## Basic area-level model

### Small introduction

The fh function allows various estimation methods for the variance of the random effects and the mean squared error (MSE).

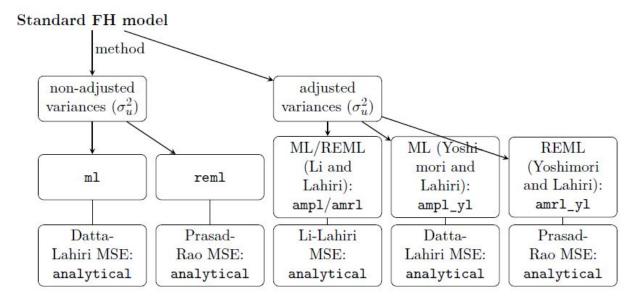


Figure 1: Estimation options for the basic area-level model

## Load package and data

```
library("emdi")

##

## Attaching package: 'emdi'

## The following object is masked from 'package:stats':

##

## step

data("eusilcA_popAgg")

data("eusilcA_smpAgg")
```

### Combine inout data

```
## Combine input data
combined_data <- combine_data(pop_data = eusilcA_popAgg,</pre>
```

```
pop_domains = "Domain",
smp_data = eusilcA_smpAgg,
smp_domains = "Domain")
```

### Identify spatial structures

### Perform model selection

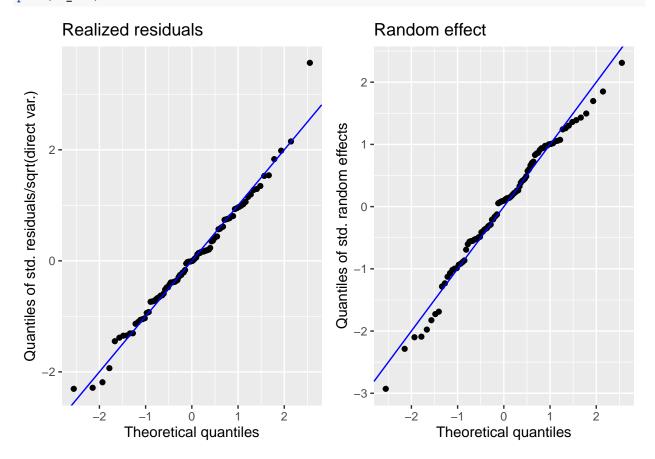
```
# Generate initial object of class "fh", "emdi"
fh_std <- fh(fixed = Mean ~ cash + self_empl + unempl_ben,</pre>
             vardir = "Var_Mean", combined_data = combined_data,
             domains = "Domain", method = "ml", B = c(0,50))
# Perform stepwise variable selection
step(fh_std, criteria = "KICb2")
## Start: KICb2 = 1709.42
## Mean ~ cash + self_empl + unempl_ben
               df KICb2
## - unempl_ben 1 1708.3
## <none>
                   1709.4
## - self_empl 1 1763.0
## - cash
               1 1808.6
## Step: KICb2 = 1708.33
## Mean ~ cash + self_empl
              df KICb2
                 1708.3
## <none>
## - self_empl 1 1765.3
## - cash
            1 1816.1
##
## Call:
## fh(fixed = Mean ~ cash + self empl, vardir = "Var Mean", combined data = combined data,
       domains = "Domain", method = "ml", B = c(0, 50))
##
##
```

```
## Coefficients:
## coefficients std.error t.value p.value
## (Intercept) 3070.51231 635.94290 4.8283 1.377e-06 ***
## cash 1.05939 0.07049 15.0288 < 2.2e-16 ***
## self_empl 1.74564 0.22017 7.9284 2.219e-15 ***
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1</pre>
```

### Estimate EBLUPs and MSEs

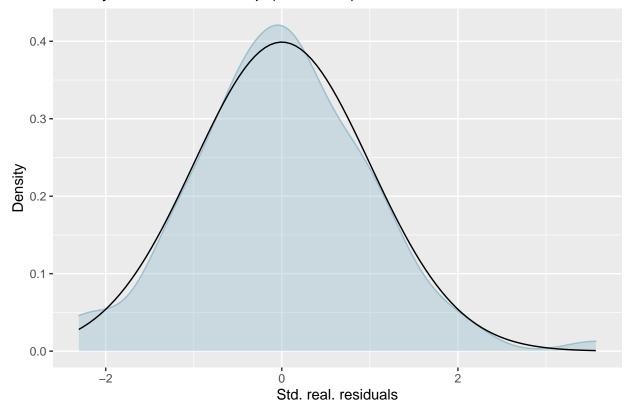
### Assess the estimated model

```
summary(fh_std)
## Call:
   fh(fixed = Mean ~ cash + self_empl, vardir = "Var_Mean", combined_data = combined_data,
      domains = "Domain", method = "ml", MSE = TRUE, B = c(0, 50))
##
##
## Out-of-sample domains: 0
## In-sample domains: 94
##
## Variance and MSE estimation:
## Variance estimation method: ml
## Estimated variance component(s): 1371195
## MSE method: datta-lahiri
## Coefficients:
              coefficients std.error t.value p.value
                3070.51231 635.94290 4.8283 1.377e-06 ***
## (Intercept)
## cash
                   1.05939
                            0.07049 15.0288 < 2.2e-16 ***
                              0.22017 7.9284 2.219e-15 ***
## self_empl
                  1.74564
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
## Explanatory measures:
##
                          AICc
                                  AICb1
                                           AICb2
                                                      BIC
                                                               KIC
                                                                       KTCc
      loglike
                   AIC
## 1 -847.8303 1703.661 1703.91 1715.758 1703.461 1713.834 1707.661 1708.783
##
       KICb1
                KICb2
                             R.2
                                    AdjR2
## 1 1720.632 1708.335 0.9212817 0.9482498
##
## Residual diagnostics:
                           Skewness Kurtosis Shapiro W Shapiro p
## Standardized_Residuals 0.3004662 3.971216 0.9840810 0.3119346
                         -0.4113238 3.086048 0.9839858 0.3072834
## Random_effects
## Transformation: No transformation
```

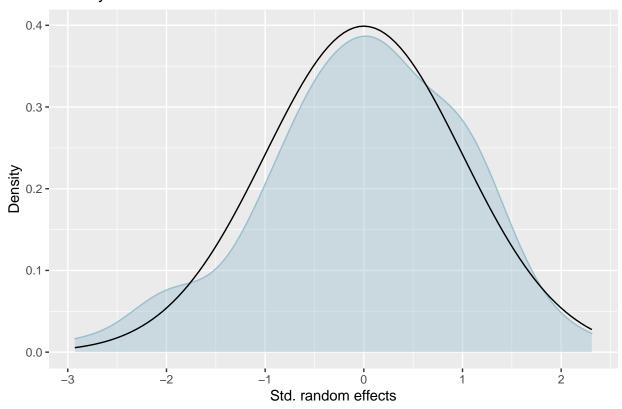


## Press [enter] to continue

Density - Std. residuals/sqrt(direct var.)

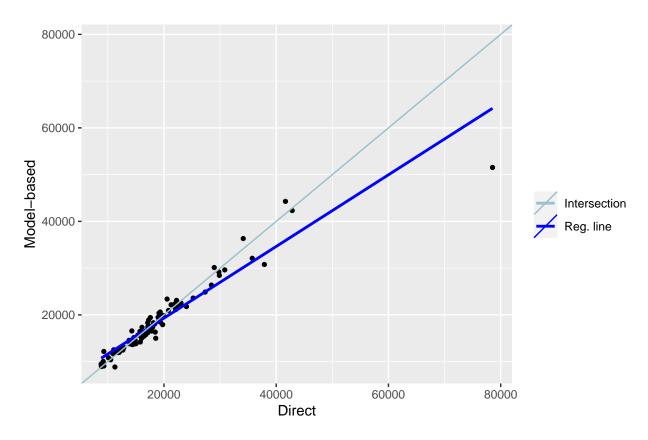


# Density – Random effects

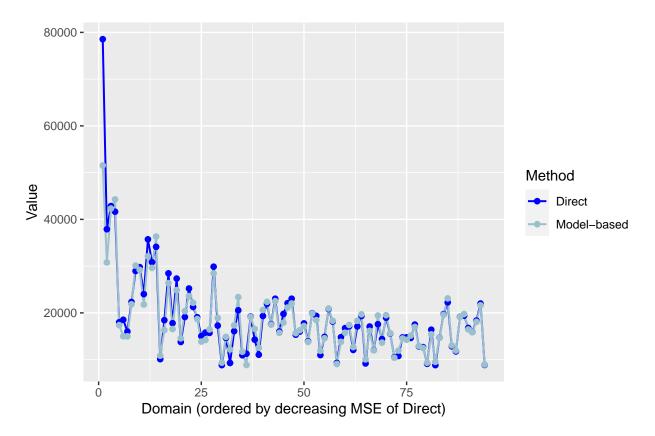


# Compare results with direct estimates

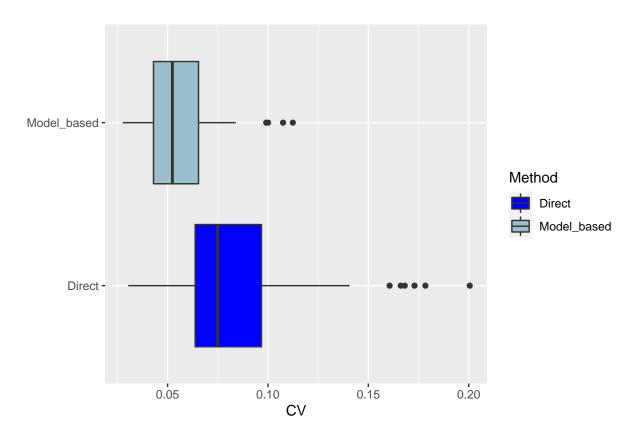
```
compare_plot(fh_std, CV = TRUE, label = "no_title")
```



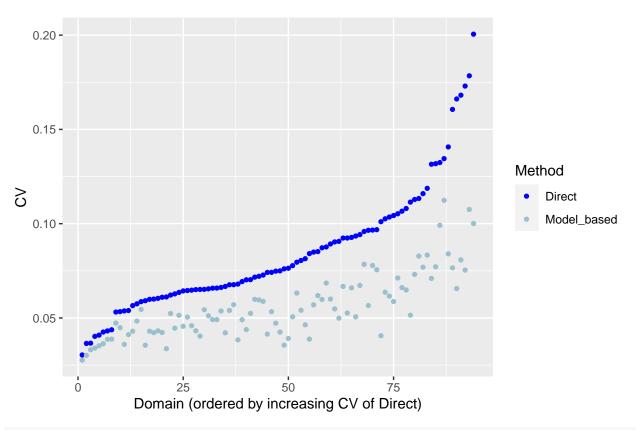
## Press [enter] to continue



## Press [enter] to continue



## Press [enter] to continue



### compare(fh\_std)

```
## Brown test
##
## Null hypothesis: EBLUP estimates do not differ significantly from the
## direct estimates
##
## W.value Df p.value
## 46.97181 94 0.9999874
##
## Correlation between synthetic part and direct estimator: 0.94
```

## Benchmarking for consistent estimates

```
## 2 Baden 21995.72 21616.40 21978.49 0
## 3 Bludenz 12069.59 12680.38 12892.79 0
## 4 Braunau am Inn 10770.53 11925.82 12125.59 0
## 5 Bregenz 35731.20 32101.69 32639.43 0
## 6 Bruck-Mürzzuschlag 23027.37 22523.50 22900.79 0
```

### Extract and visualize the results

```
head(estimators(fh_std, MSE = TRUE))

## Domain Direct Direct_MSE FH FH_MSE

## 1 Amstetten 14768.57 926167.4 14242.04 599010.6

## 2 Baden 21995.72 446534.3 21616.40 356586.1

## 3 Bludenz 12069.59 1243265.0 12680.38 716040.1

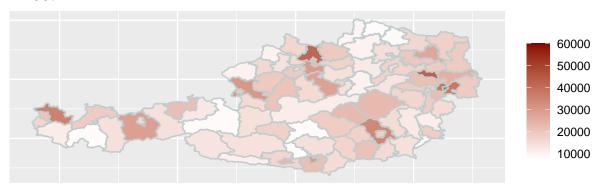
## 4 Braunau am Inn 10770.53 1029502.4 11925.82 643500.2

## 5 Bregenz 35731.20 4467316.4 32101.69 1302156.0

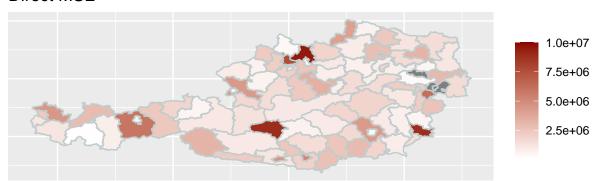
## 6 Bruck-Mürzzuschlag 23027.37 1971664.0 22523.50 906339.2
```

## Visualization of results on maps

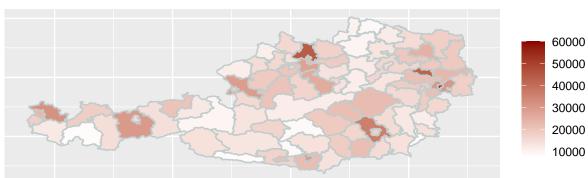
# Direct



# Direct MSE







# FH MSE

