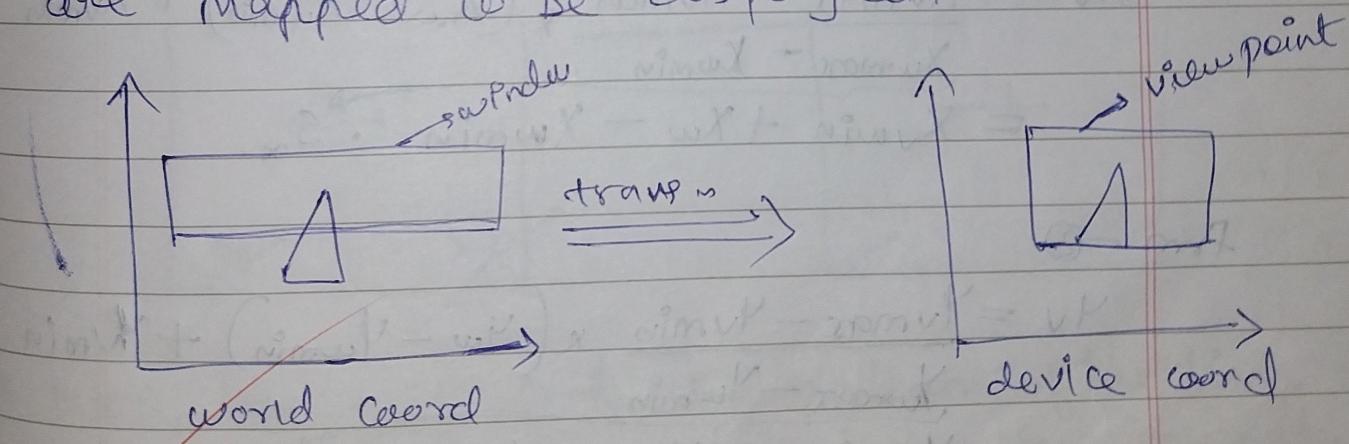


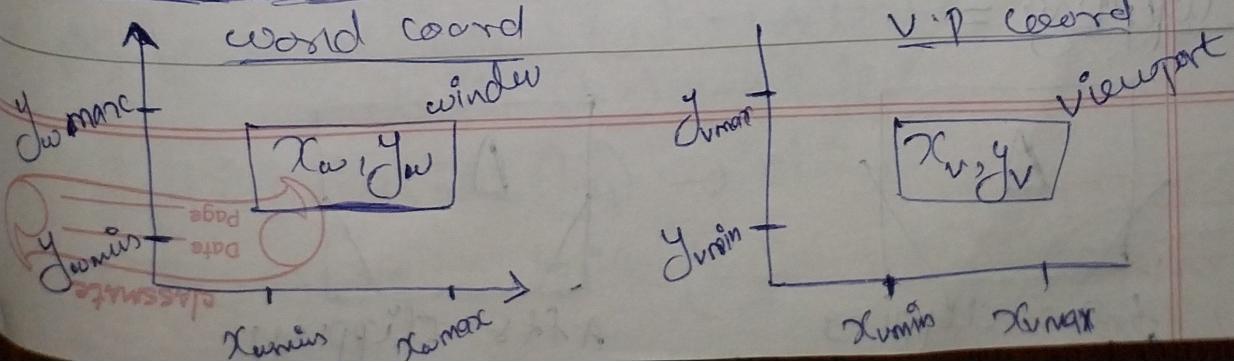
Module -IV

Window to viewport trans ~

- * window : Area on world coord Selected for display / simply we can say window define what to be displayed.
- * viewport : Area / device coord where graphics is to be display / simply we can say it define where to be displayed.
- * w-to-viewport trans ~ : process of transforming a world coord obj to device coord obj inside the window are mapped to the viewpoint which is the area on the screen where world coord are mapped to be displayed.



mathematical calcuⁿ of w-to-viewport trans



* It may be possible that the size of v.p. is much $>/ <$ than the window.

* Hence, we have to use / use the size of window according to the v.p. So for they we need some mathematical cal.

* For every point (x_w, y_w) in the window those is a relative point in the v.p. (x_v, y_v) .

* So we want to calculate (x_v, y_v)

$$\frac{x_w - x_{w\min}}{x_{w\max} - x_{w\min}} = \frac{x_v - x_{v\min}}{x_{v\max} - x_{v\min}} \rightarrow \textcircled{i}$$

$$\frac{y_w - y_{w\min}}{y_{w\max} - y_{w\min}} = \frac{y_v - y_{v\min}}{y_{v\max} - y_{v\min}} \rightarrow \textcircled{2}$$

from $\textcircled{1}$

$$x_v = \frac{x_{w\max} - x_{w\min}}{x_{w\max} - x_{w\min}} \times (x_w - x_{w\min}) + x_{v\min}$$

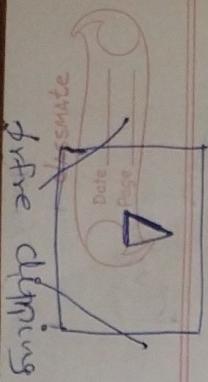
$$= x_{w\min} + x_w - x_{w\min} \cdot S_x$$

from $\textcircled{2}$

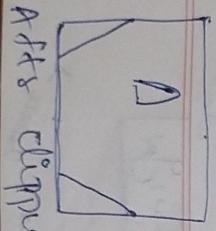
$$y_v = \frac{y_{w\max} - y_{w\min}}{y_{w\max} - y_{w\min}} \times (y_w - y_{w\min}) + y_{v\min}$$

$$= y_{w\min} + y_w - y_{w\min} \cdot S_y$$

\Rightarrow Clipping =



before clipping



After clipping.

* It is a type of transform used in comp graphics to remove the lines, obj., segments or lines that are outside the comp screen.

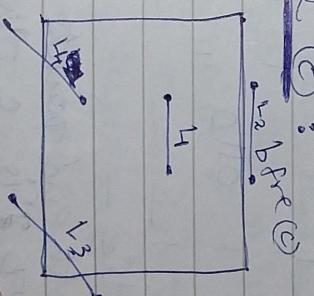
* Types -
1) Point (C) :-

used to determine whether the point is inside the window / not.
For this the following conditions are checked -

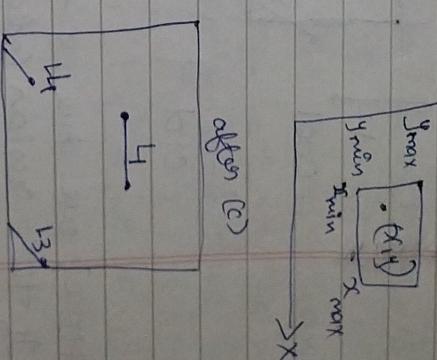
$$\begin{cases} x_{\min} \leq x \leq x_{\max} \\ y_{\min} \leq y \leq y_{\max} \end{cases}$$

2) Line (C) :

before (C)



after (C)



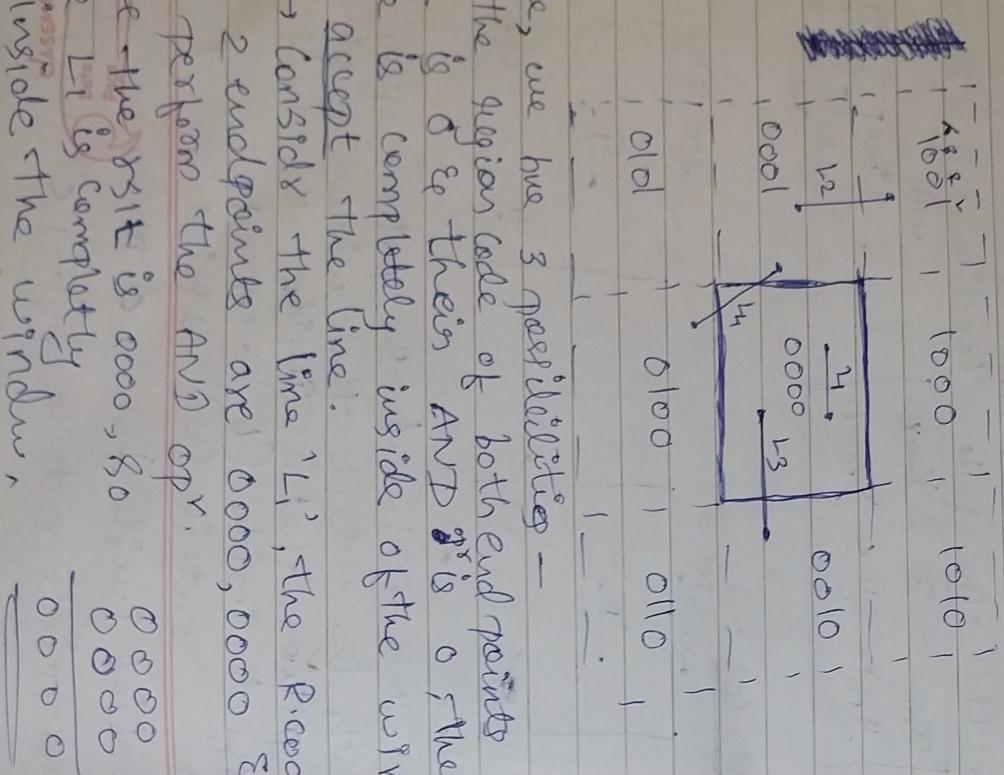
* Hence, we will cut the portion of the line which is outside the window & give only the portion that is inside the window.

* Perfect inside (L_1) \rightarrow accepts
* In outside (L_2) \rightarrow reject

* Partial inside (L_1) \rightarrow clipping
* End points outside (L_2) \rightarrow clipping

Cohen Sutherland Line Clipping (a)

- * Here, the window is divided into 9 regions.
- * each region has a 4-bit region code, thus, 4 bits represent the top, bottom, R & L of the region as follows —
- The region code pattern:



- * Now, we have 3 possibilities —
- i) If the region code of both endpoints of the line is 0, then the line is completely inside the window.
- ii) If the region code of one endpoint is 0, then the line is completely outside the window.
- iii) Consider the line 'L', the R.C. of 2 endpoints are 0000, 0000
- iv) Perform the AND op.

Hence the R.C. is 0000 → 00

The line is completely inside the window,

- 2) If the R.C. of 2 endpoints are non-zero & either AND is non-zero. Then the line is completely outside the window, so reject the line.
- eg → consider the line 'L₂', the R.C. of 2 endpoints are 0001, 1001
- 0001 → perform AND op —
- 0001 → reject the line.
- 3) If the R.C. of 1 endpoint is 0 & 1 is non-zero & either AND is non-zero. Then we have to bind the intersection point on window boundary & click the line outside the window & finally bind the new point.
- eg → consider the line 'L₃' the end region of 2 endpoints is 0000 & 1000
- & AND op is —
- 0000 & 1000 = 0000
- After (c) the points of the lines are 0000 → 0000
- b) If the R.C. of both endpoints is non-zero & either AND is 0 we have to find the intersection point on window boundary & click the line outside the window, bind the endpoints.

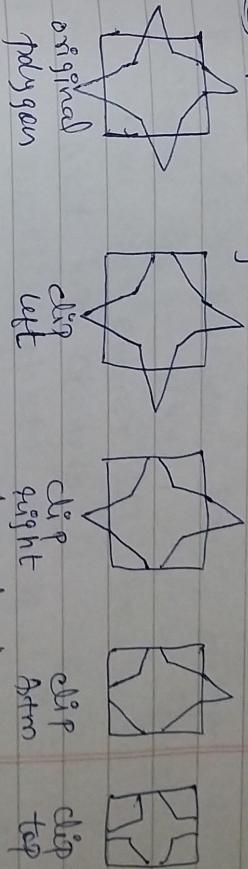
e.g. \rightarrow L4 the value of endpoint one
 $\begin{array}{r} 0 \\ 0 \\ 0 \\ 1 \end{array}$ & 0000 AND op \rightarrow
 $\begin{array}{r} 0 \\ 0 \\ 0 \\ 1 \\ 00 \end{array}$

$\begin{array}{r} 0 \\ 0 \\ 0 \\ 0 \\ 0 \end{array}$
 So find the intersection point & click the
 line.

The line is partially inside the window
 So find the intersection point & click the
 line.

After (c), the new endpoints are 000 & 0000.
 Still the line is partially inside the window.
 So after (c) new endpoints are 0000 & 0000.
 Now the line is completely inside the
 window, accept the line.

(c) will continue until either trivially rejected. * or cap -

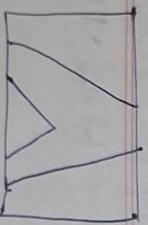


Sutherland - Hodgeson polygon (c):
 * Here, check each edge of the polygon
 against all window boundaries,
 modify the vertices based on transitions
 transfer the new edges to the next
 (c) boundary.

3) polygon clipping:

A set of connected lines are considered
 as polygon. Polygon are clipped based on
 the window to the portion which is
 inside the window & kept as it is & the
 outside portion is clipped.

clipping window
 before (c)



clipping window
 after (c)

- 3) v_1 inside, v_2 outside: take $v_1 \& v_2$
- 4) v_1 outside, v_2 inside: take none

* Cases of this (c) \rightarrow (c) the exterior
 \rightarrow (c) other shapes - O, ellipse,
 curves.

a shape against
 another shape.

