

Progressive Clustering: An Unsupervised Approach Towards Continual Knowledge Acquisition of Incremental Data



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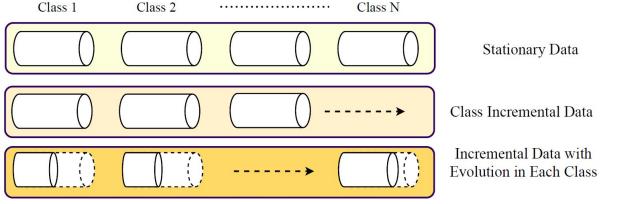


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Data Acquisition in Real World



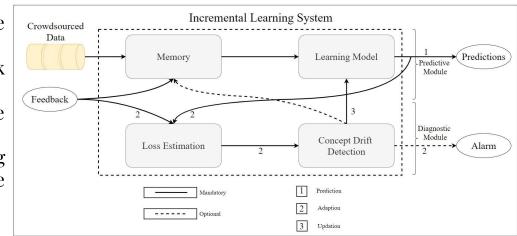
- Various fields of data mining and machine learning applications involves clustering as their principal component, considering non incremental nature of the data.
- Existing algorithms lack to capture temporal dependencies in a natural, data-driven manner.
- In addition, the model needs to acquaint to the continuous change in the distribution of the input data.
- Dynamically growing data requires models preservation of previously learnt knowledge and acquire new knowledge.
- Towards this, we design algorithm to generate data that has different number of classes in each phase with varied sample size from each class.



Data Acquisition in Real World



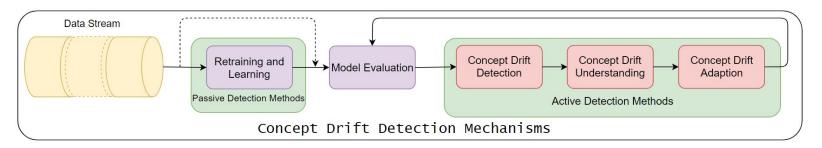
- Class Incremental Learning:
 - the number of classes across different phases is fixed;
 - o classes appearing in earlier phases will not appear in later phases again;
 - o training samples are well balanced across different classes in each phase.
- Objectives:
 - To address incremental data to identify evolving clusters.
 - Concept Drift detection and handling.
- There is a need of strategies to handle the incremental nature of the data
 - that clusters the current data chunk from antecedent models knowledge.
 - that adapt to the change in the the behaviour of the data over time.
 - o to design deep dynamically growing models that adjust itself with the distribution of the dataset.



Concept Drift



- In predictive analytics and machine learning, the concept drift means that the statistical properties of the target variable, which the model is trying to predict, change over time in unforeseen ways. This causes problems because the predictions become less accurate as time passes.
- To prevent deterioration in prediction accuracy because of concept drift:
 - Passive Methods
 - The model is continuously updated: By retraining the model on the most recently observed samples or enforcing an ensemble of classifiers.
 - Active Methods
 - Rely on triggering mechanisms: To explicitly detect concept drift as a change in the statistics of the data-generating process.



Incremental Data Generation

addDataChunk(d, D)

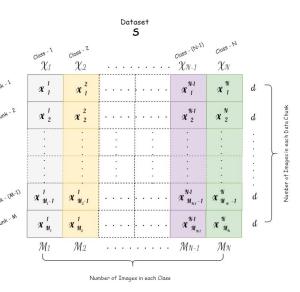


Algorithm 2: Incremental Data Generation for Progressive Clustering

Input: Dataset S as $S = \sum_{i=1}^{N} \{X_i\}$, $X_i = \sum_{j=1}^{M_i} \{x_j^i\}$ where N=Number of Classes, X_i = Class i, $n = \sum_{k=1}^{N} \{M_k\}$, M_k =Number of Images in class k, m=Number of Images in each data Chunk.

Output: Incremental Dataset $D = \sum_{i=1}^{N_c} \{D_{c_i}\}$, where $N_c = \text{Number of Data}$ Chunks, D_{c_i} is data chunk i.

```
D = \emptyset
                                         ▶ Initialize an empty set to store data chunks.
 c = m
 3 for i \leftarrow 1 to N_c do
                                                                    ▶ For each data chunk
        d = \emptyset
        t = random(1, N)
                                     \triangleright Number of classes to choose in data chunk D_{c_i}
        for j \leftarrow 1 to t do
            s = random(10, c)
                                               \triangleright Number of samples to choose in class j
            d_c = random\_collection(X_i, s)
                                                         \triangleright Choose s samples from class j
            updateDataChunk(d)
                                                                              \triangleright Add d_c to d
            X_i = X_i - d_c
10
11
            c = m - c
        end for
12
```



13

14 end for 15 return D \triangleright Add data chunk d to D

Incremental Data Generation

15 return D

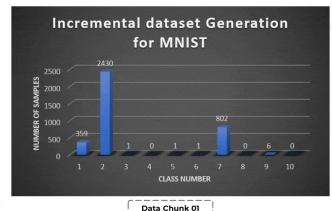


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```

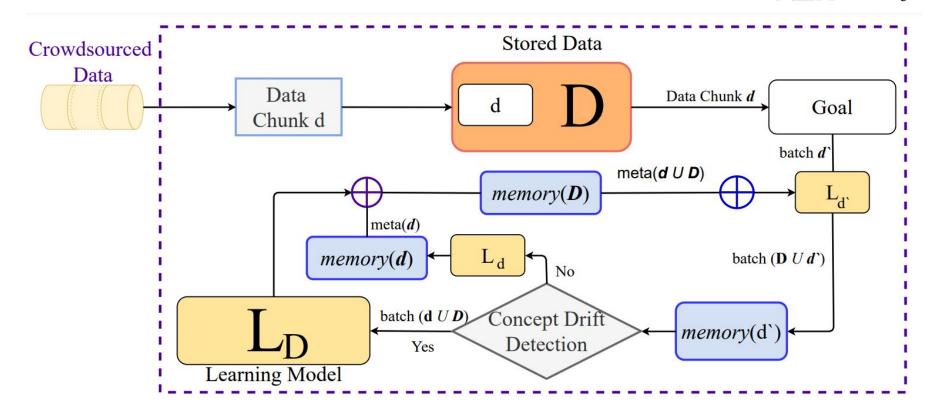
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            c = m - c
        end for
12
        addDataChunk(d, D)
                                                                 \triangleright Add data chunk d to D
13
14 end for
```



Progressive Clustering





Progressive Clustering



Algorithm 1: Progressive Clustering

Input: Incremental Dataset $D = \sum_{i=1}^{N_c} \{D_{c_i}\}\$, where $N_c =$ Number of Data Chunks.

Output: Clusters $C = \{c_1, c_2, c_3 \dots c_k\}$

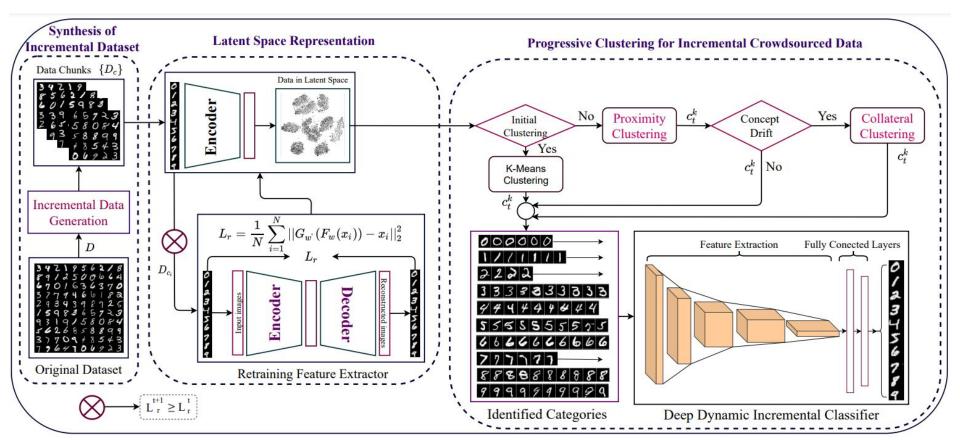
- 1 $update(\phi_{\theta_i}, D_{c_i})$ 2 $C_t \leftarrow kmeans(D_{c_i}, k)$
- $2 C_t \leftarrow kineans(D_{c_i}, k_i)$
- 3 for $i \leftarrow 2$ to N_c do
 - if $(L_{r+1}) \leq \eta \cdot L_r$ then
 - $update(\phi_{\theta_i}, D_{c_i})$
- 6 $d_{c_i} \leftarrow getEmbeddings(D_{c_i}, \phi_{\theta_i})$
- if $ConceptDrift(d_{c_i})$ then $C_t \leftarrow kmeans(D_{c_i}, k)$
 - end if
- $\mathbf{9} \qquad C_t \leftarrow proximityClustering(C_{t-1}, d_{c_i})$
- 10 end for

8

- 11 $C \leftarrow C_t$
- 12 return C

Progressive Clustering





Dataset and Training Details



Dataset:

- MNIST and Fashion-MNIST.
- Consists of 70k grayscale images of resolution (28 x 28) pixels belonging to 10 classes.
- We divide the datasets into the data chunks of 7k images as discussed in Algorithm 2 from each dataset which serves as the incremental data.
- We generated incremental dataset containing 10 data chunks for both MNIST and Fashion-MNIST dataset. Each data chunk contained different number of samples from each class.

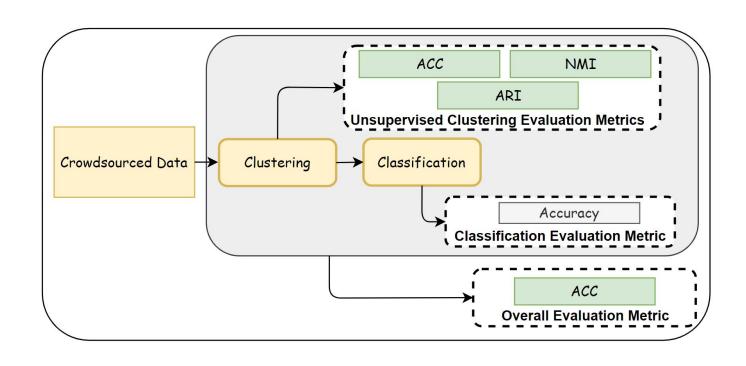
• Training:

- Runtime Environment: Nvidia GetForce GTX 1060.
- Architecture: Autoencoder.
- Learning Rate: 0:01.

- $\circ \quad \operatorname{Numb} \mathit{Conv}_{32}^5 \longrightarrow \mathit{Conv}_{64}^5 \longrightarrow \mathit{Conv}_{128}^3 \longrightarrow \mathit{F}_{C_{10}} \longrightarrow \mathit{Conv}_{128}^3 \longrightarrow \mathit{Conv}_{64}^5 \longrightarrow \mathit{Conv}_{32}^5$
- o Optimizer: Adam

Evaluation Methodology





Results of Progressive Clustering



	Number	Dataset							
Methodology	of times	MNIST			Fashion-MNIST				
	reclustered	ACC	NMI	ARI	Accuracy	ACC	NMI	ARI	Accuracy
K-Means	10	0.5385	0.4680	0.3229	0.9524	0.4737	0.5116	0.3473	0.9498
SEC	10	0.8037	0.7547	0.6542	0.9587	0.5124	0.5008	0.4245	0.9587
SAE+k-means	10	0.7817	0.7146	0.8658	0.9564	0.5370	0.5563	0.5474	0.9429
CAE+k-means	10	0.8490	0.7927	0.8798	0.9584	0.5833	0.6084	0.4449	0.9587
DEC	10	0.8408	0.8128	0.7831	0.9655	0.518	0.546	0.5139	0.9327
IDEC	10	0.8421	0.8381	0.5406	0.9587	0.529	0.557	0.4098	0.9547
DEC-DA	10	0.9861	0.9622	0.9447	0.9651	0.586	0.636	0.5484	0.9645
DCEC	10	0.8897	0.8849	0.5319	0.9691	0.584	0.638	0.5156	0.9459
Progressive k-means	8	0.5221	0.4631	0.2965	0.9324	0.4583	0.4587	0.3327	0.9149
Progressive SEC	8	0.7424	0.7021	0.6954	0.9234	0.4464	0.3984	0.3547	0.9258
Progressive SAE+k-means	8	0.7124	0.6857	0.7894	0.9132	0.4865	0.5132	0.5474	0.9174
Progressive CAE+k-means	6	0.8126	0.6972	0.8123	0.9129	0.5514	0.5127	0.4415	0.9107
Progressive DEC	6	0.7792	0.7462	0.7536	0.9097	0.4997	0.5165	0.4741	0.9057
Progressive IDEC	6	0.8056	0.7862	0.5125	0.9234	0.5174	0.5475	0.3687	0.9157
Progressive DEC-DA	6	0.9157	0.9165	0.9014	0.9324	0.5547	0.6234	0.5654	0.9268
Progressive DCEC	6	0.8265	0.7896	0.5123	0.9557	0.5844	0.5672	0.5074	0.9215

Contributions and Conclusion



- In this paper, we proposed a categorization strategy to handle the incremental nature of the data by identifying concept drift in the data stream.
- Our method automatically discovers newly occurring object categories in unlabelled data and is used to train a classifier that can be used for various downstream tasks such as content based image retrieval systems, image data segregation etc.
- We proposed an algorithm to alleviate the problem of concept drift by designing progressive clustering algorithm capable of handling continually arriving data.
- We demonstrated our results on standard MNIST and Fashion-MNIST datasets to show our methodology shows comparable performance to state-of-the-art clustering algorithms which will have to be trained from scratch on the arrival of each data chunk.
- Deploying incremental learning algorithms for critical applications warrants circumspection and is still a work in progress and we believe our work is a step in this direction.

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Thank You