Floating Point Addition/Subtraction

#	A	and	B	both	ane	floating	point	number.
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=> A+B (Make supe the number is in binary)

- i) Normalize both A and B.
- ii) Align the bin point so that the lower exponent match with the higher exponent.
- iii) Now add / sub accordingly.
- iv) Normalize the result.
- iv) Round if necessary.

$$E_{x}$$
: 0.999×10¹ + 1.610×10⁻¹; Size of exponent field in 3 bits

= 99.99 + 0.1610

= 1.0000 0001 1010 x 214 (Am.)

7 77.97 1 0. 23 40	
= [000 . 010 + 0.0010 00 00	Bian = 2 -1 = 3
= 1.1000 1111 1111 0101×2 ⁶ + 1.0100 100 × 2 ⁻³	Biased Exp. = 3+6=9
= 1.1000 1111 1111 0101×26+ 0.0000 0000 10100 100 ×26	Range = 0 to 2-1
$= \cdot 000 \times 2^6 (Am)$	=0 to Z
	= 1 to 6 [reserved]
# 110100.111011 x28 + 10110.11111 x27	o and 7
$= \cdot 0 0 0 0 \times 2 + \cdot 0 0 1 1 \times 2$	range
$= \cdot 0 0 0 1 0 \times 2^{13} + 0.0 0 0 1 \times 2^{13}$	9>6 => So,
$= 10.0000011010 \times 2^{13}$	overflow

Overflow / Underflow defection:

Stepl: Find the biased exponent of the answer.							
Step 2: 4 4 range of the biased exponent of the							
given system. (1 to upper Range)							
Step 3: Detection:							
if (Biased exponent (1):							
underflow							
elpe if (Biased exponent > upper Range)							
Overflow							
elne: [14 Biased Exp & upper Range]							
No over lunder flow							

Floating Point Multiplication

A and B both are floating point number.

=> A × B (Make sure the number is in binary)

- i) Normalize both A and B. Ex: 1.110 × 25 × 1.11 × 2-5
- ii) Add the exponents. = $1.110 \times 1.11 \times 2^{5+(-5)}$
- iii) Now multiply accordingly. = 11.0001 × 2°
- iv) Normalize the result. = I. 1000I x 2¹ (Am.)
- iv) Round if meeesnary.
- V) Determine the sign from the operation.

F. P instructions in Rise V

If Suppose, two single Preci. floating point numbers A, B are stoned in memory. The memory locations are directly stored in register ×10, ×11.

Write necessary code to stone the result of A+B in the memory address that is stored in ×13.

$Sol^{\underline{n}}$: