

Interpreting Output



```

1 model = smf.glm(formula='Response~Age',data=data,family=sm.families.Binomial())
2 result = model.fit()
3 print(result.summary())

```

Generalized Linear Model Regression Results

```

=====
Dep. Variable:                Response    No. Observations:                92
Model:                        GLM         Df Residuals:                    90
Model Family:                 Binomial    Df Model:                        1
Link Function:                 logit       Scale:                          1.0000
Method:                       IRLS        Log-Likelihood:                 -24.968
Date:                         Wed, 26 Dec 2018    Deviance:                      49.937
Time:                         01:07:16         Pearson chi2:                   46.3
No. Iterations:                7            Covariance Type:                nonrobust
=====

```

	coef	std err	z	P> z	[0.025	0.975]
Intercept	-20.4078	4.523	-4.512	0.000	-29.273	-11.542
Age	0.4259	0.095	4.492	0.000	0.240	0.612

```

=====

```

```
1 result.null_deviance
```

123.15634524584677



Interpreting Output- Deviance

Deviance or Residual Deviance is similar to SSE in the sense it measures how much remains unexplained by the model built with predictors included.

Null Deviance shows how well the model predicts the response with only the intercept as a parameter. The intercept is the logarithm of the ratio of cases with $y=1$ to the number of cases with $y=0$. This is similar to SST, which gives total variation when all coefficients are zero (null hypothesis).



Interpreting Output- Testing the overall Model

The *z-values* and the associated *p-values* provide significance of individual predictor variables.

Python outputs AIC (Akaike's Information

Criterion) and you need to pick the model with the lowest AIC.

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```
123.15634524584677
```

```
1 result.aic
```

```
53.936628910751196
```



Interpreting Output- Testing the Overall Model

- AIC provides a means for model selection.
- ***AIC = D + 2k, where k is the # of parameters in the model*** including the intercept.
- AIC is *similar to Adjusted R²* in the sense it penalizes for adding more parameters to the model.
- It offers a relative estimate of the information lost when a model is used to represent the process that generated the data.
- It does not test a model in the sense of null hypothesis and hence doesn't tell anything about the quality of the model. It is only a relative measure between multiple models.
- $AIC = n \log(SSE/n) + 2k$ for Ordinary Least Squares



Logistic Regression – Pseudo R^2

- Note that R^2 is not defined in Logistic Regression

- McFadden's Pseudo R^2

$$\text{Pseudo } R^2 = 1 - \frac{\text{Residual Dev}}{\text{Null Dev}}$$

$$= 1 - \frac{49.937}{123.156} = 0.59$$

```
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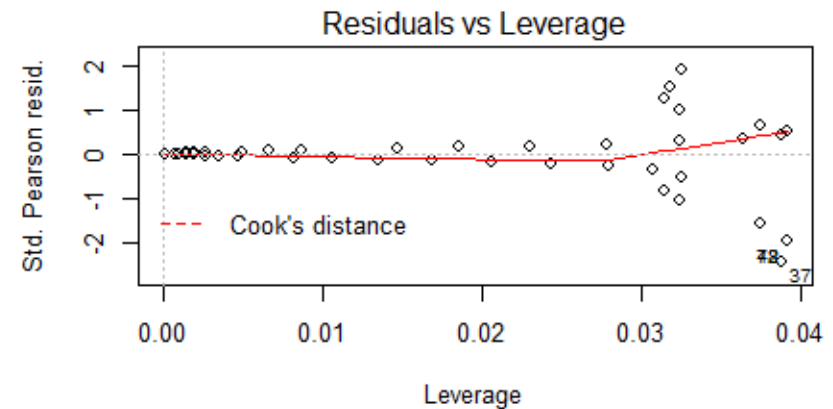
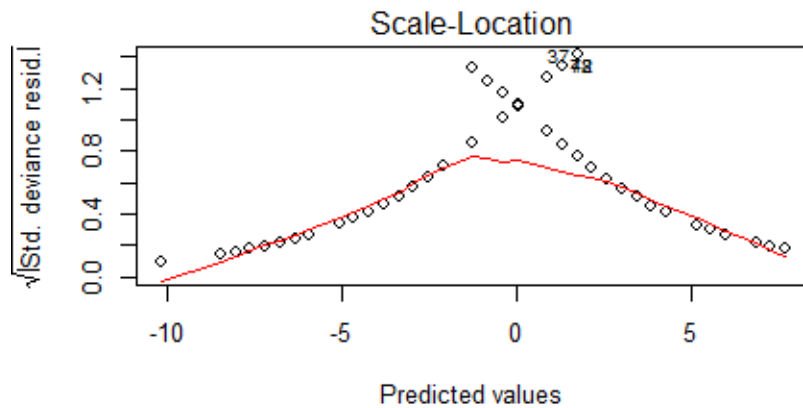
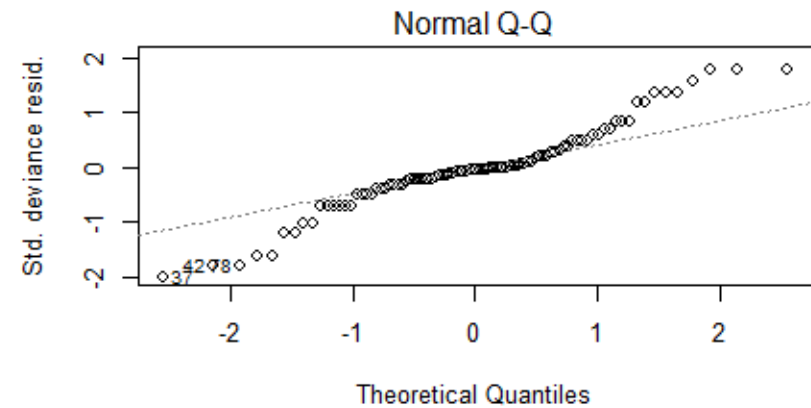
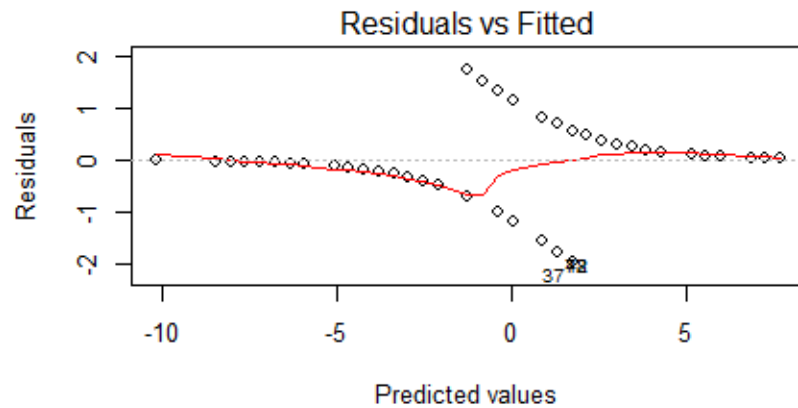
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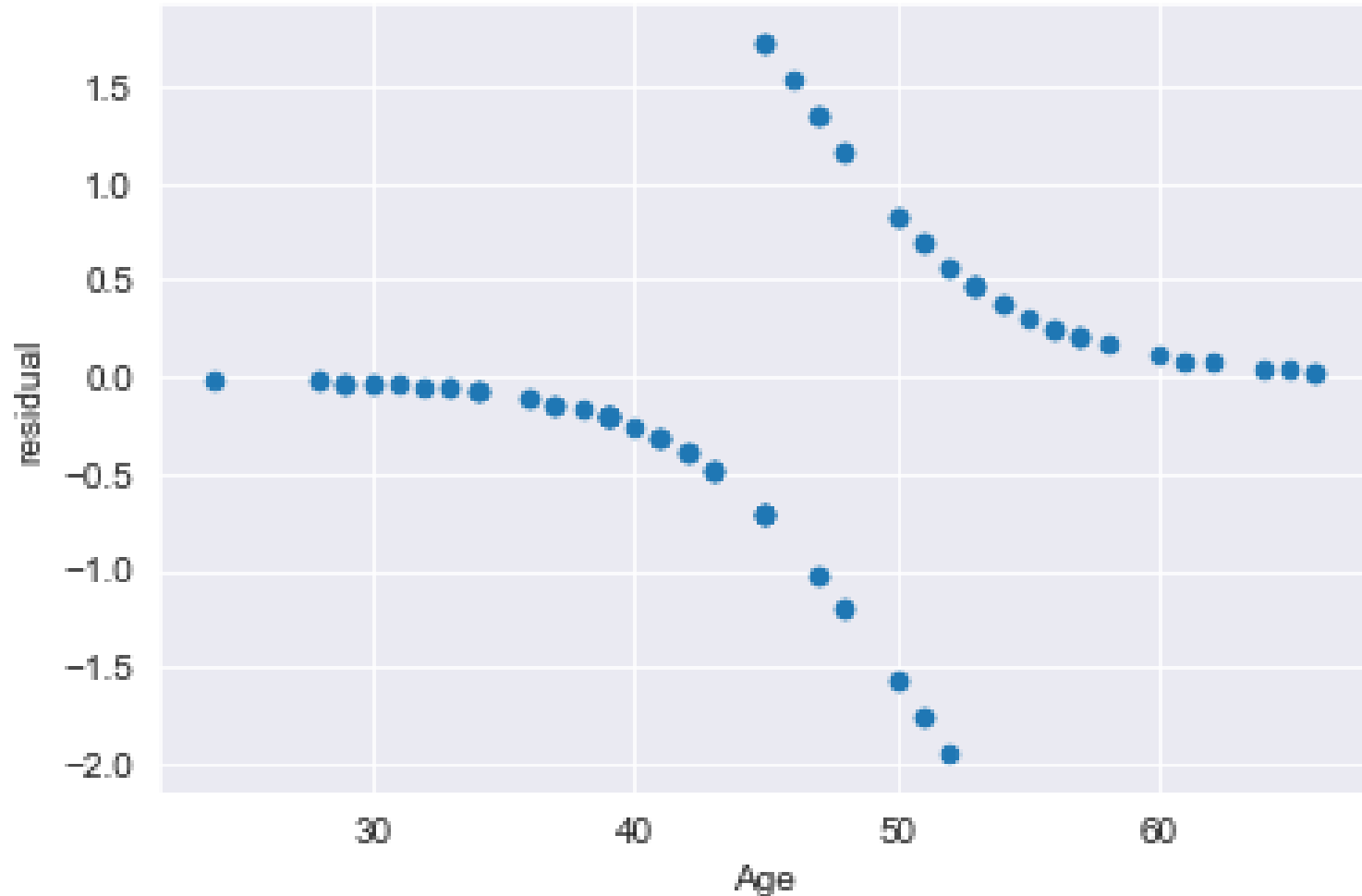
123.15634524584677



Residual Plot



Understanding Residual Plot



Reference

Head First Statistics

