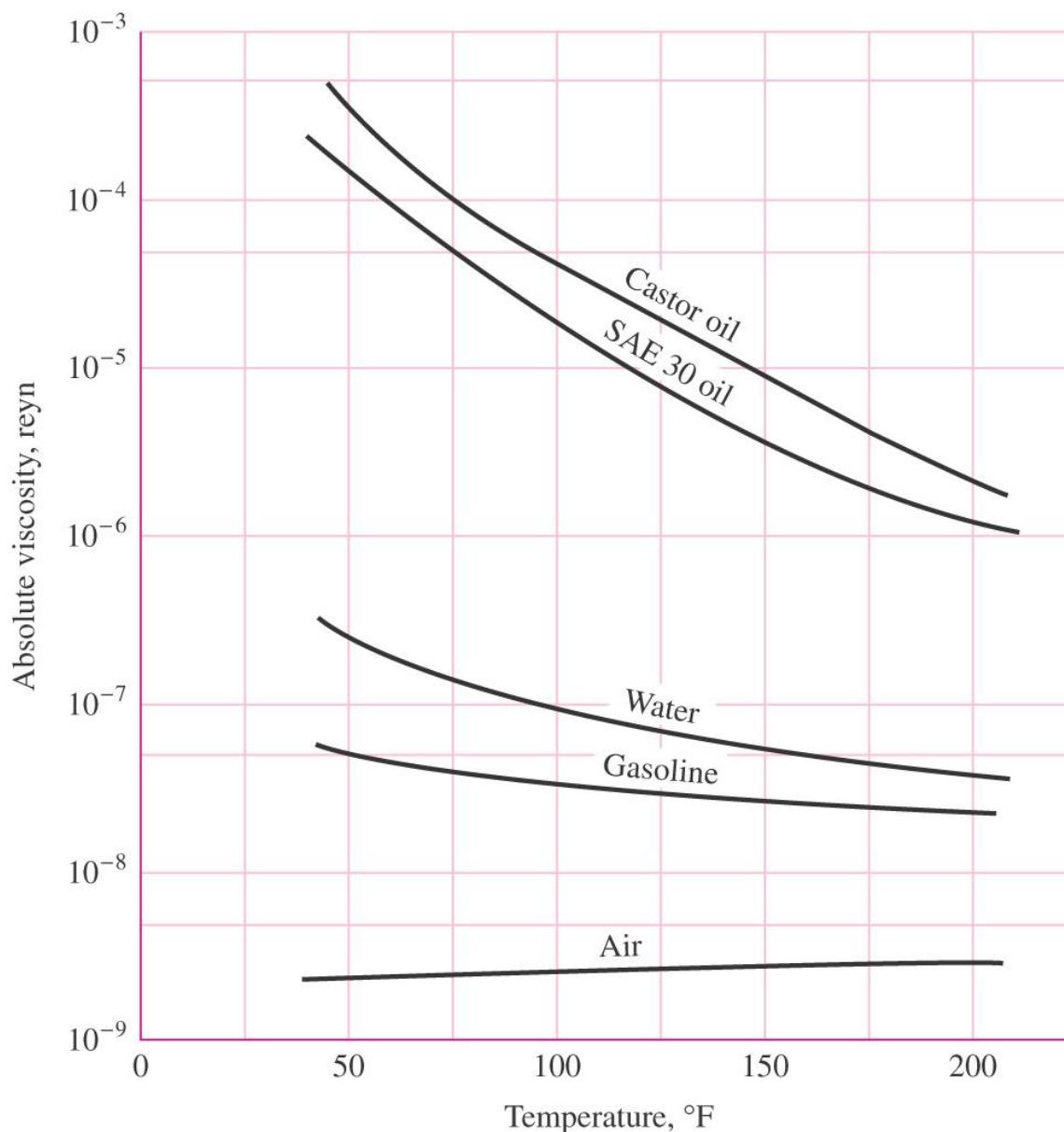


Fig. 12-2

# Petroff's Lightly Loaded Journal Bearing

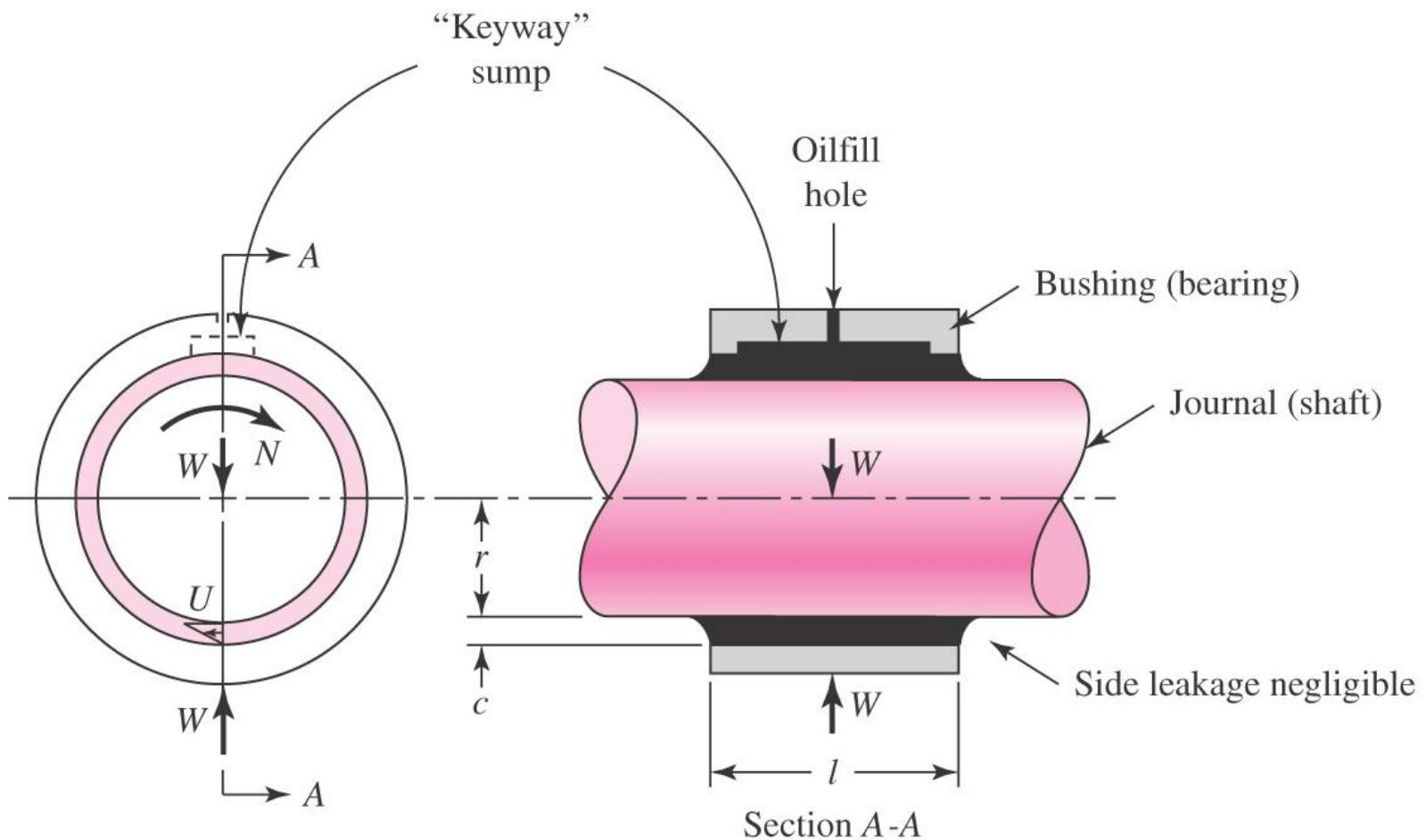


Fig. 12-3

# Stable Lubrication

- To the right of  $AB$ , changes in conditions are self-correcting and results in stable lubrication
- To the left of  $AB$ , changes in conditions tend to get worse and results in unstable lubrication
- Point  $C$  represents the approximate transition between metal-to-metal contact and thick film separation of the parts
- Common design constraint for point  $B$ ,  $\frac{\mu N}{P} \geq 1.7(10^{-6})$

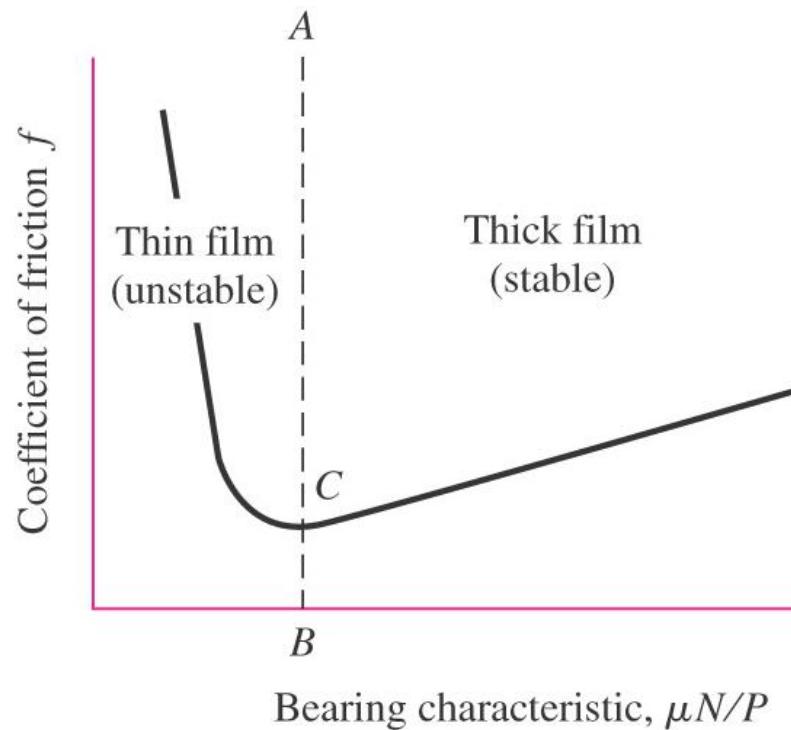


Fig. 12-4

# Thick Film (Hydrodynamic) Lubrication

- Formation of a film

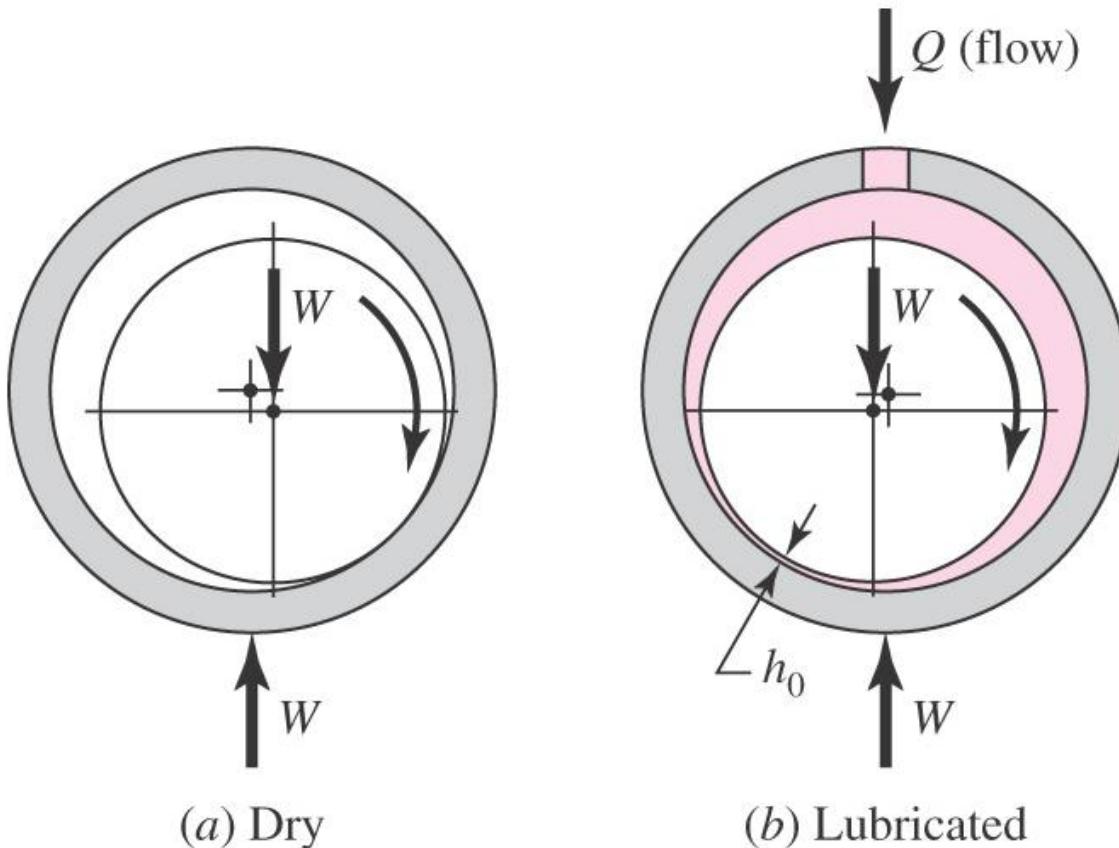


Fig. 12-5

# Nomenclature of a Journal Bearing

- Center of journal at  $O$
- Center of bearing at  $O'$
- Eccentricity  $e$
- Minimum film thickness  $h_0$  occurs at line of centers
- Film thickness anywhere is  $h$
- Eccentricity ratio

$$\epsilon = \frac{e}{c}$$

- Partial bearing has  $\beta < 360^\circ$
- Full bearing has  $\beta = 360^\circ$
- Fitted bearing has equal radii of bushing and journal

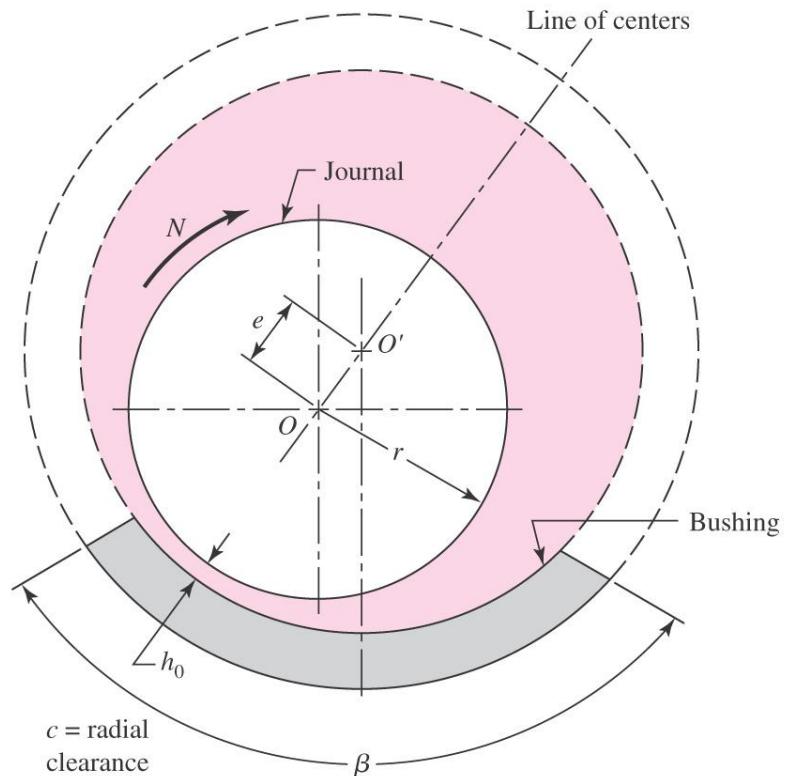


Fig. 12-6

# Design Considerations

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- **Variables either given or under control of designer**
  - 1 The viscosity  $\mu$
  - 2 The load per unit of projected bearing area,  $P$
  - 3 The speed  $N$
  - 4 The bearing dimensions  $r$ ,  $c$ ,  $\beta$ , and  $l$
- **Dependent variables, or *performance factors***
  - 1 The coefficient of friction  $f$
  - 2 The temperature rise  $\Delta T$
  - 3 The volume flow rate of oil  $Q$
  - 4 The minimum film thickness  $h_0$

## Trumpler's Design Criteria

Trumpler, a well-known bearing designer, recommended a set of design criteria.

- **Minimum film thickness** to prevent accumulation of ground off surface particles

$$h_0 \geq 0.0002 + 0.000\ 04d \text{ in} \quad (a)$$

- **Maximum temperature** to prevent vaporization of lighter lubricant components

$$T_{\max} \leq 250^{\circ}\text{F} \quad (120^{\circ}\text{ C}) \quad (b)$$

- **Maximum starting load** to limit wear at startup when there is metal-to-metal contact

$$\frac{W_{st}}{lD} \leq 300 \text{ psi} \quad (2 \text{ MPa}) \quad (c)$$

- **Minimum design factor** on running load

$$n_d \geq 2 \quad (d)$$

# Reynolds Equation

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- Classical Reynolds equation for one-dimensional flow, neglecting side leakage,

$$\frac{d}{dx} \left( \frac{h^3}{\mu} \frac{dp}{dx} \right) = 6U \frac{dh}{dx} \quad (12-10)$$

- With side leakage included,

$$\frac{\partial}{\partial x} \left( \frac{h^3}{\mu} \frac{\partial p}{\partial x} \right) + \frac{\partial}{\partial z} \left( \frac{h^3}{\mu} \frac{\partial p}{\partial z} \right) = 6U \frac{\partial h}{\partial x} \quad (12-11)$$

- No general analytical solutions
- One important approximate solution by Sommerfeld,

$$\frac{r}{c} f = \phi \left[ \left( \frac{r}{c} \right)^2 \frac{\mu N}{P} \right] \quad (12-12)$$

## The Relations of the Variables

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- Albert Raymondi and John Boyd used an iteration technique to solve Reynolds' equation.
- Published 45 charts and 6 tables
- This text includes charts from Part III of Raymondi and Boyd
  - Assumes infinitely long bearings, thus no side leakage
  - Assumes full bearing
  - Assumes oil film is ruptured when film pressure becomes zero

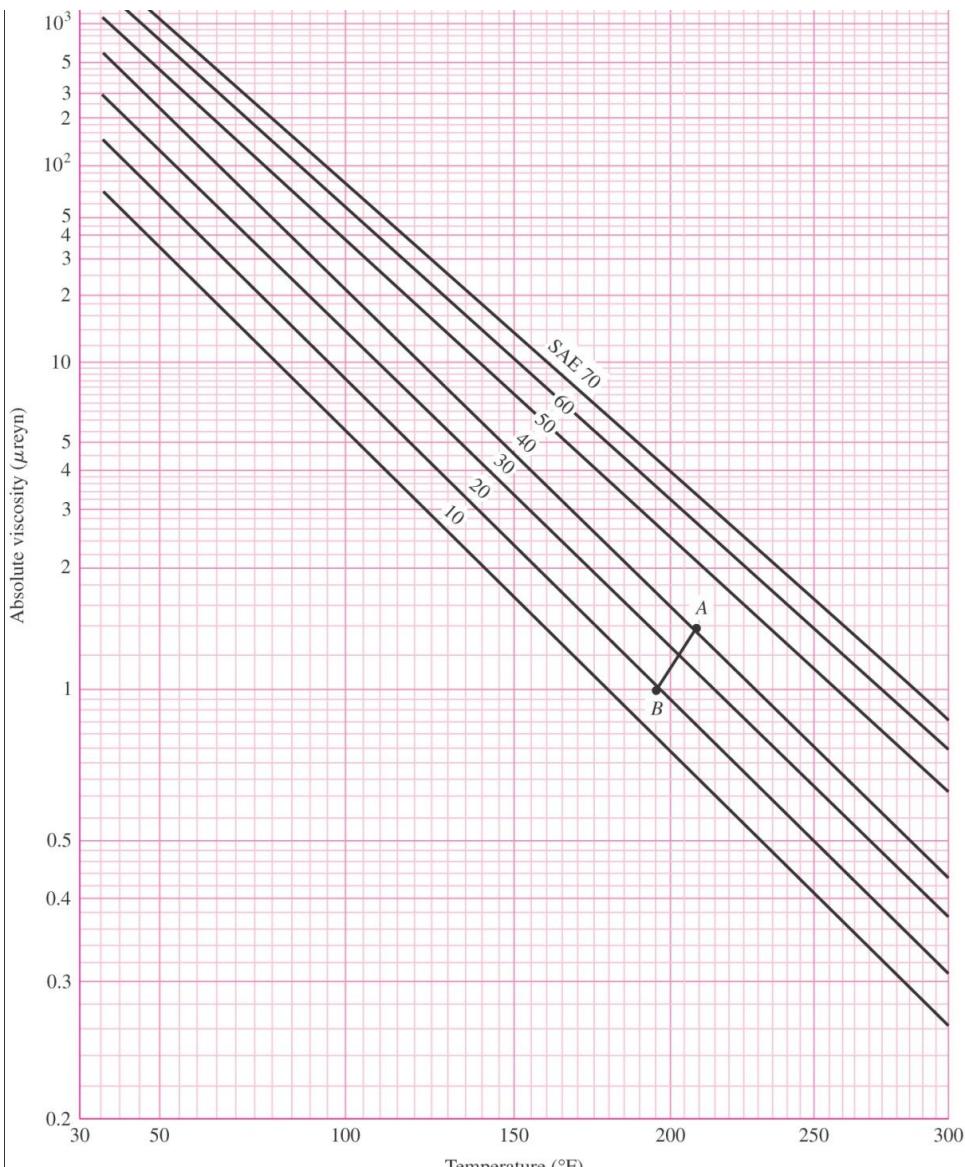
## Viscosity Charts

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- Viscosity is clearly a function of temperature
- Viscosity charts of common lubricants are given in Figs. 12–12 through 12–14
- Raymondi and Boyd assumed constant viscosity through the loading zone
  - Not completely true since temperature rises as work is done on the lubricant passing through the loading zone
  - Use average temperature to find a viscosity

$$T_{av} = T_1 + \frac{\Delta T}{2} \quad (12-14)$$

# Viscosity-Temperature Chart in U.S. Customary Units



Raimondi and Boyd.

Fig. 12-12

# Curve Fits for Viscosity-Temperature Chart

- Approximate curve fit for Fig. 12–12 is given by

$$\mu = \mu_0 \exp [b/(T + 95)], T \text{ in } {}^{\circ}\text{F}.$$

<b>Oil Grade, SAE</b>	<b>Viscosity <math>\mu_0</math>, reyn</b>	<b>Constant <math>b</math>, <math>{}^{\circ}\text{F}</math></b>
10	0.0158( $10^{-6}$ )	1157.5
20	0.0136( $10^{-6}$ )	1271.6
30	0.0141( $10^{-6}$ )	1360.0
40	0.0121( $10^{-6}$ )	1474.4
50	0.0170( $10^{-6}$ )	1509.6
60	0.0187( $10^{-6}$ )	1564.0

Table 12–1

A.S. Seireg and S. Dandage, “Empirical Design Procedure for the Thermodynamic Behavior of Journal Bearings,” J. Lubrication Technology, vol. 104, April 1982, pp. 135-148.

# Viscosity-Temperature Chart in Metric Units

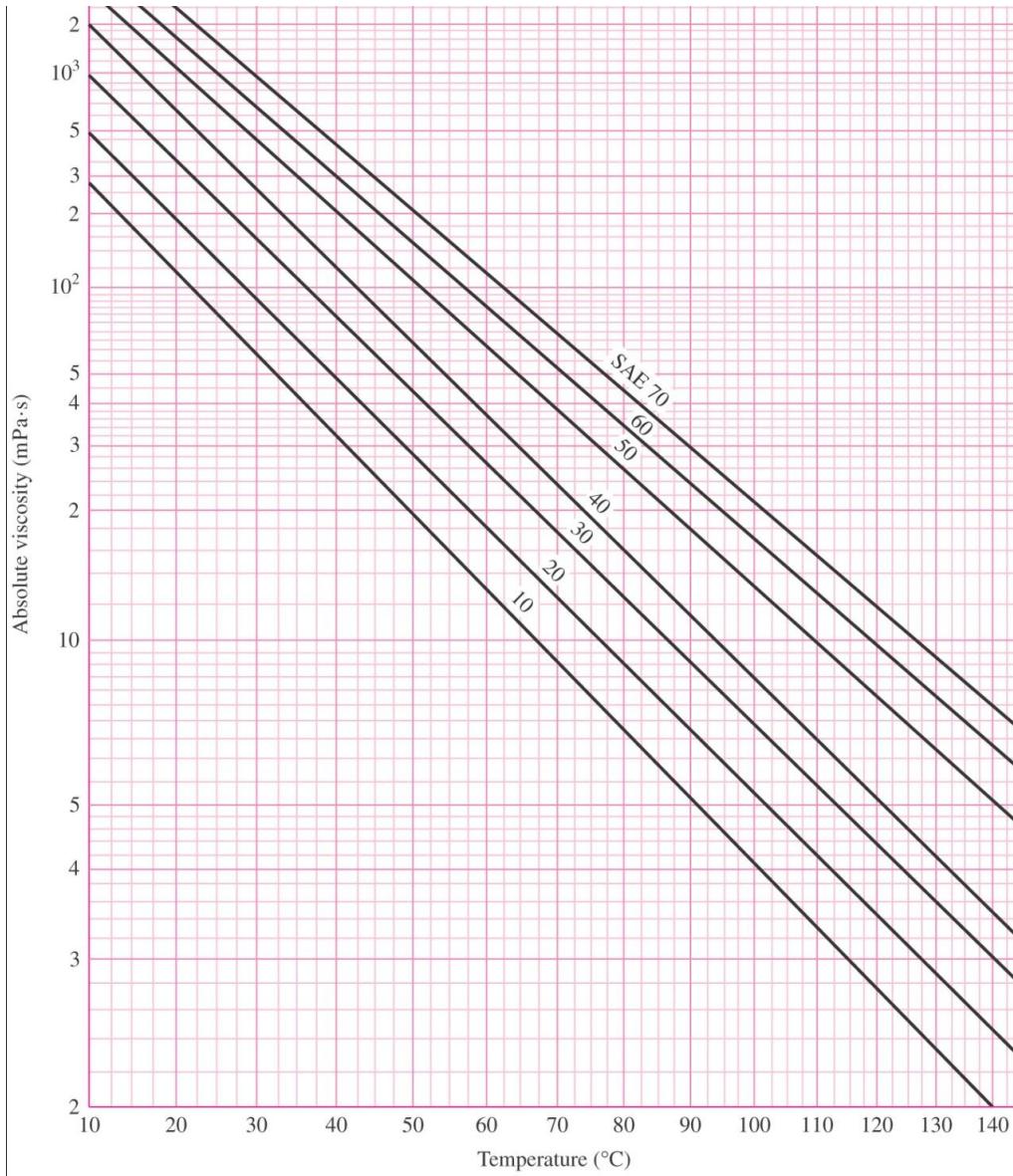


Fig. 12–13

# Viscosity-Temperature Chart for Multi-viscosity Lubricants

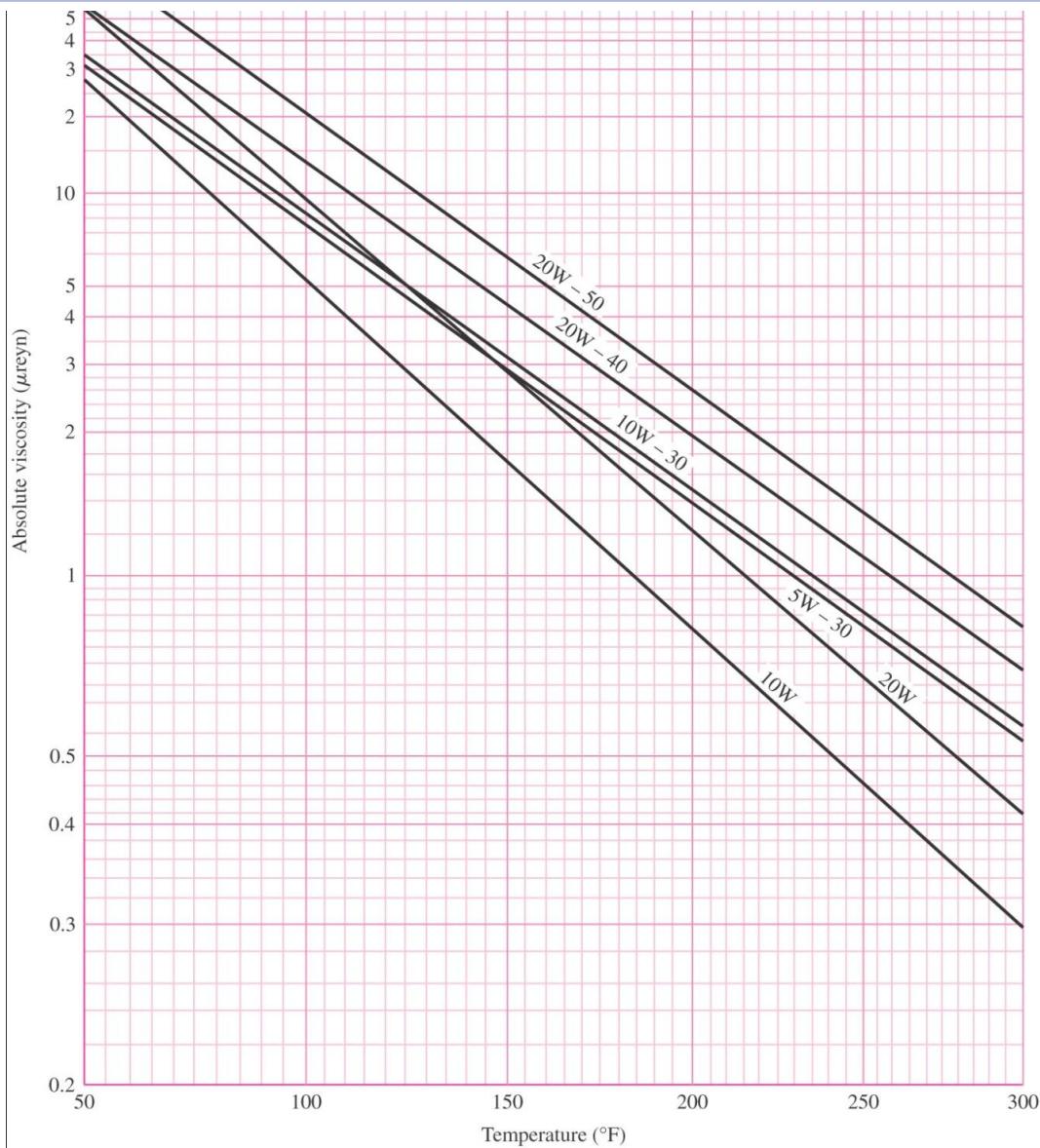
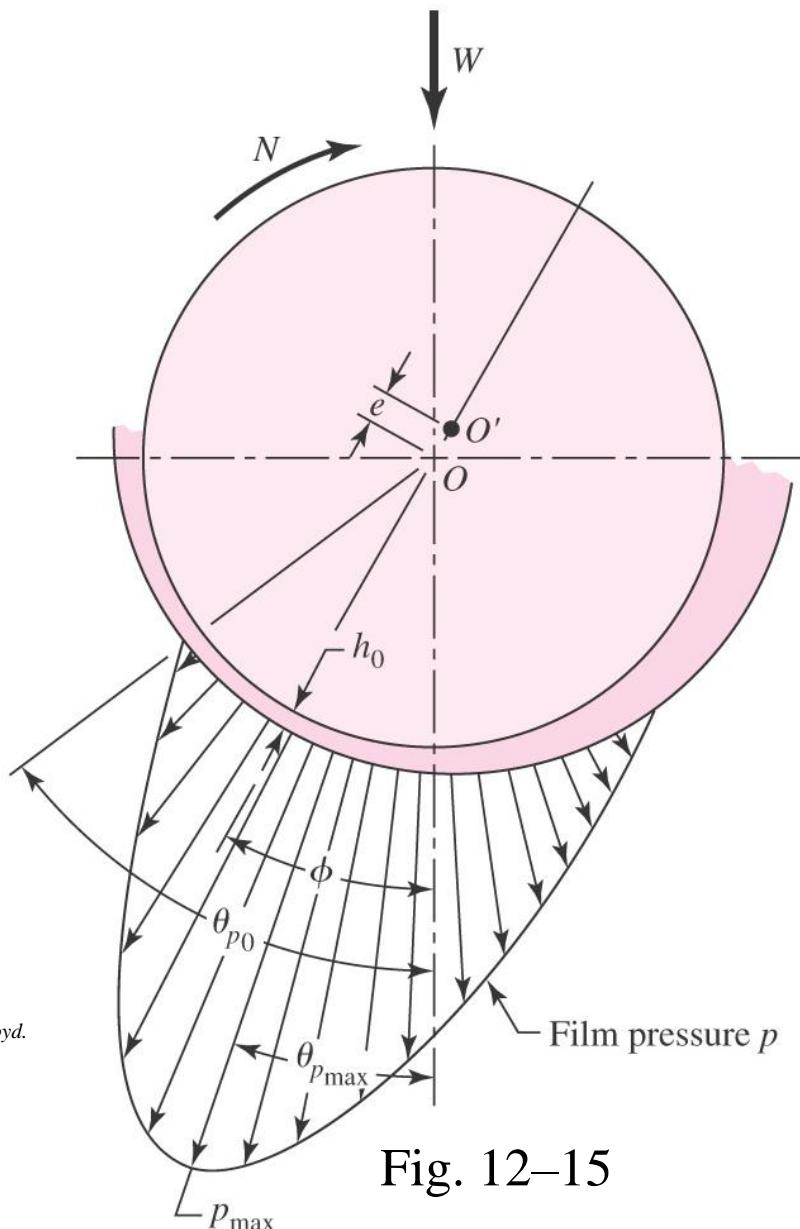


Fig. 12-14

# Notation of Raimondi and Boyd

- Polar diagram of the film pressure distribution showing notation used by Raimondi and Boyd



# Minimum Film Thickness and Eccentricity Ratio

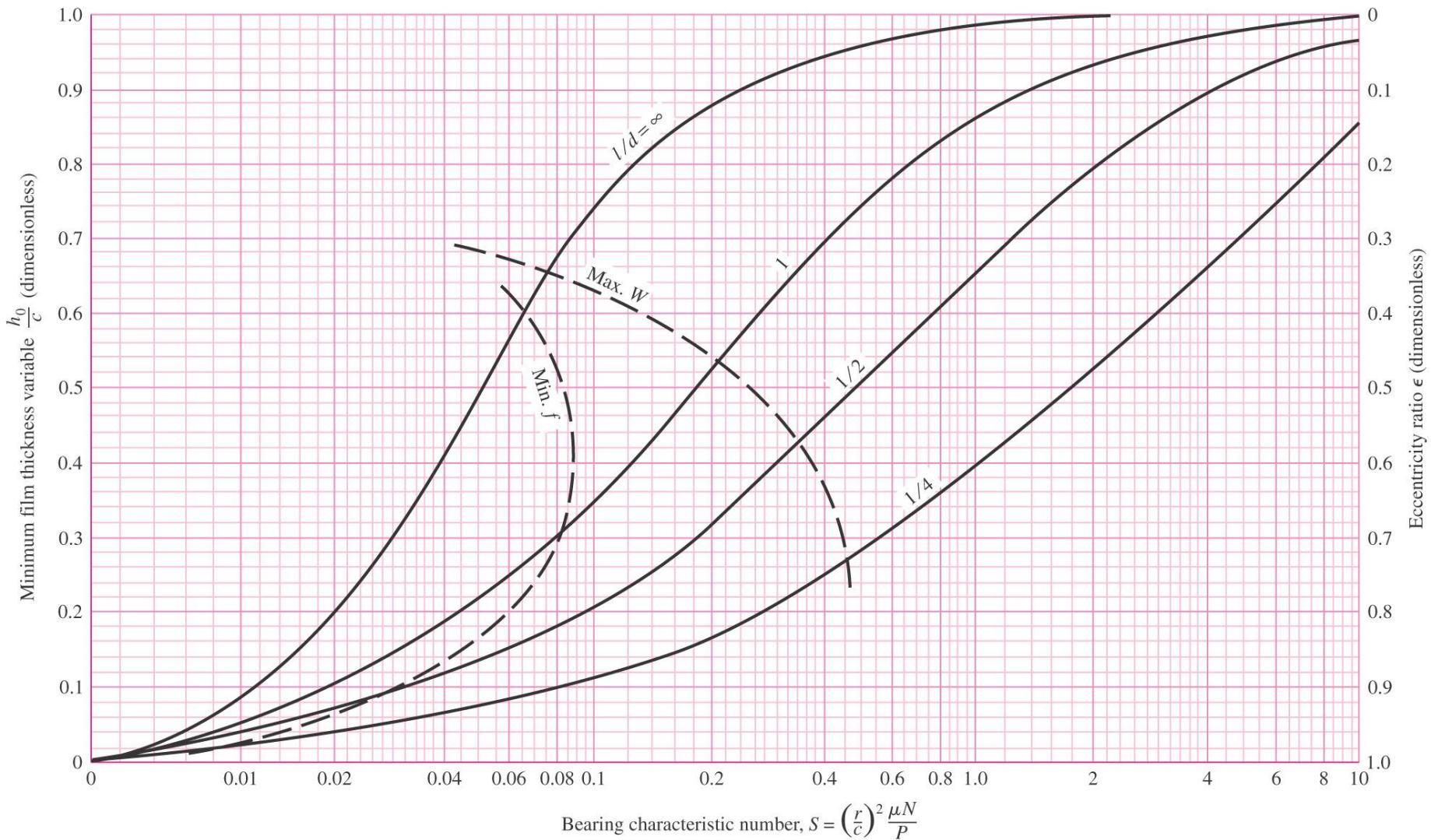
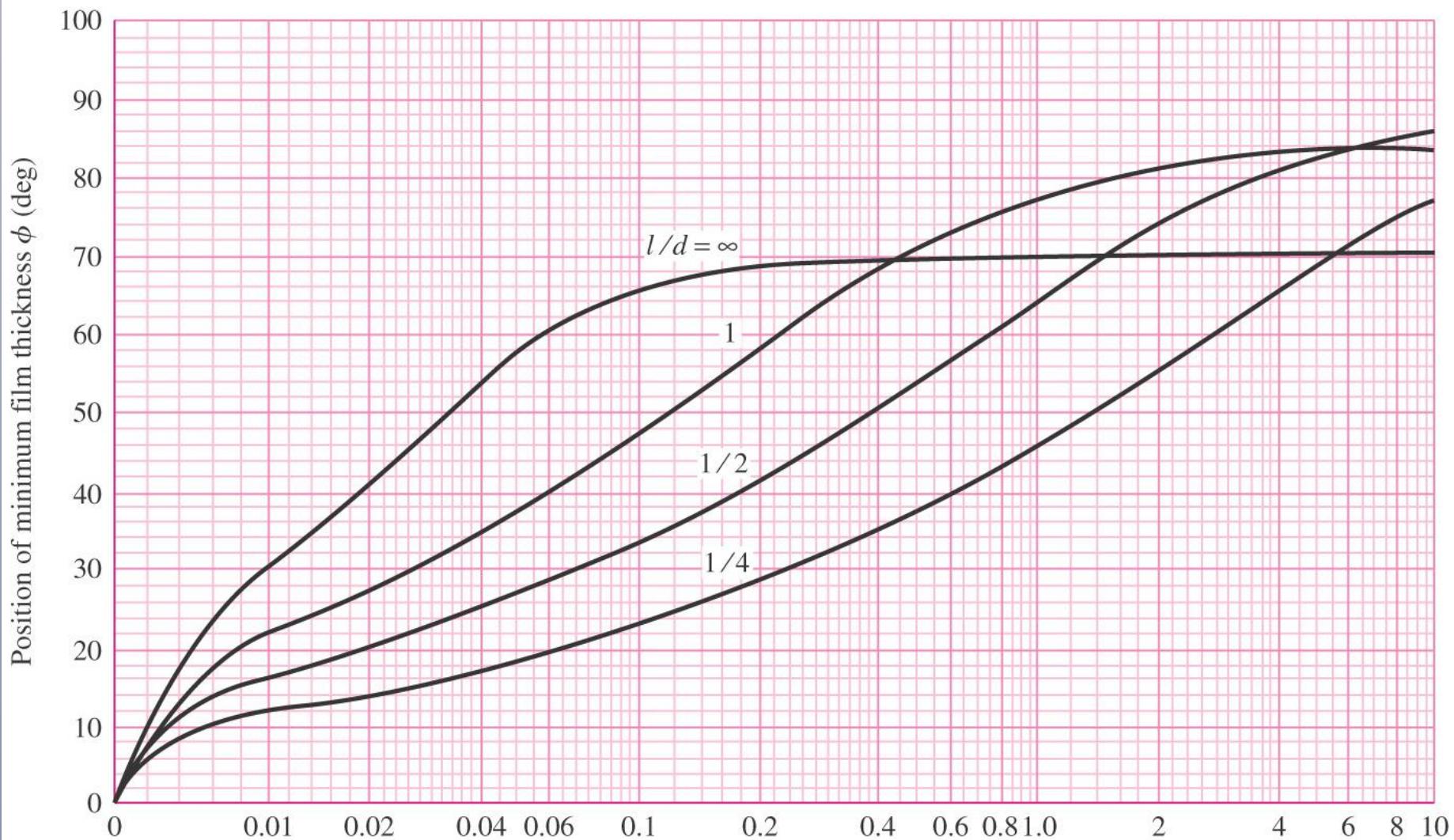


Fig. 12–16

# Position of Minimum Film Thickness



Raimondi and Boyd.

$$\text{Bearing characteristic number, } S = \left(\frac{r}{c}\right)^2 \frac{\mu N}{P}$$

Fig. 12–17

# Coefficient of Friction Variable

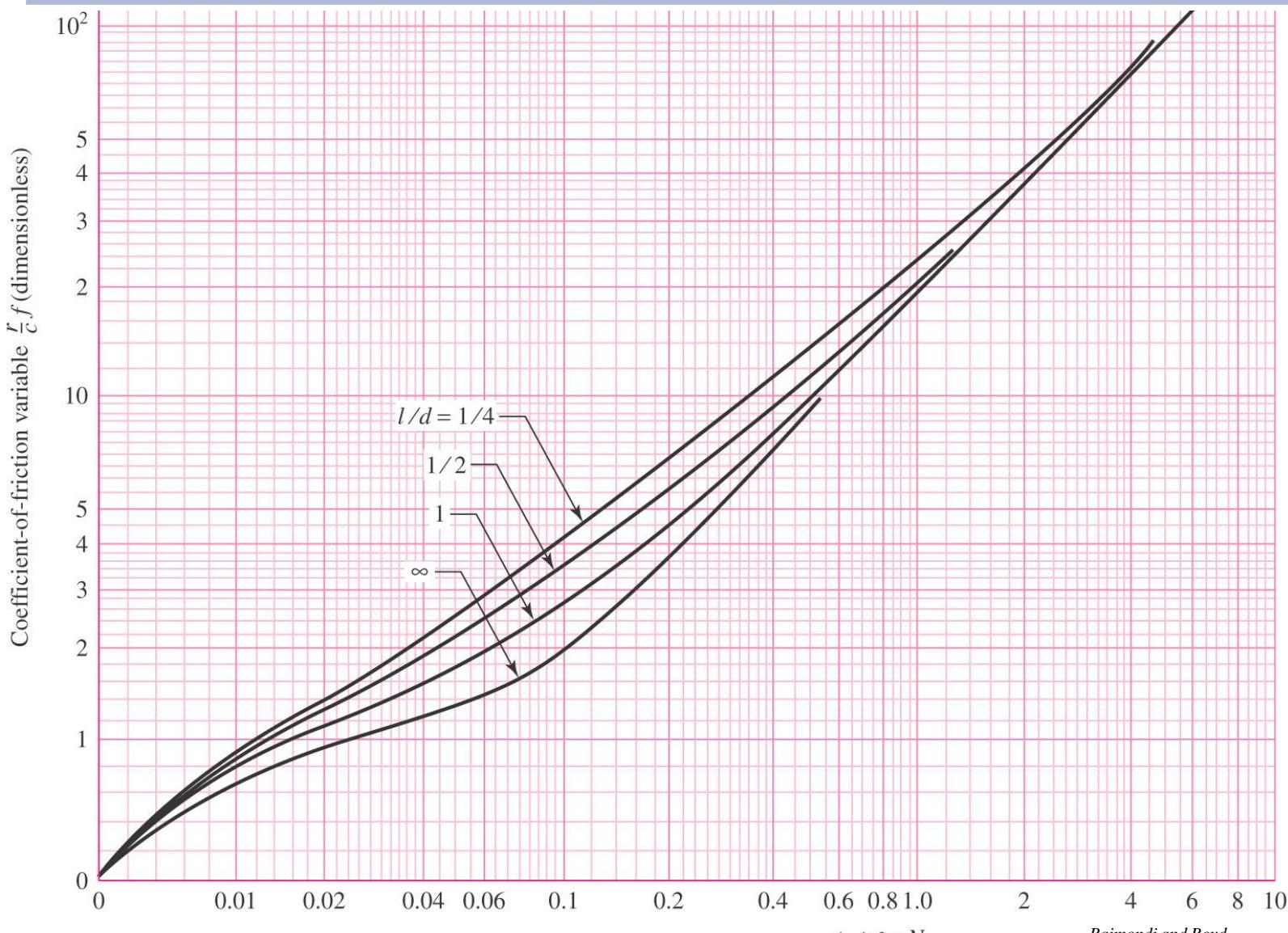
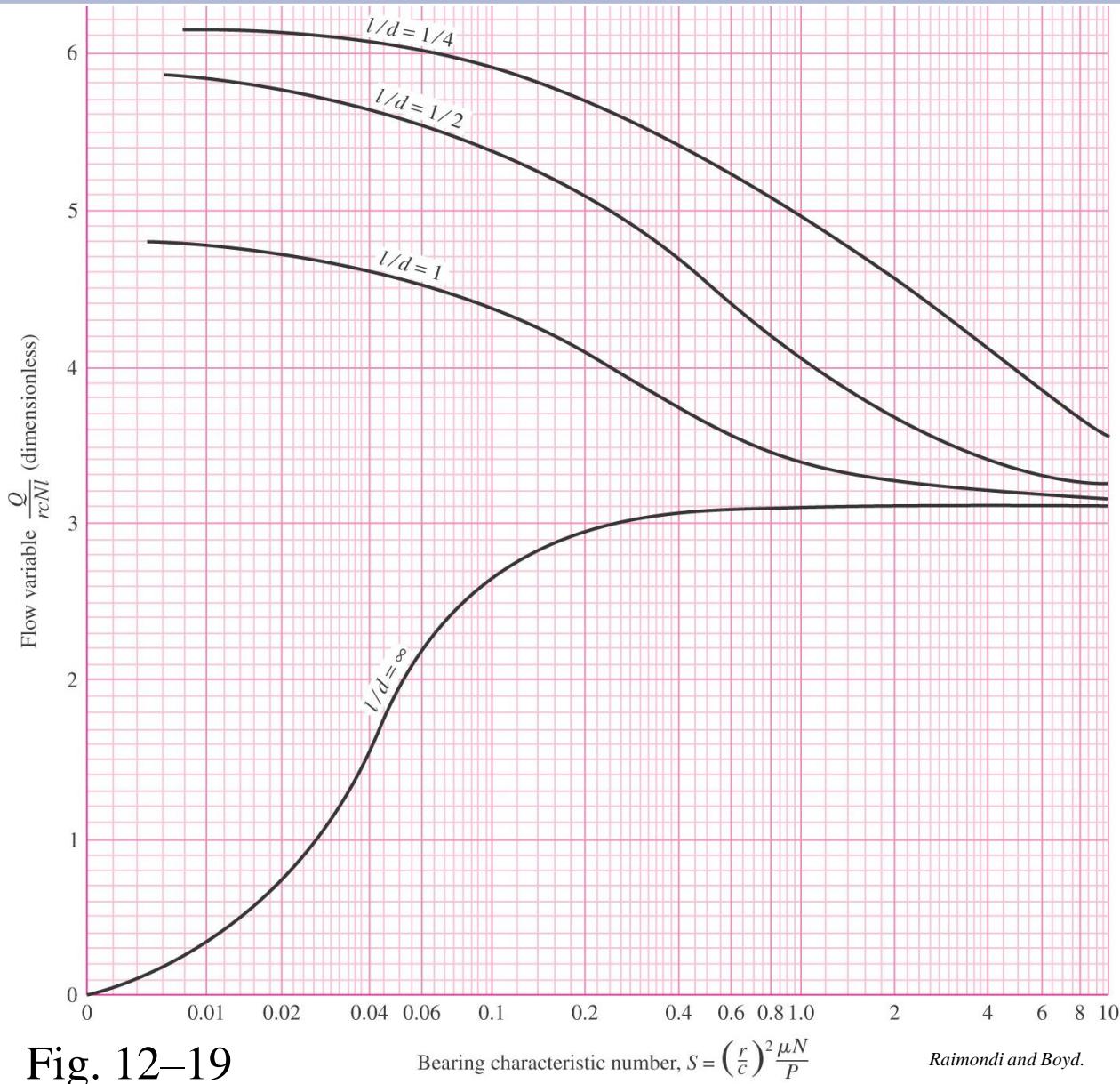


Fig. 12–18

$$\text{Bearing characteristic number, } S = \left(\frac{r}{c}\right)^2 \frac{\mu N}{P}$$

# Flow Variable



# Flow Ratio of Side Flow to Total Flow

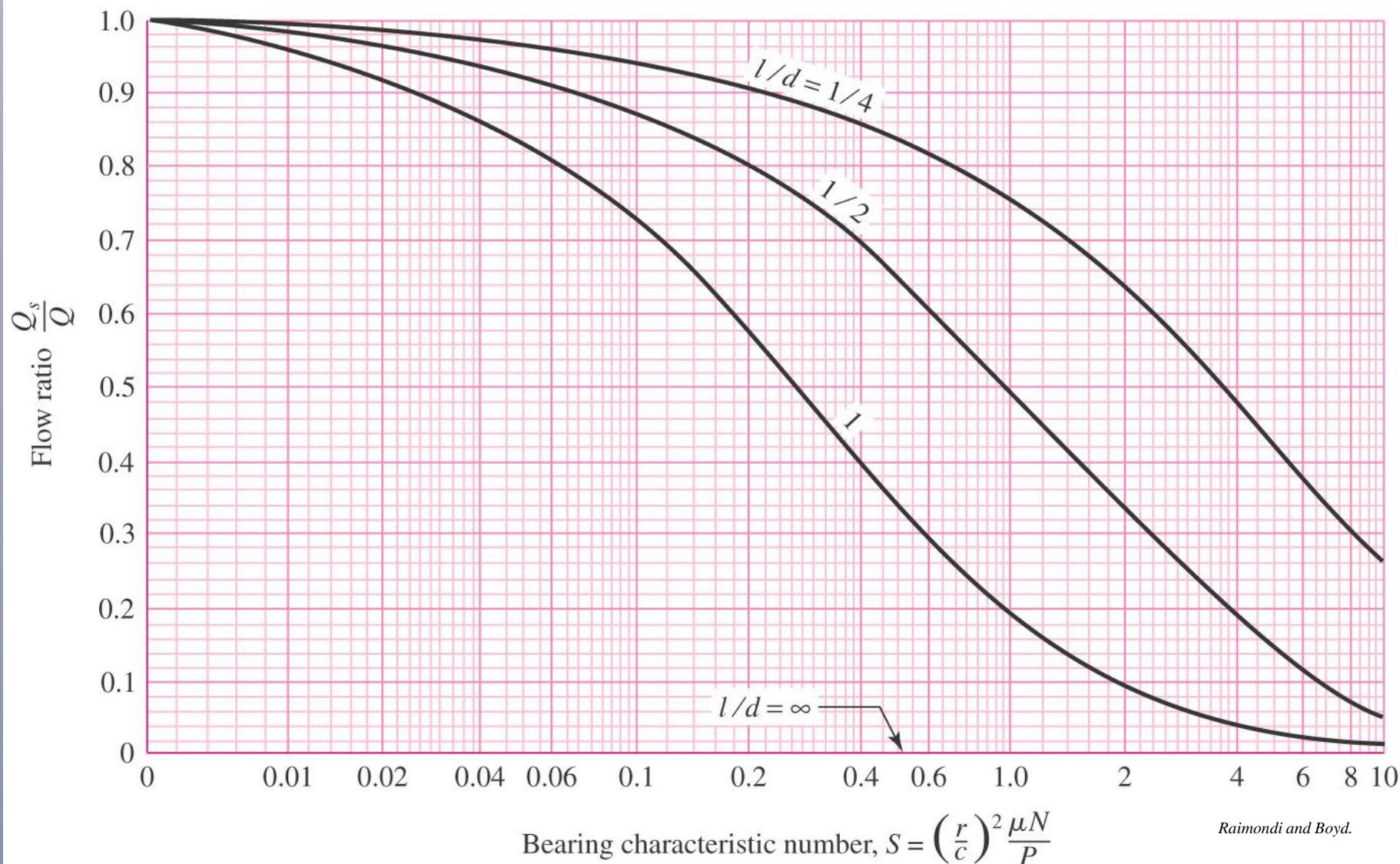


Fig. 12-20

# Maximum Film Pressure

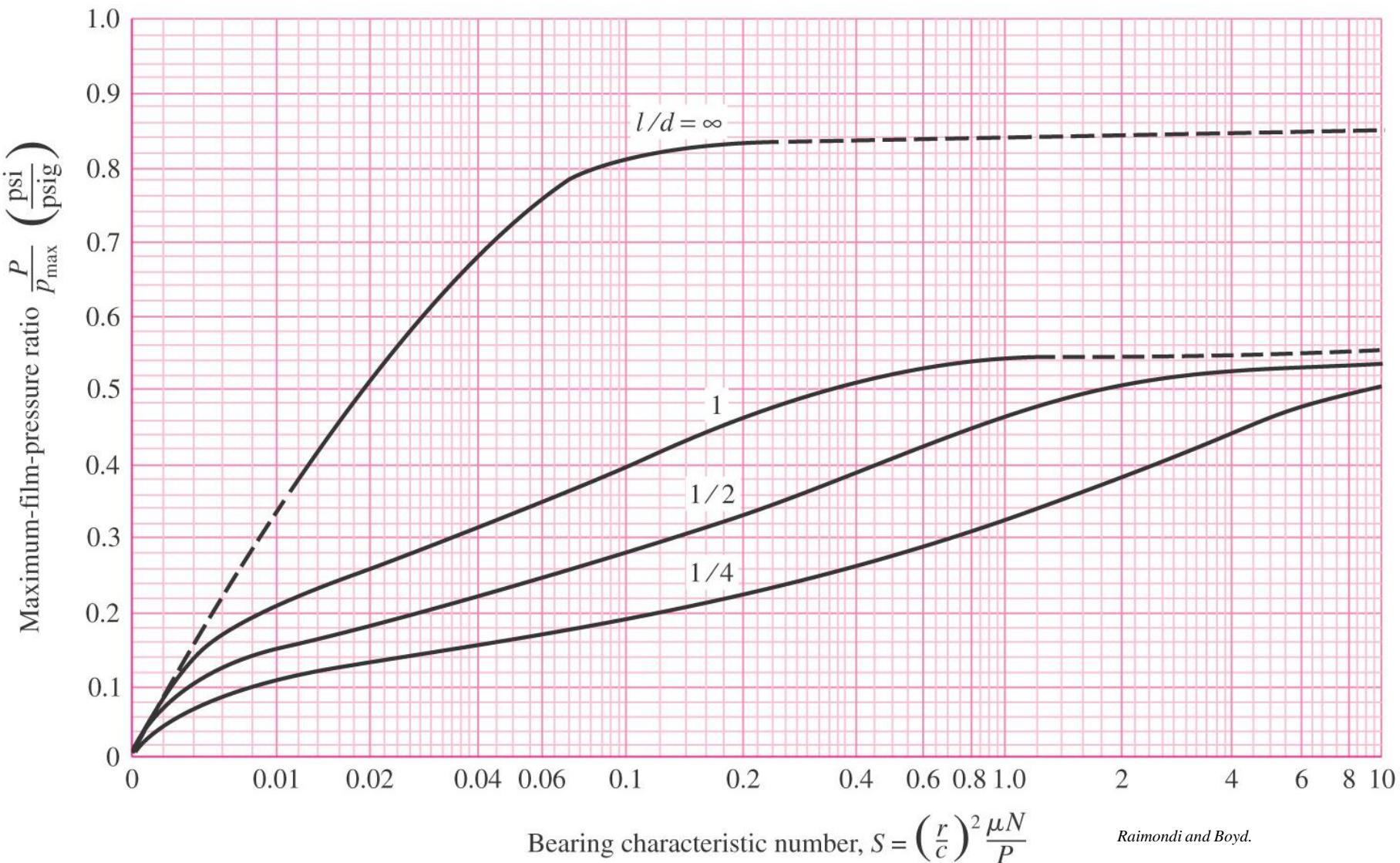


Fig. 12-21

# Terminating Position of Film

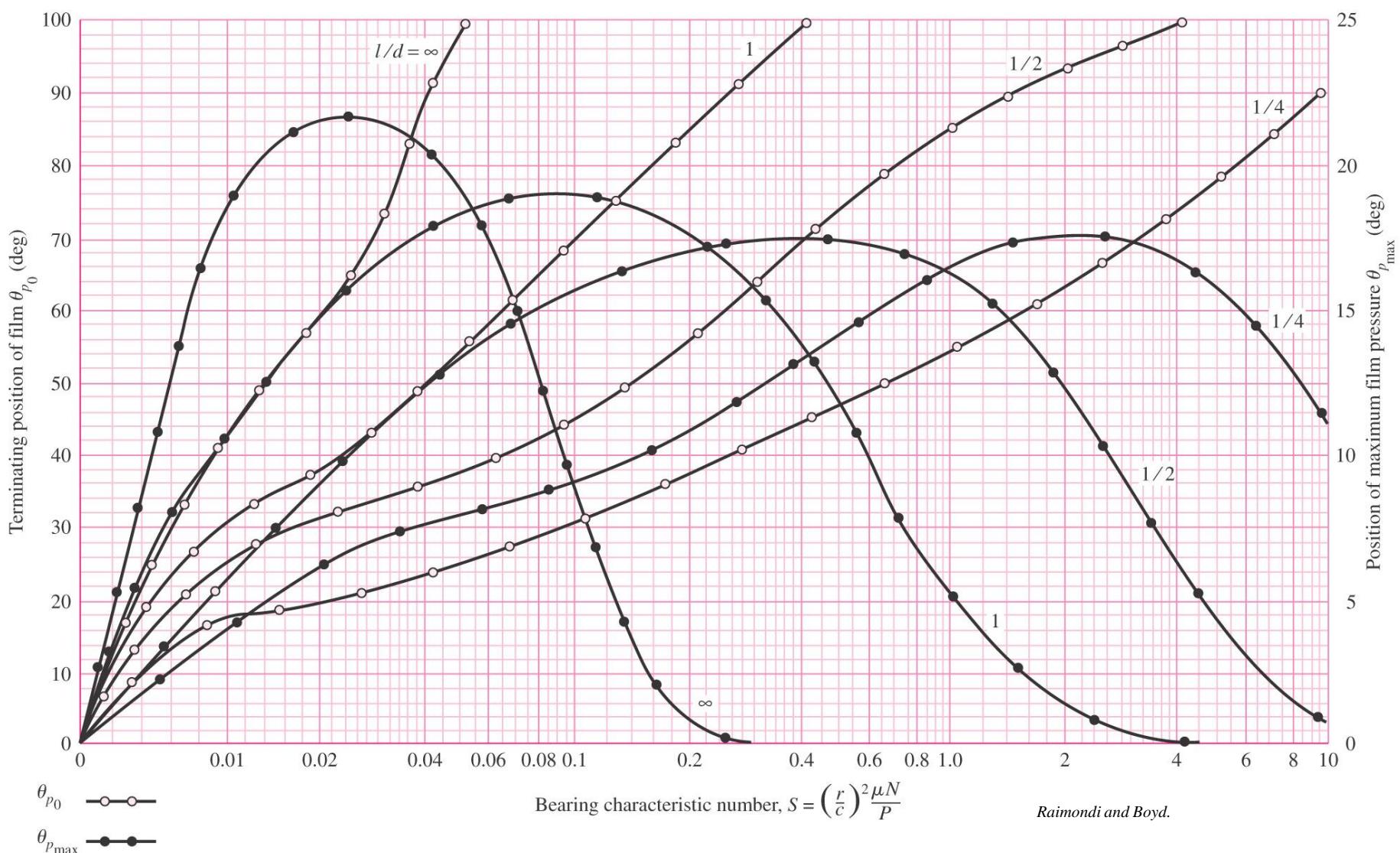


Fig. 12-22

## Example 1 (12.1)

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A full journal bearing has a journal diameter of 25 mm, with a unilateral tolerance of 0.03 mm.

The bushing bore has a diameter of 25.03 mm and a unilateral tolerance of 0.04 mm. The  $l/d$  ratio is 1/2. The load is 1.2 kN and the journal runs at 1100 rev/min. If the average viscosity is 55 mPa.s, find:

- a. the minimum film thickness,
- b. the power loss, and
- c. the total flow and the side flow for the minimum clearance assembly
- d. Maximum film pressure
- e. Terminating position of minimum film

## Example 2(12.8)

---

A journal bearing has a shaft diameter of 75.00 mm with a unilateral tolerance of 0.02 mm.

The bushing bore has a diameter of 75.10 mm with a unilateral tolerance of 0.06 mm. The bushing is 36 mm long and supports a load of 2 kN. The journal speed is 720 rev/min.

For the minimum clearance assembly find:

- a. the minimum film thickness,
- b. the heat loss rate, and
- c. The maximum lubricant pressure

Perform the analyses for SAE 20 and SAE 40 lubricants operating at an average film temperature of 60°C.

# Sample Problem

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A full journal bearing is 28 mm long. The shaft journal has a diameter of 56 mm with a unilateral tolerance of 0.012 mm. The bushing bore has a diameter of 56.05 mm with a unilateral tolerance of 0.012 mm. The load is 2.4 kN and the journal speed is 900 rev/min.

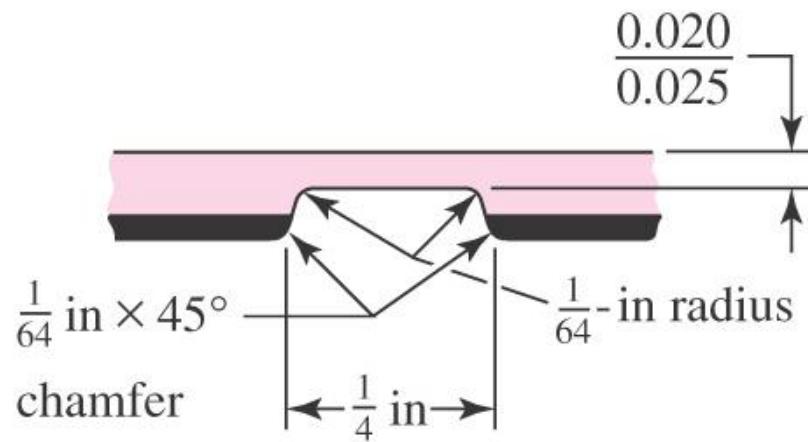
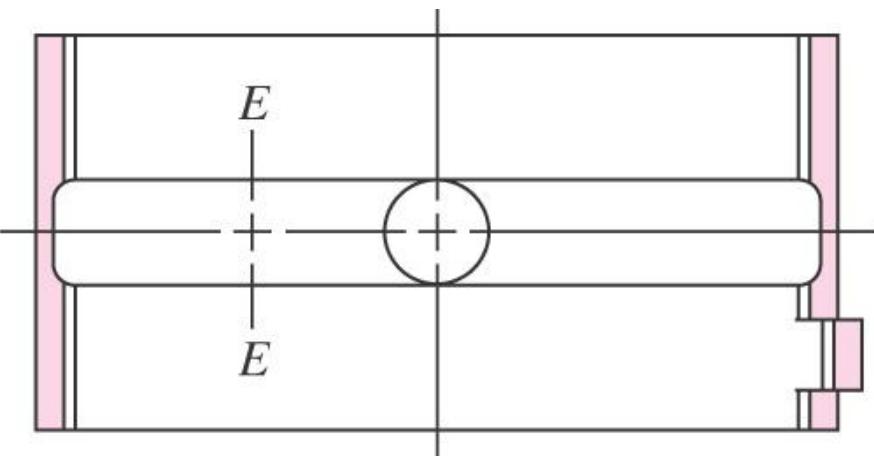
The operating temperature is 65°C and SAE 40 lubricating oil is used.

For the minimum clearance assembly find:

- a. the minimum oil-film thickness,
- b. the power loss due to friction
- c. Total oil flow rate and the side flow rate
- d. Maximum pressure within the fluid
- e. Terminal location of the minimum film thickness

# Pressure-Fed Bearings

- Temperature rise can be reduced with increased lubricant flow
- *Pressure-fed bearings* increase the lubricant flow with an external pump
- Common practice is to use circumferential groove at center of bearing
- Effectively creates two half-bearings



Section E-E

Fig. 12-27

# Flow of Lubricant From Central Groove

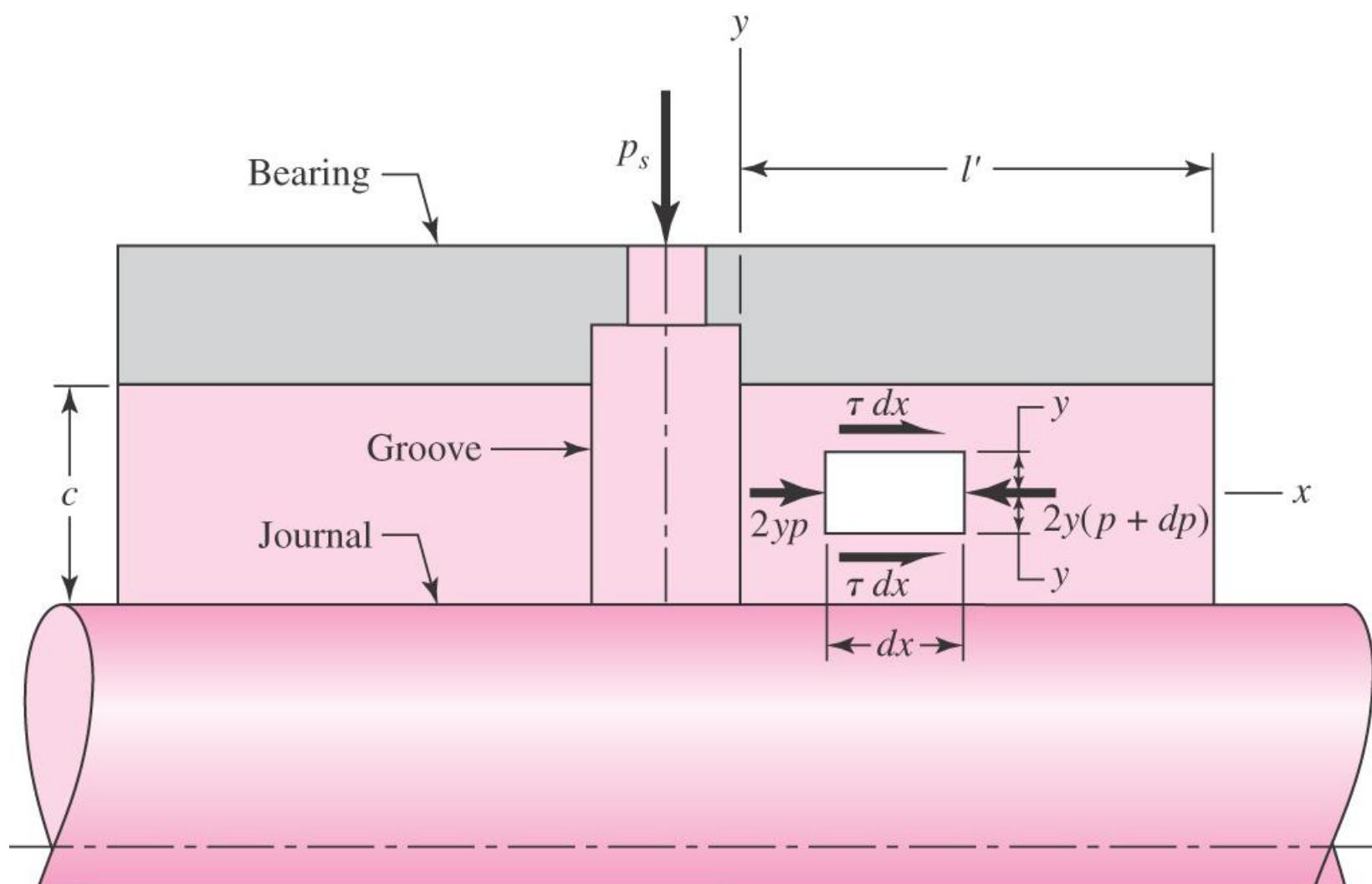


Fig. 12-28

Courtesy of the Cleveland Graphite Bronze Company,  
Division of Clevite Corporation.

## Typical Range of Unit Loads for Sleeve Bearings

Table 12–5

Application	Unit Load	
	psi	MPa
Diesel engines:		
Main bearings	900–1700	6–12
Crankpin	1150–2300	8–15
Wristpin	2000–2300	14–15
Electric motors	120–250	0.8–1.5
Steam turbines	120–250	0.8–1.5
Gear reducers	120–250	0.8–1.5
Automotive engines:		
Main bearings	600–750	4–5
Crankpin	1700–2300	10–15
Air compressors:		
Main bearings	140–280	1–2
Crankpin	280–500	2–4
Centrifugal pumps	100–180	0.6–1.2

## Some Characteristics of Bearing Alloys

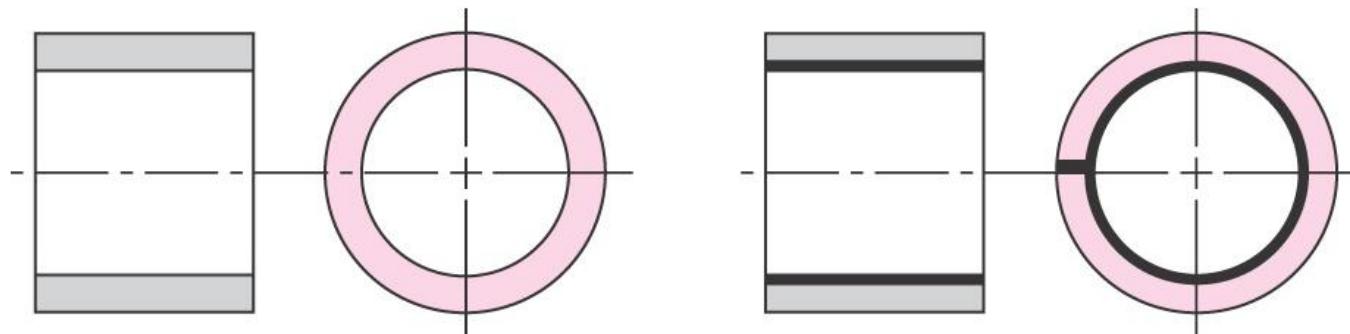
Alloy Name	Thickness, in	SAE Number	Clearance Ratio r/c	Load Capacity	Corrosion Resistance
Tin-base babbitt	0.022	12	600–1000	1.0	Excellent
Lead-base babbitt	0.022	15	600–1000	1.2	Very good
Tin-base babbitt	0.004	12	600–1000	1.5	Excellent
Lead-base babbitt	0.004	15	600–1000	1.5	Very good
Leaded bronze	Solid	792	500–1000	3.3	Very good
Copper-lead	0.022	480	500–1000	1.9	Good
Aluminum alloy	Solid		400–500	3.0	Excellent
Silver plus overlay	0.013	17P	600–1000	4.1	Excellent
Cadmium (1.5% Ni)	0.022	18	400–500	1.3	Good
Trimetal 88*				4.1	Excellent
Trimetal 77†				4.1	Very good

\*This is a 0.008-in layer of copper-lead on a steel back plus 0.001 in of tin-base babbitt.

†This is a 0.013-in layer of copper-lead on a steel back plus 0.001 in of lead-base babbitt.

Table 12–6

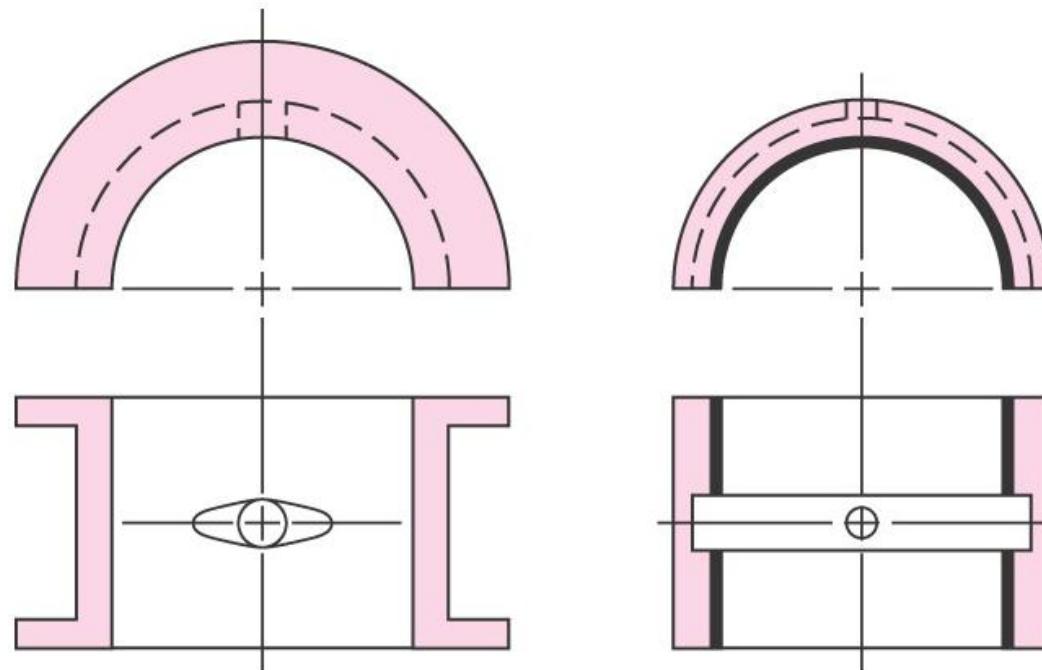
# Bearing Types



(a) Solid bushing

Fig. 12-32

(b) Lined bushing



(a) Flanged

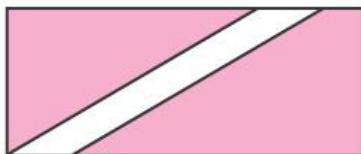
Fig. 12-33

(b) Straight

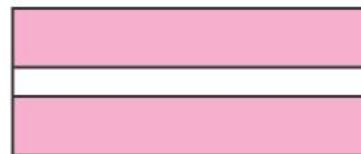
# Typical Groove Patterns



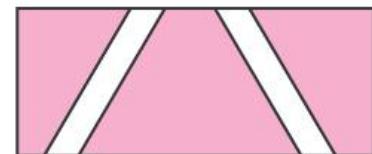
(a)



(b)



(c)



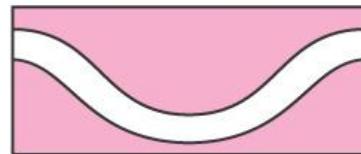
(d)



(e)



(f)



(g)

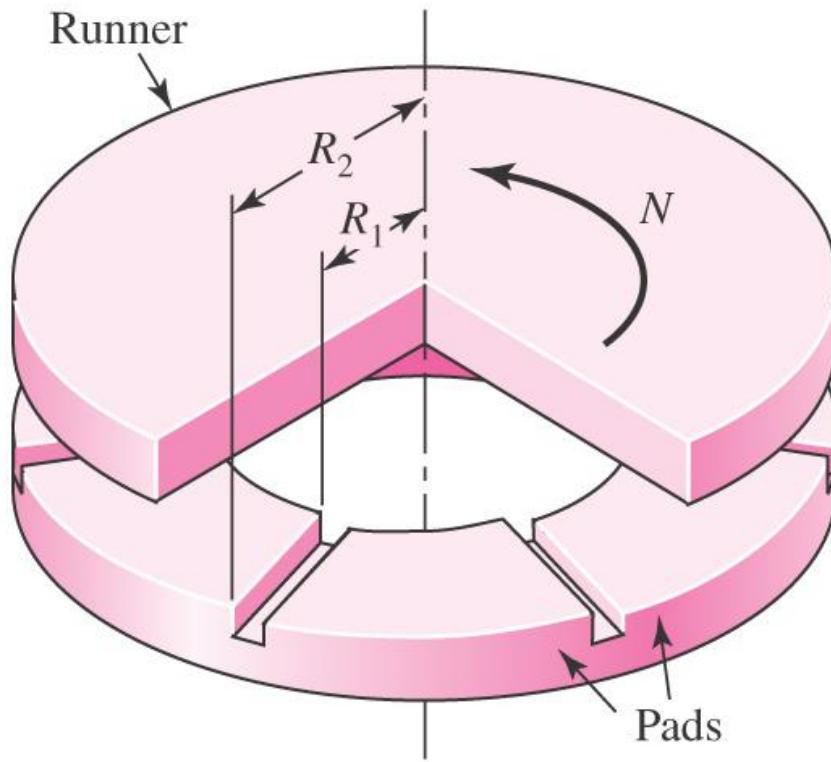


(h)

Fig. 12-34

*Courtesy of the Cleveland Graphite Bronze Company,  
Division of Clevite Corporation.*

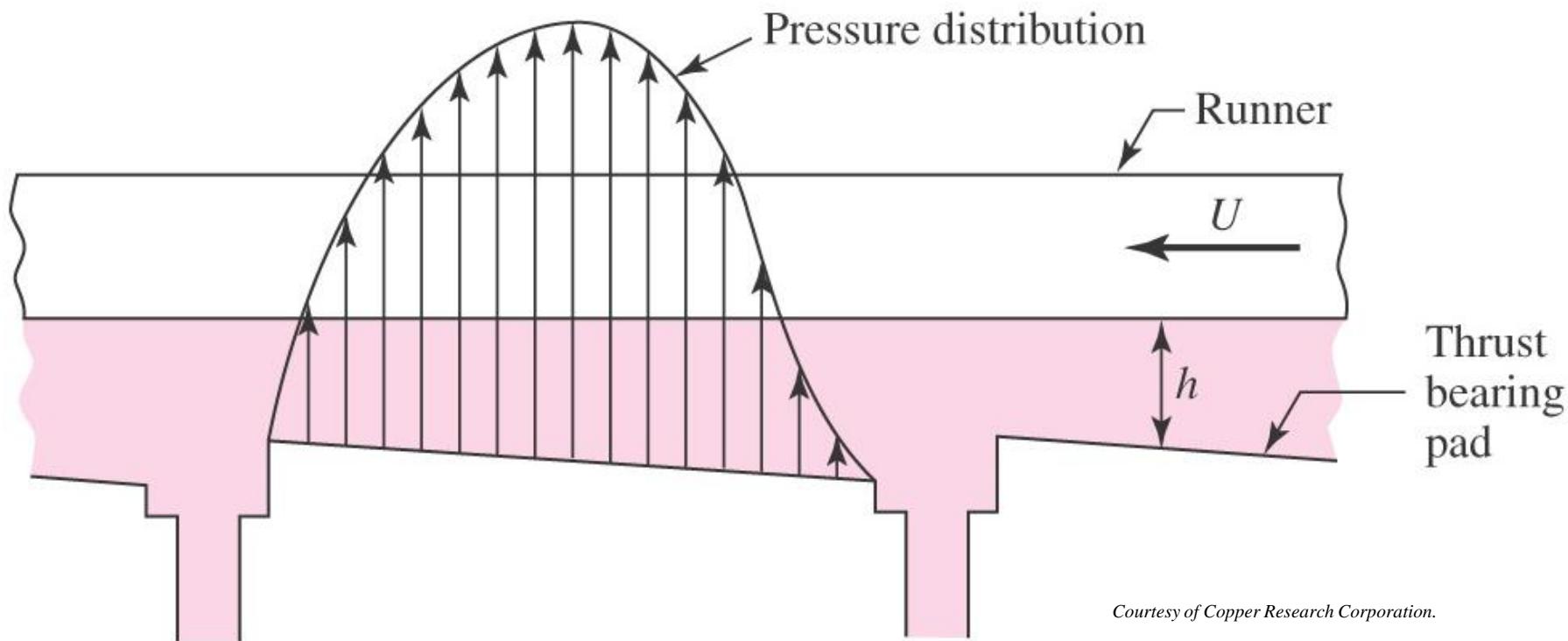
# Thrust Bearings



Courtesy of Westinghouse Electric Corporation.

Fig. 12-35

# Pressure Distribution in a Thrust Bearing



Courtesy of Copper Research Corporation.

Fig. 12-36

# Flanged Sleeve Bearing

- Flanged sleeve bearing can take both radial and thrust loads
- Not hydrodynamically lubricated since clearance space is not wedge-shaped

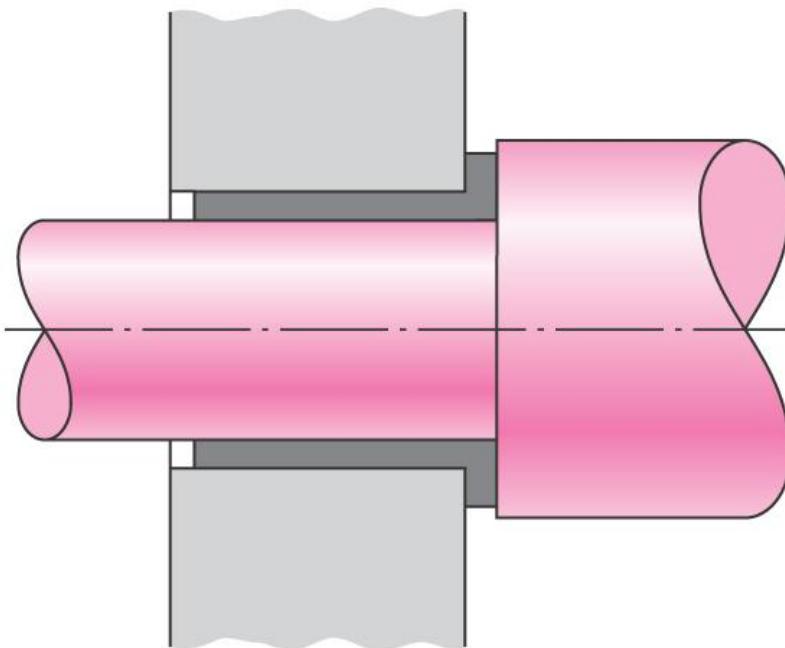


Fig. 12-37

## Boundary-Lubricated Bearings

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- Relative motion between two surfaces with only a partial lubricant film (not hydrodynamic) is called *boundary lubrication* or *thin-film lubrication*.
- Even hydrodynamic lubrication will have times when it is in thin-film mode, such as at startup.
- Some bearings are boundary lubricated (or dry) at all times.
- Such bearings are much more limited by load, temperature, and speed.

# Limits on Some Materials for Boundary-Lubricated Bearings

Material	Maximum Load, psi	Maximum Temperature, °F	Maximum Speed, fpm	Maximum PV Value*
Cast bronze	4 500	325	1 500	50 000
Porous bronze	4 500	150	1 500	50 000
Porous iron	8 000	150	800	50 000
Phenolics	6 000	200	2 500	15 000
Nylon	1 000	200	1 000	3 000
Teflon	500	500	100	1 000
Reinforced Teflon	2 500	500	1 000	10 000
Teflon fabric	60 000	500	50	25 000
Delrin	1 000	180	1 000	3 000
Carbon-graphite	600	750	2 500	15 000
Rubber	50	150	4 000	
Wood	2 000	150	2 000	15 000

\* $P$  = load, psi;  $V$  = speed, fpm.

Table 12–7