Understanding different visualization methods using Trees, Rubber and oddbooks dataset

Trees

Let us check the structure of trees dataset

```
library (ggplot2)
summary (trees)
```

```
## Girth Height Volume

## Min. : 8.30 Min. :63 Min. :10.20

## 1st Qu.:11.05 1st Qu.:72 1st Qu.:19.40

## Median :12.90 Median :76 Median :24.20

## Mean :13.25 Mean :76 Mean :30.17

## 3rd Qu.:15.25 3rd Qu.:80 3rd Qu.:37.30

## Max. :20.60 Max. :87 Max. :77.00
```

```
str(trees)
```

```
## 'data.frame': 31 obs. of 3 variables:
## $ Girth : num 8.3 8.6 8.8 10.5 10.7 10.8 11 11 11.1 11.2 ...
## $ Height: num 70 65 63 72 81 83 66 75 80 75 ...
## $ Volume: num 10.3 10.3 10.2 16.4 18.8 19.7 15.6 18.2 22.6 19.9 ...
```

```
sapply(trees, is.factor)
```

```
## Girth Height Volume
## FALSE FALSE
```

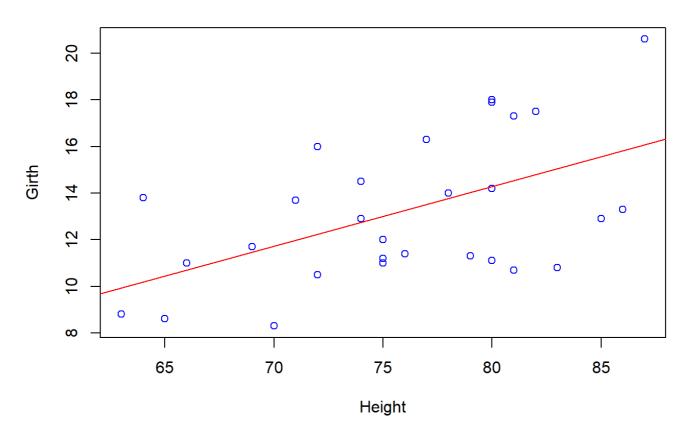
We make use of linear model and then plot it

```
model <- lm(Girth ~ Height, data = trees)
model1 <- lm(Volume ~ Height, data = trees)

plot(trees$Height, trees$Girth, main = 'Girth vs Height', xlab = 'Height', ylab = 'Girth', col = 'blue')

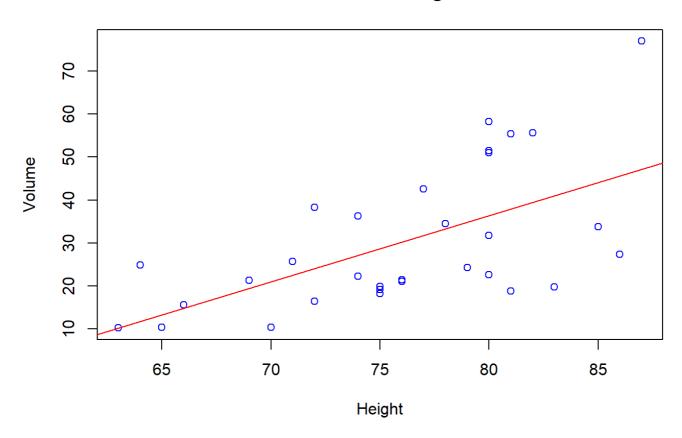
abline(model, col = 'red')</pre>
```

Girth vs Height



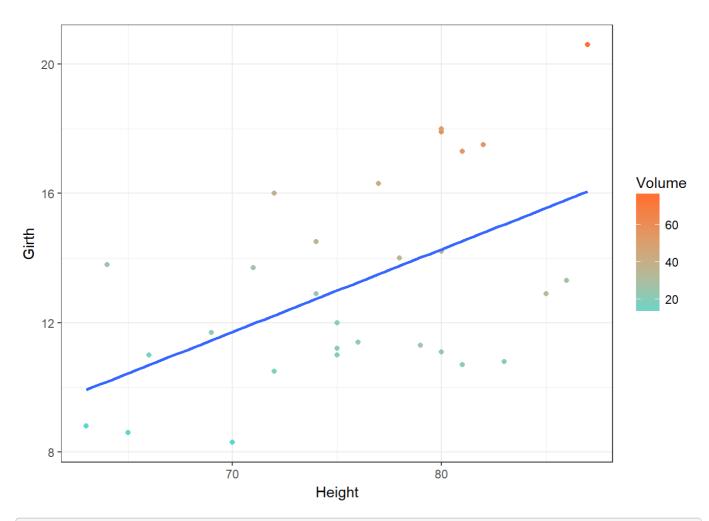
```
plot(trees$Height, trees$Volume, main = 'Volume vs Height', xlab = 'Height', ylab =
'Volume', col = 'blue')
abline(model1, col = 'red')
```

Volume vs Height

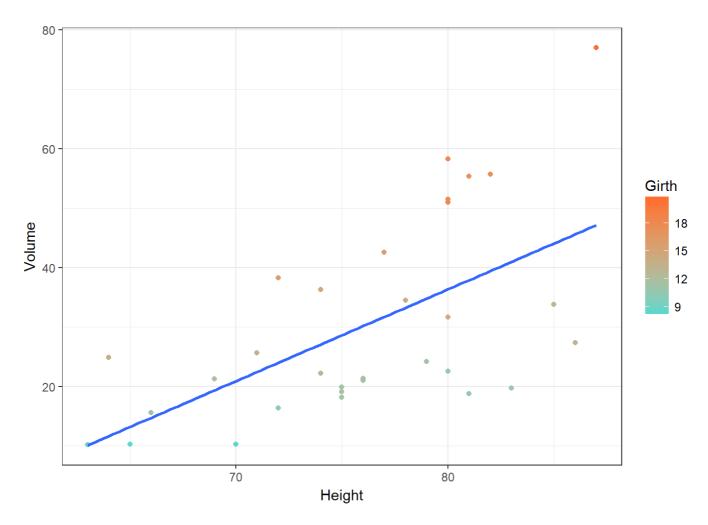


The same can be performed using ggplot

```
ggplot(trees, aes(Height, Girth), alpha = 0.4) + geom_point(aes(color = Volume)) + t heme_bw() +geom_smooth(method = 'lm', formula = y \simx, se = F) + scale_color_continu ous(high = "#FF6E2E", low = "#55D8CE")
```



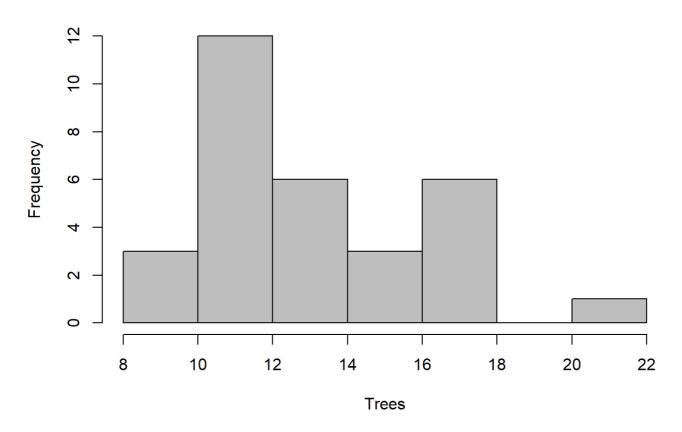
ggplot(trees, aes(Height, Volume), alpha = 0.4) + geom_point(aes(color = Girth)) + t heme_bw() +geom_smooth(method = 'lm', formula = y ~x, se = F) + scale_color_continu ous(high = "#FF6E2E", low = "#55D8CE")



Histogram and density

```
hist(trees$Girth, col = 'grey', xlab = "Trees", main = "Histogram of Girth", break
s = 5 )
```

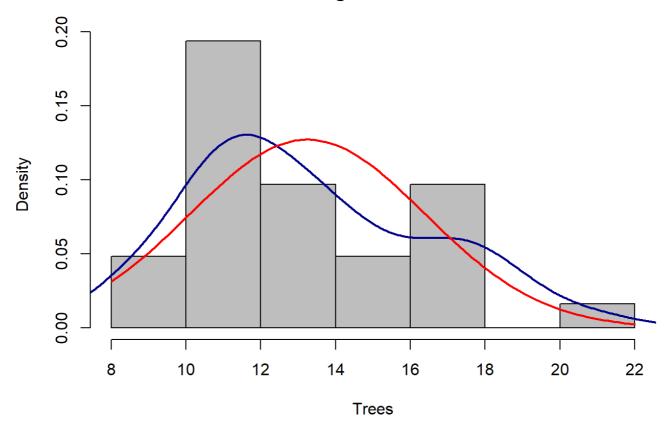
Histogram of Girth



```
hist(trees$Girth, col = 'grey', xlab = "Trees", main = "Histogram of Girth", freq
= F)
d <- density(trees$Girth)
lines(d, lwd = 2, col = 'darkblue')

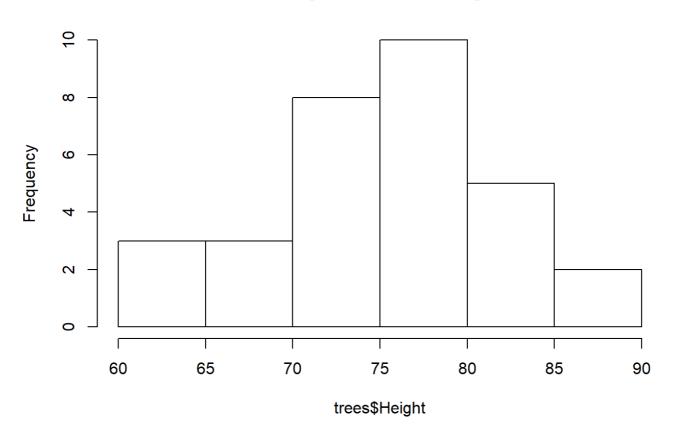
curve(dnorm(x, mean=mean(trees$Girth), sd=sd(trees$Girth)), add=TRUE, col='red', lw d=2)</pre>
```

Histogram of Girth

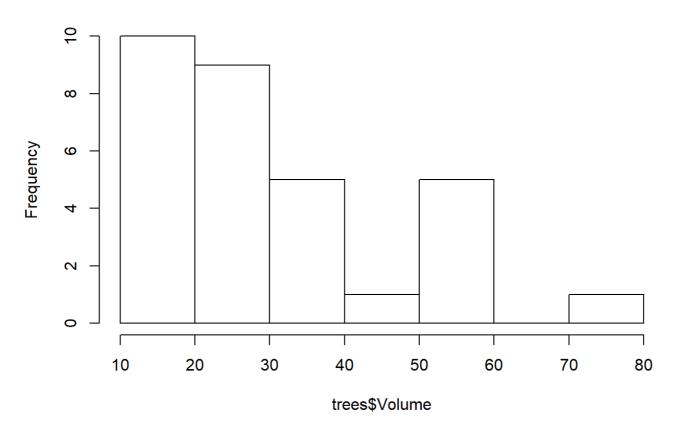


hist(trees\$Height)

Histogram of trees\$Height

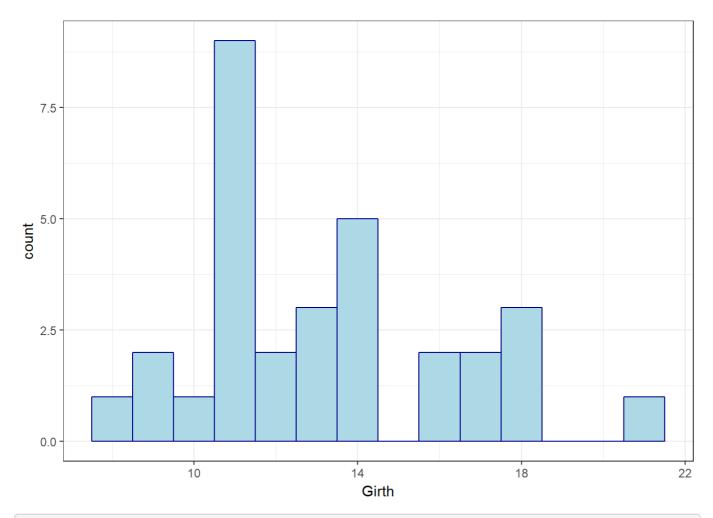


Histogram of trees\$Volume

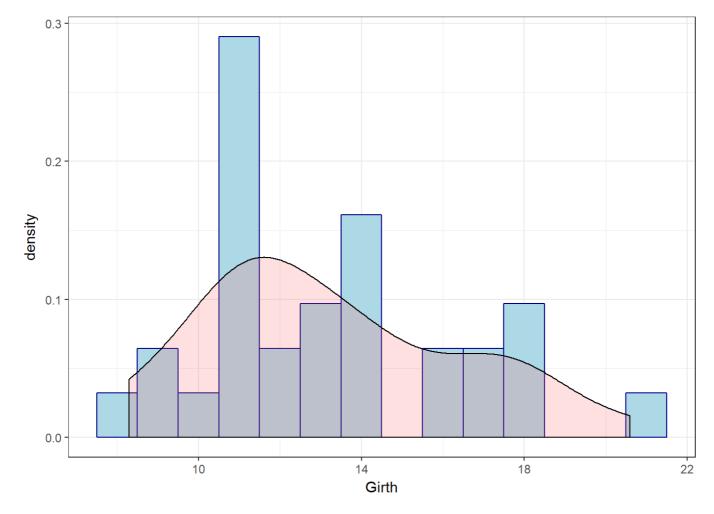


The same can be performed using ggplot

```
ggplot(trees, aes(Girth)) + geom_histogram(fill = 'lightblue', binwidth = 1, color
= 'darkblue') + theme_bw()
```



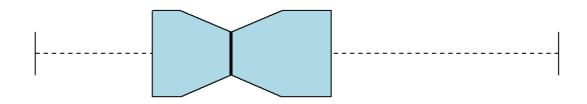
```
ggplot(trees, aes(Girth)) + geom_histogram(aes(y=..density..) ,binwidth = 1, color=
"darkblue", fill="lightblue" ) + theme_bw() + geom_density(alpha=.2, fill="#FF6666"
)
```

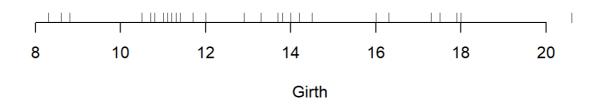


Boxplot and rug

```
boxplot(trees$Girth, col = 'lightblue', horizontal = T, xlab = 'Girth', main = 'Tr
ee Girth Data', frame.plot = F, boxwex = 0.6, notch = T)
rug(trees$Girth, side = 1)
```

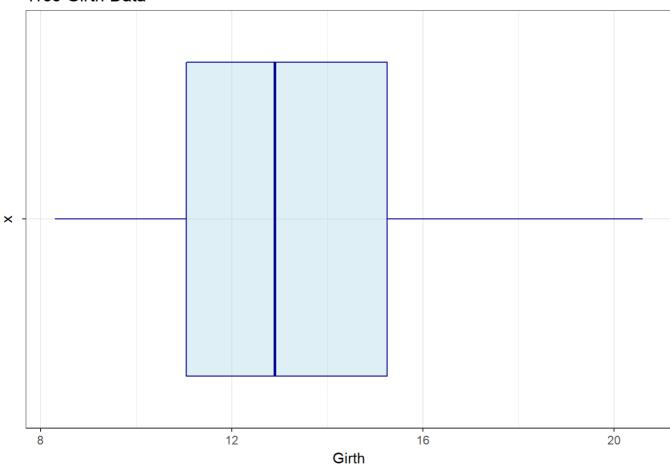
Tree Girth Data





```
ggplot(trees, aes(x='',y=Girth)) + geom_boxplot(color = 'darkblue', fill = 'lightbl
ue', alpha = 0.4) + theme_bw() + coord_flip() + ggtitle("Tree Girth Data")
```

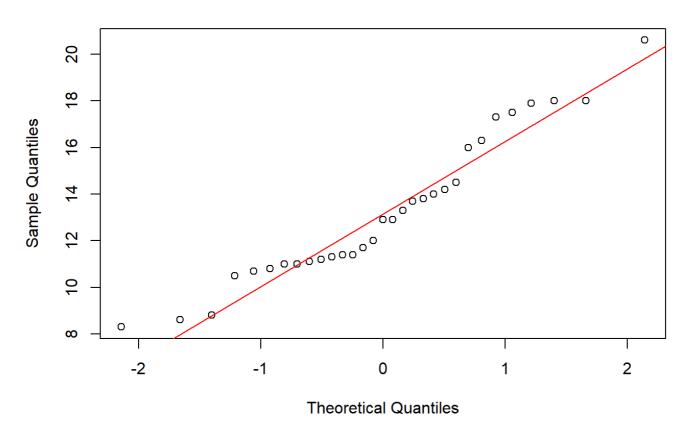
Tree Girth Data



rnorm and qqnorm

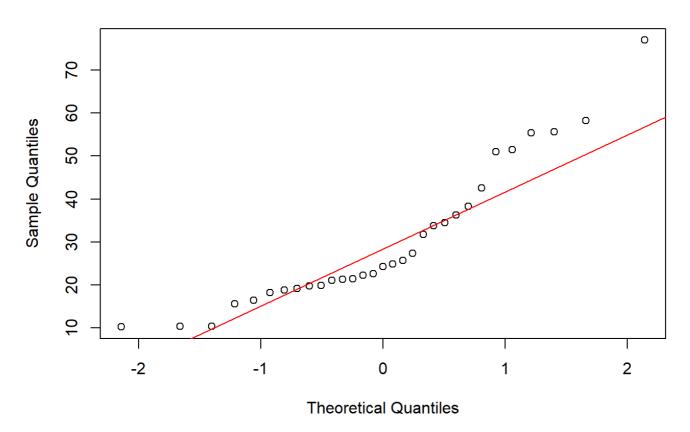
```
qqnorm(trees$Girth)
qqline(trees$Girth, col = 'red')
```

Normal Q-Q Plot



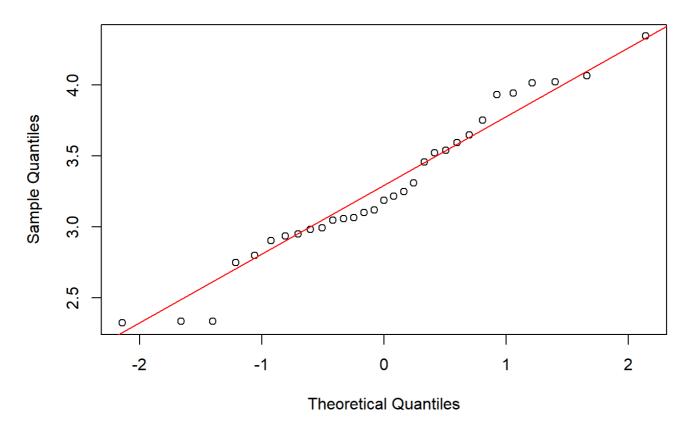
```
qqnorm(trees$Volume)
qqline(trees$Volume, col = 'red')
```

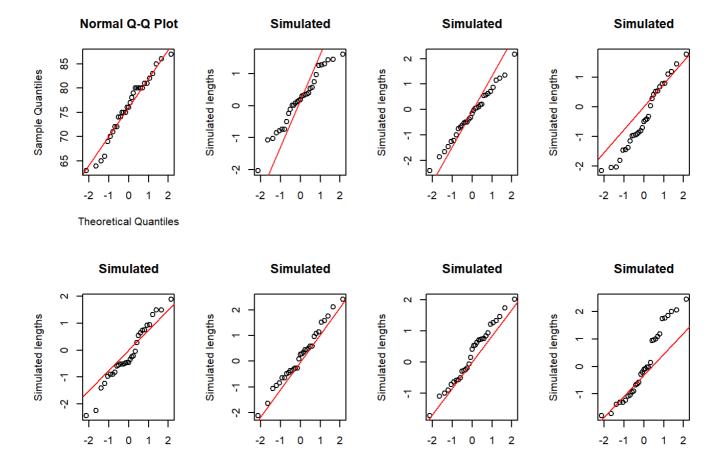
Normal Q-Q Plot



```
log.Volume <- log(trees$Volume)
qqnorm(log.Volume)
qqline(log.Volume, col = 'red')</pre>
```

Normal Q-Q Plot



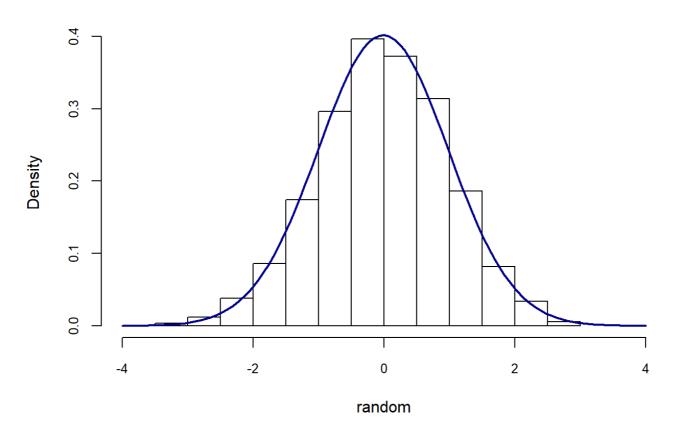


histogram for rnorm and dnorm

```
par(mfrow=c(1,1))
random <- rnorm(1000,0,1)

hist(random, main="Random draw from Std Normal", cex.axis=.8, freq = F, xlim = c(-4,4))
curve(dnorm(x, mean(random), sd(random)), add=TRUE, col="darkblue", lwd=2)</pre>
```

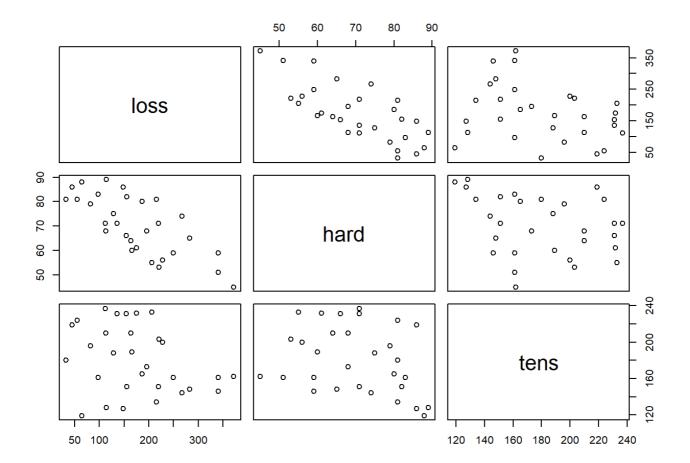
Random draw from Std Normal



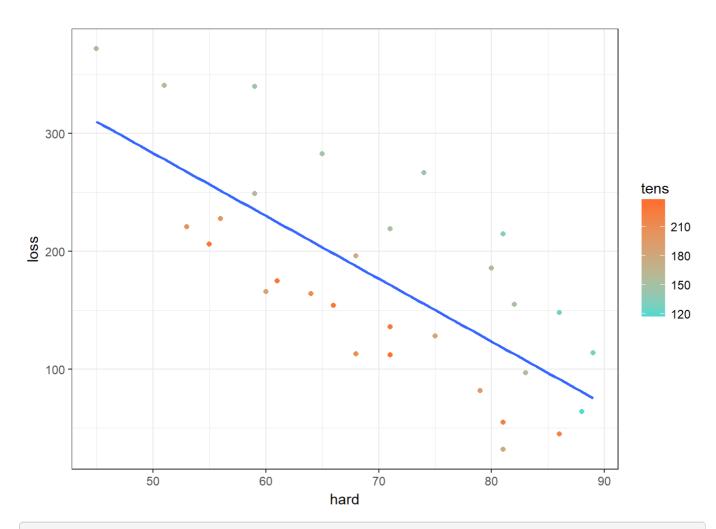
Rubber

Let us view and plot rubber dataset

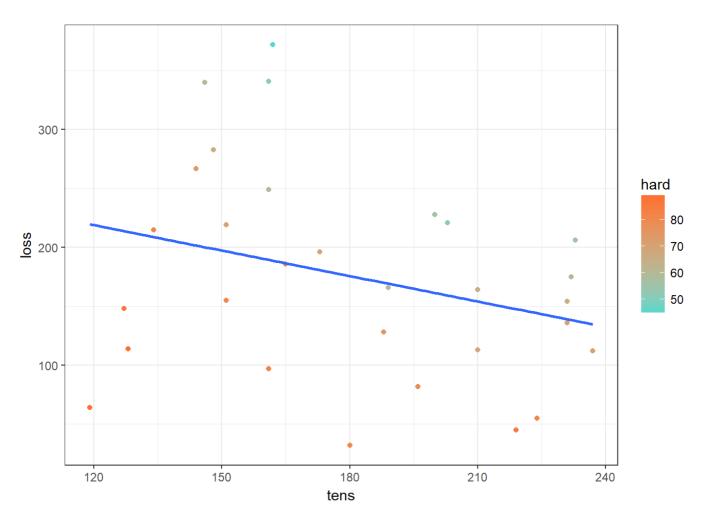
```
library (MASS)
plot (Rubber)
```



 $\label{eq:ggplot} $$ \operatorname{ggplot}(\operatorname{Rubber}, \operatorname{aes}(\operatorname{hard}, \operatorname{loss})) + \operatorname{geom_point}(\operatorname{aes}(\operatorname{color} = \operatorname{tens})) + \operatorname{theme_bw}() + \operatorname{geom_smooth}(\operatorname{method} = \operatorname{'lm'}, \operatorname{formula} = \operatorname{y} \sim \operatorname{x}, \operatorname{se} = \operatorname{F}) + \operatorname{scale_color_continuous}(\operatorname{high} = \operatorname{"\#FF6} \operatorname{E2E"}, \operatorname{low} = \operatorname{"\#55D8CE"})$



 $\label{eq:ggplot} $$ \gcd(\text{Rubber, aes}(\text{tens, loss})) + \gcd_{\text{point}}(\text{aes}(\text{color} = \text{hard})) + \text{theme_bw}() + \gcd_{\text{smooth}}(\text{method} = 'lm', \text{formula} = y \sim x, \text{se} = F) + \text{scale_color_continuous}(\text{high} = "\#FF6E2E", low = "\#55D8CE")$



We can see a negative correlation between loss and hard/tens

```
Rubber.lm <- lm(loss~hard+tens, data=Rubber)
summary(Rubber.lm)</pre>
```

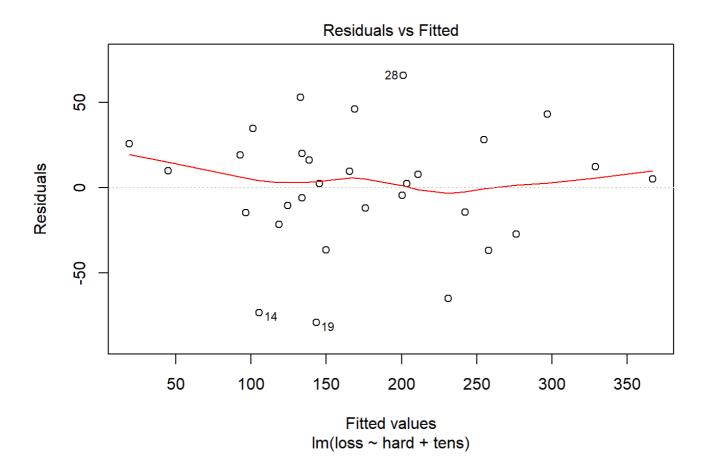
```
##
## Call:
## lm(formula = loss ~ hard + tens, data = Rubber)
##
## Residuals:
      Min
              1Q Median
                               3Q
## -79.385 -14.608 3.816 19.755 65.981
##
## Coefficients:
              Estimate Std. Error t value Pr(>|t|)
## (Intercept) 885.1611
                         61.7516 14.334 3.84e-14 ***
                           0.5832 -11.267 1.03e-11 ***
               -6.5708
## tens
               -1.3743
                          0.1943 -7.073 1.32e-07 ***
                  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
## Signif. codes:
## Residual standard error: 36.49 on 27 degrees of freedom
## Multiple R-squared: 0.8402, Adjusted R-squared: 0.8284
## F-statistic: 71 on 2 and 27 DF, p-value: 1.767e-11
```

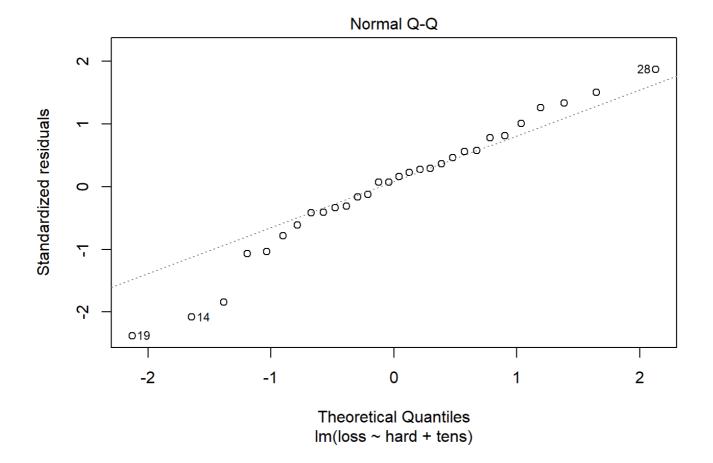
The intercept 885.16 indicates the loss at hardness = 0 and tensile strength = 0 The increase in hardness by 1 will lead to decrease in loss by 6.57 The increase in tensile strength by 1 will lead to decrease in loss by

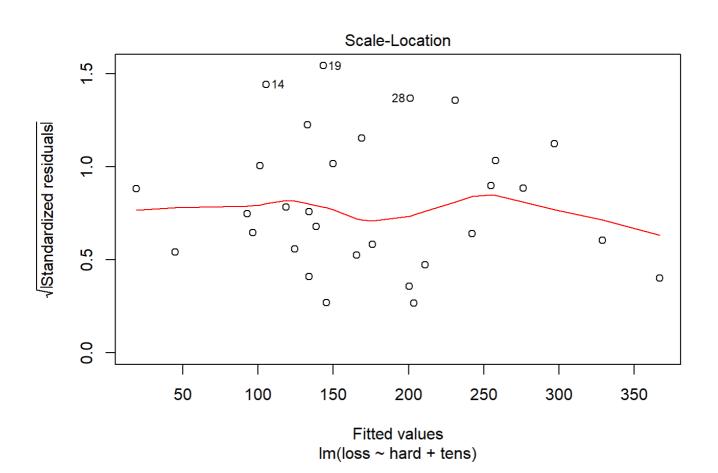
There is a negative corelation between loss and hardness/tensile strength

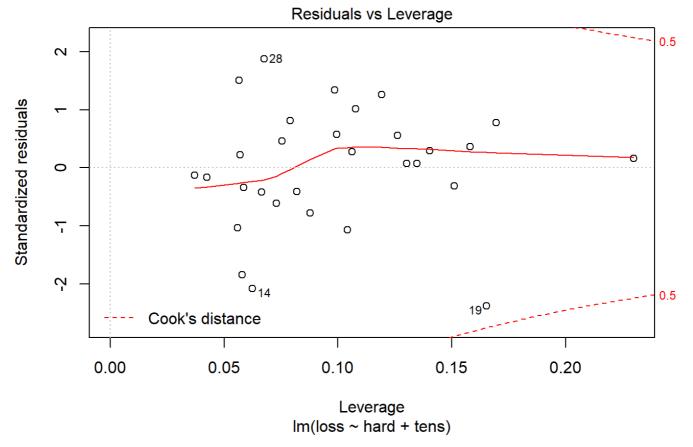
Let us plot the linear model using plot and termplot

plot(Rubber.lm)

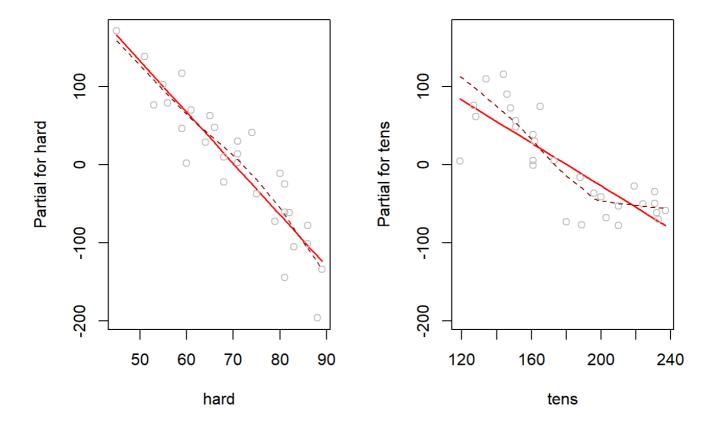








```
par(mfrow=c(1,2))
termplot(Rubber.lm, partial=TRUE, smooth=panel.smooth)
```



```
par(mfrow=c(1,1))
```

Oddbooks

Let us install the package DAAG which consists of Oddbooks dataset

```
library(DAAG)

## Warning: package 'DAAG' was built under R version 3.4.4

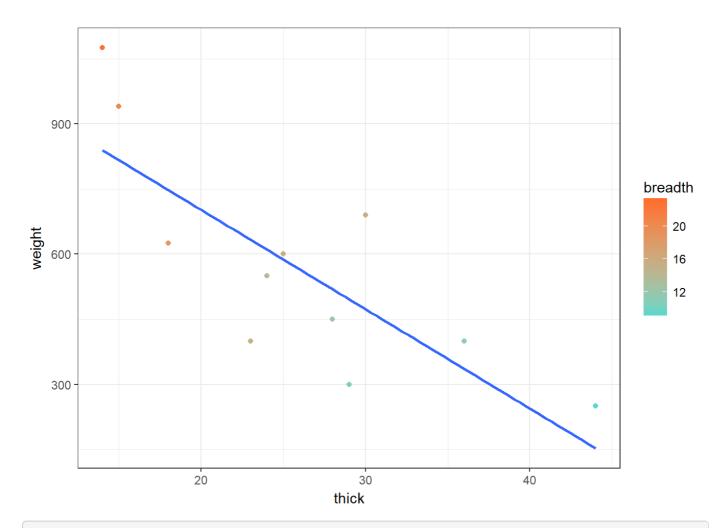
## Loading required package: lattice

## Attaching package: 'DAAG'

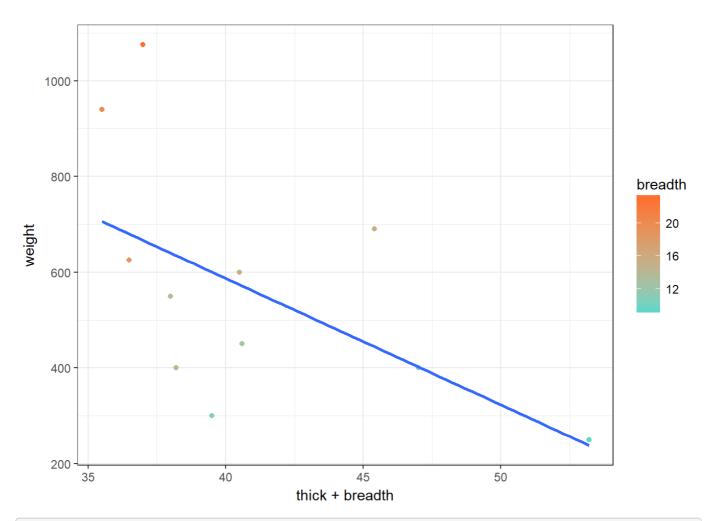
## The following object is masked from 'package:MASS':
## ## hills
```

Let us plot using ggplot

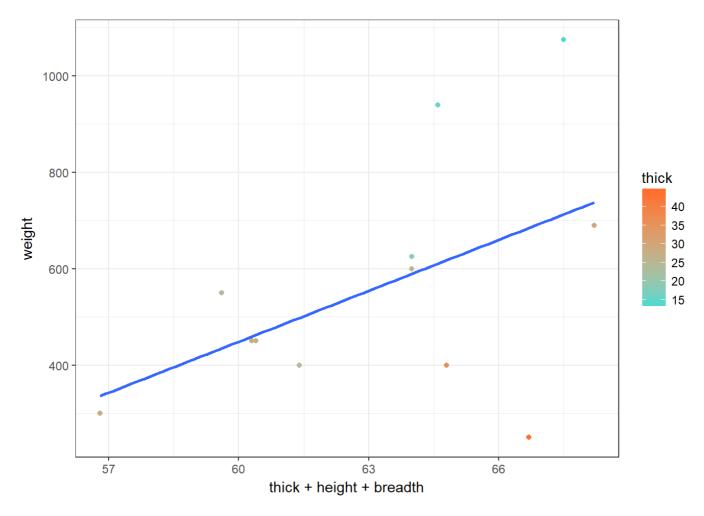
```
ggplot(oddbooks, aes(thick, weight)) + geom_point(aes(color = breadth)) + theme_bw(
) +geom_smooth(method = 'lm', formula = y ~x, se = F) + scale_color_continuous(high
= "#FF6E2E", low = "#55D8CE")
```



 $\label{eq:color_gamma} $\operatorname{ggplot}(\operatorname{oddbooks, aes}(\operatorname{thick+ breadth, weight})) + \operatorname{geom_point}(\operatorname{aes}(\operatorname{color} = \operatorname{breadth})) + \operatorname{theme_bw}() + \operatorname{geom_smooth}(\operatorname{method} = '\operatorname{lm'}, \operatorname{formula} = \operatorname{y} \sim \operatorname{x}, \operatorname{se} = \operatorname{F}) + \operatorname{scale_color_contin} \operatorname{uous}(\operatorname{high} = "\#\operatorname{FF6E2E"}, \operatorname{low} = "\#\operatorname{55D8CE"})$



ggplot(oddbooks, aes(thick+height+breadth, weight)) + geom_point(aes(color = thick)
) + theme_bw() +geom_smooth(method = 'lm', formula = y ~x, se = F) + scale_color_co
ntinuous(high = "#FF6E2E", low = "#55D8CE")



Using linear model on oddbooks

```
logbooks <- log(oddbooks)
logbooks.lm1 <- lm(weight~thick,data=logbooks)
summary(logbooks.lm1)$coef</pre>
```

```
## Estimate Std. Error t value Pr(>|t|)
## (Intercept) 9.691988 0.7076002 13.696983 8.345461e-08
## thick -1.072579 0.2190487 -4.896534 6.263390e-04
```

There is a negative correlation between weight and thickness At 0 thickness the weight is 9.69 and with the increase in Weight by 1 the thickness will decrease by 1.07 This gives us a very weird result as generally weight should increase with increase in thickness

```
logbooks.lm2<-lm(weight~thick+height,data=logbooks)
summary(logbooks.lm2)$coef</pre>
```

```
## Estimate Std. Error t value Pr(>|t|)
## (Intercept) -1.2631920 3.5520303 -0.3556253 0.73031392
## thick 0.3129265 0.4723981 0.6624212 0.52429995
## height 2.1143070 0.6782222 3.1174254 0.01236986
```

There is a negative correlation between weight and thickness/height At 0 thickness/height the weight is - 1.26 and with the increase in Weight by 1 the thickness will increase by 0.3 and height by 2.11 However we can see a low confidence interval for thickness and Weight

```
logbooks.lm3<-lm(weight~thick+height+breadth,data=logbooks)
summary(logbooks.lm3)$coef</pre>
```

```
## Estimate Std. Error t value Pr(>|t|)
## (Intercept) -0.7191177 3.216233 -0.2235900 0.8286803
## thick 0.4647506 0.434447 1.0697521 0.3159421
## height 0.1536690 1.273404 0.1206758 0.9069237
## breadth 1.8771865 1.069562 1.7550980 0.1173191
```

There is a negative correlation between weight and thickness/height/breadth At 0 thickness/height the weight is -0.71 and with the increase in Weight by 1 the thickness will increase by 0.46 and height by 0.15 and breadth by 1.87 However we can see a low confidence intervals

We can see very different results from oddboks dataset as books may be chosen in such a way to produce odd results