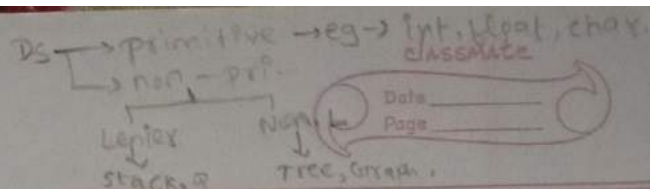


Array  $\rightarrow A[10] = \{1, 2, 3\}$



## 01: ELEMENTARY DATA ORGANISATION.

- \* Data :- Datas are simply / set of values.
- \* Data item :- Single unit of data is data item.
- \* Grp item :- Data items are divided into sub grps.
- \* Entity :- It is something that has certain attributes which may be assigned values.

→ Entity set :-

An Entity with similar attribute

→ Entity set.

- \* Information :- It is meaningful / processed data.
- \* Field :- Single elementary unit of information representing an attribute of an entity.
- \* Records :- They are collection of field values of an given entity.
- \* File :- They are collection of records of the ~~entries~~ entities of a given set.

→ Definition of Data structure :-

- \* It is the specialised format of organising, retrieving and storing data.
- \* eg → Arrays, Stack, Queue, Tree, Graph.

\* Algorithms are used to manipulate the data containing in these D.S.

→ D.S operations :-

- 1) Traversal → Defined as the process of visiting every element of a D.S at least once.



\* This operation is most commonly used for searching, printing, displaying / ~~accessing~~ reading the elements stored in D.S.  
\* It is usually done by using a variable as pointer that indicates the exact element of D.S. being processed.

2) Insertion :-  
\* Once a D.S. is created it can be extended by adding new element, this process - Ins:

3) Deletion :-  
\* ~~Deleting~~ once a data str is created a ~~deleting~~ user can remove any of the existing elements and free up the space occupied by it. This process -> D.E.  
~~Deletion~~ always ends up in reducing the size of D.S.

4) Search :-  
The process of locating an element in D.S. and returning its index / address -> searching.

5) Sorting :-  
The process of arranging the data elements in a D.S. in a specific order. [ascending / descending] by specific key values -> sorting.

6) Merging :- process of combining

elements of 2 D.S.  
-> Data type vs D.S. :-

Data type  
\* It is the kind / form of a variable which is being used throughout the program.

Data structure  
\* It is the collection of different kinds of data.

\* Implementation through datatype is a form of abstract implementation

\* Implementation through D.S. is -> concrete implementation.

\* It can hold values for not data, so it is data less.

\* It can hold different type of data.

\* values can directly be assigned ~~through~~ to datatype variables.

\* The ~~type~~ data is assigned to D.S. using some set of algorithms.

\* No prob of time complexity.

\* Time complexity comes into play when working with D.S.

-> Types of D.S. :-

primarily ~~are~~ are the D.S. are primarily divided into 2 classes -> primitive and non-primitive D.S.



\* primitive D's include all the fundamental D's that can be directly manipulated by machine level instructions.  
eg → int, char, float, boolean

\* Non-primitive D's refer to all those D's that are derived from 1 or more D's.  
- Non-primitive D's are further classified into 2 types -

- 1) linear (a) non-linear  
eg → stack, queue, array, linked list
- (b) non-linear  
eg → tree, graph

\* In linear D's all the data elements are arranged in a linear / sequential manner.

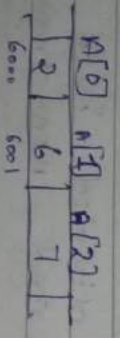
\* In non-linear D's there is no definite order / sequence in which data elements are arranged.

Non-linear D's could arrange data elements in a hierarchical manner.

⇒ Array :-

\* An array is a collection of similar type data elements stored at a consecutive location in the memory.

eg → list of integers, grp of names, grp of array elements with common name



→ logical representation of array.

→ Application of array :-

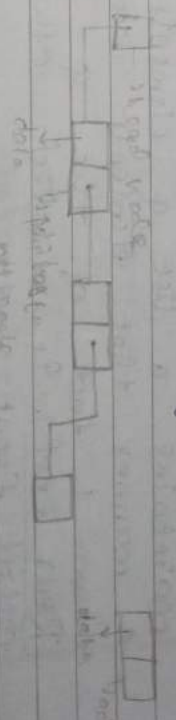
\* Arrays are particularly used in programs that require storing large collection of similar type data elements.

⇒ Linked list :-

\* It is a data str used for D's ~~for the form~~ of used for storing data in form of list. It comprises of multiple nodes connected to each other through pointers.

\* Each node comprises of part, 1 part contains the data value while the other part contains a pointer to the next node in the list.

\* Linked list eliminates 1 of the main disadvantages associated with arrays (i.e) inefficient utilization of the memory space



→ Application of List :-

\* used in the situation where there is a need of dynamic memory allocation.

⇒ Stack :- It is a linear data str;

[LIFO] that maintains a list of elements in such a manner that elements can be



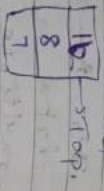
Ans/Dit -> TOP

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Page \_\_\_\_\_

Inserted / deleted only from end of the list.

\* This end is referred to as Top of the stack.

\* Stack is based on Last In First Out (LIFO) principle, which means the element that is added to the stack is the one that is 1<sup>st</sup> removed from the stack.



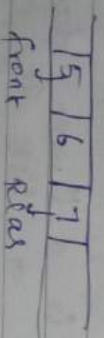
-> Application of stack :-

\* Typically used in the implementation of system processes, such as compilation & program control.

=> Queue :-

\* It is linear str. that maintains a list of elements in such a manner that elements are inserted from 1 end of the & called Rear end. & deleted other end called Front end.

\* & is based FIFO [First In First Out] principle. -> the element that is 1<sup>st</sup> added to the & is also the 1<sup>st</sup> that is removed from the &.

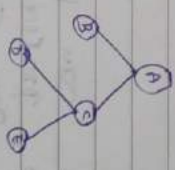


-> Application of Q :-

\* Q's are typically used in the implementation of system process such as CPU scheduling, Resource sharing etc.

=> Tree :-

It is a linked data str. that arrange its nodes in the form of hierarchical tree str.  
\* Each node comprises of 0 / 1 / more child node.  
\* The node present at the top of the tree is referred as root node.



-> Application of Trees :-

\* Tree data str. is typically used in for storing hierarchical data implementing search tree & maintaining sorted data.

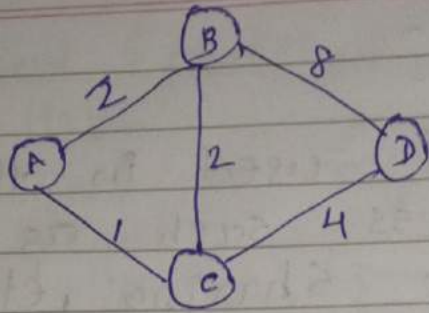
=> Graphs :-

It is a linked data str. that comprises of a grp of vertices -> nodes & grp of edges.

Page number 118

classmate  
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### → Application of Graph :-

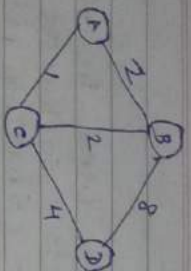
\* 1 of the typical application of graph is in the modelling of networking systems.

It helps to compute the cost of transmitting data from a particular network ~~and~~ path.

### ⇒ Algorithms :-

An algorithm can be defined as a step by step procedure that provides sol<sup>n</sup> to a given problem.

It comprises of a well defined set of finite no. of steps/rules that are executed sequentially to obtain the desired sol<sup>n</sup>.



→ Application of Graph :-

\* 1 of the typical application of graph systems, it helps to compute the cost of transmitting data from a particular network ~~and~~ path.

⇒ Algorithms :-

An algorithm can be designed as a step by step procedure that provides soln to a given problem. It comprises of a well defined set of finite no. of steps/ rules that are executed sequentially to obtain the desired soln.

\* Insertion Sort :-

- 1) Start
  - 2) Set  $i=1$
  - 3) Repeat steps 3-9 while  $i \leq \text{limit}-1$
  - 4) Set  $\text{val} = A[i]$
- $\text{val} = A[1] = 11$

$j = 1-0 = 0$   $A[j] = A[0] = 12$

- 5) Set  $j = j-1$
- 6) Repeat steps 6-7 while  $j > 0$  and  $A[j] > \text{val}$ .

- 7) Set  $A[j+1] = A[j]$
- 8)  $j = j-1$
- 9) Set  $A[j+1] = \text{val}$
- 10) Set  $i = i+1$
- 11) Stop.

①  
1st iteration

1st iteration  $\rightarrow$ 

12	12	13	5	6
----	----	----	---	---

 $\text{val} = 12$  ②

2nd iteration  $\Rightarrow$ 

11	12	13	5	6
----	----	----	---	---

 $\text{val} = 13$  ③

$j = 1$   
⑤ false  
 $A[j+1] = \text{val}$

5	11	12	13	13
5	11	12	12	13
5	6	11	12	13

1st iteration  $i = 1$   $\text{val} = 11$   $j = 0$   
 $A[0] = 12$   $11 > 12$  true:

inner loop.  
 $j = j+1$  will be replaced with 12.  
 $j = j-1$  become -1 break.

2nd iteration  $i = 2$   $\text{val} = 13$   $j = 1$   $A[j] = A[1] = 12$   
 $12 > 13$  false break.

3rd iteration  $i = i+1$   $i = 3$   $\text{val} = 5$   $j = 2$   
 $A[2] = 13$   
1st inner loop.  $A[2+1] = A[3]$   
 $S = 13$

2nd inner loop  $j = j-1$  break  $j = 1$   
 $A[1+1] = A[2]$

3rd inner loop  $j = j-1$   $j = 0$   
 $A[0+1] = A[1]$



## \* Selection Sort :-

- 1) Set  $i=0$
- 2) Repeat steps 3-9 while  $i < n-1$
- 3) Set  $min = i$
- 4) Set  $j = i+1$
- 5) Repeat steps 6-7 while  $j \leq n$
- 6) if  $A[j] < A[min]$  then  $min = j$
- 7) Set  $j = j+1$
- 8) Swap  $A[i]$  and  $A[min]$
- 9) Set  $i = i+1$
- 10) Stop

⇒ Efficiency of algorithm :-

- \* The term efficiency in the context of algorithms is given at 2 aspects
- \* whether the algorithm runs faster
- \* whether the  $O(n)$  takes amount of memory space.

\* Time complexity is the ~~the~~ measure of the running time of an  $O(n)$  for a given set of inputs.

\* Space complexity is the measure of the amount of memory space required by an  $O(n)$  for its complete execution for a given set of inputs.

## → Big O notation :-

It is the method used to represent the upper bound of running time of  $O(n)$ .

- \* Derived by  $O$
- \* Using this notation we can compute more possible amount of time that an  $O(n)$  will take for its computation.

## \* Types of arrays :-

### \* Bubble Sort :-

- 1) Start
- 2) Set  $i = 0$ ,  $j = 0$ ,  $temp = 0$
- 3) Repeat steps 4-9 while  $i > 1$
- 4) Set  $j = i+1$
- 5) Repeat steps 6-8 while  $j < i+1$
- 6) if  $A[j] > A[j+1]$  goto step 7 else goto step 8.

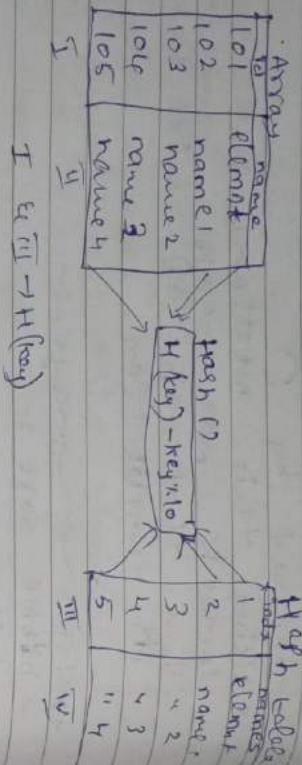
7) Swap the elements by performing below steps

- 1)  $temp = A[j+1]$
- 2)  $A[j+1] = A[j]$
- 3)  $A[j] = temp$
- 4) Set  $j = j+1$
- 5) Set  $i = i-1$
- 6) Stop.



Q2 : ARRAYS.

### \* Hashing



def hash(item):

if item % 10 == 10:

def hash(item):

c = hash(10)

hash(10)

11

→ Quick Sort :-

lb = 0 up = 5

1) start

2) set pivot = 0, next\_ptr = 0, left = lb,

3) set pivot = arr[left].

4) Repeat steps 5-14 while lb < up

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34 99 5 2 57 40

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5) repeat step 6 while a[up] > pivot and lb < up.

6) set lb = up - 1

7) if lb is not = up goto 8 else 10

8) set a[lb] = a[up]

9) set lb = lb + 1

10) repeat steps 11 while a[lb] < = pivot

11) set lb = lb + 1

12) if lb < up goto step 13 else goto step 15

13) set a[up] = a[lb]

14) set lb = up - 1

15) set a[lb] = pivot

16)

→ Limitations of array :-

\* Static memory allocation

\* Ins & del difficult.

⇒ Types of arrays :-

1) 1D array → It is a grp of same data

elements like integers, floats, char

representation, a[]

eg -> arr[] = {2, 3, 5} → a grp of int

elements where each element is itself

an array.



Representation  $\rightarrow a[i][j]$ .

eg  $\rightarrow$  int a [ ] [ ] [ ] = {"Ak program", "Ak edit"}

$\rightarrow$  Array Traversal :-

Traverse (a[i], n).

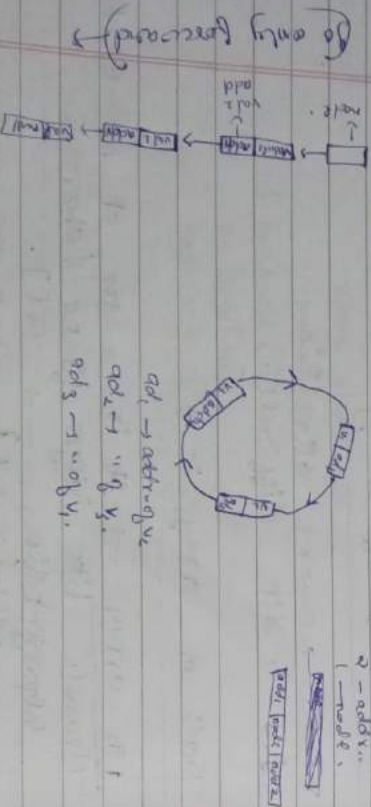
- 1 - start
- 2 - set i = 0
- 3 - Repeat steps 4-5, while i < n
- 4 - Access a[i]
- 5 - set i = i + 1
- 6 - stop

$\Rightarrow$  Linked list :-

Singly L.S

Circular L.S

Doubly L.S



$\rightarrow$  L.S operations =

- 1) ins  $\rightarrow$  beginning, middle, ending.
- 2) delete
- 3) ~~search~~ traversal.

Part 1 value ①  
int a = 10; Part 2 value by reference ②  
int b = a; Part 3 value by address ③  
int \*p = &a;

struct NODE {

int info;  
struct node \*next;

ins

- 1) Create new node
- 2) set data (new node) = item
- 3) if start = null then  
set start = new node  
set next (start) = null  
else  
set next (new node) = start  
set start = new node.

$\Rightarrow$  Algorithm for array ins at a specific point

① insert (A[n], k, p).

- 1) start
- 2) set i = n
- 3) Repeat steps 4-5 while i >= 12
- 4) set a[i+1] = a[i]
- 5) set i = i - 1
- 6) set a[k] = p.
- 7) set n = n + 1
- (8) stop.

$\rightarrow$  ins at beginning :-

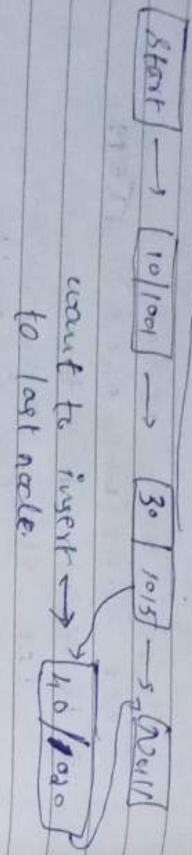
② insert (A[limit], n)

(array)



- 1) start
- 2) if limit = max, display is not possible.
- 3)  $j = \text{limit} - 1$

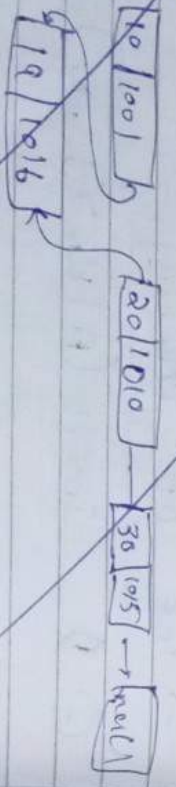
### ③ Insertion at the end :- (L.S)



Insert\_end(start, item)

- 1) start
- 2) create new node
- 3) set data(newnode) = item
- 4) set next(newnode) = null
- 5) if start = null then  $\text{start} = \text{newnode}$
- 6) goto step 9 else goto 6.
- 7) while next(current)  $\neq$  null.
- 8) set current = next(current)
- 9) next(current) = new node.
- 10) stop.

Insertion at specific point :-



### Warning caution :-

- 1) Repeat element in n
- 2) Repeat step 6 & 7 while  $j > 0$ .
- 3)  $a[j+1] = a[j]$
- 4)  $j = j - 1$
- 5)  $a[0] = n$
- 6) limit = limit + 1.
- 7) stop.

\* ins at end :-

- 1) start.
- 2) if limit = max, ins not possible.
- 3) read new n.
- 4)  $a[\text{limit}] = n$
- 5) limit = limit + 1
- 6) stop

\* ins at specific at point :-

- 1) start.
- 2) if limit = max, ins is not possible.
- 3)  $j = \text{limit} - 1$
- 4) Repeat step 5 & 6 while  $j > k$ .
- 5)  $a[j+1] = a[j]$
- 6)  $j = j - 1$
- 7)  $a[k] = n$ .
- 8) limit = limit + 1
- 9) stop.



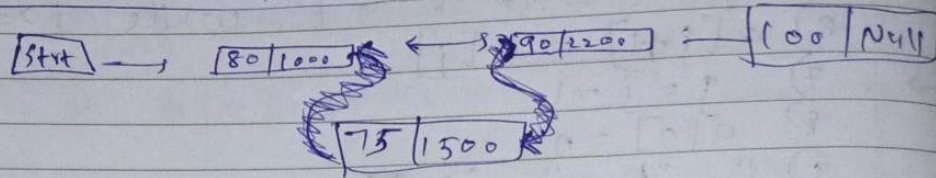
array

10	20	30	40
50	20	30	40

ins at point 2



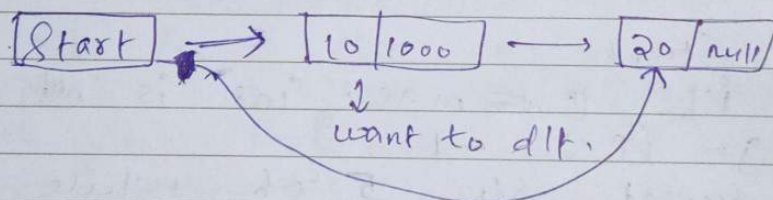
\* ins at specific point — (L.S)



insert(pos, item)

- 1) Start
- 2) create new node.
- 3) set temp = head
- 4) Repeat step 5-6 while  $i < pos$
- 5) set temp = temp  $\rightarrow$  next
- 6) set  $P = i + 1$
- 7) set new node  $\rightarrow$  next = temp  $\rightarrow$  next.
- 8) ~~stop~~ set temp  $\rightarrow$  next = new node.
- 9) stop.

→ Deletion in L.S :- (beginning)



- 1) Start
- 2) set temp = head  $\rightarrow$  common in del.
- 3) if head  $\rightarrow$  next = null, goto step 4.  
else goto step 5.
- 4) set head = null & goto step 6
- 5) set head = head  $\rightarrow$  next.
- 6) free temp
- 7) stop.