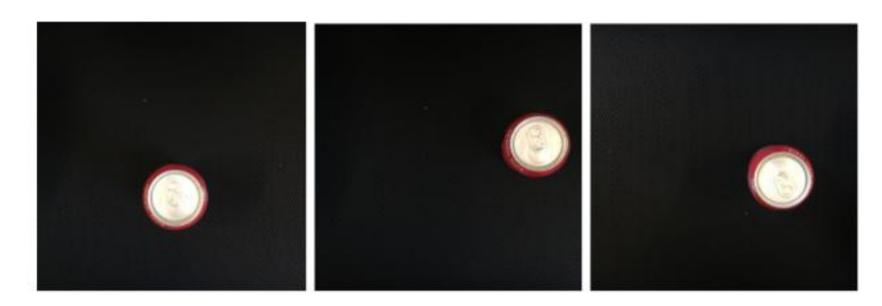
You are building a 3-class object classification and localization algorithm. The classes are: pedestrian (c=1), car (c=2), motorcycle (c=3). What should y be for the image below? Remember that "?" means "don't care", which means that the neural network loss function won't care what the neural network gives for that component of the output. Recall $y=[p_c,b_x,b_y,b_h,b_w,c_1,c_2,c_3]$.



- y = [?, ?, ?, ?, ?, ?, ?, ?]
- y = [0, ?, ?, ?, ?, ?, ?, ?]
- y = [1, ?, ?, ?, ?, 0, 0, 0]
- y = [1,?,?,?,?,?,?,?]

You are working on a factory automation task. Your system will see a can of soft-drink coming down a conveyor belt, and you want it to take a picture and decide whether (i) there is a soft-drink can in the image, and if so (ii) its bounding box. Since the soft-drink can is round, the bounding box is always square, and the soft drink can always appear the same size in the image. There is at most one soft drink can in each image. Here are some typical images in your training set:



What are the most appropriate (lowest number of) output units for your neural network?

- O Logistic unit, b_x , b_y , b_h (since $b_w = b_h$)
- Logistic unit (for classifying if there is a soft-drink can in the image)
- Logistic unit, b_x, b_y, b_h, b_w
- Logistic unit, b_x and b_y

- $\hat{y}^{(i)}$ has shape (2N, 1)
- $\hat{y}^{(i)}$ has shape (1, 2N)
- $\hat{y}^{(i)}$ stores the probability that a landmark is in a given position over the face.
- $\hat{y}^{(i)}$ has shape (N, 1)

Expand

(Correct

Correct. Since we have two coordinates (x,y) for each landmark we have N of them.

4. When training one of the object detection systems described in the lectures, you need a training set that contains many pictures of the object(s) you wish to detect. However, bounding boxes do not need to be provided in the training set, since the algorithm can learn to detect the objects by itself.

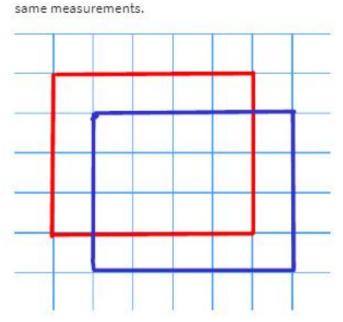
False

○ True

∠ ⁷ Expand

(Correct

Correct, you need bounding boxes in the training set. Your loss function should try to match the predictions for the bounding boxes to the true bounding boxes from the training set.



- $\bigcirc \frac{2}{5}$
- $\odot \frac{3}{7}$
- $\bigcirc \frac{1}{2}$
- 0 4



(Correct

Correct. IoU is calculated as the quotient of the area of the intersection (16) over the area of the union (28).

0/1 point

6. Suppose you run non-max suppression on the predicted boxes nelow. The parameters you use for non-max suppression are that boxes with probability ≤ 0.7 are discarded, and the IoU threshold for deciding if two boxes overlap is 0.5.



After non-max suppression, only three boxes remain. True/False?

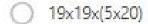
- False
- () True



(X) Incorrect

After eliminating the boxes with a score less than 0.7 only three boxes remain, and they don't intersect. Thus three boxes are left.

7. Suppose you are using YOLO on a 19x19 grid, on a detection problem with 20 classes, and with 5 anchor boxes. During training, for each image you will need to construct an output volume y as the target value for the neural network; this corresponds to the last layer of the neural network. (y may include some "?", or "don't cares"). What is the dimension of this output volume?



- 19x19x(25x20)
- (ii) 19x19x(5x25)
- 19x19x(20x25)



(V) Correct

Correct, you get a 19x19 grid where each cell encodes information about 5 boxes and each box is defined by a confidence probability (p_c) , 4 coordinates (b_x, b_y, b_h, b_w) and classes $(c_1, ..., c_{20})$.

1/1 point

(padding = 1, stride = 2)

Input: 2x2

1	2	
3	4	

Filter: 3x3

1	0	-1	
.1	0	-1	
1	0	-1	

Result: 6x8

0	1	0	-2	
0	х	0	Y	
0	1	0	Z	
0	1	0	-4	

X = 2, Y = -6, Z = -4

X = 2, Y = 6, Z = 4

X = -2, Y = -6, Z = -4

X = 2, Y = -6, Z = 4

- (iii) h x w x n where n = number of input channels
- h x w x n where n = number of of output channels
- h x w x n, where n = number of filters used in the algorithm
- h x w x n, where n = number of output classes

Z Expand

(X) Incorrect

To revise, watch the lecture .