

## Queue

- \* Linear ds in which del can only occur after ins occurs at queue.
- \* At end  $\rightarrow$  front ins occurs at queue.
- \* FIFO, e.g.  $\rightarrow$  queue-like queue.

- \* Basic operations =
  - 1) Enqueue  $\rightarrow$  ins (queue)
  - 2) Dequeue  $\rightarrow$  del. (front)

$\rightarrow$  representation of Q as array =

```
struct node
{
    int data;
    struct node * next;
}
```

(a) front: 0    

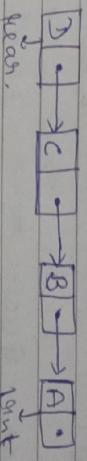
A	B	C	D	E	F	G
1	2	3	4	5	6	7

 rear: 7.

```
front = rear = -1.
Q is empty if
```

front = 1 &

rear = max-1.



point

(b) F: 1    

B	C	D	E	F	G
0	1	2	3	4	5

 R: 5

(c) F: 2    

C	D	E	F	G
1	2	3	4	5

 R: 5

\* INSERT (QUEUE, N, FRONT, REAR, ITEM).

```
    1) Start.
    2) If REAR = N-1 then point overflow
    3) Return.
    4) Set QUEUE[REAR] = ITEM.
    5) Set REAR = REAR + 1
    6) Return.
```

\* DELETE (QUEUE, N, FRONT, REAR, ITEM)

```
    1) If FRONT = REAR = NULL
    2) display underflow
    3) Return.
    4) Set FRONT = NEXT(FRONT)
    5) Return.
```

\* DELETE (QUEUE, N, FRONT, REAR, ITEM)

1. Start

2. If FRONT >= N or FRONT > REAR then  
point underflow.

\* true disposal of using an array to represent

a Q is that the array must be

Specified to have a fixed size.

\* It true array size cannot be known.

L.S representation is used.

\* HEAD pointer of L.S is used as the FRONT.

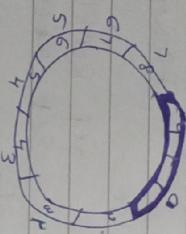
\* A static pointer called REAR to store the address of last element of Q.



[FIRST] ↑  
[REAR] ↓

$\Rightarrow$  Circular Queue =

- \* If Q is a spiral type of Q where last element is connected back to the 1st element thus forming a circle.
- \* In C.Q, the 1st index comes right after the last index.



C.Q representation =  
using in C.Q = INSERT (QUEUE\_MAX, FRONT, REAR, ITEM).

- 1) Start
- 2) If FRONT = 1 and REAR = MAX - 1  
Print overflow.
- 3) If FRONT = -1 and REAR = -1  
Set FRONT = 1 and REAR = 1.
- 4) else
  - i) if rear = max - 1
    - a) empty array
    - b) A,B,C added
    - c) A deleted
    - d) d inserted
    - e) B,d,l,t
    - f) C,d,l,t
    - g) d,l,t
  - ii) rear = rear + 1

- 1) Set rear = rear + 1
- 2) If front = REAR then
  - a) return
  - b) set FRONT = front + 1
- 3) else
  - a) Set front = front + 1
  - b) Set rear = rear + 1

else

Set rear = rear + 1

- 4) Set "QUEUE [REAR] = ITEM".

- 5) return.

- 6) DELETE (QUEUE, MAX, FRONT, REAR, ITEM).

- 7) If front = NULL then
  - a) return
  - b) Set ITEM = QUEUE [FRONT]
  - c) If FRONT = REAR then
    - 1) Set front = NULL
    - 2) Set REAR = NULL
  - d) Else
    - 1) If front = max - 1 then
      - 1) Set front = 1
    - 2) Else
      - 1) Set front = front + 1

$\Rightarrow$  Priority Queue =

- \* It is a collection of elements, in which each element has been assigned a priority value.
- \* The order in which the elements will be processed is decided by the priority of the element.

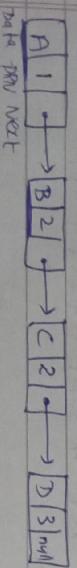
\* An element with higher priority is processed 1st.

- \* If elements with same priority occur, they are processed according to the order in which they were added to the Q.

\* Linked representation of PQ =

when a PQ is implemented with a list each node will contain 3 parts -

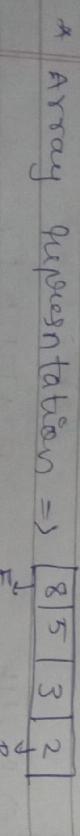
- a) Data
- b) Priority no. of the element (PN)
- c) Address of next element.



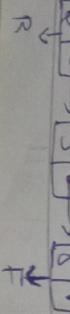
\* 2 types of PQ →

- a) Max PQ = elements are ins according to their priority order & always max value is removed 1st from the Q.
- b) Min PQ = 1st & similar to max PQ except for removing min element 1st instead of max element.

\* Array representation =>

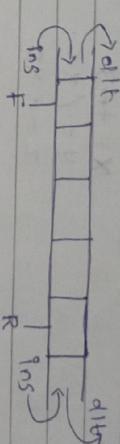


\* L.S. representation =>



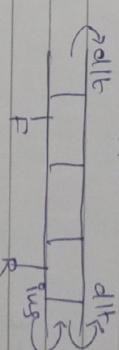
$\Rightarrow$  Deque → (Double-Ended Queue).

- \* ordered collection of items similar to Q.
- \* Here, ins & del can take place at both the Front and Rear end of Q.



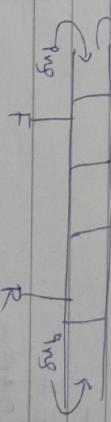
\* Represented 2 ways :

- a) Input restricted Deque = here ins is performed at only 1 end & del is performed at both ends.



b) Output restricted Deque = here del is performed at only 1 end & ins is performed

at both ends.



$\Rightarrow$  Application of Q =

- \* CPU scheduling
- \* Queuing & Scheduling
- \* Disk Scheduling.

$\Rightarrow$  Application of Stack →

( )  
 \* ^  
 + -  
 $\Rightarrow$   
 (1-B)  
 C-L  
 L-R

classmate

classmate

A+B+C  
 D-E+A  
 B-C

Date \_\_\_\_\_  
Page \_\_\_\_\_

→ Evaluating exp →

(Same precedence warning)  
infix to prefix =

$k+l-m+n+(o\wedge p)\wedge w/(u/v)*t+q.$

A)

useless pt.  
 $q+t\wedge v/u/w\wedge p\wedge o\wedge n\wedge m.$

Scan it.

bracketed  
 exp (operator).  
 Q T V U W O N \* / / \* N M  
 \* L K + - + +.

operator  
→

+ → + < \* so.

pop until source

precedence.

①

\*  
 /  
 +  
 \*

- → - < \*  
 +  
 -  
 +

Then pop all.

$\Rightarrow$  useless pt.  
 $t\wedge u\wedge v\wedge w\wedge o\wedge p\wedge u\wedge v\wedge t\wedge k+l+m+n+(o\wedge p)\wedge w/(u/v)*t+q.$

$\Rightarrow t\wedge - + k L \wedge m N \wedge / / * \wedge o \wedge p \wedge u \wedge v \wedge t \wedge k$

→ Infix to postfix =

(Same precedence warning)  
top down.

A+B+C D-E+A  
B-C

= \* pop.  
 A B C \*.

+  
 \*  
 +  
 \*

② infix to postfix =

A \* (B+C) - (D+E) [k]

stack empty.

A.

### ③ Evaluating pre fix exp =

exp → + - \* 2 2 / 16 8 5  
 inverse → 5 8 16 / 2 2 \*

Symbol

Stack

prefix back

5

8

16

/

2

2

\*

-

+

8

5

58

5 8 16

5 2 . (16/8)

5 . 2 2

5 2 22

5 2 4

5 2 (4 -

7 (5 + 2)

⇒ 7

### 4) Evaluating post fix exp =

exp = 5 6 2 + \* 12 4 1 -

Symbol

5

6

2

+

\*

12

4

12

Stack

postfix

5

5 6

5 6 2

5 8

40 . (5 \* 8)

40 12

40 12 4 (12 / 4)

40 3 (12 / 3)

37 (40 - 3)

⇒ 37 //