

List - Mutable Row * Col
Tuple - Immutable

It stores from list & tuple

(i) Array()

⇒ import numpy as np

a = np.array([1, 2, 3, 4]) ⇒ One-dimensional list.
print(a)
array([1, 2, 3, 4])

⇒ np.array([[1, 2], [3, 4]]) 2-d - array
print array([[1, 2],
[3, 4]])

⇒ np.array([1, 2, 3], dtype="complex")

print array([1+0j, 2+0j, 3+0j])

⇒ np.array((1, 2, 3)) tuple -
1-d array

print array([1, 2, 3])

(ii) Array() ⇒ Creates Array of evenly spaced value

like - a[slice()] in a loop

array([start], stop[, step], dtype=np.
opt | cont. | comp | opt | opt | opt)

⇒ import numpy as np.

np.arange(1, 10)

print array([1, 2, 3, 4, 5, 6, 7, 8, 9])

— stop value

- ⇒ np.arange(3.0, 7) → generates array
array([3.0, 4.0, 5.0, 6.0]) → 3 rows
- ⇒ np.array([20, dtype = "complex"]) →
array([0. + 0.j + 1. + 0.j + ... + 19. + 0.j])
- ⇒ np.arange(1, 10, 2) →
array([1, 3, 5, 7, 9]) → 5 rows
- ⇒ np.arange(1, 10, 2, dtype = "float") →

Zeros()

- ⇒ np.zeros(3) → creates 3 rows of zeros → 3 rows
- ⇒ Create a Array filled as zeros.
- ⇒ import numpy as np → help(np.zeros)
- ⇒ np.zeros(3, dtype = float) → 3 rows of float values
- ⇒ np.zeros(3, dtype = float, order = 'A') → 3 rows of float values
- ⇒ np.zeros(3, dtype = float, order = 'F') → 3 columns of float values
- ⇒ np.zeros((3, 3)) → 3 rows and 3 columns of float values
- ⇒ np.zeros((2, 3)) → 2 rows and 3 columns of float values
- ⇒ np.zeros((2, 3)) → tuple → array of 2 rows and 3 columns of float values

↳ np.zeros([3, 4]) → list of
array([0., 0., 0., 0.], [0., 0., 0., 0.],
[0., 0., 0., 0.])

Ones()

↳ Create Array filled with ones.
Same as - zeros()

Linspace()

↳ Create Array filled evenly spaced
values "linspace([start, stop], num=50,"
"copy: include")

↳ import numpy as np

np.linspace(1, 100, num=5)

array([1. , 25. , 50. , 75. , 100.])

np.linspace(1, 100, num=5, endpoint=False)
array([1., 20.8, 40.6, 60.4, 80.2])

np.linspace(1, 100, num=9, offset=step=True)
array([1., 34., 67., 100.]), 33.0)

np.linspace(1, 10, num=4, dtype=int)
num default = 50

+ Numpy Random Module :-

- (i) `rand()`
- (ii) `randn()`
- (iii) `randf()`
- (iv) `randint()` - return integer

⇒ import numpy as np
help(np.random)

⇒ np.random.rand - Create random array of the given shape and populate it with random samples from a uniform distribution.

~~all positive~~ np.random.rand (~~shape~~)
value np.random.rand (s) array ([0.00000000e+00 , 0.00000000e+00 , 0.95490233e-01 , 0.00000000e+00 , 0.00000000e+00]) np.random (2, 5) array ([[0.45359453 , 0.70724718 , 0.59378249 , 0.52048386 , 0.4802555] , [0.74238983 , 0.41157971 , 0.79193995 , 0.54678358 , 0.44477427]])

np.random.randn - contain positive and negative value means of random float values

array ([1.4 , 0.5 , -1.14 , 0.83 , -1.51])

np.random.randf - return float value.

np.random.randint - return int value.

np.random.randint (s, size=(2,2))
array ([[4, 3] , [2, 0]]) random range - 0 - 4
size = array size

+ Attribute of array's

⇒ import numpy as np
a = np.array([[[1, 2, 3], [4, 5, 6]]])

⇒ a.ndim = 2

tell the dimension of array

⇒ Shape :-

Tell the ~~no.~~ number of rows, columns

a = np.array([[1, 2, 3], [4, 5, 6], [7, 8, 9]])

a.shape

⇒ (3, 3)

⇒ Size :- Tell the ~~no.~~ of total no' of elements

a = np.zeros((2, 3, 4))

C-size

$$= 2 \times 3 \times 4 = 24$$

⇒ Dtype :- ~~datatype~~

= dtype('float')

itemsize \Rightarrow contain the memory

given itemsize = 8 bytes - ~~contains~~

because the size of each element

given float size = 8 bytes - ~~contains~~

if a = np.array([1, 2, 3]) then itemsize = 8 bytes

so given a = np.array([1, 2, 3]) then itemsize = 8 bytes

Numerical Data types

- (i) Boolean - bool values - `True`, `False`
- (ii) Integers - `int16`, `int32`, `int64`
- (iii) float - `float16`, `float32`, `float64`
- (iv) Unsigned integer - `uint8`, `uint16`, `uint32`
- (v) complex - `complex64`, `complex128`

`int = np.int16` - 64 bit integer

`int8 = np.int8` - 8 bit integer - $-128 \text{ to } 127$

`int16 = np.int16` - $-32768 \text{ to } 32767$

`int32 = np.int32` - $-2147483648 \text{ to } 2147483647$

`int64 = np.int64` - $-9223372036854775808 \text{ to } 9223372036854775807$

+ `b = np.zeros(16, dtype=np.int8)`

+ Use as a function to change data type

* `x = np.float32(1)`

+ If array is created then we can change a data type -
`a.astype(np.int8)`

Indexing :- 1. 1-dimensional

(ii) 1-d array

$a = \begin{bmatrix} 1 & 2 & 3 & 4 & 5 & 6 \end{bmatrix}$
$a[3] = 4$

$$\left. \begin{array}{l} a[-2] = 4 \\ a[1] = 2 \end{array} \right\}$$

\Rightarrow import numpy as np
 $a = np.array([1, 2, 3, 4, 5, 6])$

(iii) 2-d array

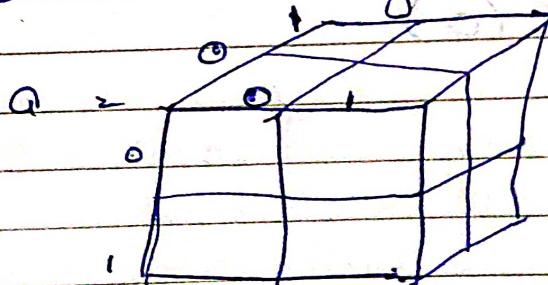
$a = \begin{bmatrix} 1 & 2 & 3 \\ 4 & 5 & 6 \\ 7 & 8 & 9 \end{bmatrix}$

$$\begin{aligned} a[1][1] &= 2 \\ a[-2][-1] &= 2 \end{aligned}$$

$$(1) \text{ if } a = X$$

$$a[0][0] = 2$$

(iv) 3-d array



$a[1][1][1]$

$$c = [[[1, 2, 3], [4, 5, 6]], [[7, 8, 9], [10, 11, 12]]]$$

$$\text{array} = \{[[1, 2, 3],$$

$$[4, 5, 6]],$$

$$[[7, 8, 9], [10, 11, 12]]\}$$

$$a[0][0][1] = 2$$

$$a[1][1][2] = 2$$

Operation in Numpy

(ii) 1-d array slicing

$a[:]$ = full array : i.e. $a[: 5 : 1]$

$a[1:]$ = starting index.

$a[: 0]$ = ending index

$a[1:3]$ = starts at 1 and ends at 2 because 3 is exclude.

$a = np.array([1, 2, 3, 4, 5])$

$a[1::2]$ = start with 1, index = 2 skip at 2 index - means ->

print (a[1::2]) = return array

(ii) 2-d array

$a[start : end : step]$, $a[start : end : step]$

(row, column)

$a = np.array([[1, 2, 3], [4, 5, 6], [7, 8, 9]])$

array([[1, 2, 3], [4, 5, 6], [7, 8, 9]])

i=1 : $\begin{bmatrix} 1 & 2 \\ 4 & 5 \end{bmatrix}$

i=2 : $\begin{bmatrix} 4 & 5 & 6 \\ 7 & 8 & 9 \end{bmatrix}$

x[1:, 1:]

array([[2, 3], [5, 6], [8, 9]])

x[:, :, 0] is entire array in 3rd dimension

[1, 2, 3, 4, 5, 6, 7, 8, 9]

to select - skip index 2nd position.

3-d array: $a[i:j:k, l:m:n, o:p:q]$
or step & end: step, start, end.

$a = [1, 2, 3, 4, 5, 6, 7, 8, 9]$ b = [1, 2, 3, 4, 5, 6, 7, 8, 9]

+ Advanced Indexing:

Basic Index - slicing or simple call element
+ $a[2:5, 1:3, 0:2]$ integer number or slice
+ $a[::2]$ index

L - dimension - number of dimensions

Advanced Index - 2 types - 1) List

- Integer Index

- boolean Index

c = ab = np.array([1, 2, 3, 4, 5, 6, 7, 8])
b = np.array([1, 3, 5])

print(a[b]) = [2, 4, 6] array. pass index as
a[[1, 3, 5]] = [[2, 4, 6]] array. 1d in the form
of list

([[1, 2, 3], [4, 5, 6], [7, 8, 9]])

c = np.array([[1, 2, 3], [4, 5, 6], [7, 8, 9]])

Also c[[0, 1, 2], [0, 1, 2]] = np.array([[1, 2, 3], [4, 5, 6], [7, 8, 9]])
also reshape - a[[1, 4, 1, 1]] = [[2, 5, 2, 2]]

Boolean a = np.array([-1, -2, 3])

$\Rightarrow a[a < 0] = [-1, -2]$ and $a[a > 0] = [3]$

$a = [a < 0] * 2 + \text{array}([+4, -4])$, $a = 0$

Arithmetic operation on array:-

$a = np.array([1, 5])$ Using scalars

Several operations on 1-d array

$a - 1$, $a + 2$, $a / 2$, $a + 2$, $a^{1/2}$ (square)

$a \% 2$, same operation as 2-d array.

$b = np.array(6, 10)$

Then add same shape of array.

$= a + b \neq a * b$, $a - b$, a / b etc

Same as 2-d array.

When shape is different of 2 arrays
then we use Broadcasting-

Broadcasting Rules - (i) size of each dimension be
some.

(ii) size of one of the dimensions
is 1

Rule-1 shape,

$a = (3, 2)$, $c = (1, 2)$ left side of will be
dimension. right one dimension
one of dimension is 1.

Rule 2 $a = (3, 2)$, $b = (1, 3)$

$3 \neq 2$ so we can't add this array

1-dimension is one satisfy - so this show an error

Rule-3 $a = (3, 2)$, $b = (2, 3)$ show error
because of one-dim.

So solve this problems :-

If rule satisfy 1 -

$a = (3, 1)$ $b = (1, 3)$

So, we stretch the array.

$a = (3, 3)$ $b = (3, 3)$ copy element

+ Array Manipulation

(Reshaping, splitting, flattening, shifting, Add/Remove, Joining)

+ Reshape :- 1-d-array to 2-d-array

numpy.reshape(array, shape, order)

* returns 1d array

(Some time it's copying the element)

$a = np.arange(10)$

$a.shape = (10, 1)$ like this it's row wise

$b = np.reshape(a, (5, 2))$ default order

Also $a.reshape((5, 2))$ If columns wise

If cannot change data size of element be same in both arrays after operation of array. Only change otherwise it shows error

Reshape :- It will be change the data

numpy.reshape(arrayname, shape)

$\Rightarrow a = np.array([1, 2, 3])$ — contains - selected array

$np.reshape(a, (2, 3))$ — contains - 6 - elements

array([1, 2, 0, 1, 2, 3]) In this start with initial.

$\Rightarrow a.reshape((2, 3))$ then it change the inversion of array copy the element at every position

+ flattening :- flatten method - copy →
 collapse to the one-dimension
 2-d or 3-d to, 1-d array
 $\text{np.flatten}(\text{order} = 'c')$
 K-order occurs - Row major
 in memory. F - column major

$$a = \begin{bmatrix} [2, 3] \\ [3, 4] \end{bmatrix}, \\ a.\text{flatten}() = [2, 3, 3, 4]$$

2) ravel:- If it is necessary then copy it
 $\text{np.ravel}(a, \text{order})$
 $a.\text{ravel}(\text{order})$
 difference - If it need copy - it is function
 flatten is a object

+ Transpose :- $\text{numpy.transpose}(\text{array, axes=None})$
 If reverse the dimension.

$$a = \begin{bmatrix} [1, 2] \\ [3, 4] \\ [5, 6] \end{bmatrix} = \text{np.transpose}(a) \\ = \text{array}([1, 3, 5], [2, 4, 6])$$

$$\text{If } b = b.\text{shape}(2, 3, 4)$$

After transpose(b).shape = (4, 3, 2)

only use in 2-d, 3-d, 4-d arrays

or - 2nd axis = (0, 1) reverse
 = (1, 0) default same order.

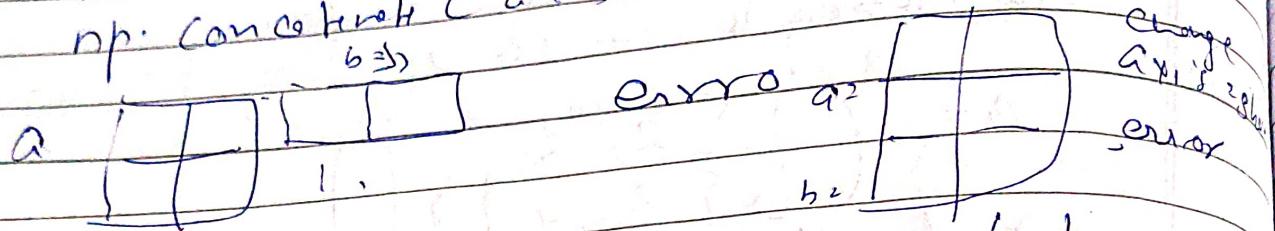
Swap axis = ~~use~~ $\text{numpy.swapaxes}(\text{array, axis1, axis2})$
 (0, 1)

+ Joining or Concatenate of array :-

np.concatenate (array, axis=0, out=None)

$a = [1, 2, 3, 4, 5]$ ($= np.zeros(10)$)
 $b = [1, 2, 3, 4, 5]$

np.concatenate (at b, out=c)



+ \Rightarrow np.vstack (tuple) Same as but not change the array Only concate the column.

or. shape $(s, 1)$ shape $(s, 1) = (s, 2)$
 $(s, 1) (s, 1) = (s, 1)$ 2 rows

+ np.hstack = horizontally.
1-d array = axis=0 shape 1-d.
2-d, 3-d - axis=1

+ Split () np.split (array, section, axis)
 $a = np.arange(10)$
 $a np.split(a, 2) = (1-s)(s-1), 3 = error$ out of
vsplit, hsplit :

Insert:- np.insert (array, obj, value, index, axis=None)

np.insert (a, i, sb)
multiple (1, 2)

For 2-d initially flatten then
insert if a

`append()` \Rightarrow `np.append(array, value, axis = None)`

insert in last position
`at = (0, 88, 3), axis=0)`

`delete()` \Rightarrow `np.delete(array, obj, axis = None, index).`

Matrix :- Rectangular array of data.

Matrix Addition - simple addition 2 array of 2-d. $a + b$

Matrix multiplication are different.
we use 'dot' method

$$\begin{array}{|c|c|} \hline 1 & 2 \\ \hline 3 & 4 \\ \hline \end{array} + \begin{array}{|c|c|} \hline 10 & 20 \\ \hline 30 & 40 \\ \hline \end{array} \rightarrow \begin{array}{|c|c|} \hline 70 & 100 \\ \hline 150 & 220 \\ \hline \end{array}$$

$a * b$ = simple multiplication
 $a \cdot \text{dot}(b)$ = matrix multiplication

`transpose` :- which flip the matrix.
Same as $= a^T$

`np.matrix(data, dtype = None, copy = True)`
`a = np.matrix([1, 2, 3, 4])` - astuple
`matrix([[1, 2], [3, 4]])` - class

`b = matrix` \Rightarrow $a * b$

\Rightarrow $a * b$ used dot
if we use array
if we use matrix
class then use +

Transpose = $A \cdot T \rightarrow \begin{bmatrix} 1 & 2 \\ 3 & 4 \end{bmatrix} \rightarrow \begin{bmatrix} 1 & 3 \\ 2 & 4 \end{bmatrix}$

+ Inverse :- $A \cdot A^{-1} = I$ Identity Mat.

$\Rightarrow \text{numpy.linalg.inv}(a)$

Inverted a matrix

$$a \left(\begin{bmatrix} 1 & 2 \\ 3 & 4 \end{bmatrix} \right) \rightarrow \left(\begin{bmatrix} -2 & 1 \\ 1.5 & -0.5 \end{bmatrix} \right)$$

+ power = $\text{np.linalg.matrix_power}(a, n)$
 $a^{**n} = a \cdot a$ $n = \text{power}$

For neg. first inverse then square of it.

+ Linear Equation :- $x + y = 10, 2x + 2y = 20$

Find out the x & y value

$\text{np.linalg.solve}(a, b)$ a - array containing

$$\text{eg} - 3x + y = 9 \quad a = \begin{bmatrix} 3 & 1 \\ 1 & 2 \end{bmatrix} \quad b = \begin{bmatrix} 9 \\ 8 \end{bmatrix} \quad x = \begin{bmatrix} x \\ y \end{bmatrix}$$
$$x + 2y = 8$$
$$\text{np.linalg.solve}(a, b) = \text{array}([2, 3]) \quad x = 2, y = 3$$

Also solve big equations -

+ Determinant of a Matrix :- It is calculated from the diagonal of a matrix.

Square Matrix $A \rightarrow \begin{bmatrix} a & b \\ c & d \end{bmatrix} \rightarrow |A| = ad - bc$

$\text{np.linalg.det}(a)$

$\text{round}(\cdot) = \text{round of the value}$.

$$\begin{vmatrix} a & b & c \\ d & e & f \\ g & h & i \end{vmatrix} = aei - (h) - b(di - fg) + c(dh - eg).$$