

Tools:

git: learn it.

you can "version" your code, make changes, recall past versions and settings (called: "history").

File-by-file and line-by-line changes to track "diffs".

An (almost) perfect audit of your work.

- Not required to learn but 3% <sup>(overall)</sup> grade extra credit if all your projects (with history) available in git. Note: cannot do it all at the end, must have evidence throughout course.

- I will post a link to tutorial but basic idea is:

"Add file, ~~commit~~, edit, add, commit.

- Distributions for Windows and Linux (and Mac).

latex: not required but fast and efficient layout (typesetting) tool. You can automatically generate document w/ latest images, etc. You can also break your reports into bitesize pieces.

Benefit: All text based so you can version (and search) your project reports right along with your code.

PhD: you will eventually need.

Masters: good skill to have.

"The not so short introduction to latex" (Ch: 1,2,3)

EES11

Languages:

Matlab: free for students (software.use.edu).

most class examples will use Matlab because it allows rapid prototyping.

Both TAs are strong with Matlab.

Java, C/C++: some of my favorites but I don't recommend for this class. Very useful for the same problems during research due to execution speed.

Python: Powerful general purpose computing language. A good skill to develop. and relatively easy to learn.

I recommend python v3.6 unless you have specific compatibility needs (its complicated).

Recommended packages: scipy, numpy, matplotlib

↓                      ↓                      ↓  
 "scientific" computing    array processing    plotting library.

R: powerful statistics tool. Very practical resume builder.

The "lingua franca" in many big data and information processing fields.

For beginners, I suggest: RStudio. It provides a nice command window interface and simplifies dealing with graphics and packages.

Others: Excel, Perl, ... whatever you like.

Coding Style:

#1 Rule: make it readable. It should be clear enough even to someone not familiar with the syntax for a particular language.

## Hints:

1. Comment code, document reasoning, describe assumptions, numeric considerations (valid ranges, etc.).

**\*\* required for EES11 \*\***

2. Make code readable

- comment should be helpful, not superfluous.
- nice indenting
- descriptive variable names

---

see syllabus: not necessarily marked down if not but if the grader cannot follow/parse your code they will deduct.

TAs can help with general methods, but they might not be able to diagnose specific failures, compilation issues, etc.

↓  
Post to Piazza.

Moral: "know your gear" before you start and

"know what you expect" before every experiment.

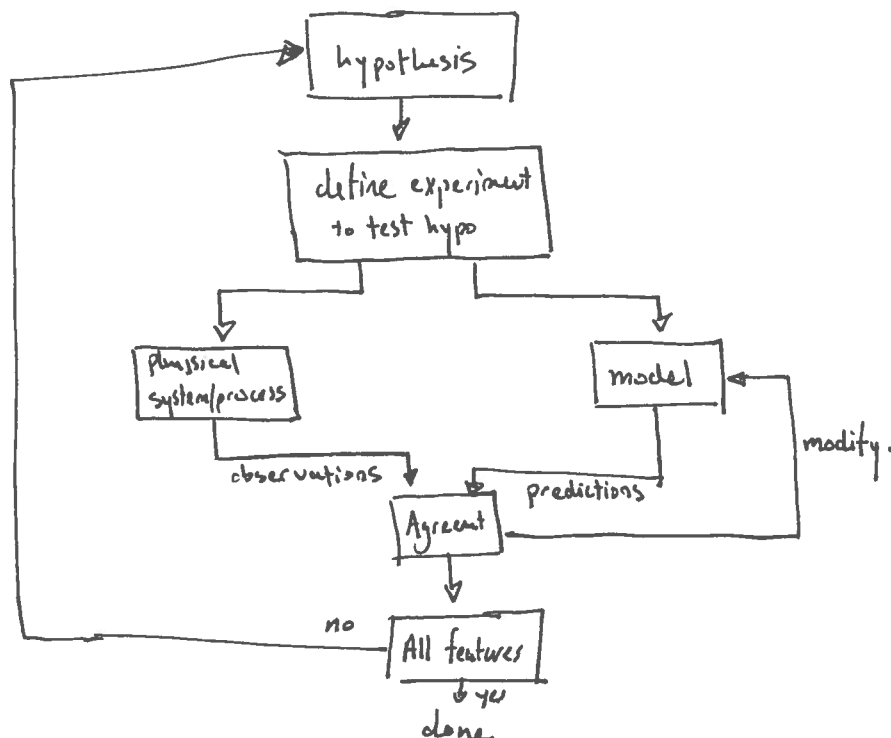
To encourage new efforts:

receive +2% to overall grade for submitting a different language than your previous projects (max: 4%).

so submitting project 1 with Matlab, Project 2 with C/C++, and project 3 with python gives +4% class grade.

Some theory:

Mathematical models: explain observed behavior using simple and understandable rules with measurable properties.



## EES11

Each of these steps require modeller input and each decision requires an expert opinion.

For EES11: you are the expert.

Iterative process continues until model is sufficient (or run out of funding)  
(good enough)

### Types of models:

#### 1. Deterministic model.

exact inputs produce same output.

Consider electrical circuit:  $V = i \cdot R$ . In this model knowing  $i$  and  $R$  gives the "exact" (theoretical) voltage.

Note: repeating the experiment yields the exact same model prediction.

#### 2. Probability models

exact inputs produce different outputs (usually).

Defn: A random experiment is an experiment in which the outcome varies in an unpredictable fashion when the experiment is repeated under the same condition.

\* You cannot generally use a deterministic model for random experiments.

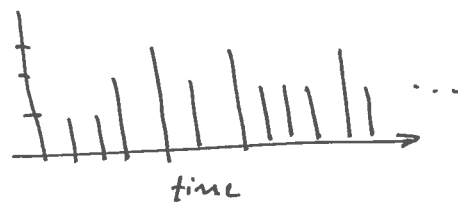
Ex: 3-ball urn experiment.



1. randomize and select.
2. record number and return

experiment outcome: number from set  $S = \{1, 2, 3\}$ .

Repeat the experiment many times: 1, 1, 2, 3, 2, 3, 1, ...



summary  
method!

plot the raw samples  
(just the data).

Q: Does order really matter?

probably, consider plotting sorted:



In this class we take advantage of Statistical Regularity

regularity is a means to quantify predictability.

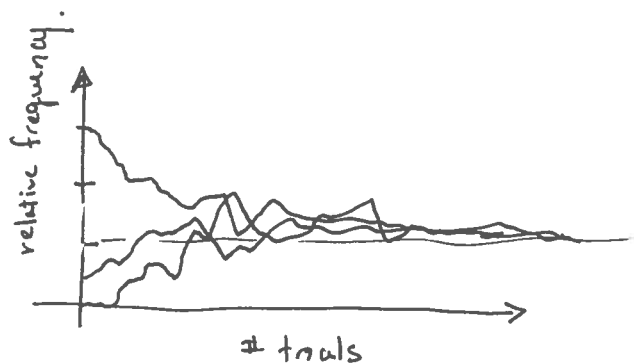
Many models rely on the fact that averages of long sequences of experiments (each called a "trial") will yield approximately the same value.

Ex: Let  $N_1(n)$ ,  $N_2(n)$ , and  $N_3(n)$  be the number of times the experimental outcome is 1, 2, and 3 respectively.

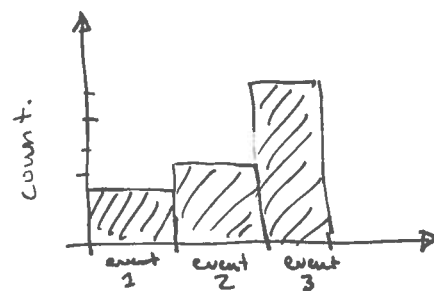
Define: the relative frequency  $f_K(n) = \frac{N_K(n)}{n}$

Statistical regularity means that  $f_K(n)$  varies less-and-less as  $n$  gets large

Specifically:  $\lim_{n \rightarrow \infty} f_K(n) = P_K$   $\nwarrow$  constant  $P_K$  is called the probability of outcome  $K$ .



summary method: plot relative frequency (or count) vs # trials.



summary method: plot counts for each outcome (or range of outcomes).

Statistical regularity means we could re-run the trials **\*\*HISTOGRAM\*\*** and each may start with very different relative frequencies but they will eventually all converge to the same point.

By simulation result,  $P_k \rightarrow \frac{1}{3}$  for each outcome (agrees with intuition).

Consider: modify experiment and add additional #1 to urn.  
then  $P_1 = \frac{1}{2}$ ,  $P_2 = \frac{1}{4}$ ,  $P_3 = \frac{1}{4}$ .

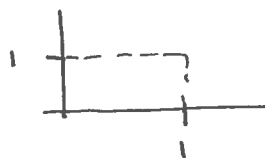
EES11 considerations: Project #1.

Just flipping a coin ... as "easy" as it gets (0 or 1).

Hint: Use the `rand()` function in your preferred language.

Assuming  $x \sim U[0, 1]$ .

then threshold:



$\text{rand}() \geq 0.5 \leftarrow \text{Head}$

$\text{rand}() < 0.5 \leftarrow \text{Tail}$

Bernoulli trial

random experiment with two possible outcomes  
0, 1 / H, T, etc.

Q: Does it matter if you switch?  
(no).

EES11

Coding hints:

1. Put your experiment in a function (or lang. equivalent)
  - you can easily invoke with different parameters without having to disrupt your algorithm code.

Naming:

Bad: experiment1() // return 0 or 1.

Better: flip-coin()

Better: flip-coin(0.5) // "H" probability.

Best: flip-coin-n(0.5, 50) // multiple flips.  
(maybe faster in some languages).

2. Start building a "library" of useful functions for re-use.

e.g. flip-fair-coin()  
return flip-coin(0.5).] → within reason, note the  
"factorial problem" in the extreme.