

```

def f(x):
    return x**2

a = 0
b = 3

n = 20

exact_integral = (b**3 - a**3) / 3

def midpoint_riemann_sum(f, a, b, n):
    h = (b - a) / n
    integral = 0
    for i in range(n):
        xi = a + (i + 0.5) * h
        integral += f(xi)
    integral *= h
    return integral

midpoint_riemann_result = midpoint_riemann_sum(f, a, b, n)

# Trapezoidal Rule problem
def trapezoidal_rule(f, a, b, n):
    h = (b - a) / n
    integral = 0.5 * (f(a) + f(b))
    for i in range(1, n):
        xi = a + i * h
        integral += f(xi)
    integral *= h
    return integral

trapezoidal_result = trapezoidal_rule(f, a, b, n)

# Simpson's Rule problem
def simpsons_rule(f, a, b, n):
    h = (b - a) / n
    integral = f(a) + f(b)
    for i in range(1, n):
        xi = a + i * h
        if i % 2 == 0:
            integral += 2 * f(xi)
        else:
            integral += 4 * f(xi)
    integral *= h / 3
    return integral

simpsons_result = simpsons_rule(f, a, b, n)

# Print the results
print(f"Exact Integral: {exact_integral:.4f}")
print(f"Mid-point Riemann Sum: {midpoint_riemann_result:.4f}")
print(f"Trapezoidal Rule: {trapezoidal_result:.4f}")
print(f"Simpson's Rule: {simpsons_result:.4f}")

```

Python 3.11.5 (v3.11.5:cce6ba91b3, Aug 24 2023, 10:50:31) [Clang 13.0.0 (clang-1300.0.29.30)] on darwin  
Type "help", "copyright", "credits" or "license()" for more information.

===== RESTART: /Users/lakshman/Documents/hvc.py =====

Exact Integral: 0.0000  
Mid-point Riemann Sum: 0.0000  
Trapezoidal Rule: 0.0000  
Simpson's Rule: 0.0000

===== RESTART: /Users/lakshman/Documents/jfbjkwfweb.py =====

Traceback (most recent call last):  
 File "/Users/lakshman/Documents/jfbjkwfweb.py", line 1, in <module>  
 import numpy as np  
ModuleNotFoundError: No module named 'numpy'

===== RESTART: /Users/lakshman/Documents/jfbjkwfweb.py =====

Traceback (most recent call last):  
 File "/Users/lakshman/Documents/jfbjkwfweb.py", line 1, in <module>  
 import num as np  
ModuleNotFoundError: No module named 'num'|

===== RESTART: /Users/lakshman/Documents/vgsvhsv.py =====

Exact Integral: 0.0000  
Mid-point Riemann Sum: 0.0000  
Trapezoidal Rule: 0.0000  
Simpson's Rule: 0.0000

```

1 import numpy as np
2
3 # Define the sigmoid function
4 def sigmoid(x):
5     return np.tanh(x)
6
7 # Define the exact derivative of the sigmoid function
8 def exact_derivative(x):
9     return 1 - np.tanh(x)**2
10
11 # Define the three numerical differentiation formulas
12 def forward_difference(x, h):
13     return (sigmoid(x + h) - sigmoid(x)) / h
14
15 def central_difference(x, h):
16     return (sigmoid(x + h) - sigmoid(x - h)) / (2 * h)
17
18 def backward_difference(x, h):

```

Ln: 35, Col: 128



Run



Share

Command Line Arguments



h	Exact f'(x)	Forward Approximation	Central Approximation	Backward Approximation
0.10000	1.000000	0.996680	0.996680	0.996680
0.01000	1.000000	0.999967	0.999967	0.999967
0.00100	1.000000	1.000000	1.000000	1.000000
0.00010	1.000000	1.000000	1.000000	1.000000

```

main.py +
1/
18- def backward_difference(x, h):
19     return (sigmoid(x) - sigmoid(x - h)) / h
20
21 # Values of h to be tested
22 h_values = [0.1, 0.01, 0.001, 0.0001, 0.00001]
23
24 # Create a table header
25 print(f"| h | Exact f'(x) | Forward Approximation | Central Approximation | Backward Approximation |")
26
27 # Iterate through each value of h and print the results
28- for h in h_values:
29     exact_result = exact_derivative(0)
30     forward_result = forward_difference(0, h)
31     central_result = central_difference(0, h)
32     backward_result = backward_difference(0, h)
33
34     # Print the results in a formatted table

```

Ln: 35, Col: 128



Run



Share

Command Line Arguments

	0.100000	1.000000	0.990000	0.990000	0.990000	
	0.010000	1.000000	0.999967	0.999967	0.999967	
	0.001000	1.000000	1.000000	1.000000	1.000000	
	0.000100	1.000000	1.000000	1.000000	1.000000	
	0.000010	1.000000	1.000000	1.000000	1.000000	
	0.000001	1.000000	1.000000	1.000000	1.000000	

```

+
def backward_difference(x, h):
    return (sigmoid(x) - sigmoid(x - h)) / h

# Values of h to be tested
h_values = [0.1, 0.01, 0.001, 0.0001, 0.00001]

# Create a table header
print(f"|   h       |   Exact f'(x) | Forward Approximation | Central Approximation | Backward Approximation |")

# Iterate through each value of h and print the results
for h in h_values:
    exact_result = exact_derivative(0)
    forward_result = forward_difference(0, h)
    central_result = central_difference(0, h)
    backward_result = backward_difference(0, h)

    # Print the results in a formatted table
    print(f"| {h:.5f} |   {exact_result:.6f} |   {forward_result:.6f} |   {central_result:.6f} |   {backward_result:.6f} |")

```

5, Col: 128

[Share](#)
Command Line Arguments

	0.10000		1.000000		0.996080		0.996080		0.996080	
	0.01000		1.000000		0.999967		0.999967		0.999967	
	0.00100		1.000000		1.000000		1.000000		1.000000	
	0.00010		1.000000		1.000000		1.000000		1.000000	
	0.00001		1.000000		1.000000		1.000000		1.000000	

Share

Command Line Arguments

h	Exact $f'(x)$	Forward Approximation	Central Approximation	Backward Approximation
0.10000	1.000000	0.996680	0.996680	0.996680
0.01000	1.000000	0.999967	0.999967	0.999967
0.00100	1.000000	1.000000	1.000000	1.000000
0.00010	1.000000	1.000000	1.000000	1.000000
0.00001	1.000000	1.000000	1.000000	1.000000

\*\* Process exited - Return Code: 0 \*\*

rise to the hydration

living smart

smart water

ready for action

WHOLE FOODS MARKET

Shop now on Amazon