PUNE INSTITUTE OF COMPUTER TECHNOLOGY, DHANKAWADI PUNE-43

MINI-PROJECT ON

NAÏVE STRING MATCHING AND RABIN-KARP STRING MATCHING ALGORITHMS

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DEPARTMENT OF COMPUTER ENGINEERING Academic Year 2022-23

PUNE INSTITUTE OF COMPUTER TECHNOLOGY, DHANKAWADI PUNE-43

CERTIFICATE



This is to certify that **Akshat Sharma (41103), Navin Bhandari (41112), Shubham Chemate (41118)** are students of B.E. (Computer Engineering Department) Batch 2022-2023, have satisfactorily completed a report on "**Naïve String Matching and Rabin-Karp String Matching Algorithms**" towards the partial fulfillment of the fourth year Computer Engineering Semester VII of SPPU.

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Introduction:

String Matching Algorithm is also called "String Searching Algorithm." This is a vital class of string algorithm that is declared as "this is the method to find a place where one of several strings are found within the larger string."

Algorithms used for String Matching:

There are different types of method is used to finding the string

- 1. The Naive String-Matching Algorithm
- 2. The Rabin-Karp-Algorithm
- 3. Finite Automata
- 4. The Knuth-Morris-Pratt Algorithm
- 5. The Boyer-Moore Algorithm

Problem Statement:

Implement the Naive string-matching algorithm and Rabin-Karp algorithm for string matching. Observe difference in working of both the algorithms for the same input.

Objective:

Implement the Naive string-matching algorithm and Rabin-Karp algorithm for string matching. Observe difference in working of both the algorithms for the same input.

Theory:

The "Naive" Method

Its idea is straightforward — for every position in the text, consider it a starting position of the pattern and see if you get a match. The "naive" approach is easy to understand and implement but it can be too slow in some cases. If the length of the text is n and the length of the pattern m, in the worst case it may take as much as (n * m) iterations to complete the task.

Algorithm:

Rabin Karp Algorithm

This is the "naive" approach augmented with a powerful programming technique – the hash function. Every string s[] of length m can be seen as a number H written in a positional numeral system in base B ($B \ge$ size of the alphabet used in the string):

H = s[0] * B(m-1) + s[1] * B(m-2) + ... + s[m-2] * B1 + s[m-1] * B0 If we calculate the number H (the hash value) for the pattern and the same number for every substring of length m of the text than the inner loop of the "naive" method will disappear – instead of comparing two strings character by character we will have just to compare two integers.

Algorithm:

```
ht = 0;
      for (i = 0; i < m; i++)
             ht = int mod(ht * B + text[i], M);
      if (ht == hp) //check character by character if the first segment of the text matches the
pattern;
      // start the "rolling hash" - for every next character in
      // the text calculate the hash value of the new segment
      // of length m; E = (Bm-1) modulo M
      for (i = m; i < n; i++)
             ht = int \mod(ht - int \mod(text[i - m] * E, M), M);
             ht = int mod(ht * B, M);
             ht = int mod(ht + text[i], M);
             if (ht == hp) check character by character if the current segment of the text
matches the pattern;
       }
}
Code:
#include <bits/stdc++.h>
using namespace std;
#define d 256
void RabinKarpSearch(string pat, string txt, int q)
{
    int M = pat.size();
     int N = txt.size();
    int i, j;
     int p = 0;
     int t = 0;
     int h = 1;
     for (i=0; i<M-1; i++)
         h = (h * d) % q;
     for (i=0; i<M; i++) {
         p = (d * p + pat[i]) % q;
         t = (d * t + txt[i]) % q;
     }
     for (i=0; i<=N-M; i++) {
         if (p == t) {
              for (j=0; j<M; j++) {
                  if (txt[i+j] != pat[j]) {
                       break;
                   }
              }
              if (j == M){
                   cout<<"\nPattern found at index "<<i<<endl;</pre>
```

```
return;
             }
        }
        if (i < N-M) {
             t = (d * (t - txt[i] * h) + txt[i + M]) % q;
             if (t < 0)
                 t = (t + q);
        }
    }
    cout<<"\nPattern not found"<<endl;</pre>
}
void NaiveSearch(string pat, string txt)
    int M = pat.size();
    int N = txt.size();
    for (int i=0; i<=N-M; i++) {
        int j;
        for (j=0; j<M; j++)
             if (txt[i+j] != pat[j])
                 break;
        if (j == M){
             cout<<"\nPattern found at index "<<i<<endl;</pre>
             return;
        }
    }
    cout<<"\nPattern not found"<<endl;</pre>
}
int main()
{
    string txt;
    string pat;
    cout<<"\nEnter text: \n";</pre>
    getline(cin, txt);
    cout<<"Enter pattern: \n";</pre>
    getline(cin, pat);
    while(true){
        cout<<"\n*MENU*\n"<<endl;</pre>
        cout<<"1. Naive String Matching"<<endl;</pre>
        cout<<"2. Rabin Karp String Matching"<<endl;</pre>
        cout<<"3. Exit"<<endl;</pre>
        int c;
        cout<<"\nEnter choice: ";</pre>
        cin>>c;
```

```
if(c == 1){
          NaiveSearch(pat, txt);
}
else if(c == 2){
          int q = INT_MAX;
          RabinKarpSearch(pat, txt, q);
}
else if(c == 3){
          break;
}
else{
          cout<<"\nEnter valid choice."<<endl;
}
return 0;
}</pre>
```

Output:

```
Enter text:
hello pict world
Enter pattern:
pict
*MENU*
1. Naive String Matching
2. Rabin Karp String Matching
3. Exit
Enter choice: 1
Pattern found at index 6
*MENU*
1. Naive String Matching
2. Rabin Karp String Matching
3. Exit
Enter choice: 2
Pattern found at index 6
*MENU*

    Naive String Matching

2. Rabin Karp String Matching
3. Exit
```

Time Complexity and Performance:

Naive Algorithm

Time Complexity - $O(n^2)$

Rabin Karp Algorithm

```
Time Complexity -
Best Case - O(n + m)
Worst Case - O(nm)
```

Conclusion:

Thus, in this assignment we have studied different algorithms for string matching like Naive method and Rabin Karp algorithm. We also compared the time complexity of these two algorithms and found that Rabin Karp has the best-case time complexity among the two.

References:

https://www.geeksforgeeks.org/rabin-karp-algorithm-for-pattern-searching/ https://www.geeksforgeeks.org/naive-algorithm-for-pattern-searching/