# proj

May 9, 2015

# 1 Predicting Anime Ratings: Linear Regression vs. Neural Nets

• Name: Austin Chen

• SID: 23826762

• Repro: Open up proj.ipynb in IPython Notebook.

The goal of my 289 project is to analyze and predict what makes for a good anime, by drawing on hundreds of thousands of user votes. Just like movies, TV shows, and other forms of media, anime can be categorized into different genres. In addition, there are many common themes found in anime, some of which are quite unique to the medium (for example, magical girls). I'll be leveraging linear regression and neural networks as two different ways to predict anime scores.

```
In [254]: %matplotlib inline
    import matplotlib.pyplot as plt
    import xml.etree.ElementTree as ET
    import urllib.request
    import time
    import numpy as np
    import collections
    import random
```

## 1.1 Featurizing

For each anime, I included as features: the number of votes, the number of views, and a binary indicator for each of the genres and the 50 most common themes. These were used to predict anime ratings, which were provided as averages across a 10-point scale.

Example genres included action, adventure, and comedy; example themes include aliens, assassins, and bishounen.

All anime data was made available courtesy of Anime News Network.

```
In []: # Download the list of all anime, sorted by ratings
    urllib.request.urlretrieve('http://www.animenewsnetwork.com/encyclopedia/reports.xml?id=172&nlis*
    tree = ET.parse('anime_by_ratings.xml')
    root = tree.getroot()

# Download details for blocks of 40 anime at a time
for i in range(0, 4680, 40):
    print(i)
    ids = [item.attrib['id'] for item in root[i:i+40]]
    query = 'http://cdn.animenewsnetwork.com/encyclopedia/api.xml?title=' + '/'.join(ids)
    urllib.request.urlretrieve(query, 'anime/{0}.xml'.format(i))
    time.sleep(60)
```

```
In [353]: # nb_votes, nb_seen, genres, themes
          # TODO Maybe add: # episodes? running time? animation studio/prodcution? year?
          animes, scores = np.zeros((4679, 68)).astype(int), np.zeros(4679)
          for i, item in enumerate(root[:4679]):
              votes = int(item.find('nb_votes').text)
              seen = int(item.find('nb_seen').text)
              average = float(item.find('weighted_average').text)
              animes[i][0:2] = np.array([votes, seen])
              scores[i] = average
In [199]: # Count occurences of genres and themes
          themes, genres = collections.Counter(), collections.Counter()
          for index in range(0, 4680, 40):
              ann = ET.parse('anime/{0}.xml'.format(index)).getroot()
              genres.update(genre.text.lower() for genre in ann.findall("./*/info[@type='Genres']"))
              themes.update(theme.text.lower() for theme in ann.findall("./*/info[@type='Themes']"))
          # Choose most common genres and themes as features
          all_themes = sorted([theme for theme, count in themes.most_common(50)])
          all_genres = sorted([genre for genre, count in genres.most_common(16)])
          def featurize(features, all_features):
              return np.array([1 if a in features else 0 for a in all_features])
In [355]: for index in range(0, 4680, 40):
              ann = ET.parse('anime/{0}.xml'.format(index)).getroot()
              for offset, anime in enumerate(ann):
                  i = index + offset
                  if i >= 4679:
                      break
                  # Build data matrix
                  g = [genre.text.lower() for genre in anime.findall("./info[@type='Genres']")]
                  animes[i][2:18] = featurize(g, all_genres)
                  t = [theme.text.lower() for theme in anime.findall("./info[@type='Themes']")]
                  animes[i][18:68] = featurize(t, all_themes)
```

## 1.2 Linear Regression

Linear regression on the average user rating for each anime provided a baseline prediction strategy, which had rather large errors (between -2 and 2 on a 10 point scale). However, it was quite useful for drawing human-interpretable conclusions for the various effects of the different features.

Genres that were highly rated included drama, thriller, slice of life, and mystery, and highly rated themes included aliens, space, sports, and crime. Meanwhile, erotica and horror were heavily penalized as genres, as were the themes of male harem, samurai, and shounen-ai.

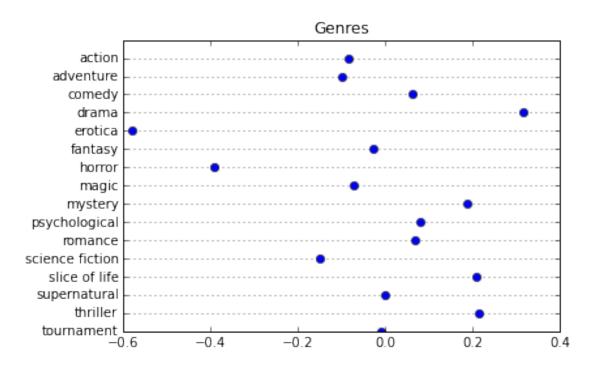
Interestingly, while the rating was positively correlated with the number of votes, it was negatively correlated with the number of views, leading to the tentative conclusion is that popular anime is terrible.

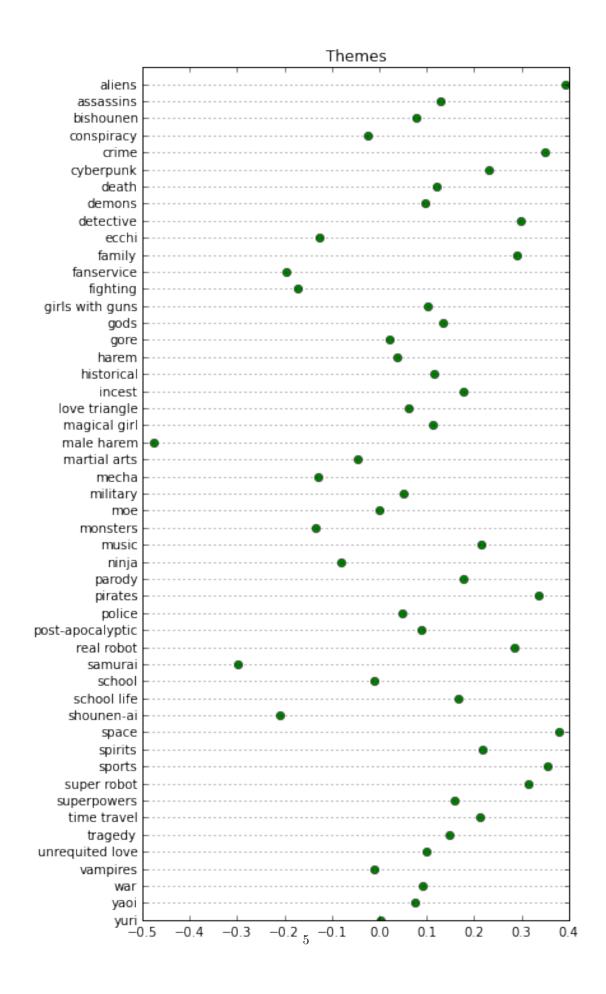
```
In [360]: # Regress scores based on anime information
# Introduce extra row for constant term
```

```
X = np.hstack((animes, np.ones((len(animes), 1))))
          y = scores
          # Solve for B, the weights vector
          B = np.linalg.solve(np.dot(X.T, X), np.dot(X.T, y))
In [396]: print("B0 (the constant term) is", B[-1])
          # Plot the various weights used in regression
          plt.title("Other")
          yaxis = range(2)[::-1]
          plt.plot(B[0:2]*1000, yaxis, 'ro')
         plt.yticks(yaxis, ["1000 Votes", "1000 Seen"])
          plt.grid(axis='v')
          plt.margins(y=0.5)
          plt.gcf().set_size_inches(6, 0.6)
         plt.show()
          plt.title("Genres")
          yaxis = range(16)[::-1]
          plt.plot(Bm[2:18], yaxis, 'o')
          plt.yticks(yaxis, all_genres)
          plt.grid(axis='y')
         plt.show()
          plt.title("Themes")
          yaxis = range(50)[::-1]
         plt.plot(B[18:68], yaxis, 'go')
          plt.yticks(yaxis, all_themes)
          plt.grid(axis='y')
         plt.gcf().set_size_inches(6,12)
         plt.show()
```

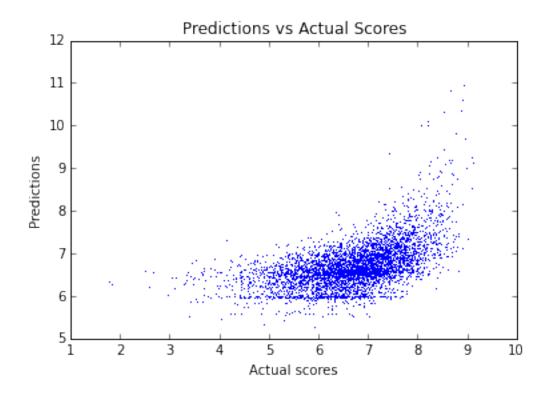
#### BO (the constant term) is 6.53347904931

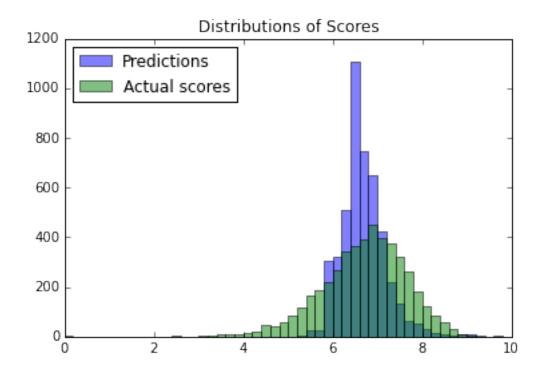


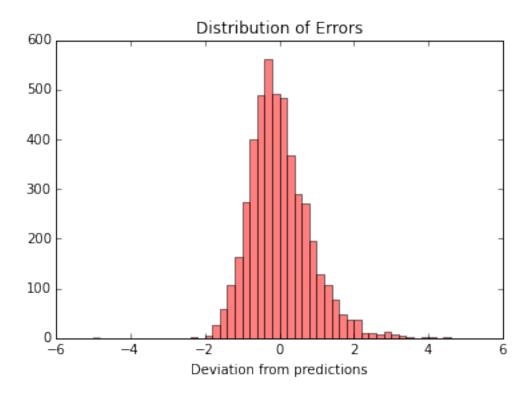




```
In [387]: predictions = np.dot(X, B)
          # Some interesting visualizations
         plt.title("Predictions vs Actual Scores")
         plt.plot(y, predictions, 'b,')
         plt.xlabel("Actual scores")
         plt.ylabel("Predictions")
         plt.show()
         plt.title("Distributions of Scores")
         plt.hist(predictions, bins=np.arange(0, 10, 0.2), alpha=0.5, label="Predictions")
         plt.hist(y, bins=np.arange(0, 10, 0.2), alpha = 0.5, label="Actual scores")
         plt.legend(loc="upper left")
         plt.show()
         plt.title("Distribution of Errors")
         plt.hist(predictions - y, bins=np.arange(-5, 5, 0.2), color='r', alpha=0.5)
         plt.xlabel("Deviation from predictions")
         plt.show()
```







In [341]: # Calculate regression sum of squares

```
RSS = sum((np.dot(X, B) - y) ** 2)
print("RSS is", RSS)
```

RSS is 3027.11535137

### 1.3 Neural Nets

Neural networks proved to provide better predictions. I used a neural net with 1 hidden layer with an activation of tanh, and 1 output node with no activation function. Over 1 million training iterations, it had a regression sum of squares of 1790, com

```
In [381]: class NeuralNet(object):
              def __init__(self):
                  e = 10**-5
                  self.W1 = np.random.normal(0, e, (69, 40))
                  self.W2 = np.random.normal(0, e, (41, 1))
              def forward(self, x):
                  a2 = np.tanh(x.dot(self.W1))
                  a2 = np.c_[a2, np.ones(len(a2))]
                  hx = a2.dot(self.W2)
                  return hx
              def train(self, X, Y, iterations, step, error):
                  for i in range(iterations):
                      i = random.randrange(0, len(X))
                      x, y = X[i], Y[i] # x and y are both row vectors
                      a2 = np.tanh(x.dot(self.W1))
                      a2 = np.append(a2, 1)
                      hx = a2.dot(self.W2)
                      d3 = error(y, hx)
                      dJdW2 = - np.outer(a2.T, d3)
                      dJdW1 = - np.outer(x.T, d3.dot(self.W2.T) * (1 - a2**2))
                      self.W2 -= step * dJdW2
                      self.W1 -= step * dJdW1[:,:-1]
              def predict(self, images):
                  return self.forward(images).flatten()
              def score(self, data, labels):
                  return sum((self.predict(data) - labels) ** 2)
              def save(self, filename='default'):
                  np.savez(filename, self.W1, self.W2)
              def load(self, filename='default'):
                  arrs = np.load(filename)
                  self.W1, self.W2 = arrs['arr_0'], arrs['arr_1']
          def mean_squared_error(y, hx):
              return y - hx
```

```
def cross_entropy_error(y, hx):
              return np.divide(y, hx) - np.divide(1 - y, 1 - hx)
In [392]: # Train the neural net
         scores = []
         Xp = sklearn.preprocessing.scale(X)
         nn = NeuralNet()
         for _ in range(1000):
              nn.train(Xp, y, 1000, 0.01, mean_squared_error)
              scores.append(nn.score(Xp, y))
          # nn.save()
          # Plot RSS over iterations
         plt.plot(scores)
         plt.title("Mean-squared error as loss")
         plt.ylabel("RSS")
         plt.xlabel("Iterations (thousands)")
         plt.show()
                                Mean-squared error as loss
          4500
          4000
          3500
          3000
```

200

2500

2000

1500

400

600

Iterations (thousands)

800

1000

```
plt.title("Predictions vs Actual Scores")
plt.plot(y, predictions, 'b,')
plt.xlabel("Actual scores")
plt.ylabel("Predictions")
plt.show()

plt.title("Distributions of Scores")
plt.hist(predictions, bins=np.arange(0, 10, 0.2), alpha=0.5, label="Predictions")
plt.hist(y, bins=np.arange(0, 10, 0.2), alpha = 0.5, label="Actual scores")
plt.legend(loc="upper left")
plt.show()

plt.title("Distribution of Errors")
plt.hist(predictions - y, bins=np.arange(-5, 5, 0.2), color='r', alpha=0.5)
plt.xlabel("Deviation from predictions")
plt.show()
```

