

Practice Session – Problem Sheet

Write algorithms, draw flow charts for the following problems and solve them using python codes.

1. Program to print the following as it is in the screen.

```
Twinkle, twinkle, little star,  
    How I wonder what you are!  
        Up above the world so high,  
        Like a diamond in the sky.  
Twinkle, twinkle, little star,  
    How I wonder what you are
```

2. To find the factorial of a given number 'n' using while loop.

Sample Input/output:

Input n: 5
Output: 5 x 4 x 3 x 2 x 1 = 120

Input n =3
Output: 3 x 2 x 1 = 6

3. Program to print multiples of a given number.

Hint: modulus operator (%)

Sample Input/output:

Input n: 5
Output: 5,10,15,20,25,...

Input n: 3
Output: 3, 6, 9, 12, 15, 18,...

4. Program to find whether a number is divisible by 7 or not.

Sample Input/output:

Input n: 5

Output: The given number '5' is not divisible by 7.

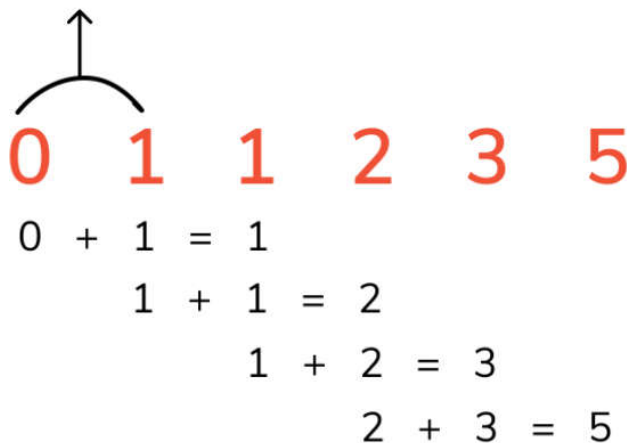
Input n: 14

Output: The given number '14' is divisible by 7.

5. To print the 'Fibonacci Sequence' series.

Fibonacci Series

Default



Sample Input/output:

Input: Number of terms n : 3

Output:

0, 1, 1

Input: Number of terms n : 5

Output:

0, 1, 1, 2, 3

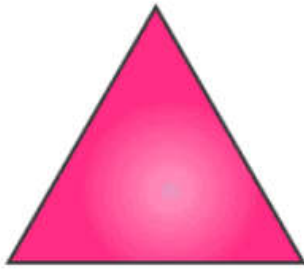
Input: Number of terms n : 9

Output:

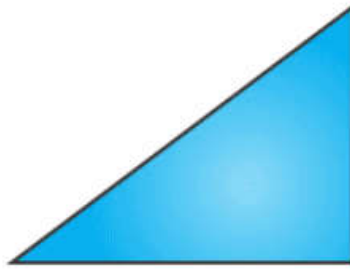
0, 1, 1, 2, 3, 5, 8, 13, 21

6. Check whether the given triangle is **Acute angle triangle**/ right angle triangle / **Obtuse angle triangle**. You can read three angles from user. Print the results legibly.

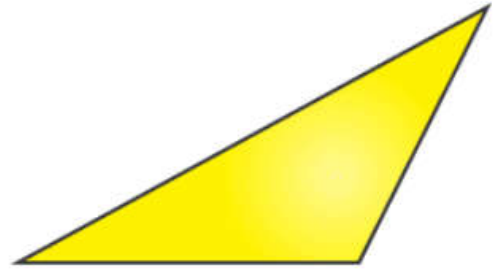
Types of Triangles:



Acute angle triangle



Right angle triangle

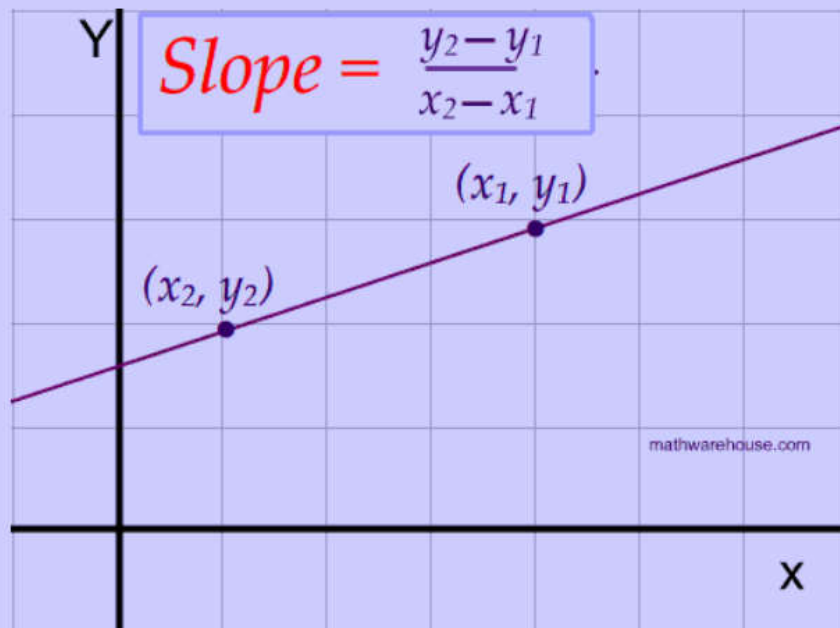


Obtuse angle triangle

1. **Acute angle triangle:** When the angle between any 2 sides is less than 90 degrees it is called an acute angle triangle.
2. **Right angle triangle:** When the angle between a pair of sides is equal to 90 degrees it is called a right-angle triangle.
3. **Obtuse angle triangle:** When the angle between a pair of sides is greater than 90 degrees it is called an obtuse angle triangle.

7. To find the slope of a given line. You can read the coordinates from users.

The slope of a line characterizes the direction of a line. To find the slope, you divide the difference of the y-coordinates of 2 points on a line by the difference of the x-coordinates of those same 2 points.



Example:

The **slope of a line** going through the point (1, 2) and the point (4, 3) is $\frac{1}{3}$.

Remember: **difference in the y values** goes in the numerator of formula, and the **difference in the x values** goes in denominator of the formula.

